



COE

Interplay between core and corona from small to large colliding systems

Y. Kanakubo *et al.*, Phys. Rev. C 105 (2022) 2, 024905 Y. Kanakubo *et al.*, Phys. Rev. C 106 (2022) 5, 054908

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Collaborators: Yasuki Tachibana^{2,3}, Tetsufumi Hirano²

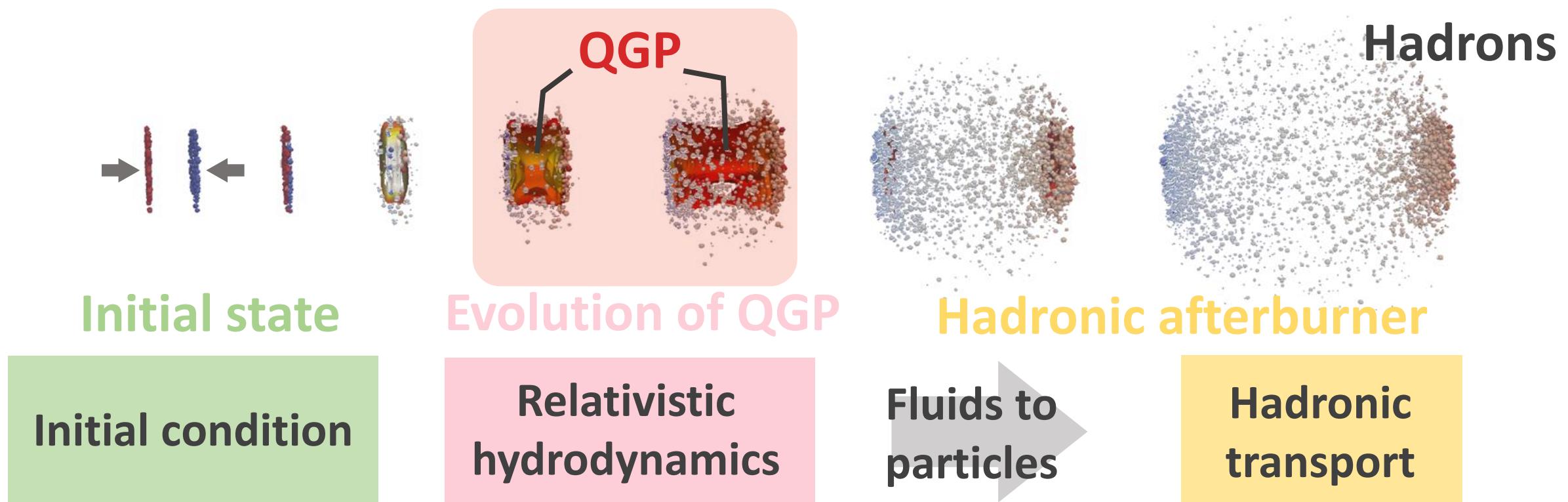
² Sophia University, ³Akita International University



QGP study via relativistic heavy-ion collisions

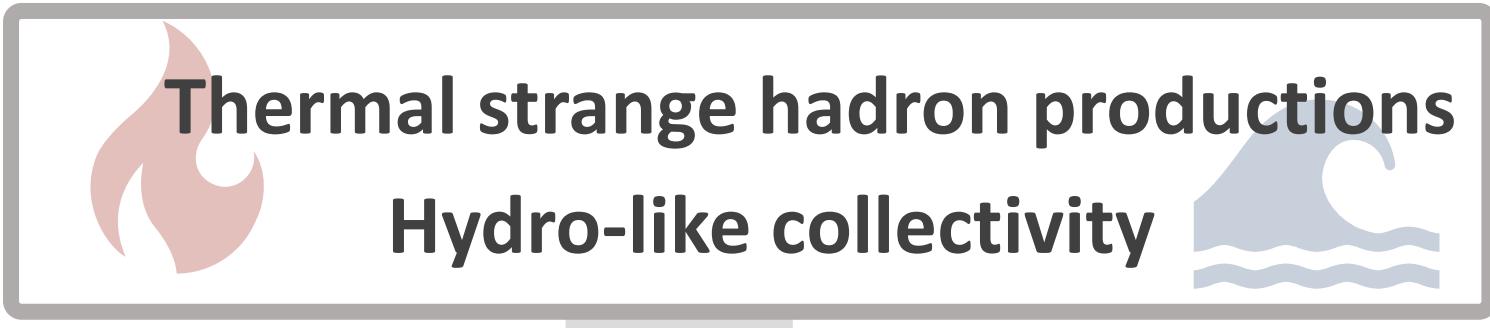
Extraction of properties from direct comparisons with data

J. E. Bernhard, 1804.06469



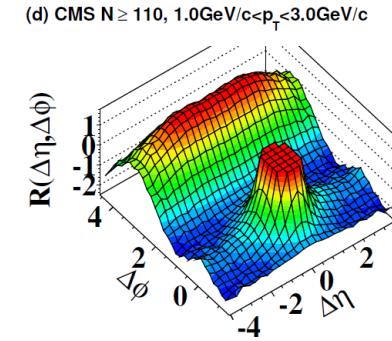
QGP signals in small colliding systems

In **high-multiplicity** small systems (pp, pA)...



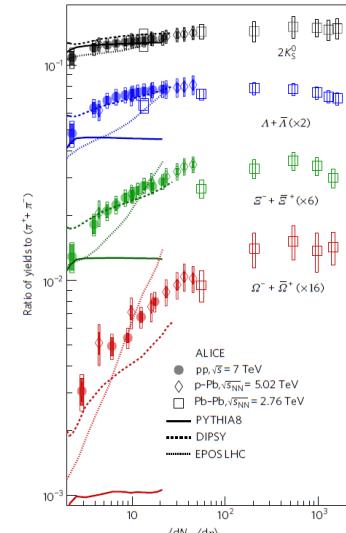
Challenge to interpret the universal behavior from pp to AA

... within a single dynamical framework?

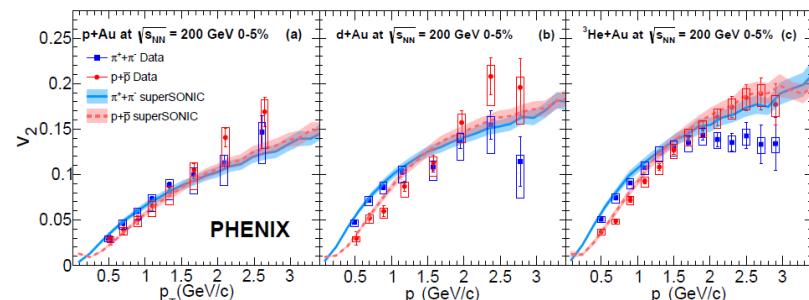


Long range correlation

CMS Collaboration, JHEP
09 091 (2010)



Strangeness enhancement
ALICE Collaboration, Nature Phys. 13 535-539 (2017)

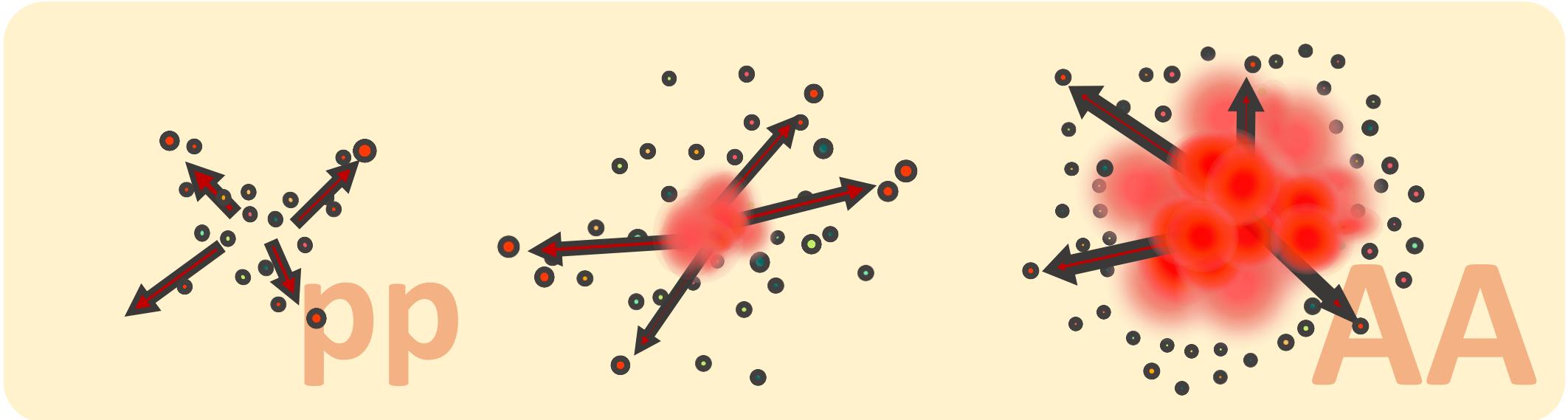


Flow harmonics

PHENIX Collaboration, Phys. Rev. C
97, 064904 (2018)

Dynamical Core-Corona Initialisation framework

Core-corona: K. Werner, Phys. Rev. Lett. 98 (2007) 152301



Core: fluids (equilibrated matter) → Hydrodynamics

Corona: non-equilibrated partons → String fragmentation

Two different components/hadronisation

From pp to AA, from low to high p_T

Dynamical initialisation $\partial_\mu T_{\text{fluid}}^{\mu\nu} = J^\nu$

Dynamical Core-Corona Initialization model 2

Y. Kanakubo *et al.*, Phys. Rev. C 105 (2022) 2, 024905

Model flowchart of DCC12

Y. Kanakubo *et al.*, Phys. Rev. C 105 (2022) 2, 024905

Initial partons: PYTHIA8/PYTHIA8 Angantyr

T. Sjöstrand *et al.*, Comput. Phys. Commun. 191, 159 (2015)
C. Bierlich *et al.*, JHEP 1610 139 (2016)

Dynamical initialization of QGP fluids based on core-corona

Equilibrated matter (core)

(3+1)-D hydro with source terms

Y. Tachibana *et al.*, Phys. Rev. C 90, 021902 (2014)

iS3D (thermal hadron sampling)

M. McNelis *et al.*, Comput. Phys. Commun. 258, 107604 (2021)

Non-equilibrated partons (corona)

PYTHIA8 (string fragmentation)

Hadronic afterburner: JAM

Y. Nara *et al.*, Phys. Rev. C61, 024901 (2000)

Dynamical initialization framework

New framework to dynamically generate initial condition

M. Okai *et al.*, Phys.Rev.C 95 (2017) 5, 054914

C. Shen and B. Schenke, Phys.Rev.C 97 (2018) 2, 024907

Continuum eq. for fluids + partons

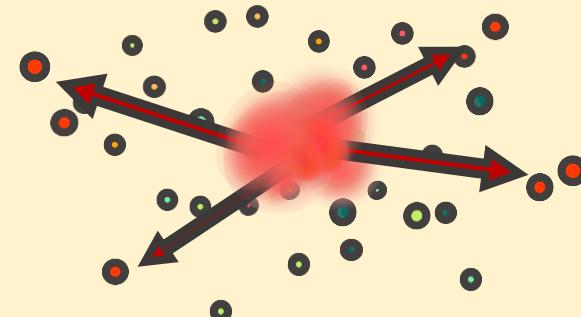
$$\partial_\mu \left(T_{\text{fluid}}^{\mu\nu} + T_{\text{parton}}^{\mu\nu} \right) = 0$$

Hydrodynamic eq. with source term

$$\partial_\mu T_{\text{fluid}}^{\mu\nu} = J^\nu$$

$$J^\nu \rightarrow - \sum_i \frac{dp_i^\nu(t)}{dt} G(x - x_i(t))$$

Energy-momentum conservation in **fluid + parton**



“Sources of fluids”
= “energy-momentum of partons”

Dynamical core-corona picture

Multiple scatterings among partons → partial equilibration

$$\frac{dp_i^\mu}{d\tau} = - \sum_j^{N_{\text{scat}}} \rho_{i,j} \sigma_{i,j} |v_{\text{rel},i,j}| p_i^\mu$$

Defined at a co-moving frame with $\eta_{s,i}$

Energy-momentum deposition

→ # of scatterings with partons (non-equilibrated and equilibrated)

Low p_T and/or dense region

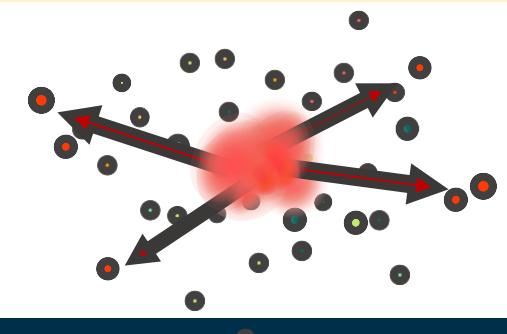


Core (fluids)

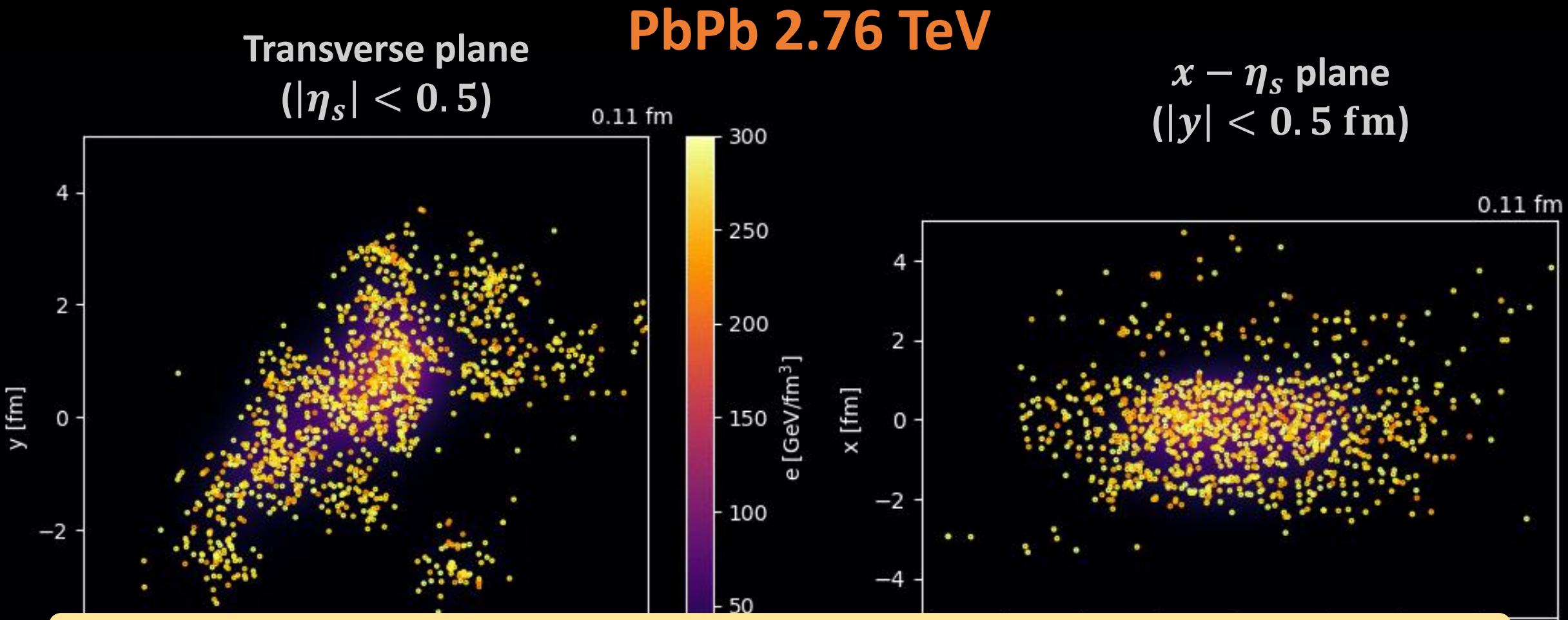
High p_T and/or dilute region



Corona (partons)



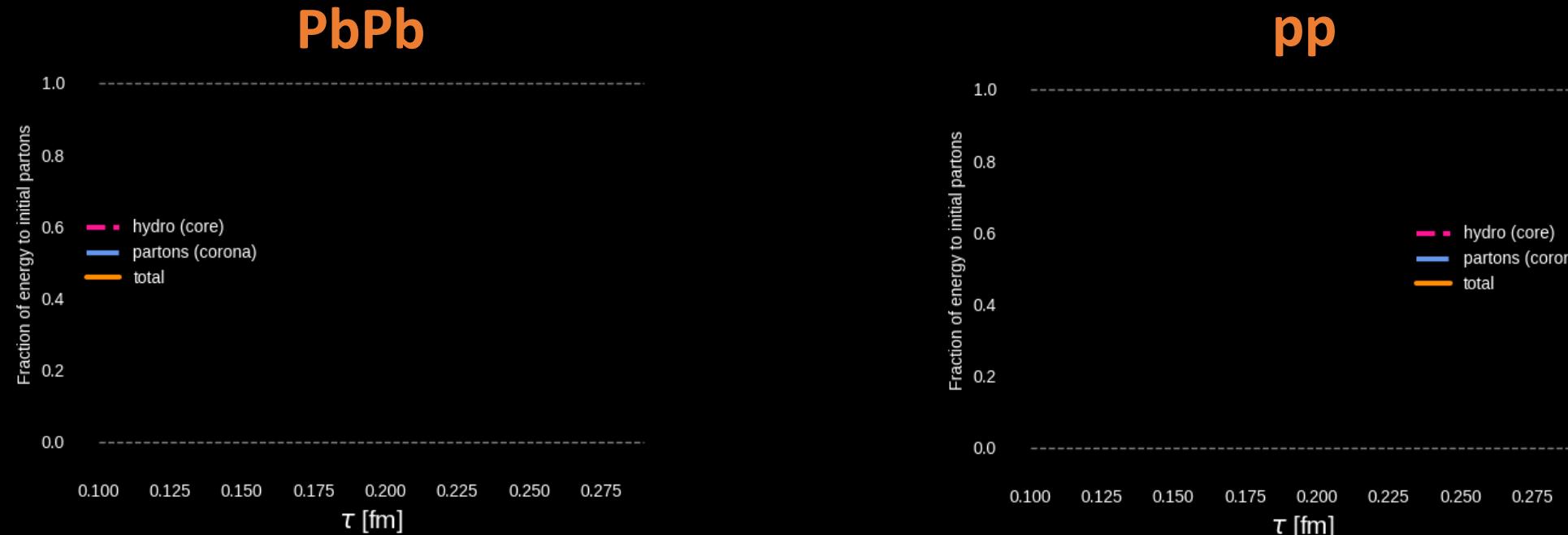
Dynamical core-corona initialization



Energy-loss of partons $\rightarrow \partial_\mu T_{\text{fluid}}^{\mu\nu} = J_\mu^\nu$
parton
Jet-quenching + medium response

Energy budget in dynamical core-corona initialization

Dynamical energy conversion from initial partons (corona) to fluids (core)



- Starting from vacuum $T^{\mu\nu} = 0$ for fluids
- Dynamical conversion of energy-momentum from corona to core

Attempt to realize equilibration process
phenomenologically

Result 1

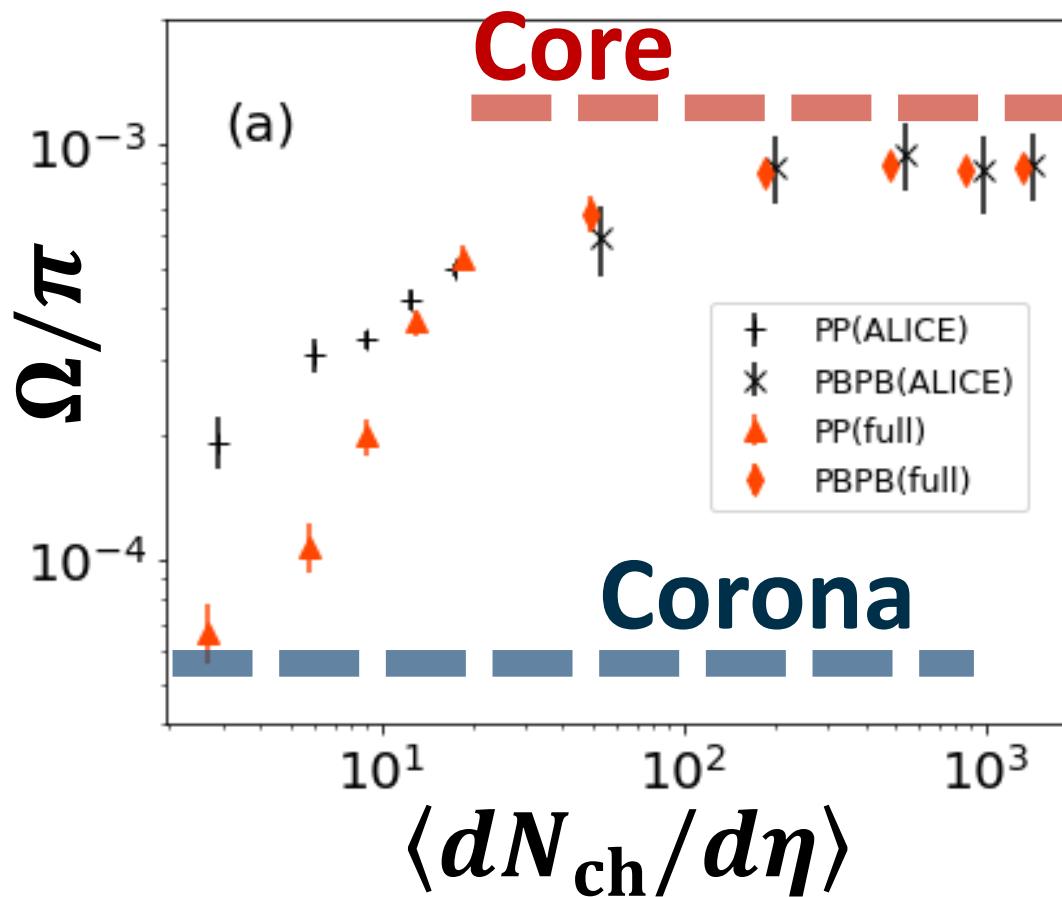


Need both core and corona
in both pp and AA!

