# $r$-process nucleosynthesis in neutron star mergers and remnants 

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## Outline

- Introduction
- The dynamical ejecta from NS-NS(BH) mergers
- The outflow from the merger remnants: $\mathrm{BH}(\mathrm{NS})$ accretion disks
- Neutrinos flavor conversion in merger remnants
- Summary
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## Observations of $r$-process elements


[Sneden et. al., ARA\&A 46, 241 (2008)] abundances of metal-poor stars

- CS 22892-052: Sneden et al. (2003)
- HD 115444: Westin et al. (2000)
- BD $+17^{\circ} 324817$ : Cowan et al. (2002)
* CS 31082-001: Hill et al. (2002)
- HD 221170: Ivans et al. (2006)

4 HE 1523-0901: Frebel et al. (2007)

- Is the $r$-process enrichment in the early galaxies due to mergers? [see Ji, Frebel, Chiti, Simon, Nature, 531 (2016) 610]
- are mergers the dominant source for the solar $r$-abundances?
[see Wallner+, Nature Commun. 6 (2015) 5956
Hotokezaka, Piran, Paul, Nature Phys. 11 (2015) 1042]
$\underline{r \text {-process nucleosynthesis }}$

key quantity: the neutron-to-seed ratio, $R_{n / s}$, at the end of charged-particle processes

$$
\left\langle A_{\text {heavy }}\right\rangle \approx\left\langle A_{\text {seed }}\right\rangle+R_{n / s} \quad \text { assuming no fission occurs }
$$

- in a $\alpha$-rich freeze-out environment, e.g., $\mathrm{SN} \nu$-wind,

$$
R_{n / s} \propto \frac{s^{3}}{\tau_{\mathrm{dyn}} Y_{e}^{3}} \quad \text { [Hoffimant 1997, Roberts+ 2010] }
$$

- Extremely n-rich and cold material such as dynamical merger ejecta,

$$
R_{n / s} \propto Y_{e}^{-1}
$$

$\rightarrow$ astrophysical conditions determine how far the $r$-process goes, nuclear physics determines the abundance distribution

## NS-NS and NS-BH mergers


[from Just+, MNRAS 448, 541 (2015)]
multiple mass ejection channels due to different mechanisms

Mass Loss Phases During NS-NS and NS-BH Merging
Merger Phase: Prompt/dynamical ejecta
(due to dynamic binary interaction)


BH-Torus Phase: Disk ejecta
(due to $\nu$ heating, viscosity/magn. fields, recombination)


## Relative contribution


more dynamical ejecta in NS-BH cases while similar or disk-dominated ejecta in NS-NS cases

## $r$-process in the dynamical ejecta - when neutrinos unimportant

 without weak interactions, $Y_{e}$ distributeat $Y_{e} \lesssim 0.1$, resulting in nucleosynthesis without weak interactions, $Y_{e}$ distribute
at $Y_{e} \lesssim 0.1$, resulting in nucleosynthesis outcome that is robust against:

- binary mass ratio
- adopted nuclear EoS
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[Bauswein, Goriely, Janka, ApJ 773, 78 (2013)]


## Variation in ejecta

[Mendoza-Temis et. al., PRC 92, 055805 (2015)]

$1.35 M_{\odot}-1.35 M_{\odot}$
from Bauswein+ 2013
slow ejecta:

- majority of the ejected mass ( $\sim 90 \%$ in this model)
- all neutrons are used out
- little variation among trajectories, due to the pile-up of fissioning nuclei



## Variation in ejecta

[Mendoza-Temis et. al., PRC 92, 055805 (2015)]

$1.35 M_{\odot}-1.35 M_{\odot}$
from Bauswein+ 2013
fast ejecta:

- $\sim 10 \%$ in this model
- ~ 20-40\% neutrons survive, may lead to blue kilonova precursor due to $n$-decay
[Metzger et.al., MNRAS 446, 1115 (2015)]
- large variation among trajectories



## Nuclear physics impact on dynamical ejecta

different nuclear masses (neutron capture and the inverse rates)

[Mendoza-Temis+, PRC 92, 055805 (2015)]

- different 3rd peak position and height due to the difference of neutron separation energies slightly above $\mathrm{N}=126$ shell closure
- large difference in $A=220-240$ at the kilonova relevant time, affecting the predicted lightcurves due to nuclei that $\alpha$-decay [Barnes+ 2016, Rosswog+ 2016]


## Nuclear physics impact on dynamical ejecta

different $\beta$-decay rates


- higher 3rd peak, lower 2nd peak for the model with faster $\beta$-decays (particularly at $A>200$ ). [See also Eichlert 2015]
- larger spread among trajectories.
role of fission rates and distribution?


## Effect of neutrinos on dynamical ejecta

the neutrino interaction timescale and the dynamical timscale of the ejecta can be comparable, for ejecta NOT in the equatorial plane.

$$
\begin{aligned}
\frac{1}{r_{\nu \mathrm{N}}} & \approx 1 \mathrm{~ms}\left(\frac{10^{53} \mathrm{erg} / \mathrm{s}}{L_{\nu}}\right)\left(\frac{r}{100 \mathrm{~km}}\right)^{2}\left(\frac{10 \mathrm{MeV}}{\left\langle E_{\nu}\right\rangle}\right) \\
\tau_{\mathrm{dyn}} & \approx 1.7 \mathrm{~ms}\left(\frac{r}{100 \mathrm{~km}}\right)\left(\frac{0.2 c}{v_{\mathrm{ej}}}\right)
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\end{aligned}
$$

$Y_{e}$ in dynamical ejecta can be significantly larger for NS-NS mergers [see e.g., Wanajo+ 2014, Sekiguchi+ 2016, Radice+ 2016]



## Effect of neutrinos on dynamical ejecta

do we still have the robustness of heavy $r$-abundances against variation of astrophysical condition?
[Sekiguchi+, PRD 93, 124046 (2016)]


- neutrino transport? flavor conversions?...