Y. Kanakubo *et al.*, Phys. Rev. C 105 (2022) 2, 024905

Input: Ω/π ratio from pp to PbPb

→ Fixing parameters to control fraction of core/corona



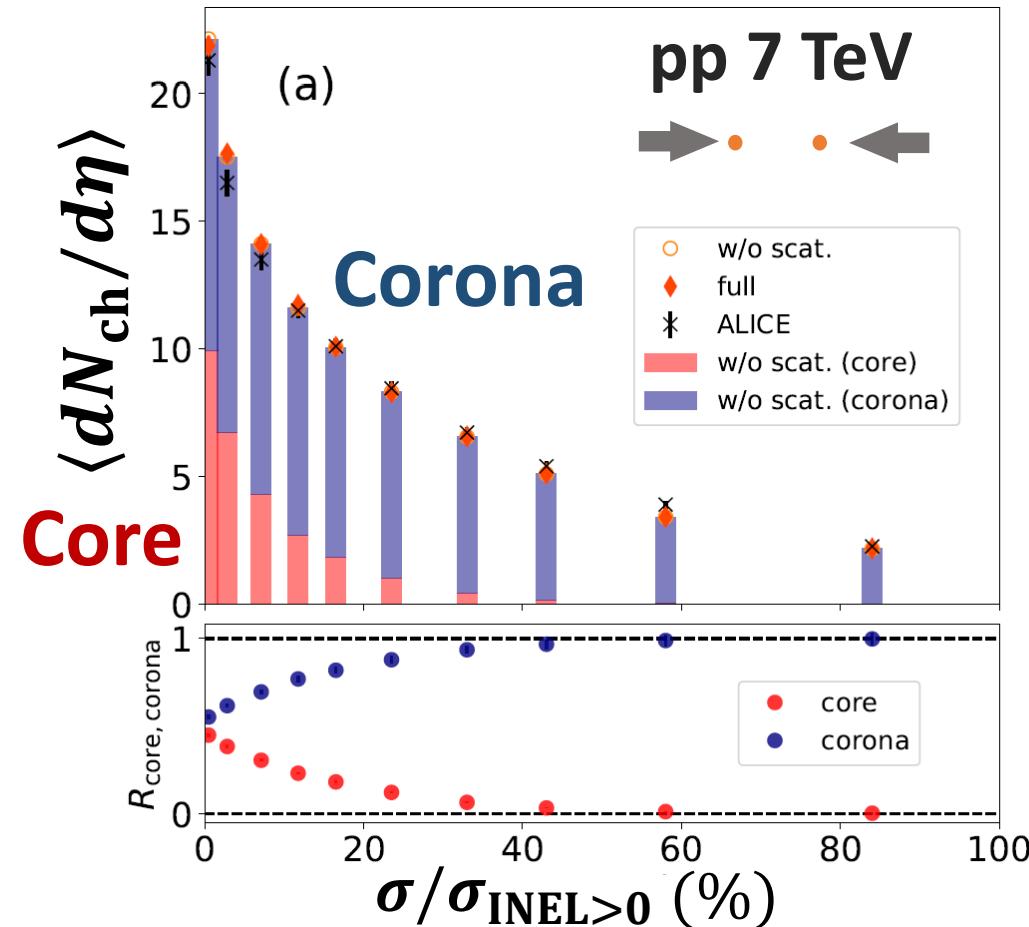
Interplay between...

**QGP hydro (core) &
String frag. (corona)**

→ Multiplicity
dependence of Ω/π

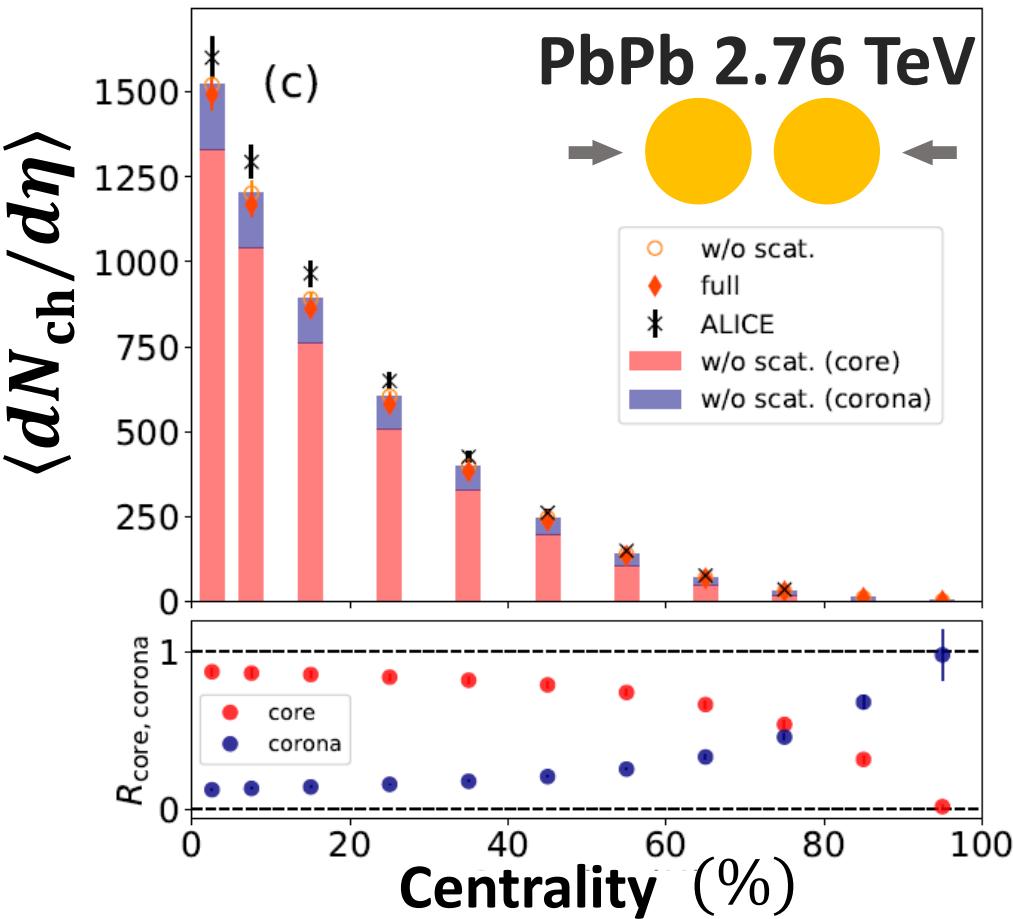
Forcing equilibration of the
system according to Ω/π

Fraction of core and corona in pp and PbPb

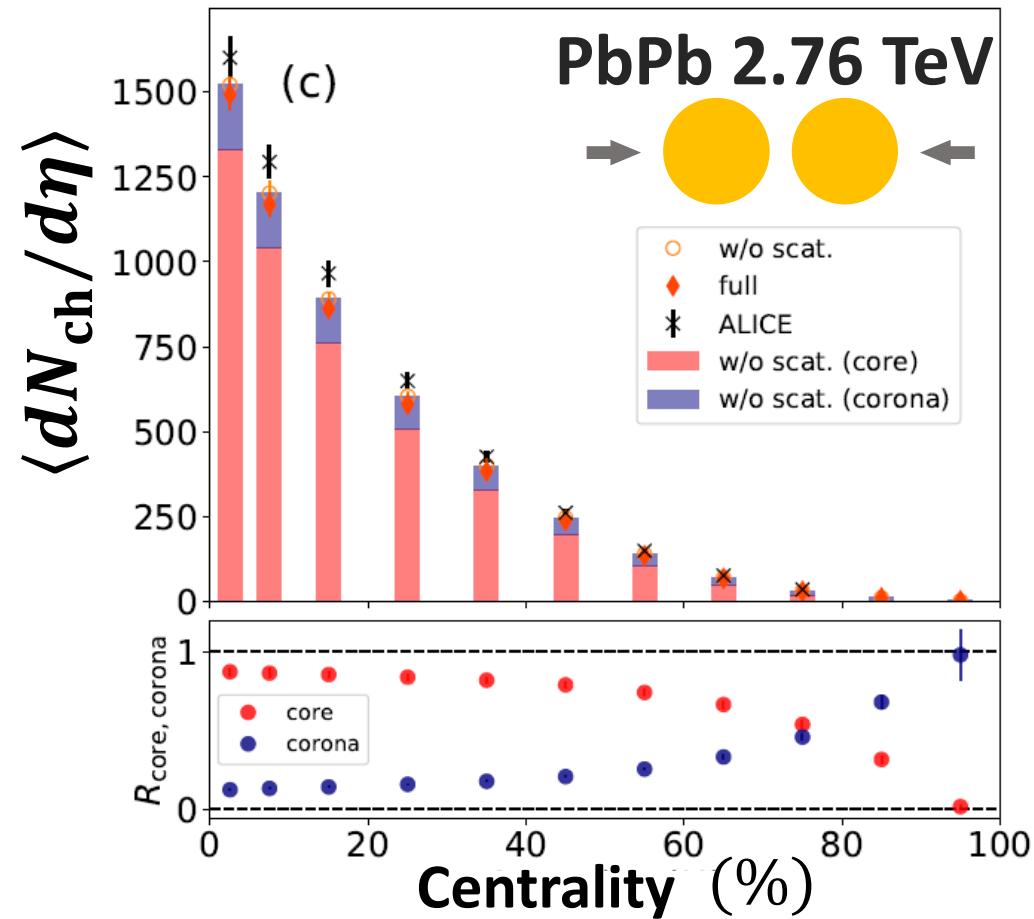
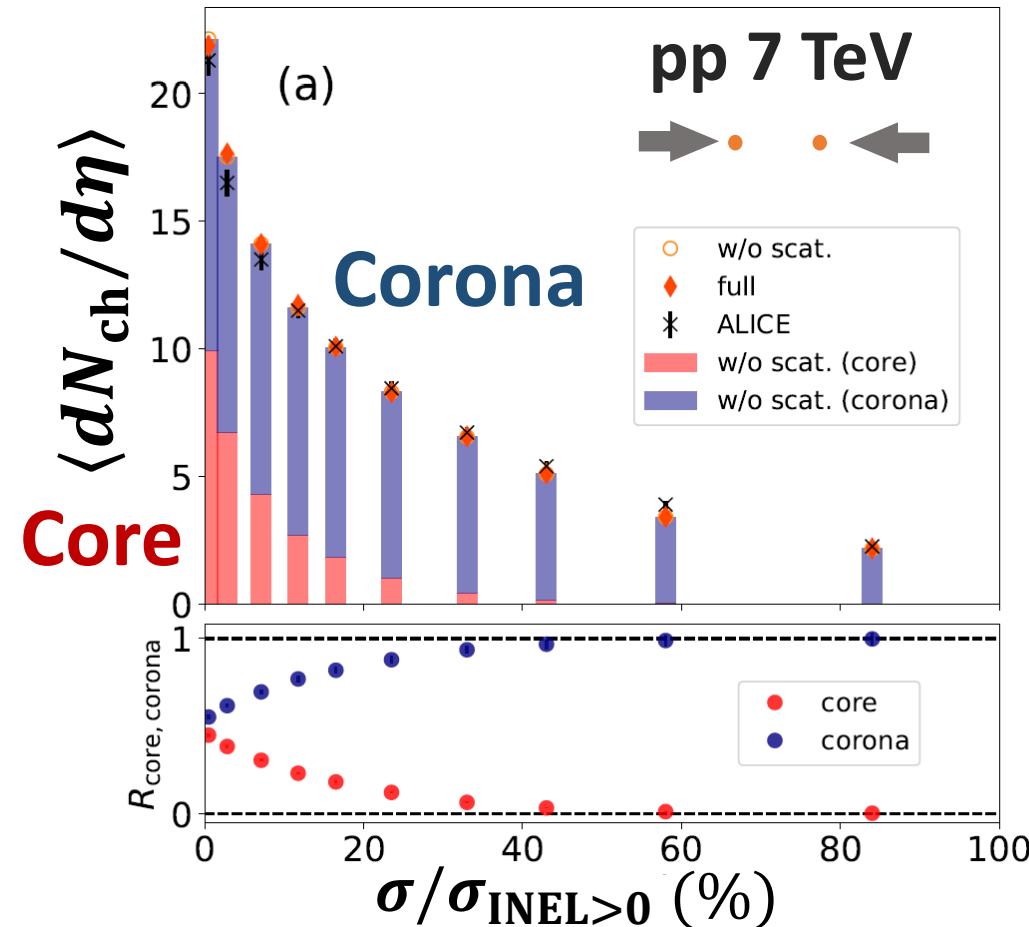


pp: core/corona $\sim 50\%$ at the highest multiplicity class (0-0.95%)

PbPb: corona $\sim 20\%$ at intermediate centralities (40-60%)

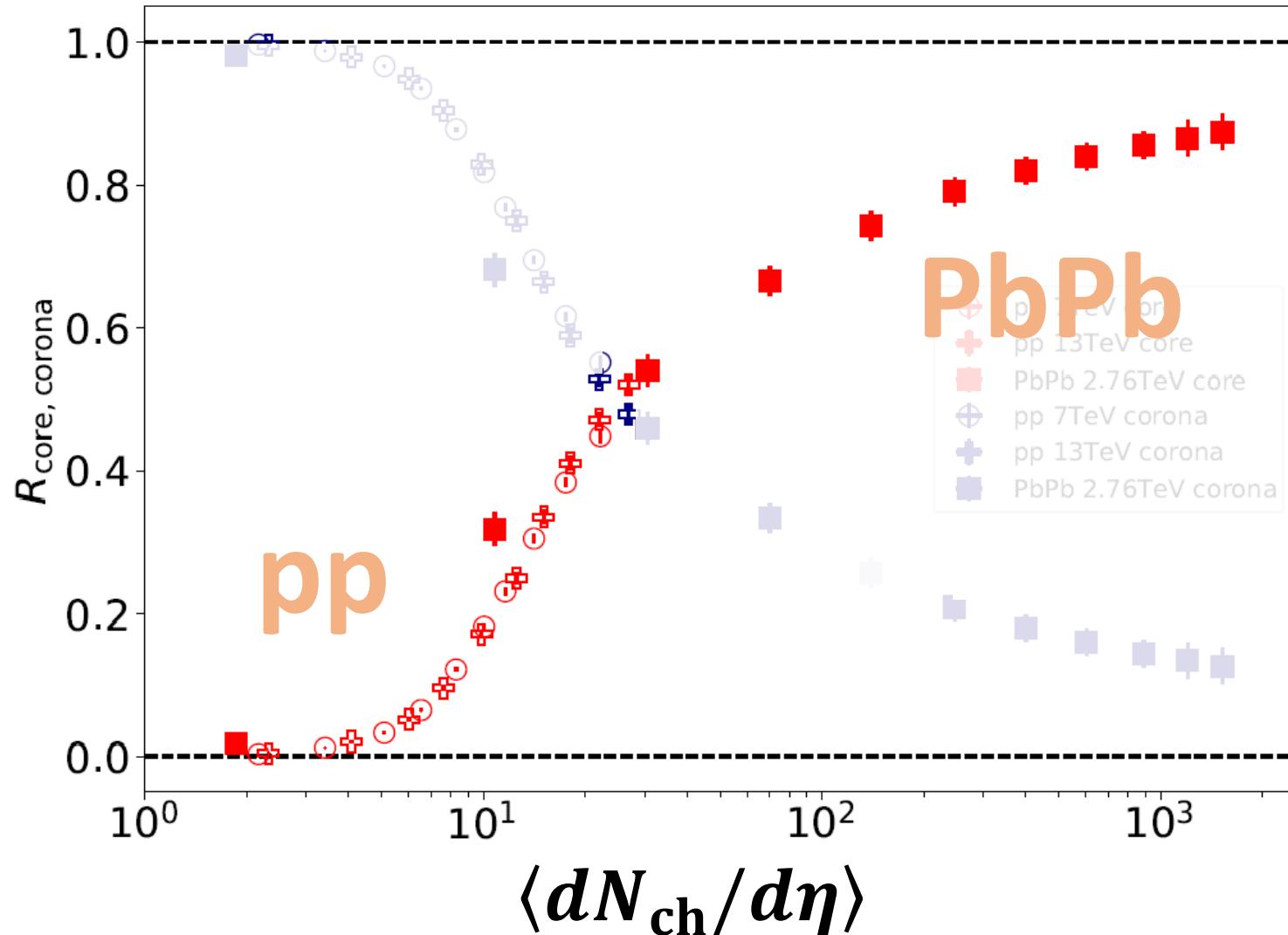


Fraction of core and corona in pp and PbPb

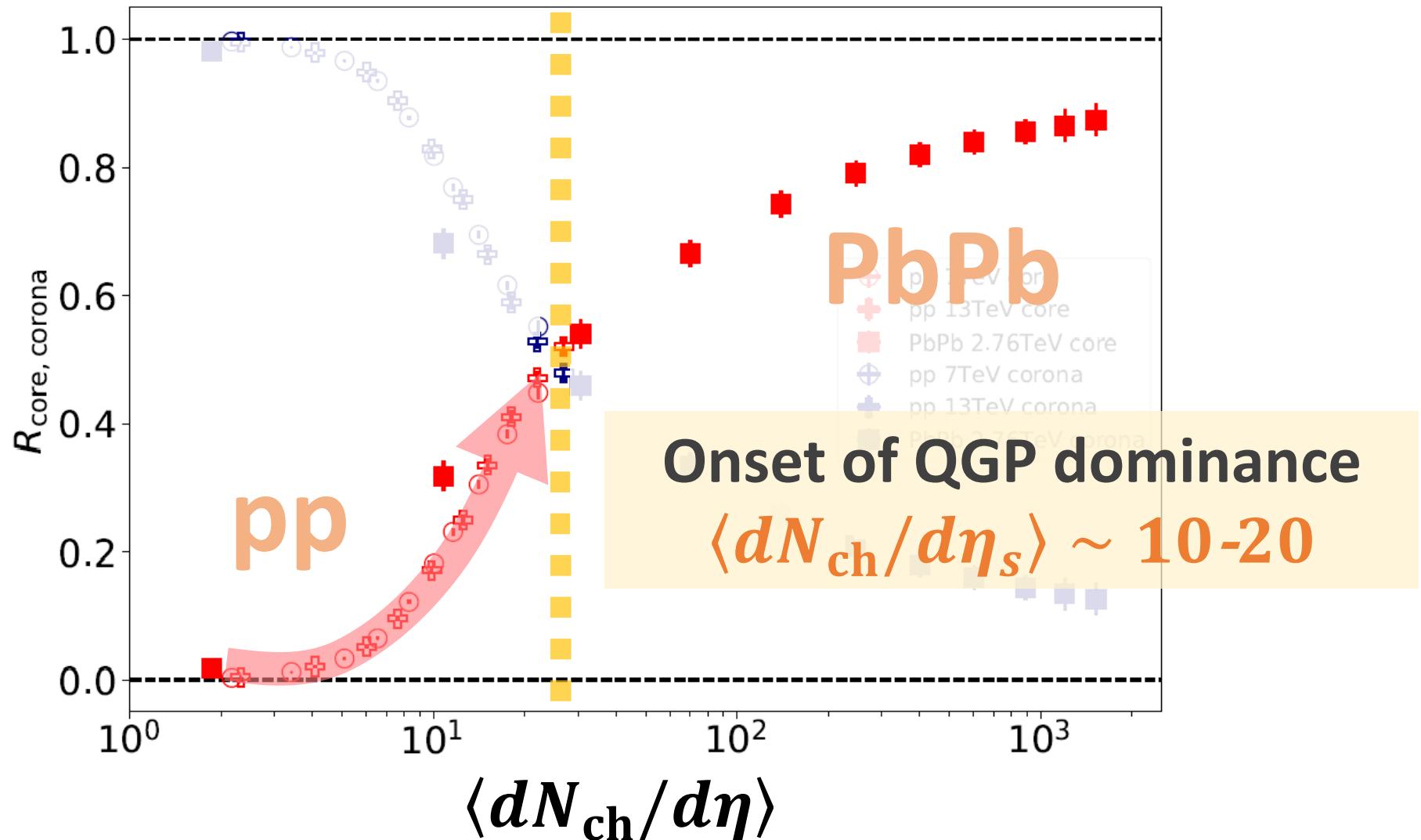


→ Need both equilibrated and non-equilibrated matter
in both pp and AA

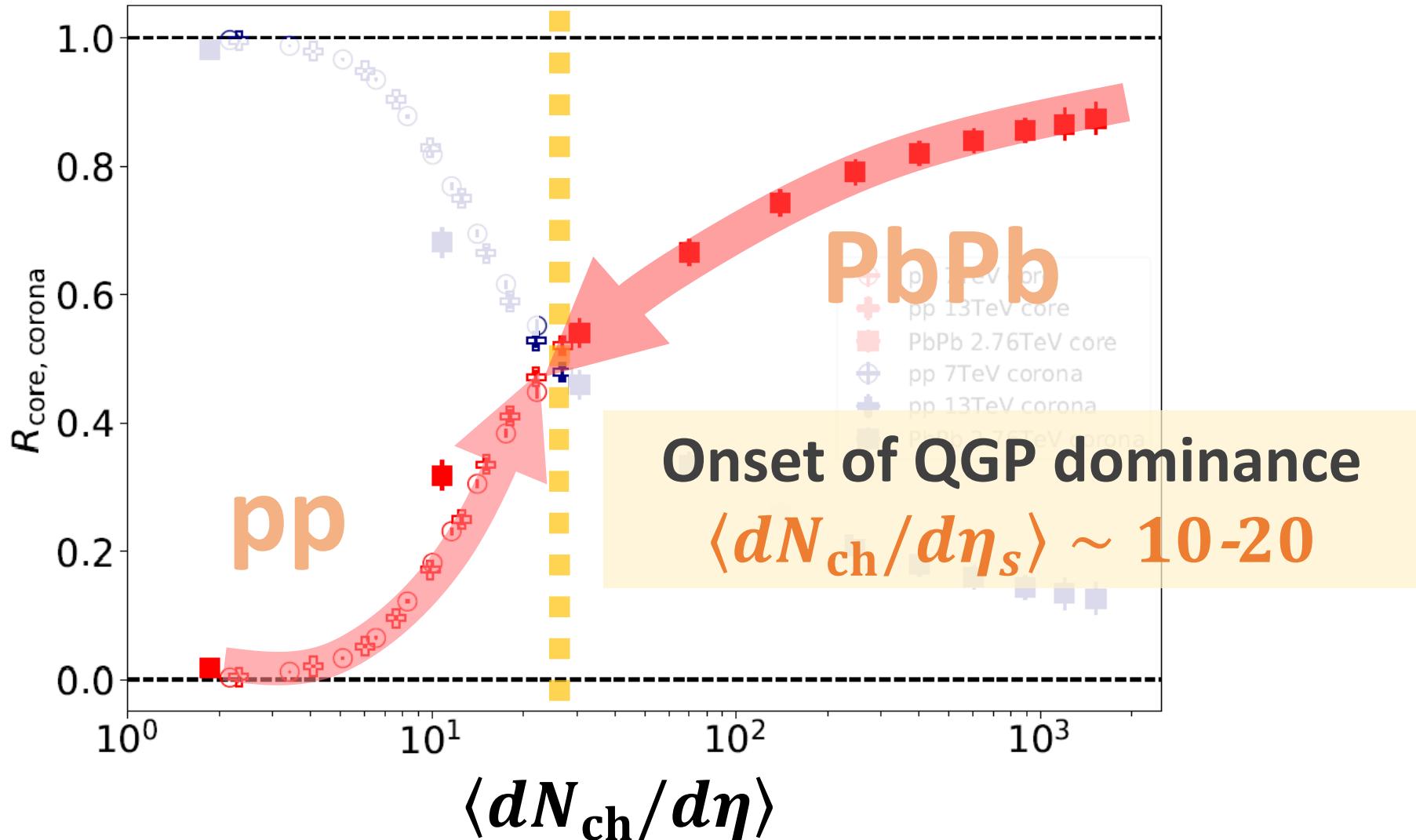
Fraction of production from QGP



Fraction of production from QGP



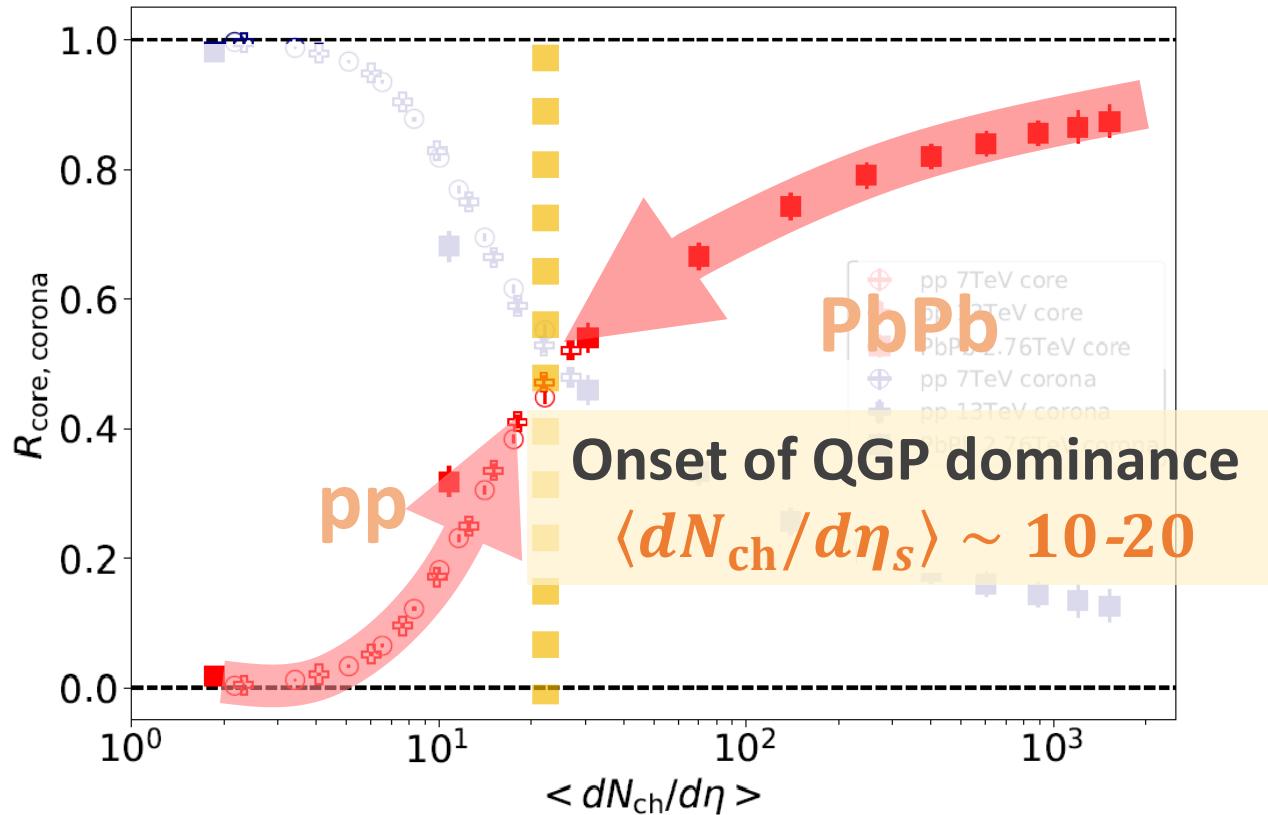
Fraction of production from QGP



Fraction of production from QGP

DCCI2

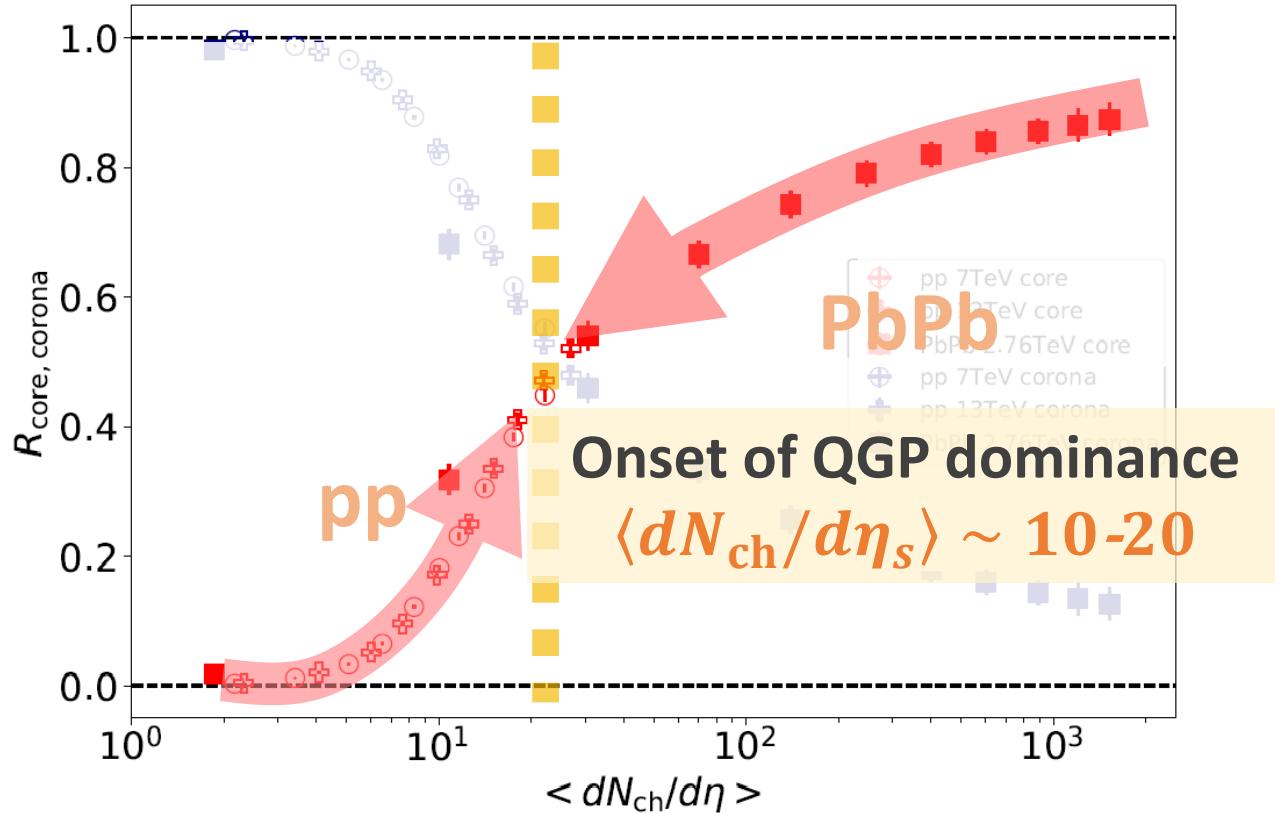
Y. Kanakubo *et al.*, Phys. Rev. C 105
(2022) 2, 024905



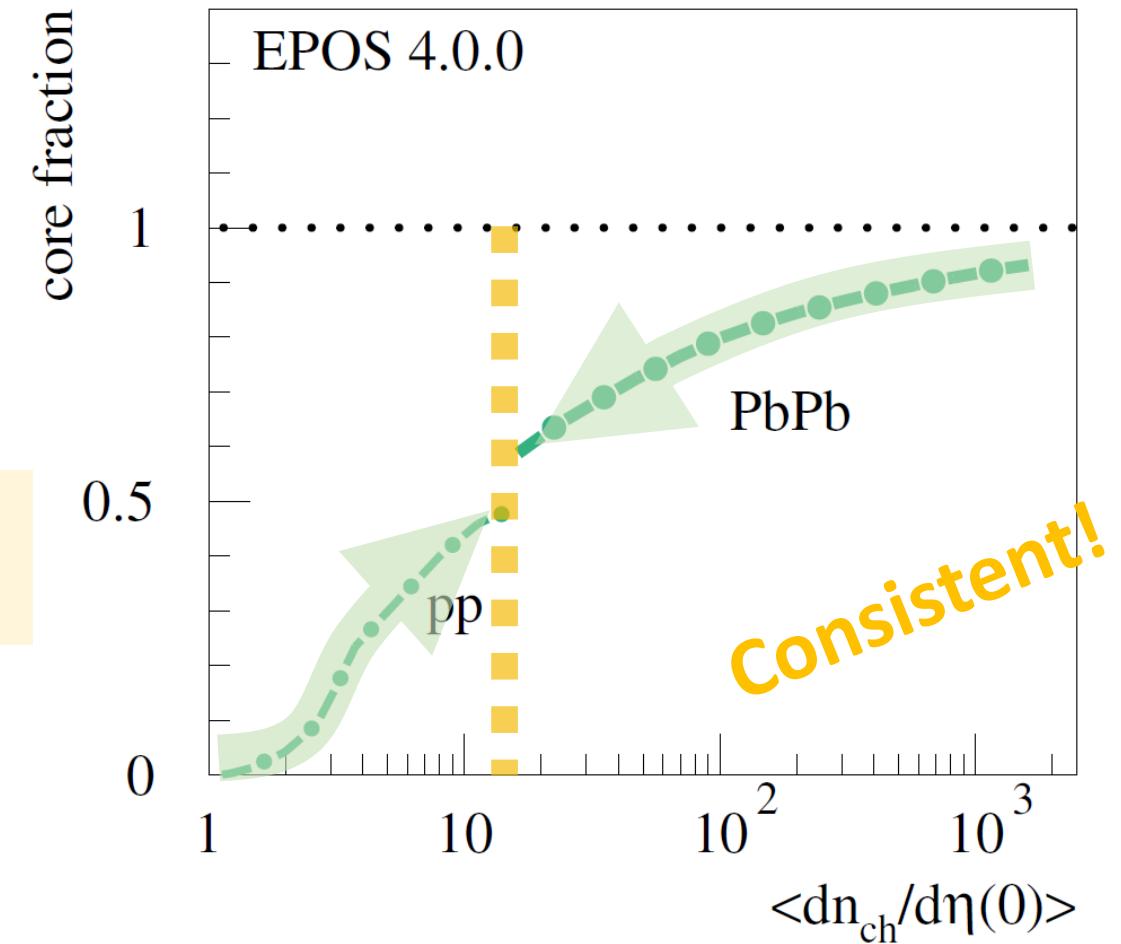
Fraction of production from QGP

DCCI2

Y. Kanakubo *et al.*, Phys. Rev. C 105
(2022) 2, 024905



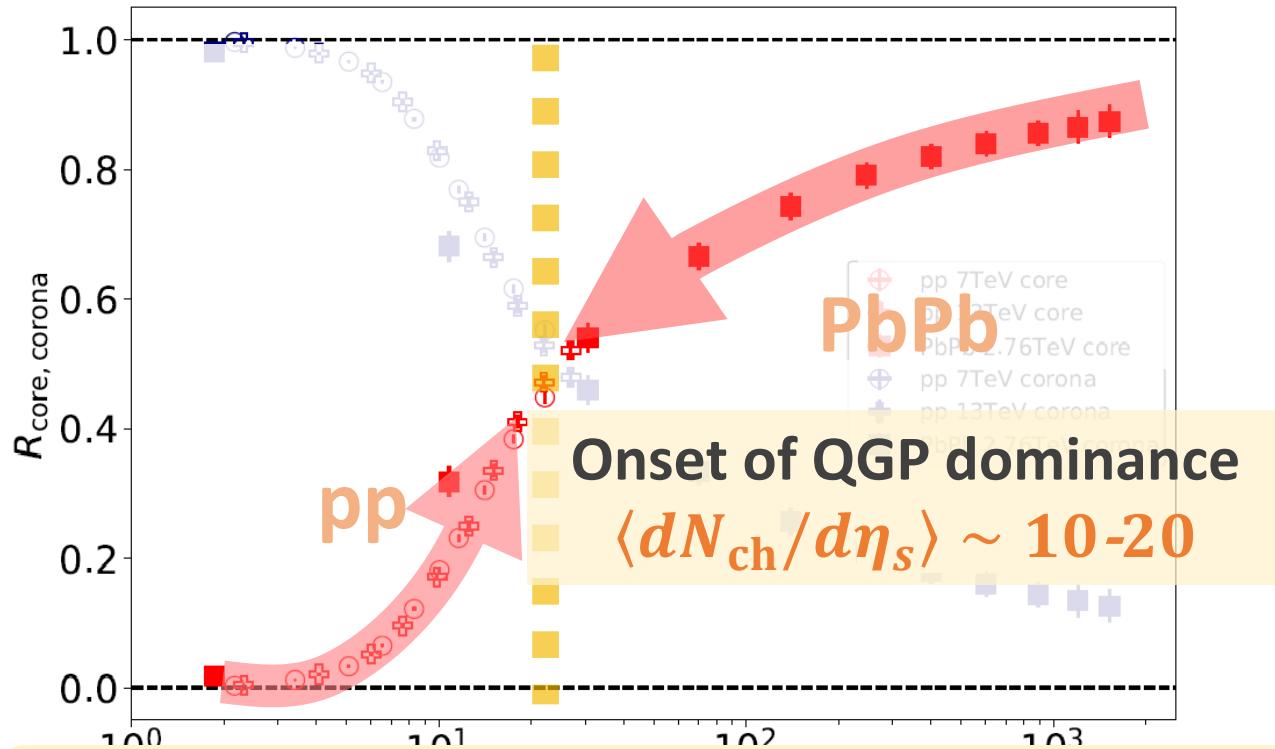
EPOS4 K. Werner, 2301.12517



Fraction of production from QGP

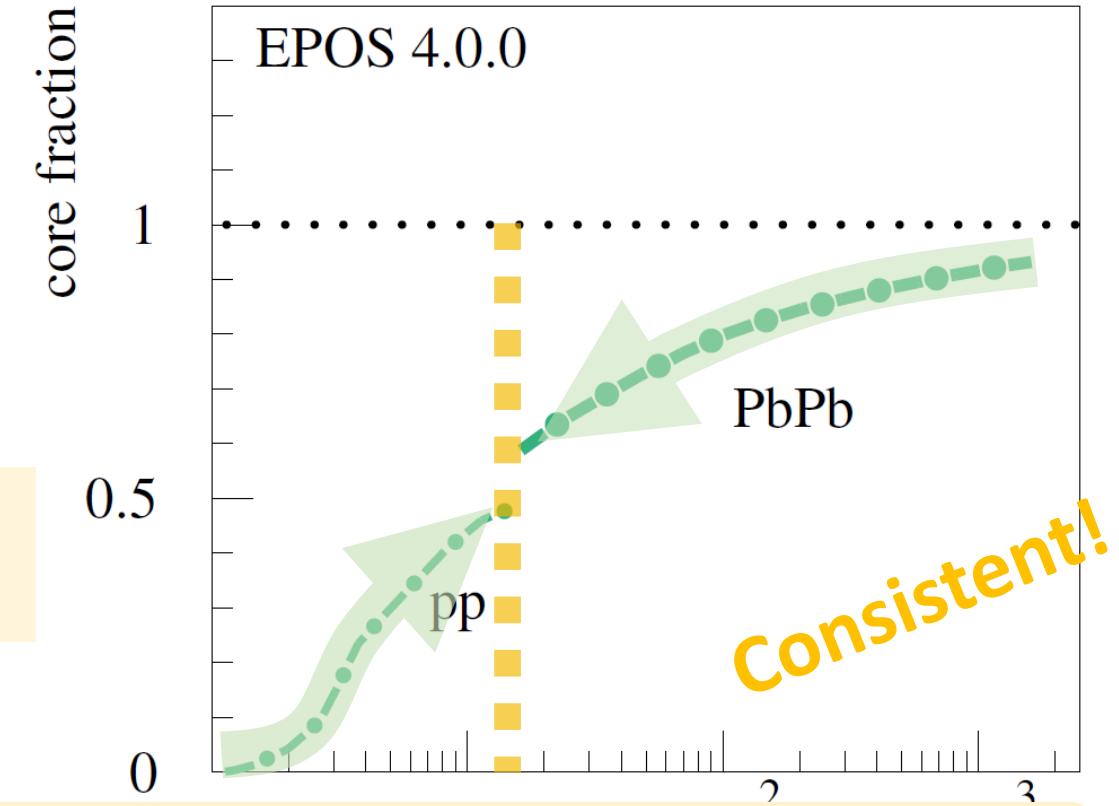
DCCI2

Y. Kanakubo *et al.*, Phys. Rev. C 105
(2022) 2, 024905



EPOS4

K. Werner, 2301.12517



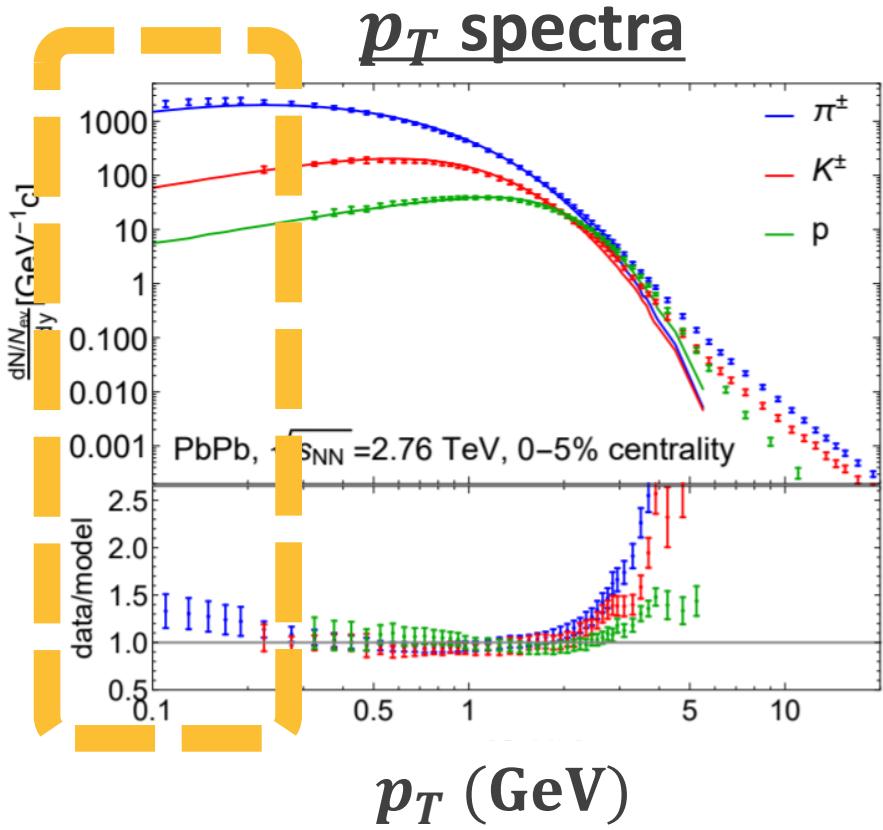
Hadron chemistry (Ω/π , Ξ/π ...): strong candidates for global analysis
Both equilibrated and non-equilibrated not only in pp but also in AA

Result 2

 **Be careful with corona correction
at low p_T in AA!**

Y. Kanakubo *et al.*, Phys. Rev. C 106 (2022) 5, 054908

Longstanding problem in hydro



Lack of very low p_T hadron yields
from hydro

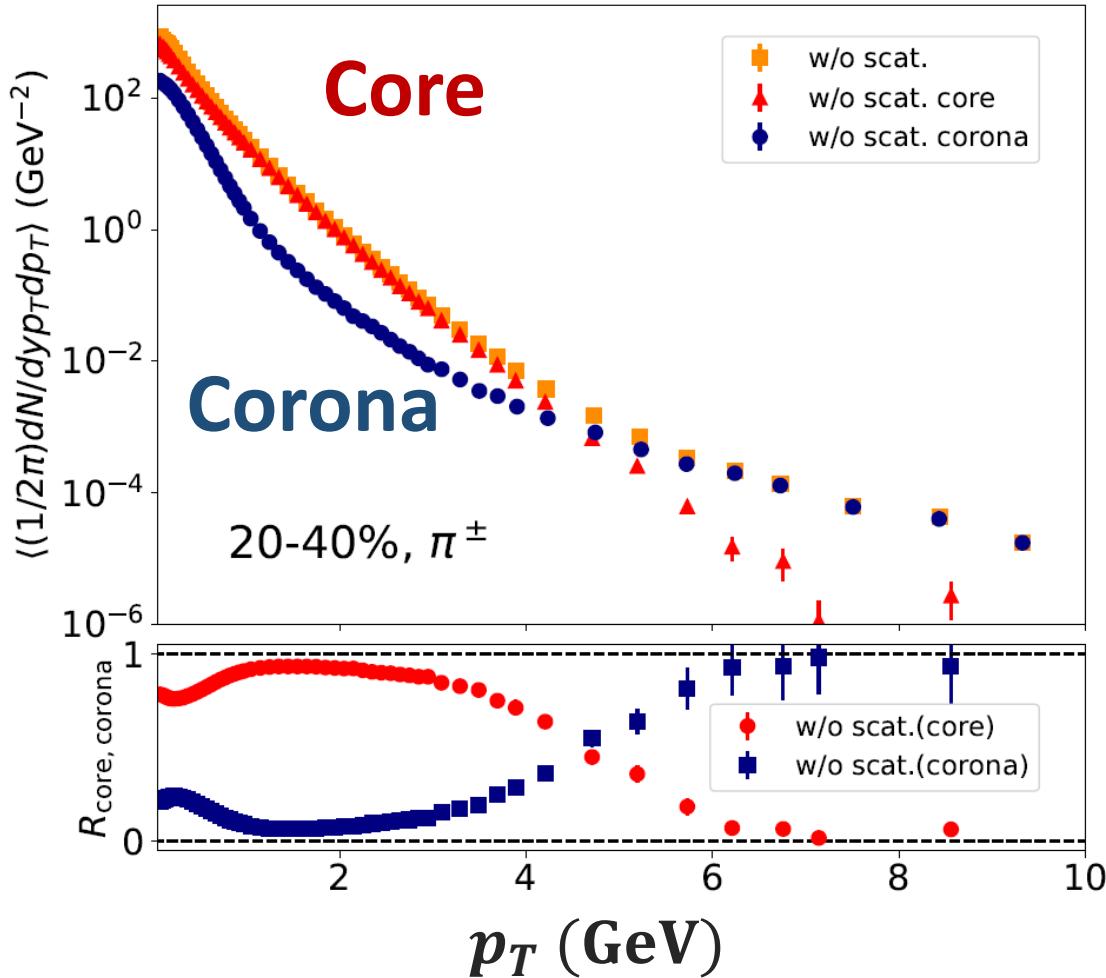
J. Zimanyi *et al.*, Phys. Rev. Lett. 43, 1705 (1979);
M. Kataja and P. V. Ruuskanen, Phys. Lett. B 243, 181 (1990);
J. Sollfrank *et al.*, Z. Phys. C 52, 593 (1991);
U. Ornik and R. M. Weiner, Phys. Lett. B 263, 503 (1991);

V. Begun *et al.*, Phys. Rev. C 90, 014906 (2014); Phys. Rev. C 90, 054912 (2014); Phys. Rev. C 91, 054909 (2015);
P. Huovinen *et al.*, Phys. Lett. B 769, 509 (2017);
E. Grossi *et al.*, Phys. Rev. D 104, 034025 (2021)

→ Non-equilibrated components ?

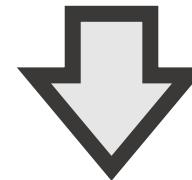
Fraction of core and corona vs. p_T

Charged π , PbPb 2.76 TeV, 20-40%



Low p_T : core dominance

high p_T : corona dominance

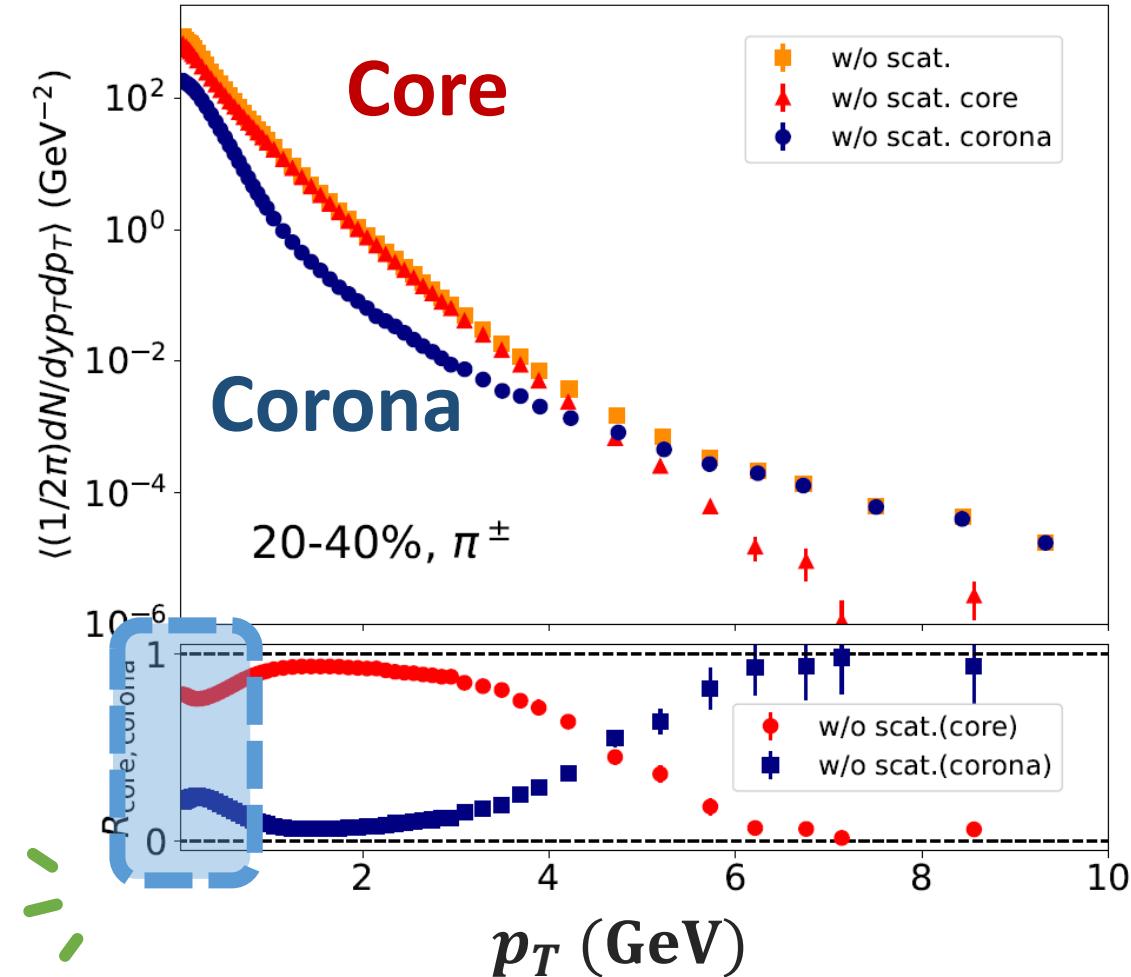


Core-corona picture

→ From low to high p_T within one framework

Fraction of core and corona vs. p_T

Charged π , PbPb 2.76 TeV, 20-40%



w/o scat.
w/o scat. core
w/o scat. corona

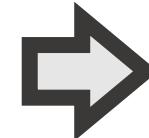
Core

Corona

20-40%, π^\pm

w/o scat.(core)
w/o scat.(corona)

p_T (GeV)



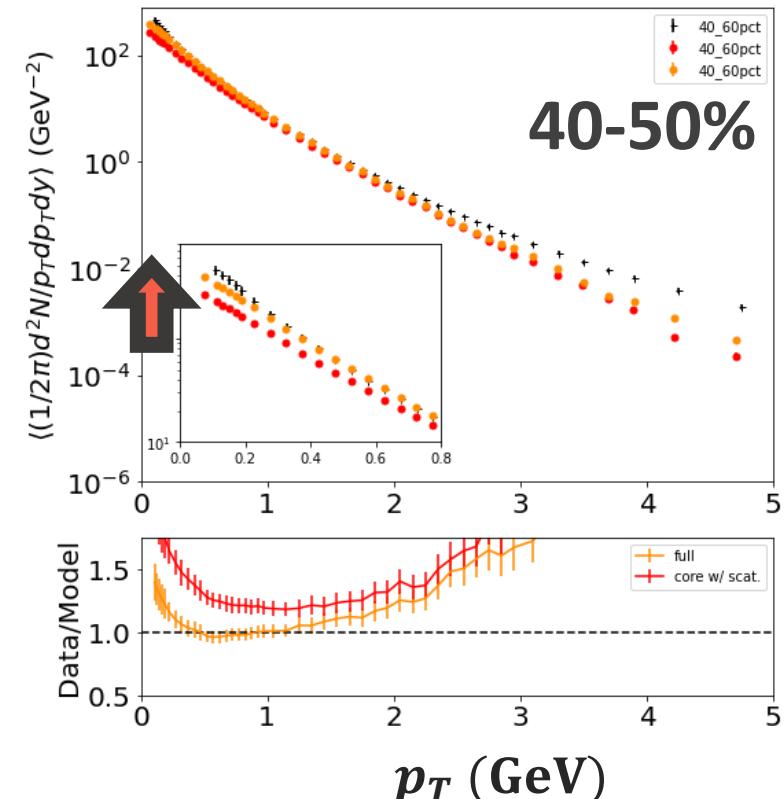
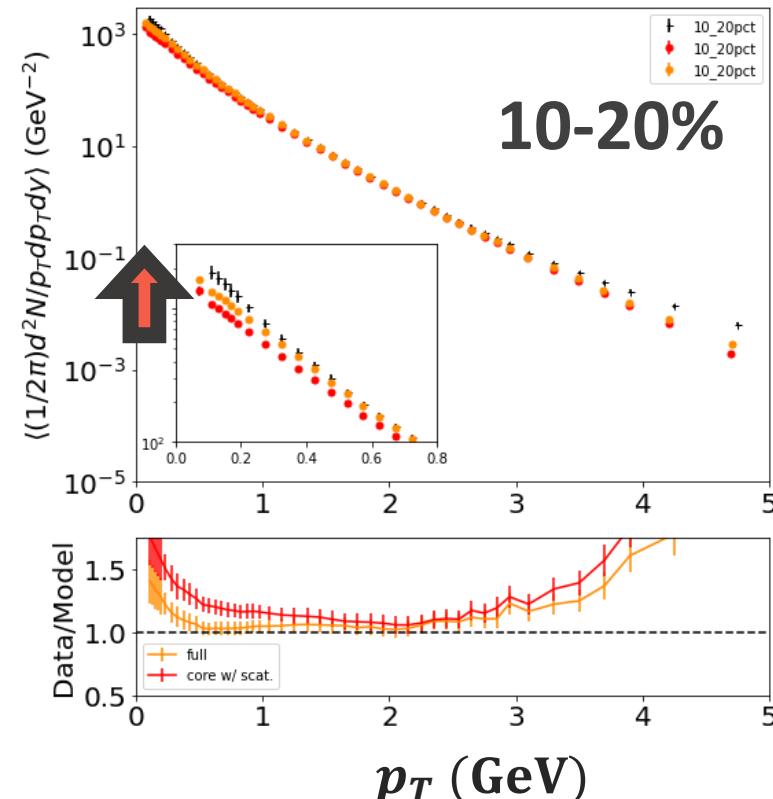
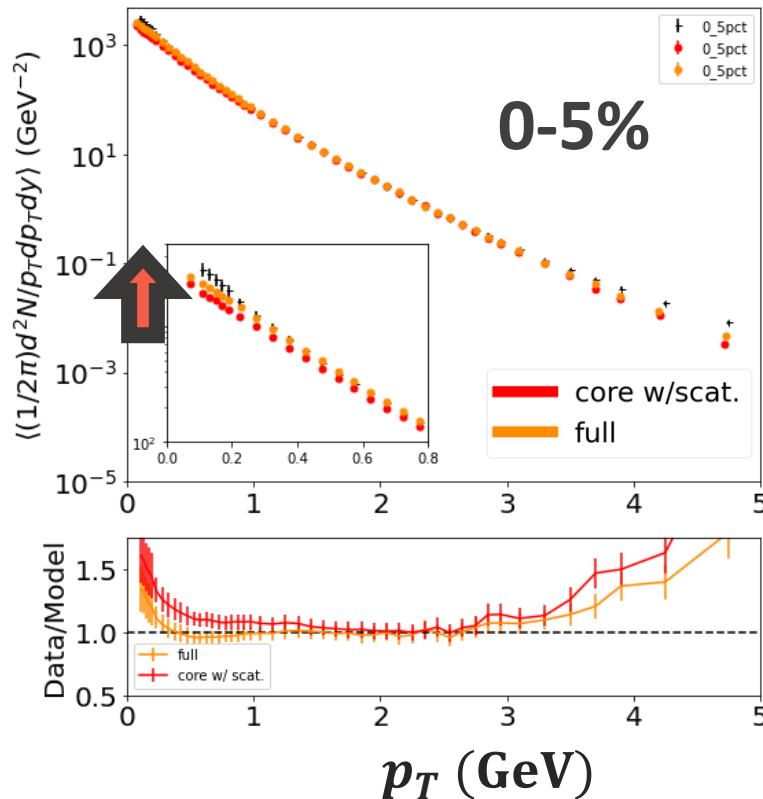
Very low p_T (< 1 GeV)
Slight enhancement of corona components

Non-equilibrium corrections to core (equilibrium)

Comparison with exp. data

PbPb 2.76 TeV, π^{\pm}

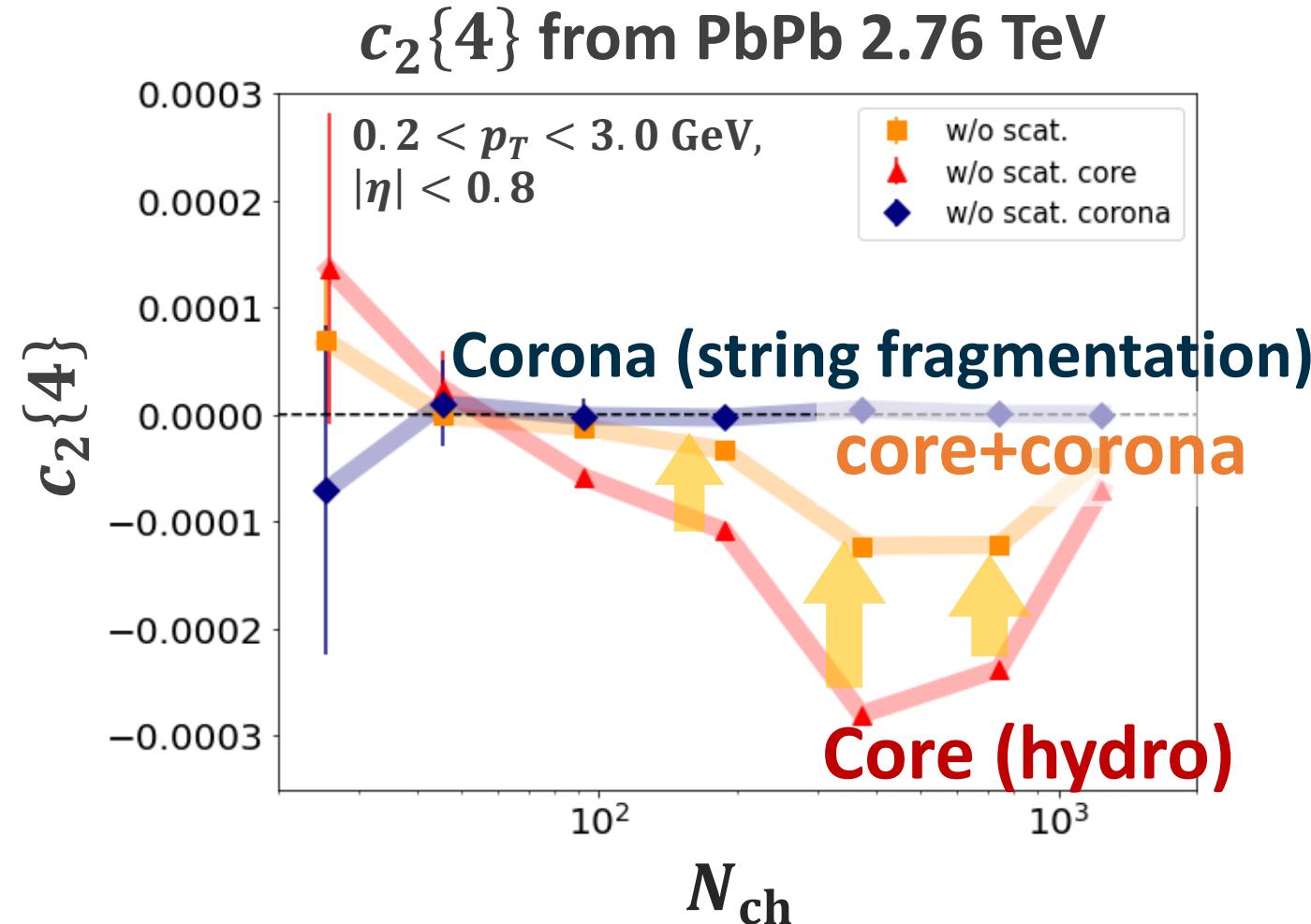
Y. Kanakubo *et al.*, Phys. Rev. C 106 (2022) 5, 054908



Corona at very low p_T : possible compensation of yield

Non-equilibrium contribution to collectivity in AA

Y. Kanakubo *et al.*, Phys. Rev. C 106 (2022) 5, 054908



$$c_2\{4\}_{\text{core}} \neq c_2\{4\}_{\text{tot}}$$

Collectivity is diluted by corona

Caution on η/s , ζ/s ... from
model-data comparison

Both equilibrium and non-
equilibrium contribution in
dynamical models

→ Interplay of soft and hard

Summary

Dynamical core-corona initialization (DCCI2)

- Respect beam energy in initialization of QGP
 - Both equilibrated and non-equilibrated matter
- **From low to high p_T , from forward to backward, and from pp to AA**

Hadron chemistry: yield ratios of **strange hadrons**
from pp to PbPb



Quantitative analysis of QGP properties from data to model comparisons?



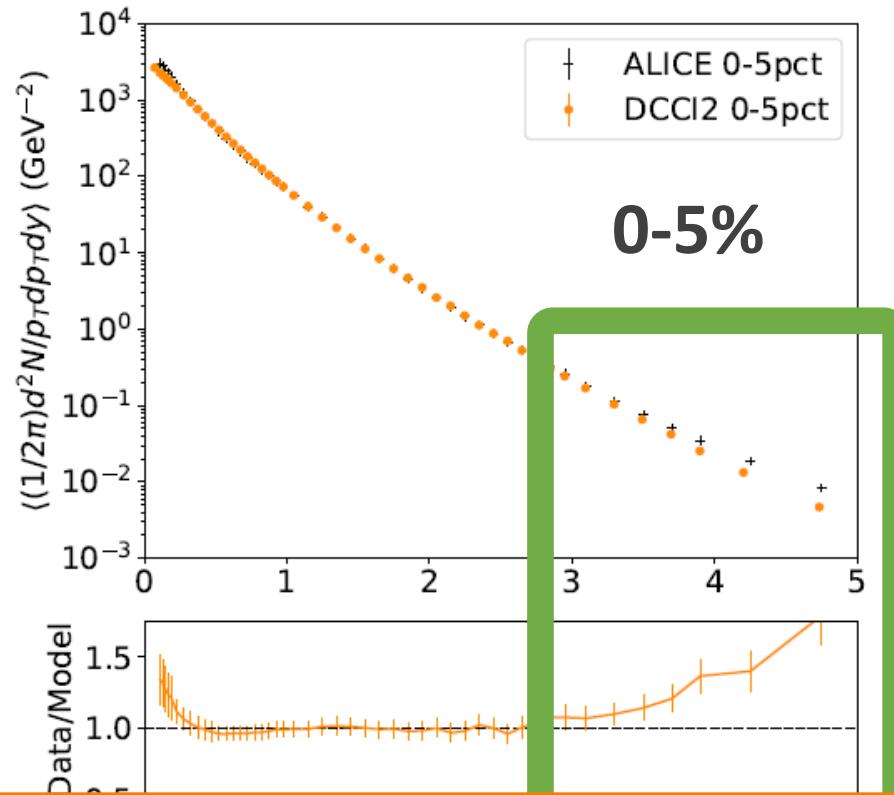
Need both equilibrated and non-equilibrated matter in
both pp and AA

Thank you!

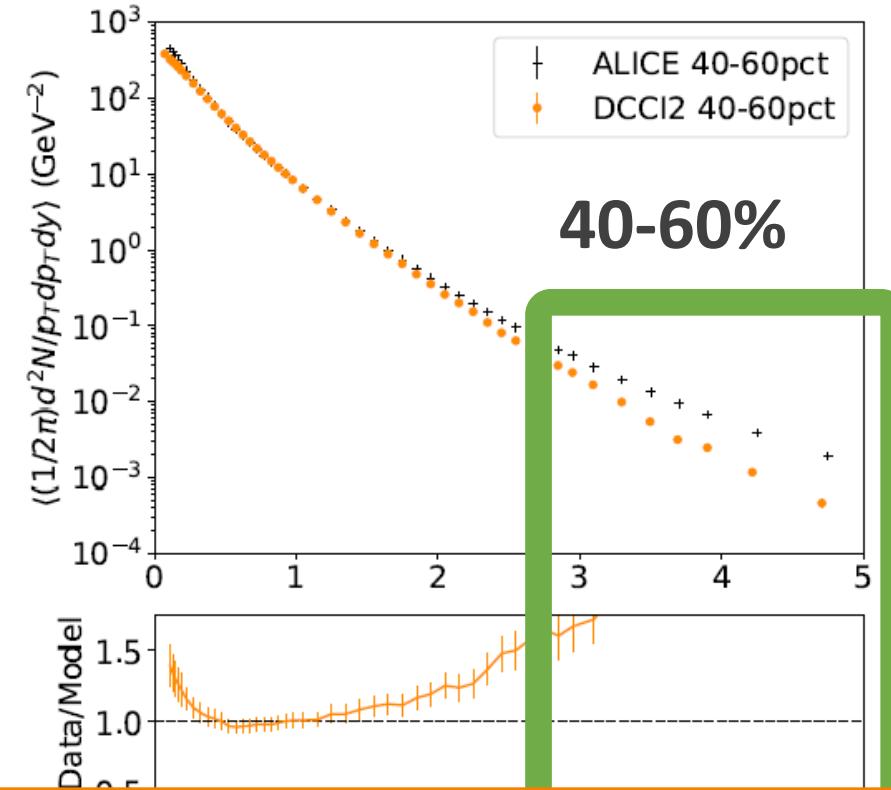
Backup

1. Yields at high p_T

PbPb 2.76 TeV, π^\pm



0-5%

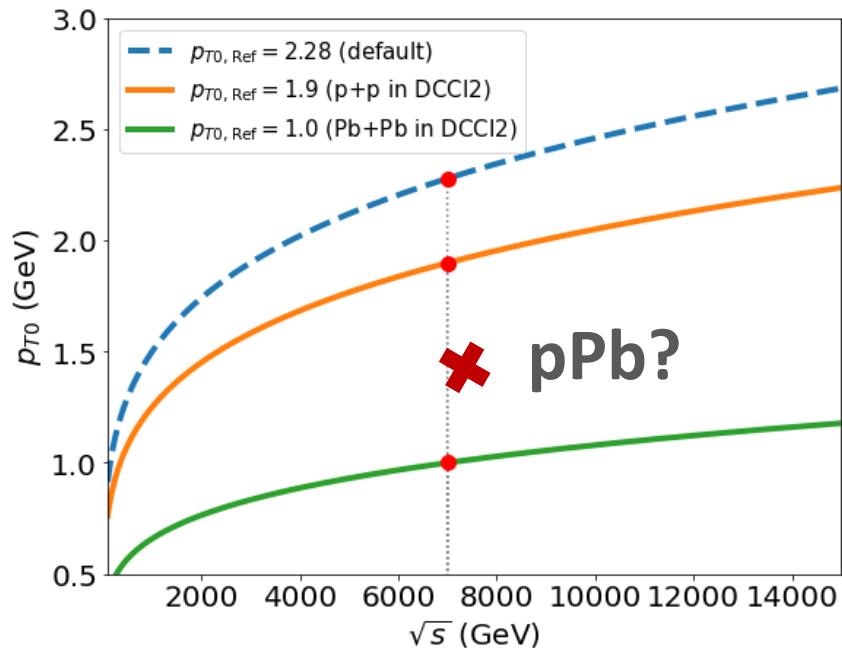


40-60%

Need to sophisticate jet quenching in DCCI2
+ Need N_{coll} scaling at high p_T ?

2. Multiplicity distribution in pPB

Multiplicity in DCCI2 → controlled at initial parton generations

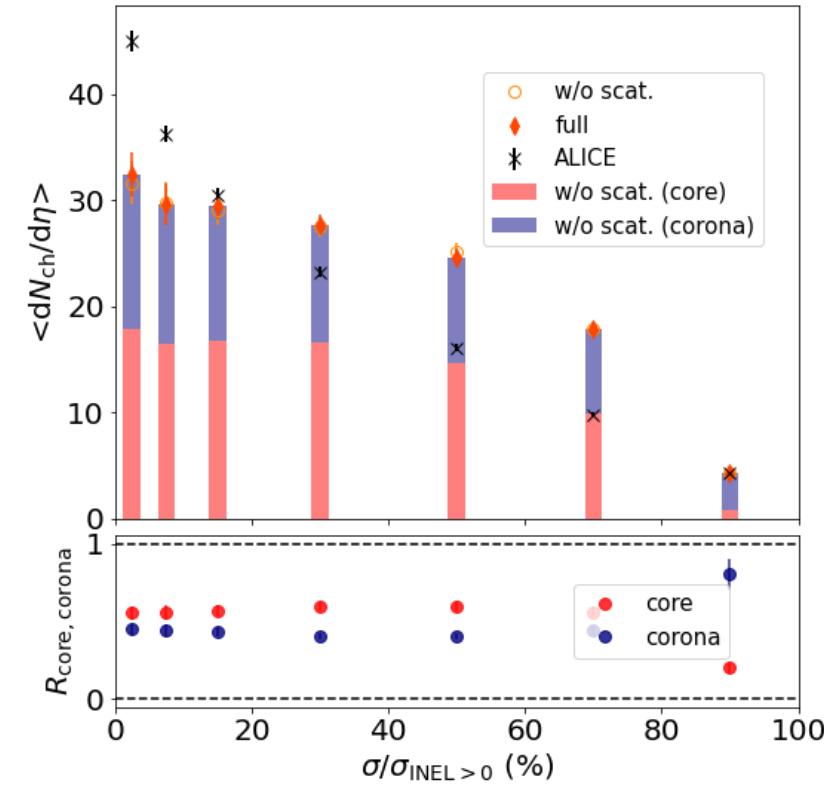


$$\frac{d\sigma_{2 \rightarrow 2}}{dp_T^2} \propto \frac{\alpha_s^2(p_T^2)}{p_T^4} \rightarrow \frac{\alpha_s^2(p_T^2 + p_{T,0}^2)}{(p_T^2 + p_{T,0}^2)^2}$$

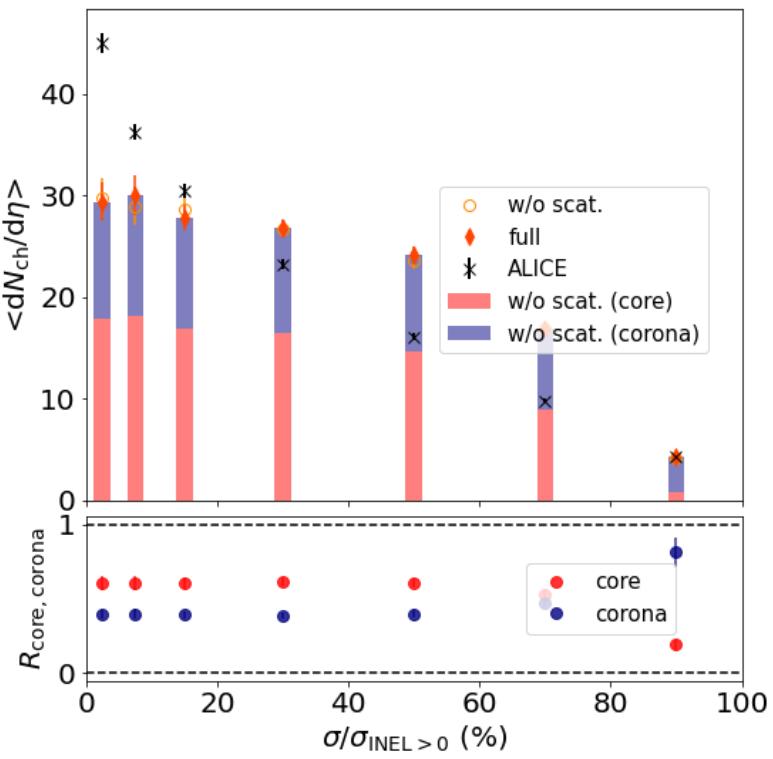
- \sim Infrared cutoff
- Tuning parameter in PYTHIA.
- $p_{T,0\text{Ref}} = 2.28$ GeV (default)

Smaller $p_{T,0\text{Ref}}$ → More MPI → More partonic productions at mid-rapidity

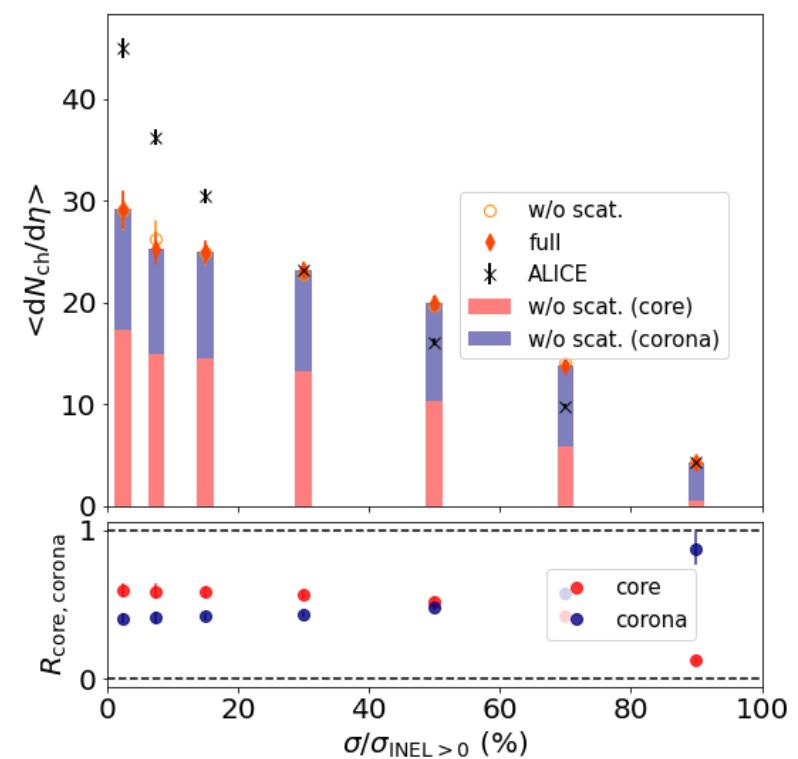
Parameter p_{T0Ref} dependence in DCCI2



$p_{T0Ref} = 0.8$ GeV



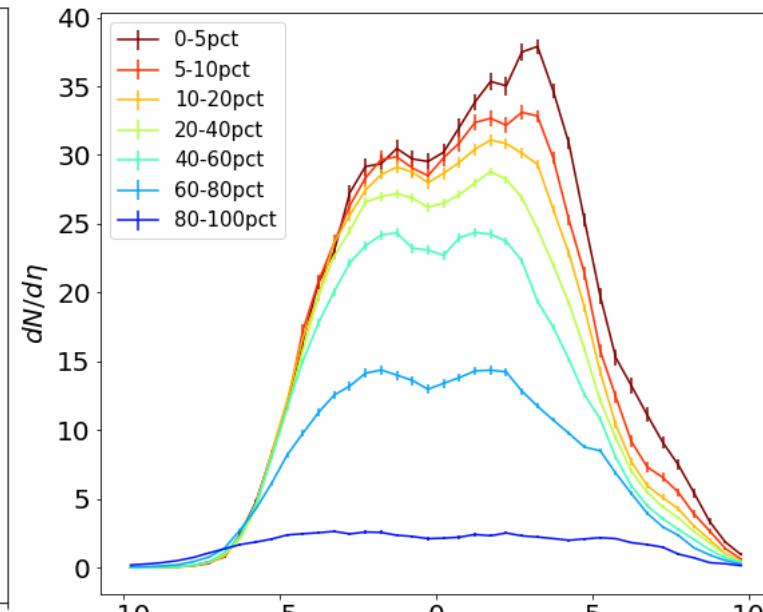
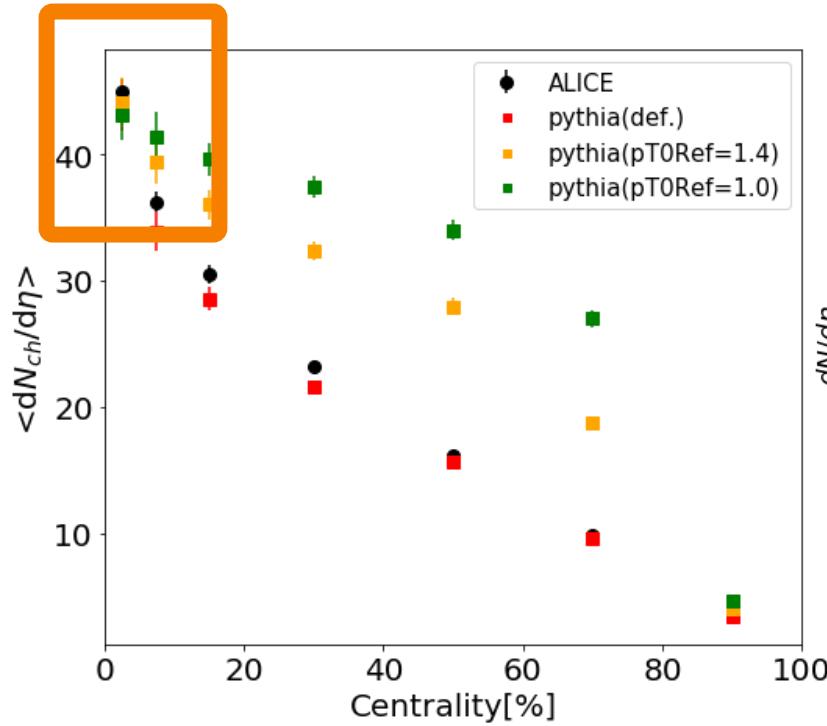
$p_{T0Ref} = 1.0$ GeV



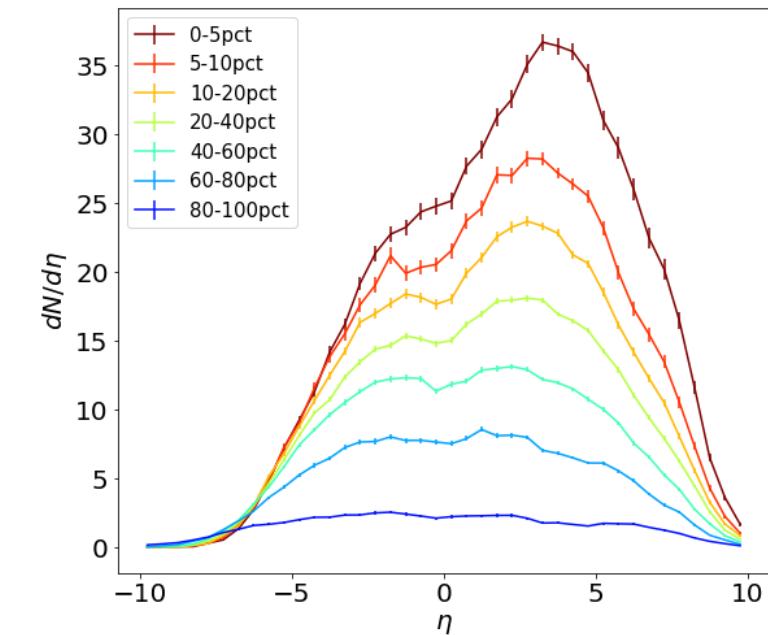
$p_{T0Ref} = 1.4$ GeV

Difficulty → interplay of two different particle production mechanisms
within a given total collision energy

Parameter $p_{T0\text{Ref}}$ dependence in default PYTHIA



$p_{T0\text{Ref}} = 1.0\text{ GeV}$



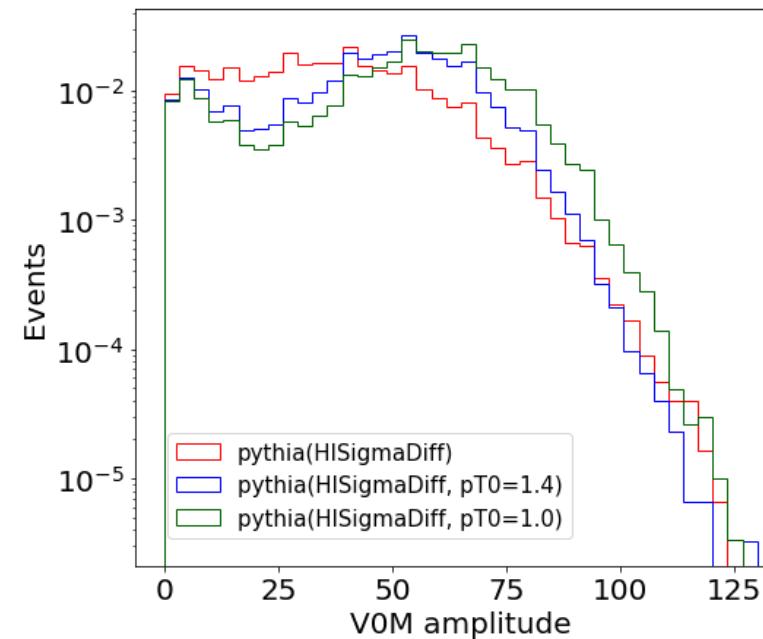
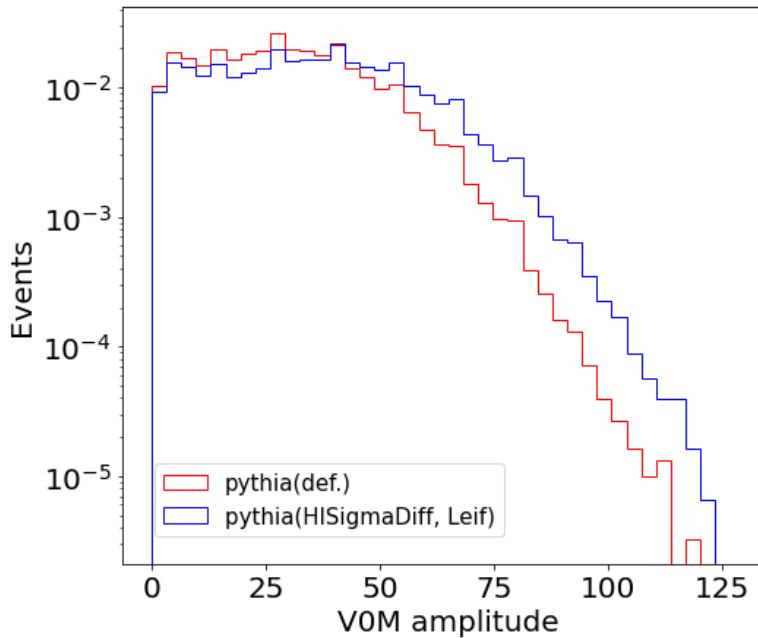
Default ($p_{T0\text{Ref}} = 2.28\text{ GeV}$)

Maximum multiplicity → saturated

Multiplicity distribution in pPB default PYTHIA

Any dependence on some parameters related to 2nd absorptive collisions?

pPB 5020 GeV

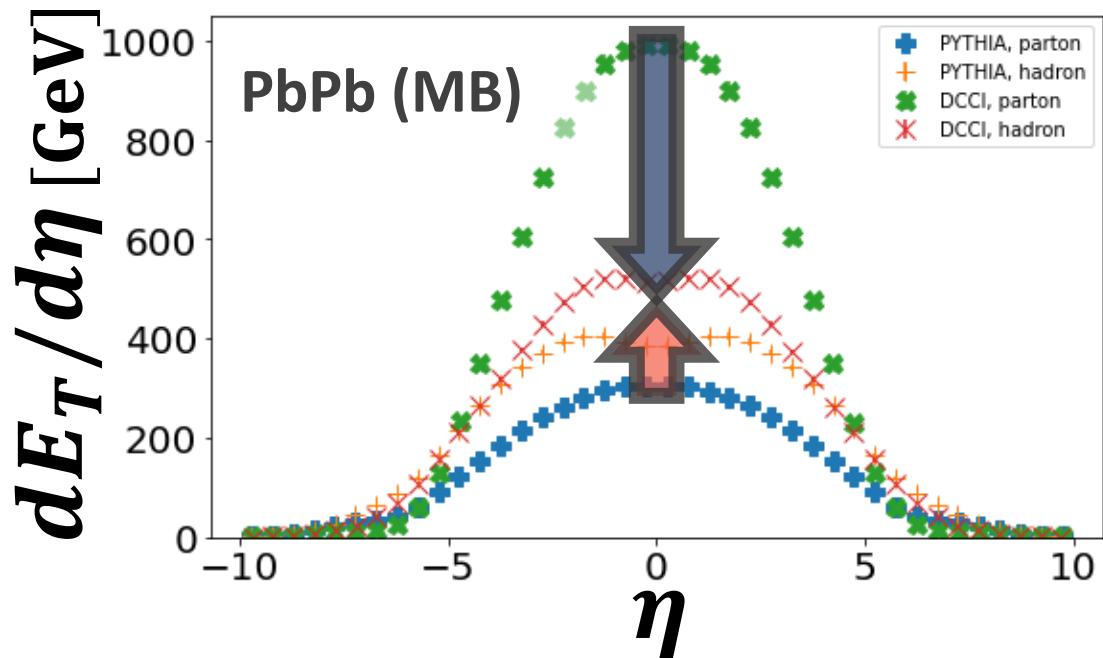


→ No significant enhancement?

Difficulty: reproduction of multiplicity distribution given a fixed collision energy

Charged particle multiplicity

Difference of E_T evolution between hydro and string frag.



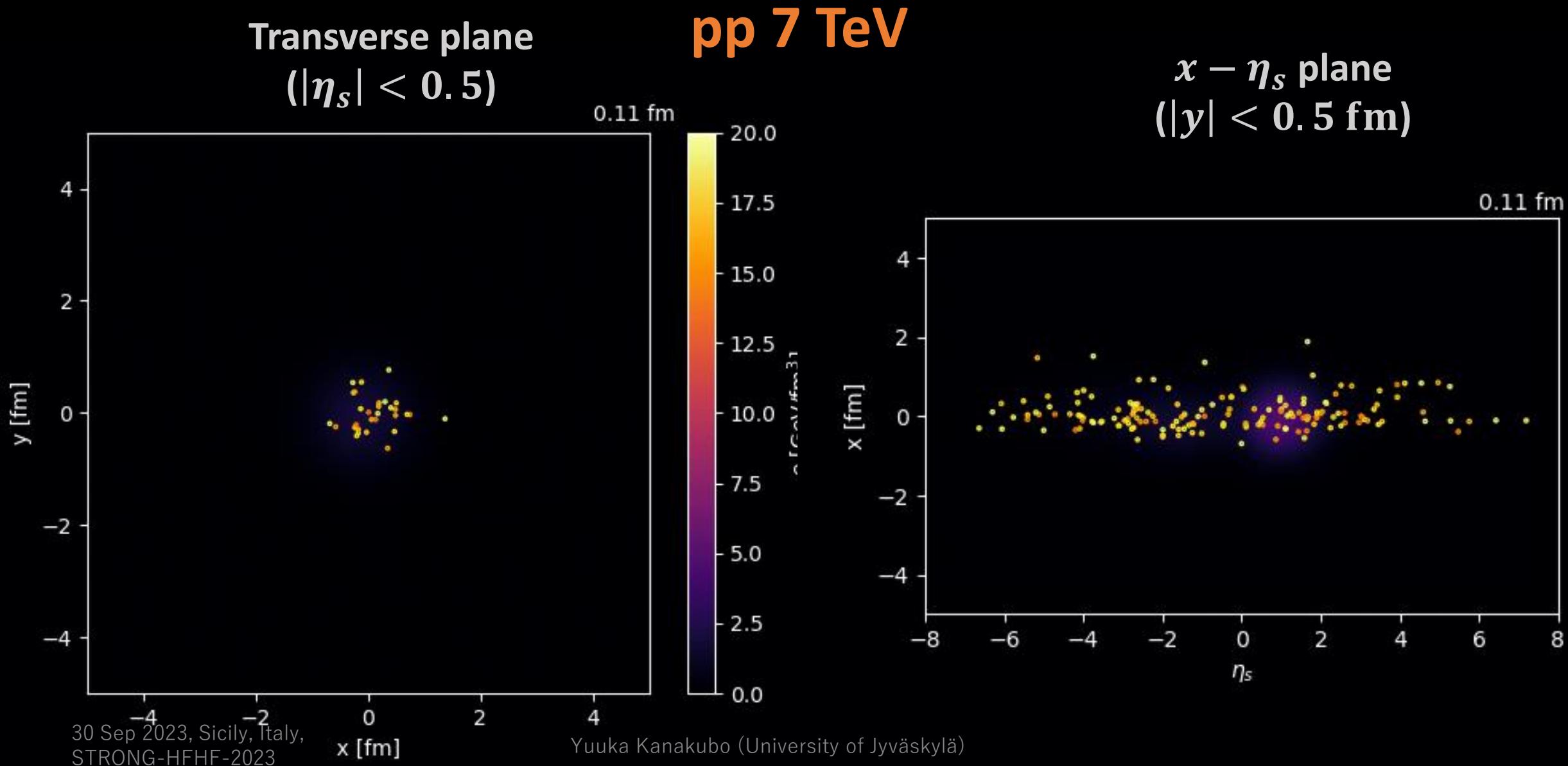
Hydro: E_T decrease due to $p dV$ work in longitudinal direction

String fragmentation:
 E_T enhance

Different dynamics in later stage
→ Require different initial energy profile

p_{T0Ref} : infrared cut off of $2 \rightarrow 2$ in PYTHIA

Dynamical core-corona initialization



Parameter set for PYTHIA part: almost Monash Tune

PYTHIA

Hydro with
dynamical
core-corona

Parameters	values
p_{T0Ref} (p+p)	1.8 GeV
p_{T0Ref} (Pb+Pb)	0.9 GeV
τ_0	0.1 fm
τ_s	0.3 fm
T_{sw}	0.165 GeV
σ_0	0.4 fm ²
b_{cut}	1.0 fm
$p_{T,cut}$	3.0 GeV
σ_\perp	0.5 fm
σ_{η_s}	0.5
Δx	0.3 fm
Δy	0.3 fm
$\Delta \eta_s$	0.15

How far can we go as a naive
combination of hydro and PYTHIA
...with simple starting point

Default parameter values except
 p_{T0Ref} in initial parton generation

$$\frac{d\sigma_{2\rightarrow 2}}{dp_T^2} \propto \frac{\alpha_s^2(p_T^2)}{p_T^4} \rightarrow \frac{\alpha_s^2(p_T^2 + p_{T,0}^2)}{(p_T^2 + p_{T,0}^2)^2}$$

$p_{T0} \sim$ Infrared cutoff for $2\rightarrow 2$ cross section

Hadron vertices model in PYTHIA

S. Ferreres-Solé and T. Sjöstrand, Eur.
Phys. J., vol. C78, no. 11, p. 983, 2018.

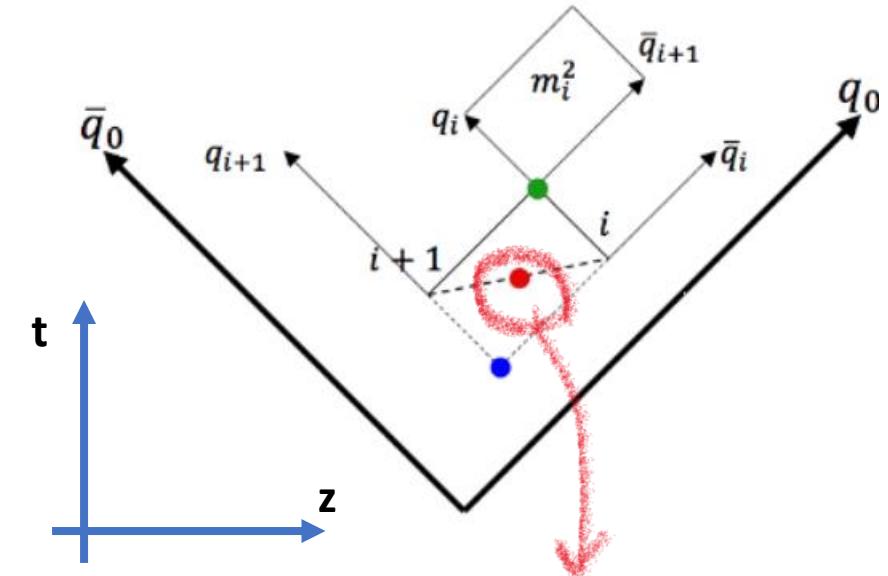
The production vertex of the hadron is taken to be the average of the two break-up vertices producing it.

Option

```
flag Fragmentation:setVertices = on
```



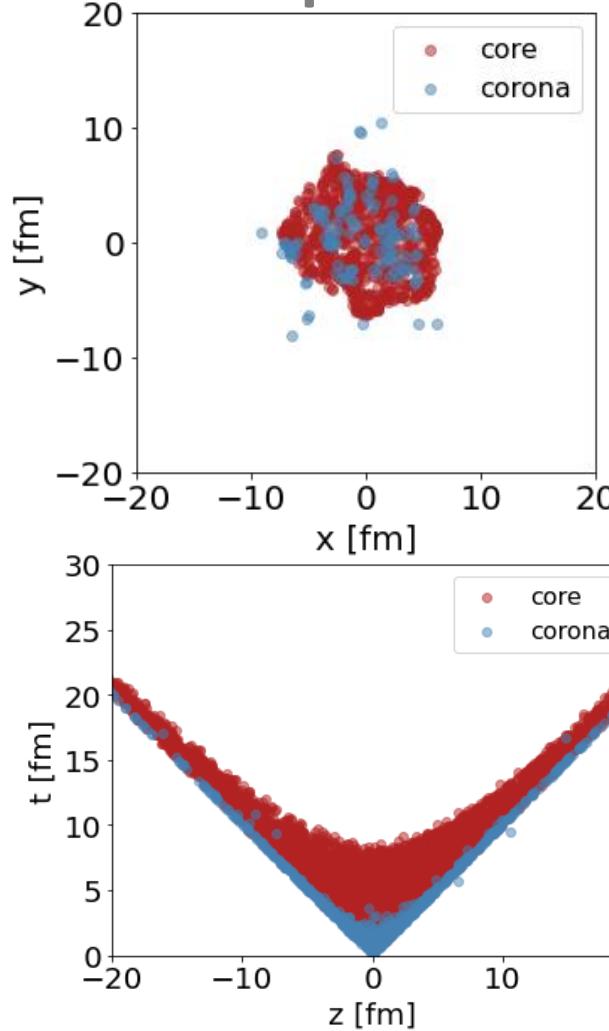
Information of production vertices



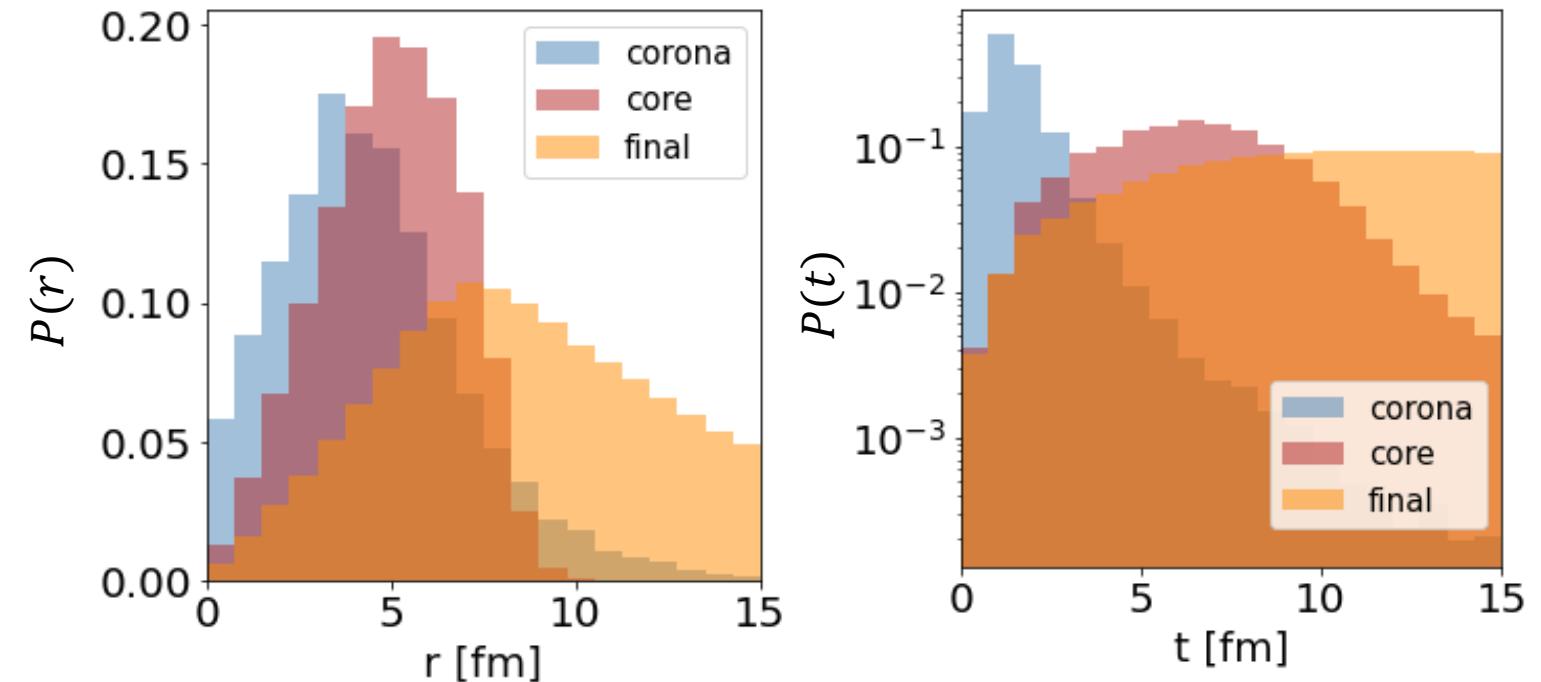
The vertex of the hadron with mass m_i

Space-time distribution of direct hadrons

1 sampled event



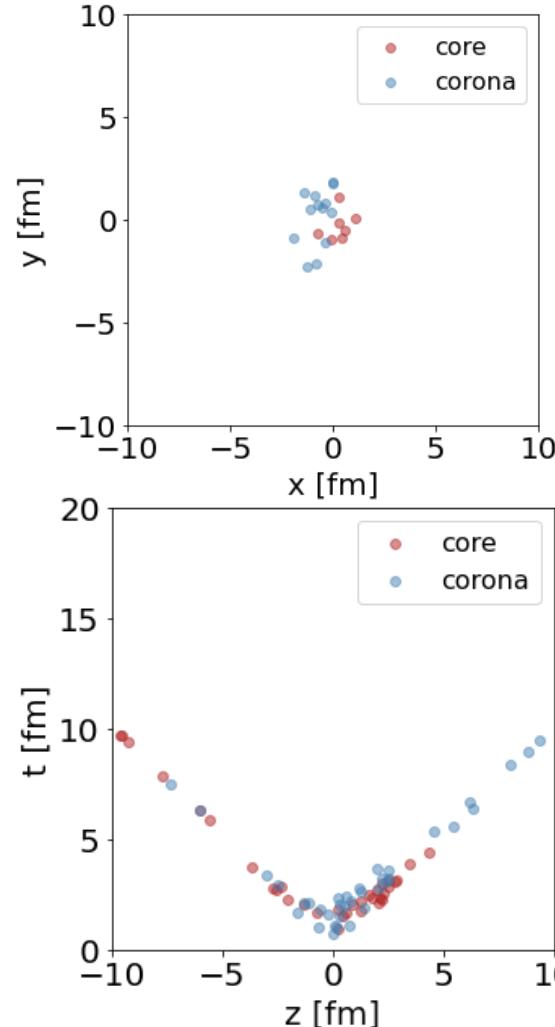
Probability distribution ($|\eta| < 0.5$)



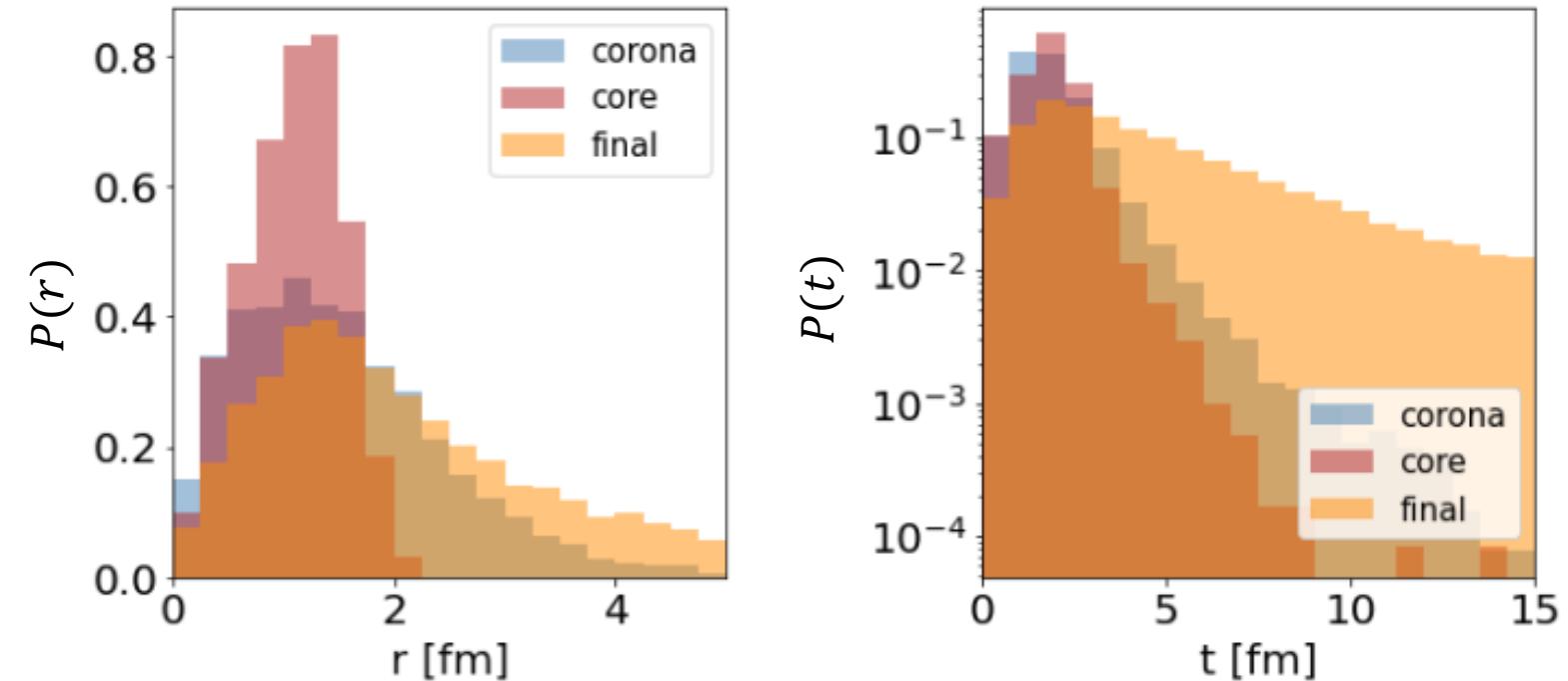
Double peaks of hadron vertices from
core and corona before hadronic
rescatterings

Space-time distribution of direct hadrons

1 sampled event

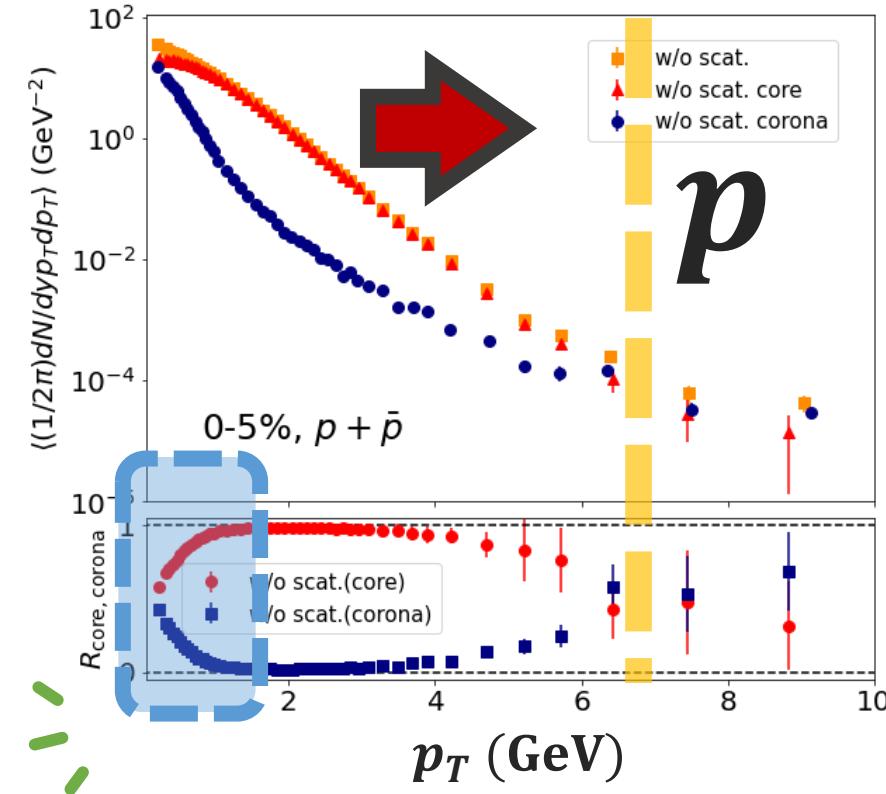
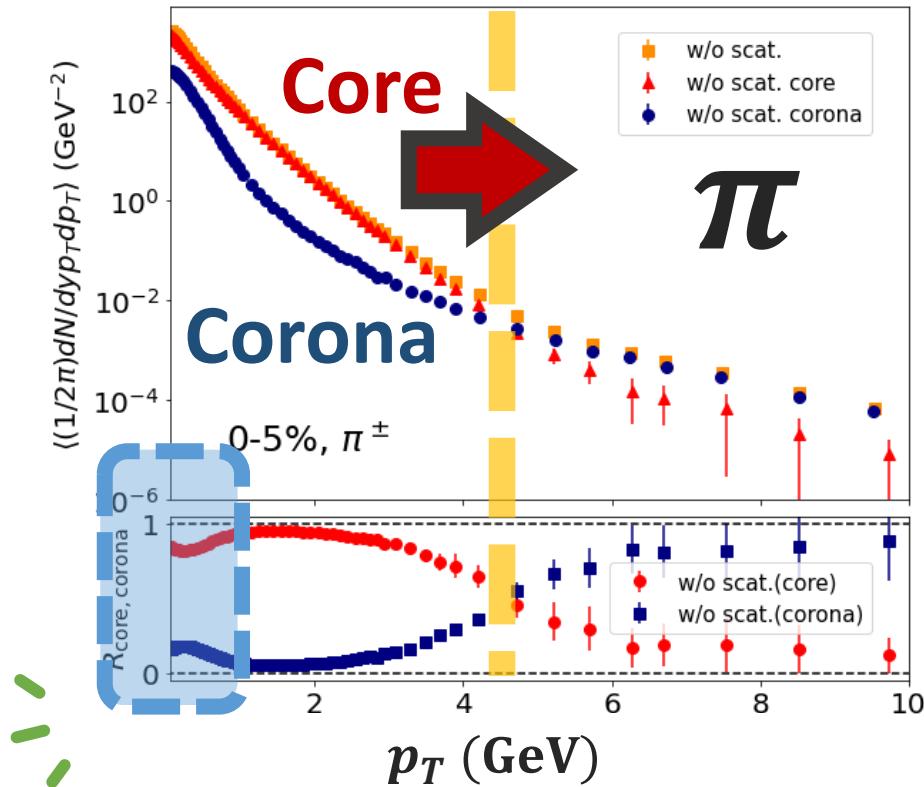


Probability distribution ($|\eta| < 0.5$)



- Short lifetime of hydro (~ 1 fm) in pp
- Direct hadrons from core and corona
→ closely produced in space-time coordinate

Fraction of core and corona vs. p_T with PID



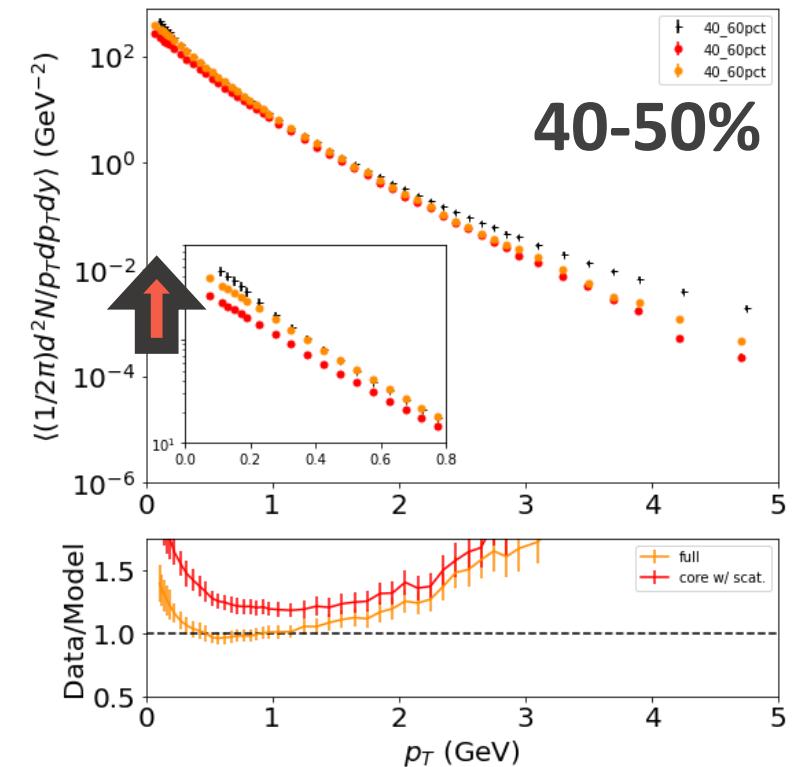
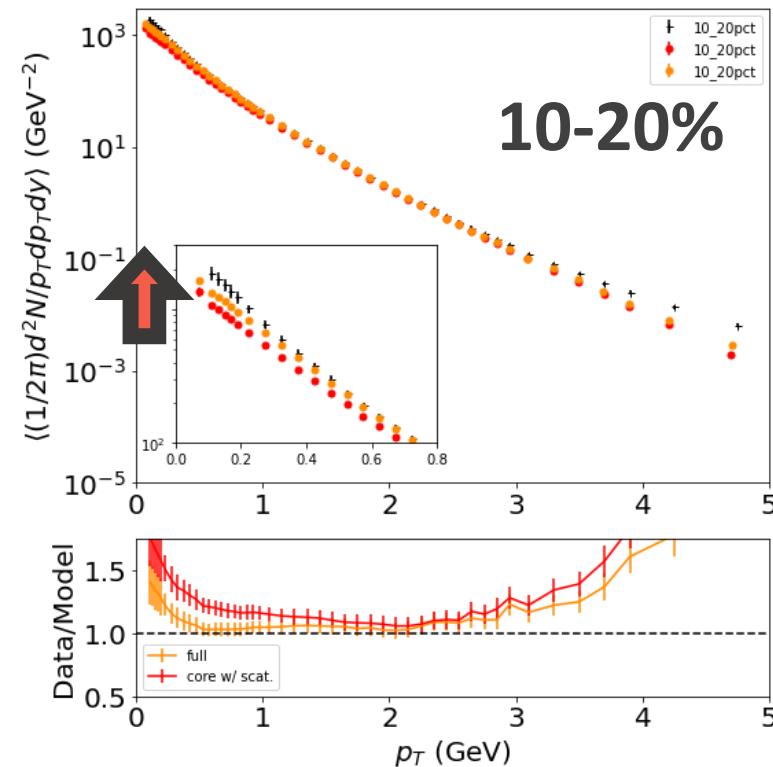
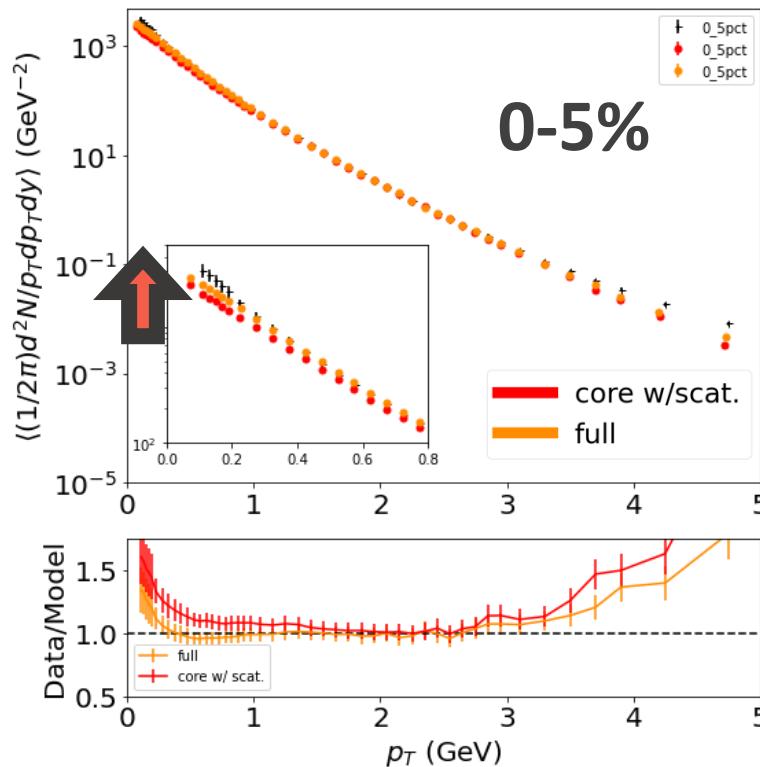
Core dominance up to higher p_T for heavier hadrons

T. Hirano and Y. Nara, Phys. Rev. C 69, 034908 (2004).

Core/corona fraction $\sim 50\%$ at $p_T \rightarrow 0 \text{ GeV}$ in proton spectra

Comparison with exp. data

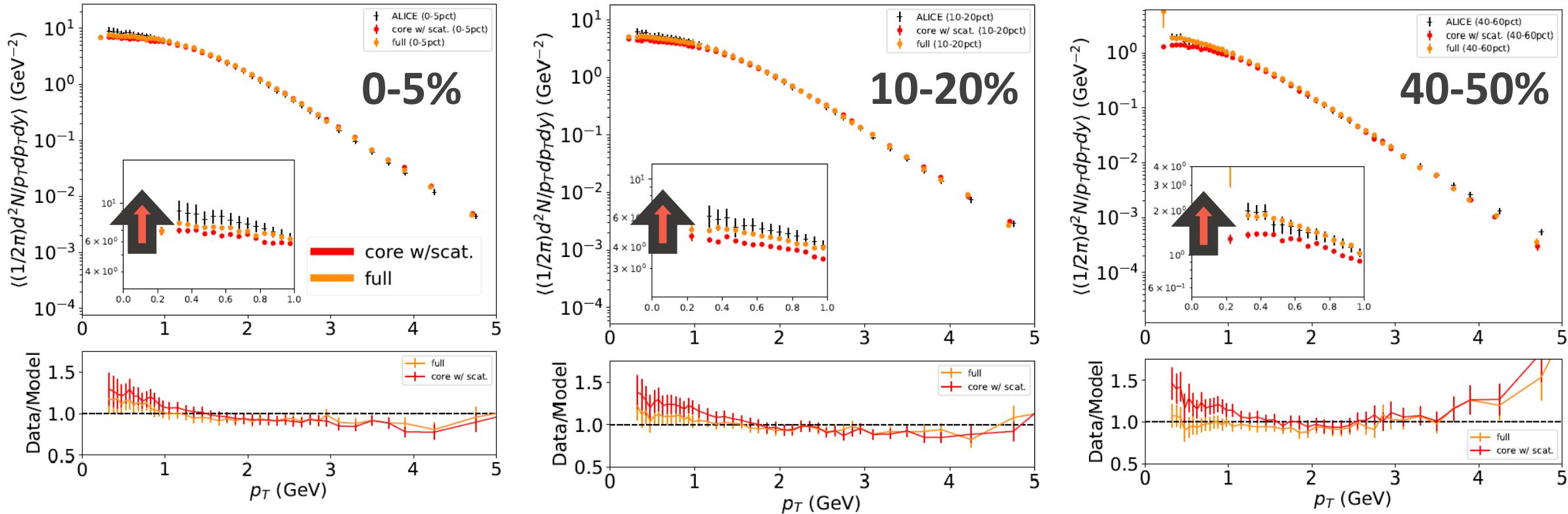
PbPb 2.76 TeV, π^+



Corona at very low p_T : possible compensation of yield

Comparison with exp. data

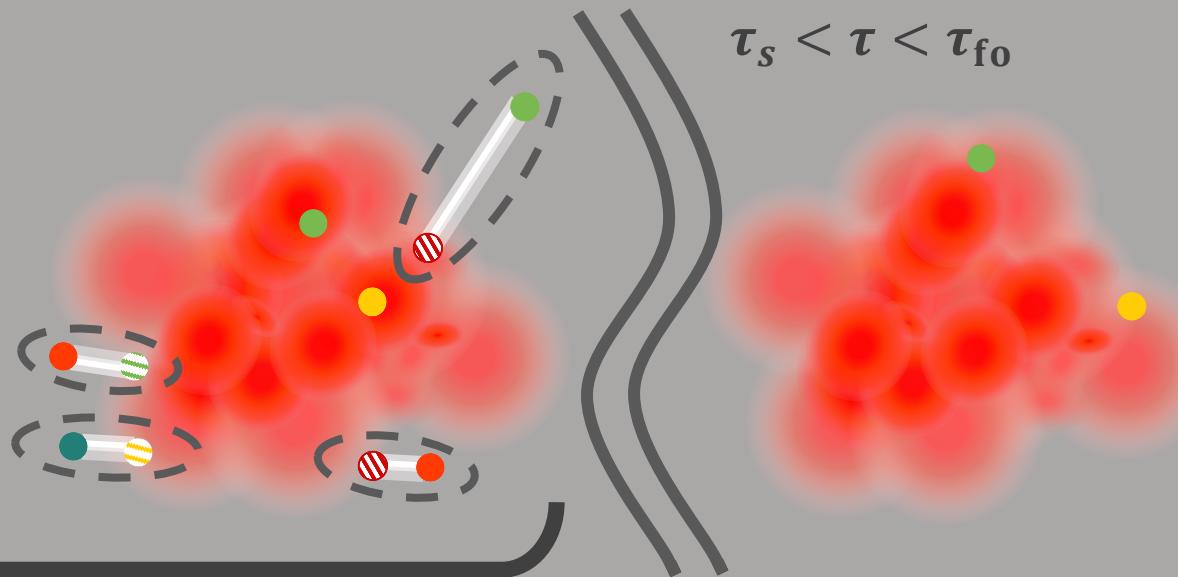
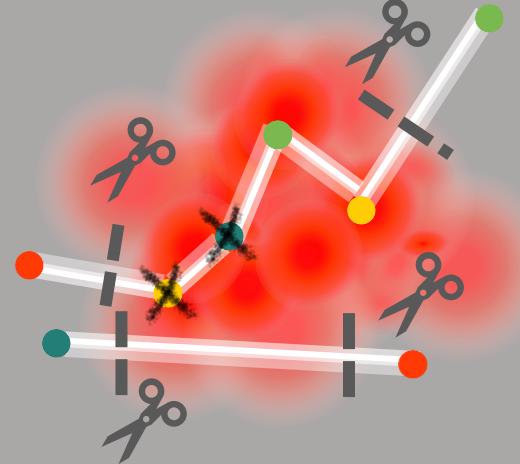
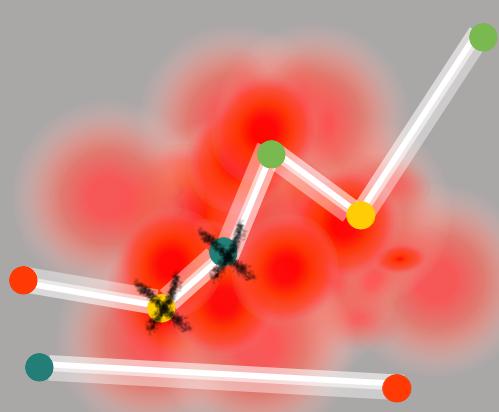
PbPb 2.76 TeV, $p + \bar{p}$



Corona at very low p_T : possible compensation of yield

Corona components from string modification

$\tau_s = 0.3 \text{ fm}$



String cutting

Parton-pairing

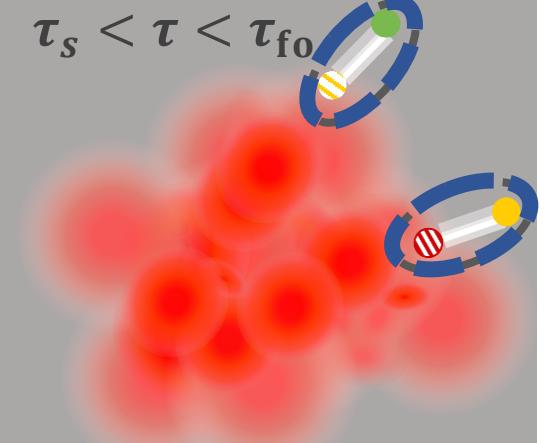
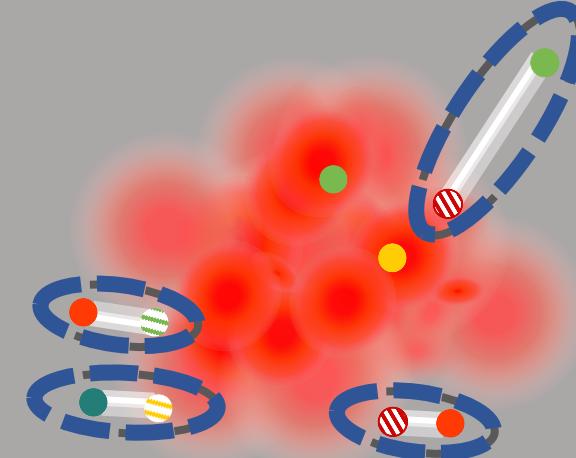
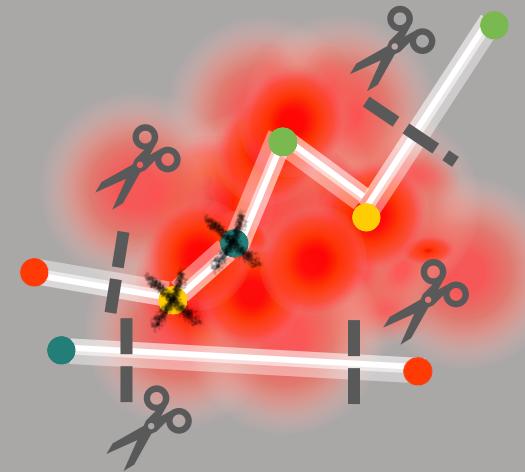
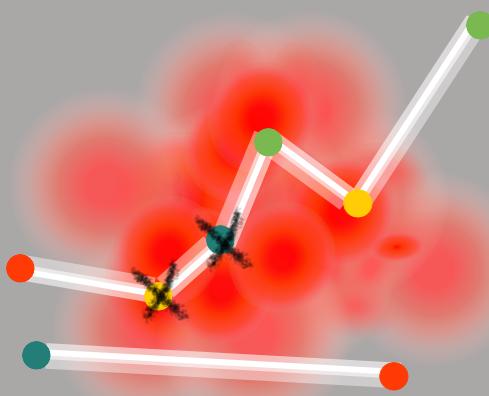
String modification caused by ..

- Spatial overlap of strings and medium
- Completely fluidized partons

1. Discard dead partons
2. Find hypersurface boundaries T_{sw}
3. Sample partons & boost with v_{fluid} at the boundary (recreation of color singlet)

Corona components from string modification (cont'd)

$\tau_s = 0.3 \text{ fm}$



String cutting

Parton-pairing

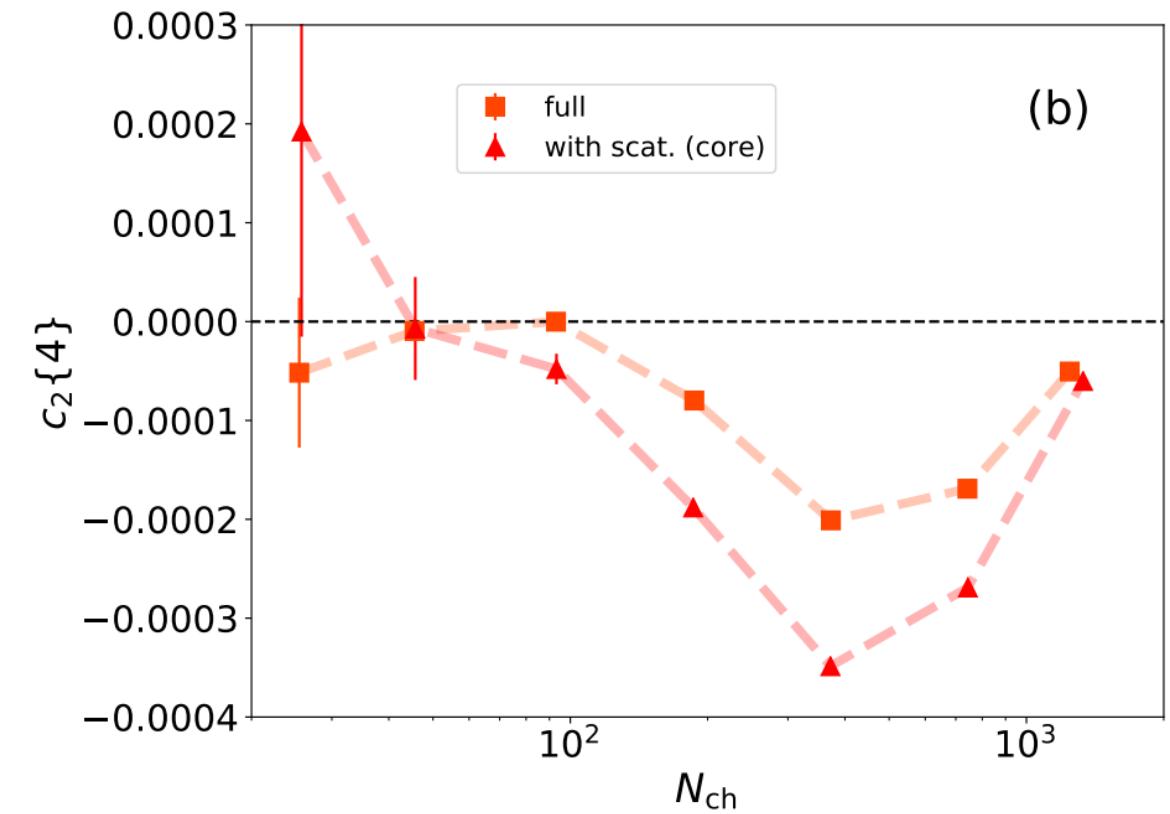
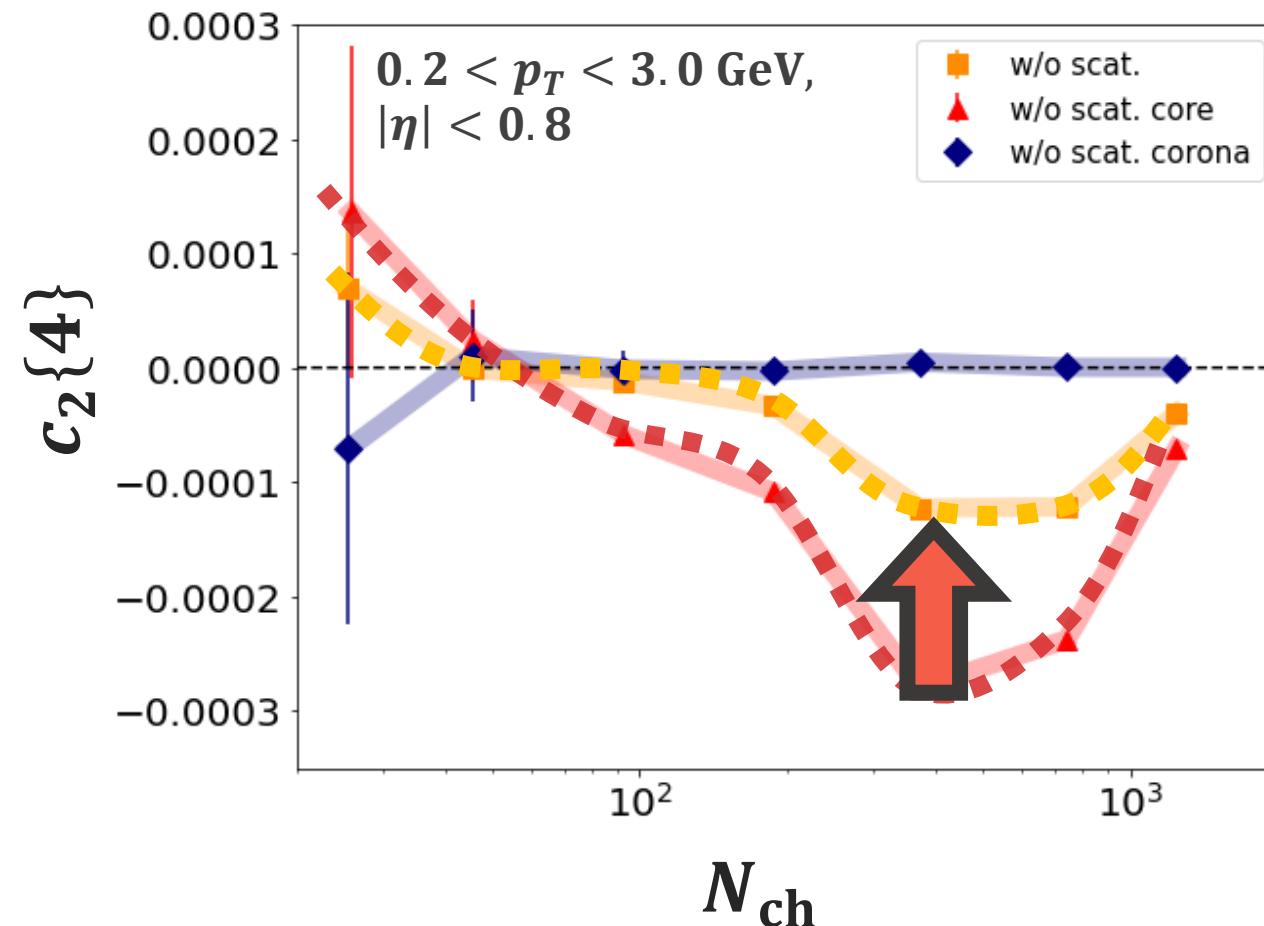
4. Surviving partons traverse medium
5. Make a pair for a parton coming out from medium

* $p_{T,\text{cut}}$: threshold to/not to modify a string

Non-thermal & thermal
→ Contributes as corona components

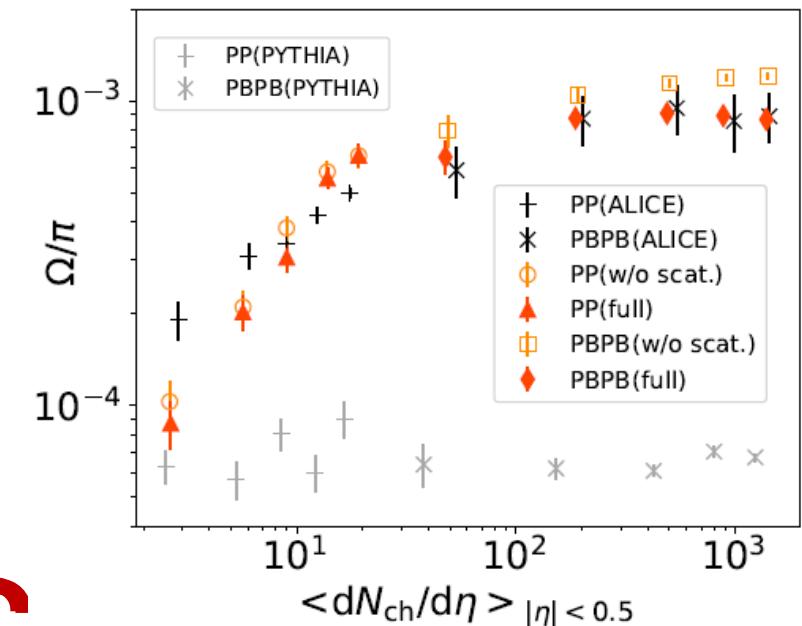
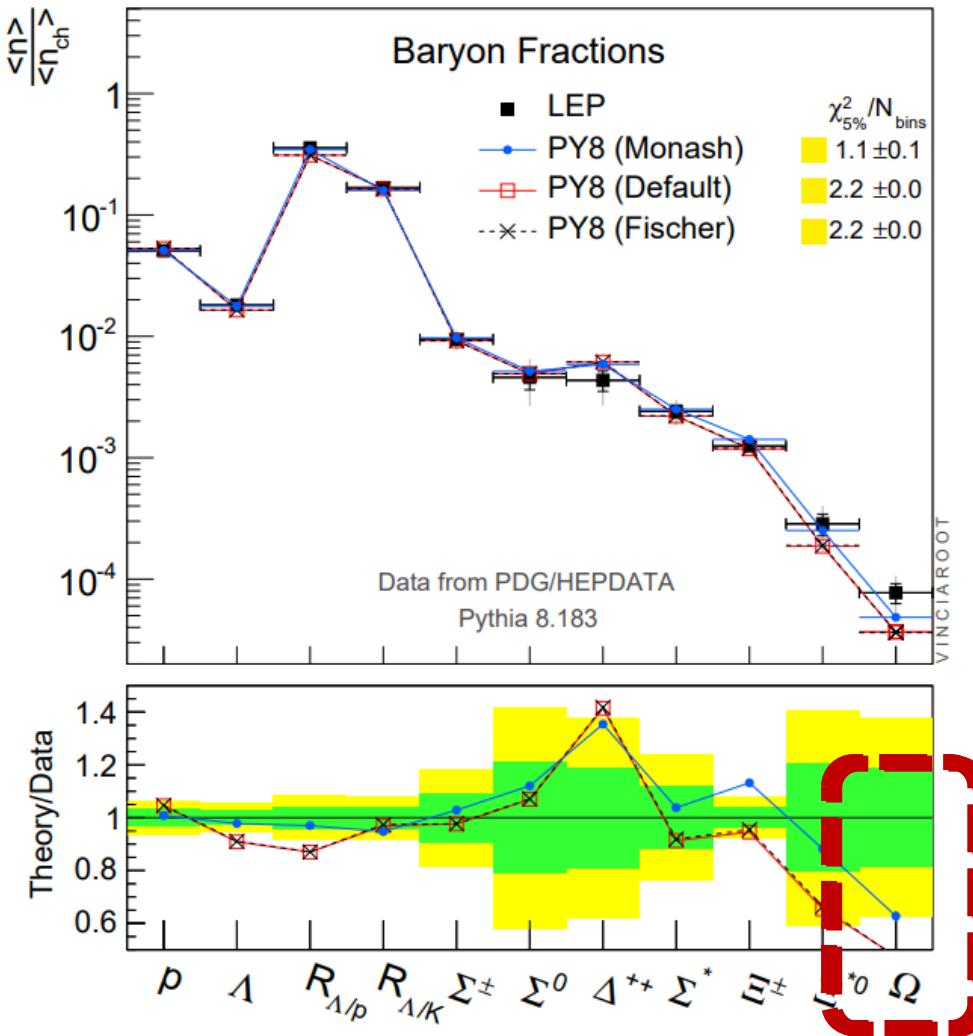
Corona corrections to flow

$c_2\{4\}$ from PbPb 2.76 TeV



Ω yields from e^+e^- with Monash Tune

P. Skands *et al.*, Eur.Phys.J.C 74 (2014) 8, 3024



Dynamical core-corona picture

~ EoM with a drag force due to secondary scatterings

$$\frac{dp_i^\mu}{d\tau} = - \sum_j^{N_{\text{scat}}} \rho_{i,j} \sigma_{i,j} |v_{\text{rel},i,j}| p_i^\mu$$

Defined at a co-moving frame with $\eta_{s,i}$

*Note: Instant equilibration of deposited energy and momentum

- Collision criterion

$$b_{i,j} \leq \sqrt{\frac{\sigma_{i,j}}{\pi}}$$

of (non-equilibrated and equilibrated) partons scattered with i th parton

- Parametrized cross-section

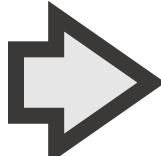
$$\sigma_{i,j} = \frac{\sigma_0}{s_{i,j}/[\text{GeV}^2]}$$

- Density of partons

$$\rho_{i,j} = G(x_i - x_j)$$

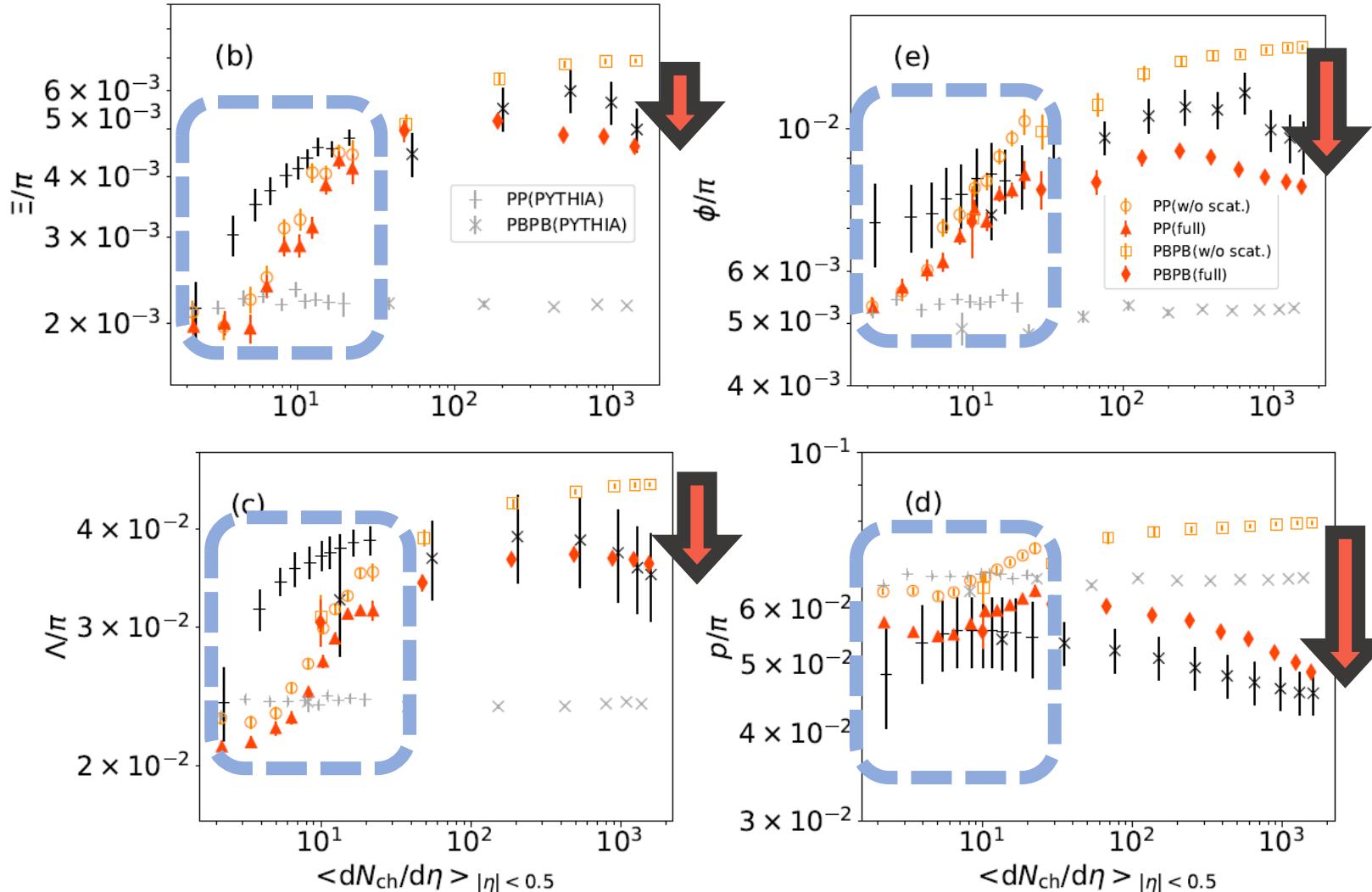
G : Gaussian

Low p_T and/or dense region
High p_T and/or dilute region



Core (fluids)
Corona (non-equilibrated partons)

Effects of hadronic rescatterings

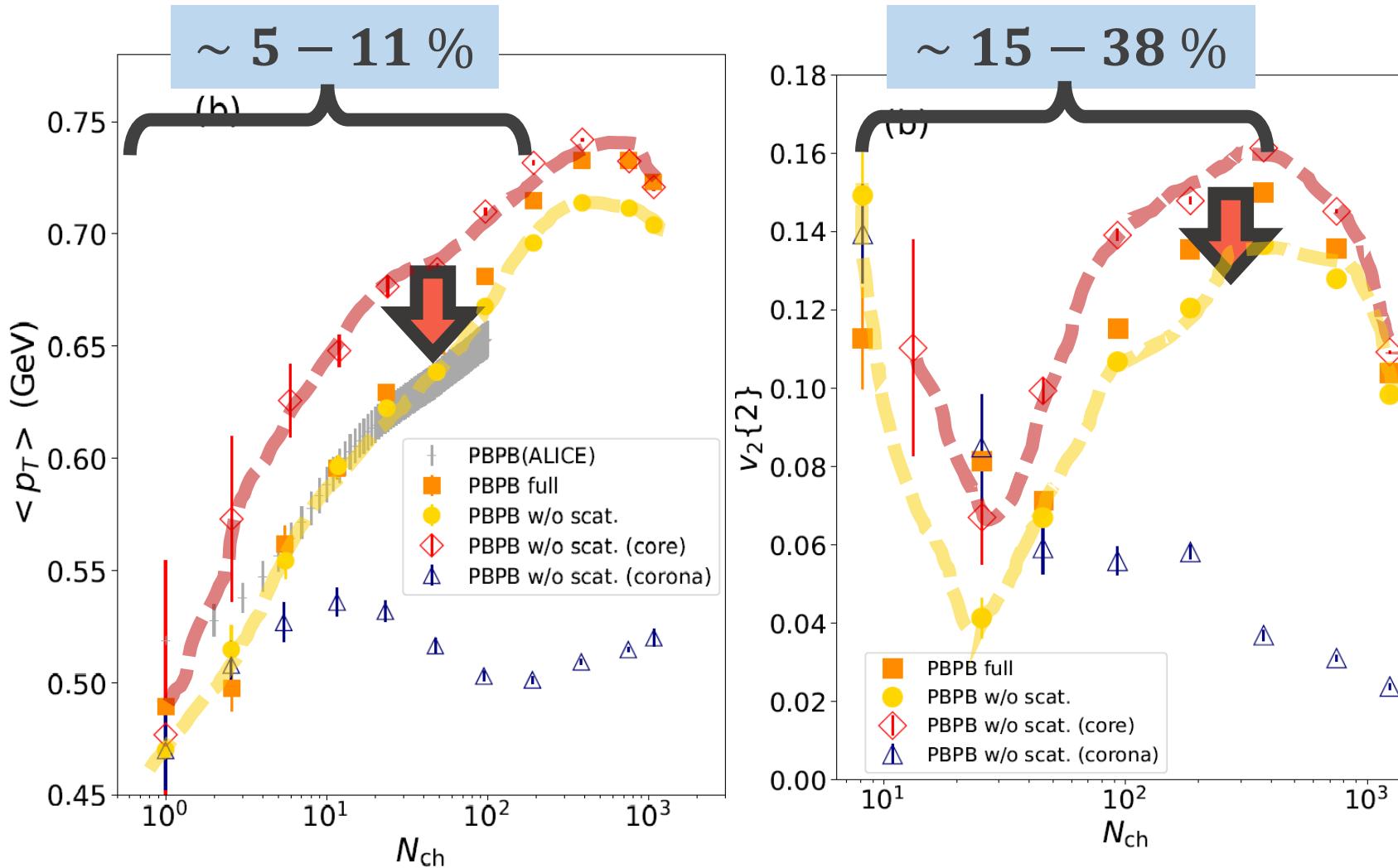


Significant suppression
of yield ratios at central
PbPb

✓ Captured with
dissociation/annihilation
of hadrons in late stage

Visible hadronic
rescattering effects
even in pp collisions

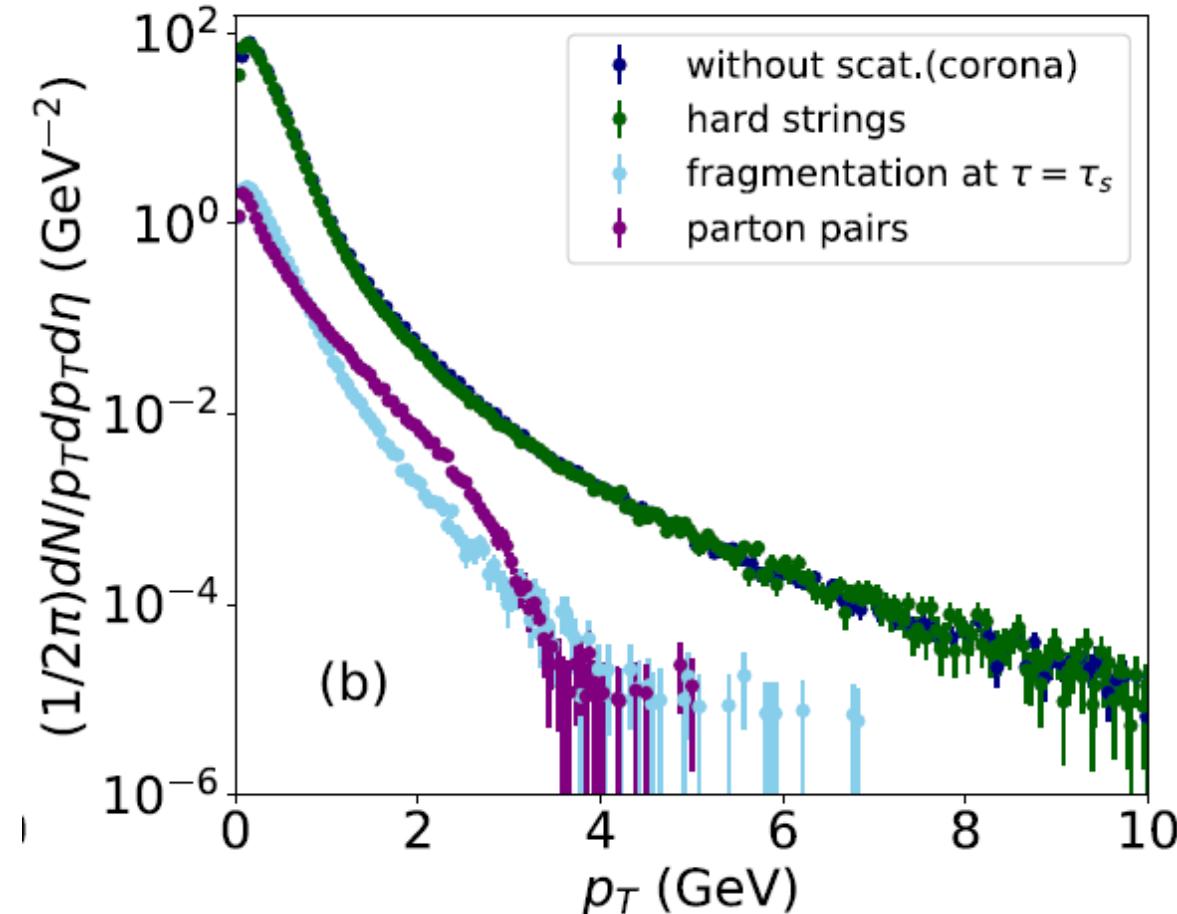
Corona correction in PbPb



- Mean p_T and momentum anisotropy → non-negligible effect of corona
- Pure hydro calculation can bring misinterpretation of exp. data even in PbPb

Origin of corona contribution

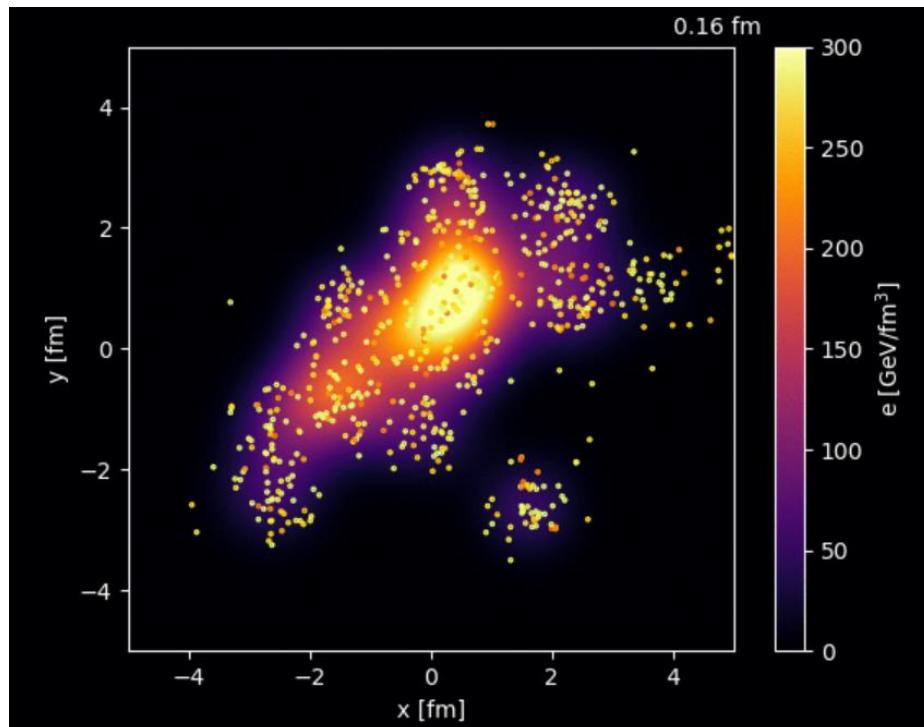
PbPb 2.76 TeV



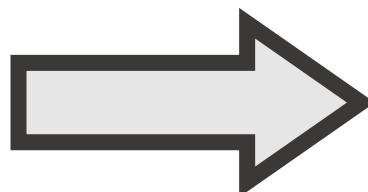
Collision with constituent partons of QGP fluids

$$\frac{dp_i^\mu}{d\tau} = - \sum_j^{N_{\text{scat}}} \rho_{i,j} \sigma_{i,j} |v_{\text{rel},i,j}| p_i^\mu$$

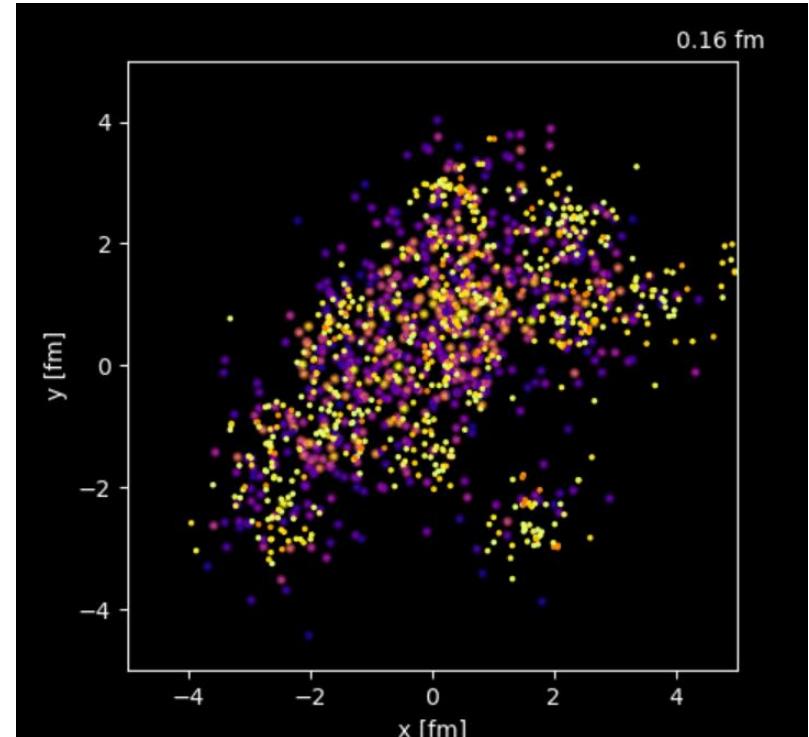
→ Applied to both core (QGP fluids) and corona (non-equilibrated partons)



Sampling of
equilibrated
partons at
each time step



*with mass-less ideal
gas approximation



QGP study with relativistic hydrodynamics

Energy-momentum
conservation

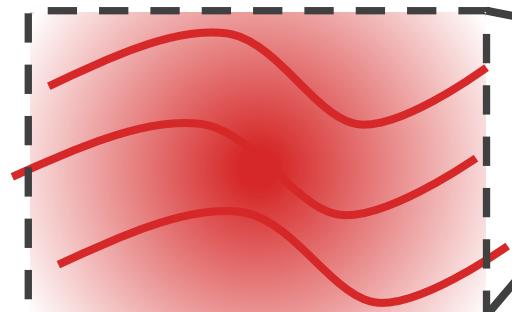
$$\partial_\mu T^{\mu\nu} = 0$$

Equation of state (EoS)

$$P = P(e) \quad +$$

Energy-momentum tensor $T^{\mu\nu}$
→ decomposed with
four velocity of fluids $u^\mu(x)$

Many-body system of
quarks and gluons



Dynamics of
locally-equilibrated
patches