## $r$-process in the remnant outflow

After the dynamical ejecta, more material can be driven off from the remnant massive NS-disk or BH-torus system by:

- neutrino heating [see e.g., Dessart+ 2009, Perego+ 2014]
- viscous heating + nuclear recombination
[see e.g., Fernandez+ 2013-2016, Just+ 2016]



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- viscous heating + nuclear recombination [see e.g., Fernandez+ 2013-2016, Just+ 2016]
$\rightarrow$ higher $Y_{e}$ of the ejecta as weak interactions rise $Y_{e}$ to their nearly-equilibrium values for a large part of the ejecta
[Martin+, ApJ 813, 2 (2015)]

$\operatorname{MNS}\left(2.5 \mathrm{M}_{\odot}\right)+\operatorname{disk}\left(0.19 \mathrm{M}_{\odot}\right)$
[Just+, MNRAS 448, 541 (2015)]

$\mathrm{BH}\left(3 \mathrm{M}_{\odot}, \chi=0.8\right)+$ torus


## Dependence on the Initial condition of BH-torus system


viscosity being the most relevant, BH-spin, disk mass, and disk entropy are also important
$\left[\mathrm{S}\right.$-def: $\mathrm{M}_{\mathrm{BH}}=3 M_{\odot}, \mathrm{M}_{\text {disk }}=0.03 M_{\odot}, R_{0}=50 \mathrm{~km}, Y_{e, 0}=0.1, s_{0} / k_{B} / \mathrm{nuc}=8$, $\left.\alpha=0.03, \chi_{\mathrm{BH}, \mathrm{spin}}=0\right]$

## Elemental abundances vs. metal poor stars


[MRW+, MNRAS 463, 2323 (2016)]

Can mergers \& remnants account for the variations seen in metal-poor stars? [see also Just+, MNRAS 448, 541 (2015)]

## Dependence on the properties of the ejecta

$Y_{e}$ being the most relevant quantity


[MRW+, MNRAS 463, 2323 (2016)]
outcome insensitive to other quantities such as the ejection angle and the ejecta velocity.

Anomaly of convective disk

- large convective current may develop in the $\alpha$-viscosity disk
- ejecta can be reheated at late evolution stage to increase $T$ from $T \lesssim 1 \mathrm{GK}$ to $T \gtrsim 3 \mathrm{GK}$
- neutrons are photo-dissociated during decay of $r$ - nuclei at $t \gtrsim 1 \mathrm{~s}$

$\rightarrow$ pile up of doubly-magic ${ }^{132} \mathrm{Sn}$



Anomaly of convective disk
Anomalously high abundance of ${ }^{132} \mathrm{Sn}$ :


- inclusion of nuclear energy release beyond ${ }^{4} \mathrm{He}$ formation
- large or small viscosity may relieve this


## Nuclear physics impact on BH-torus outflow


[MRW+, MNRAS 463, 2323 (2016)]
nuclear physics again can affect the resulting abundances despite much less neutron-rich

## Effect of neutrinos from massive NS?



[Metzger \& Fernandez, MNRAS 441, 3444 (2014)]

- life-time of the massive neutron star?
- neutrino transport? flavor conversions?...


## Neutrino physics - flavor conversion

protonization of the merger remnant $\leftrightarrow$ negative neutrino lepton number

$\rightarrow$ potential $\nu$ flavor transformation above remnants through the matter-neutrino resonance when the $\nu-e$ and $\nu-\nu$ interacting potentials nearly cancel [Malkus+, Vaananen+, MRW + , Zhu+, Frensel',..., see Gail's talk]

## Neutrino physics - flavor conversion

The exact outcome of such conversion can be sensitive to the leptonization rates:


$\nu-\nu$ potentials with:
$L_{\nu}$ at infinity from Perego +2014
$L_{\nu}$ at $\nu$ surface from Perego +2014 $L_{\nu}$ at infinity from Foucart+ 2016

## Neutrino physics - flavor conversion

Full EoM: $\left(\partial_{t}+\mathbf{v} \cdot \partial_{\mathbf{x}}\right) \varrho(\mathbf{x}, \mathbf{p}, t)=-i[H(\mathbf{x}, \mathbf{p}, t), \varrho(\mathbf{x}, \mathbf{p}, t)]$

$$
H(\mathbf{x}, \mathbf{p}, t) \subset \sum_{\mathbf{p}^{\prime}}\left(\varrho\left(\mathbf{x}, \mathbf{p}^{\prime}, t\right)-\varrho^{*}\left(\mathbf{x}, \mathbf{p}^{\prime}, t\right)\right)\left(1-\mathbf{v} \cdot \mathbf{v}^{\prime}\right) \rightarrow \text { non-linear coupling }
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Imposing symmetries of the system help to reduce the dimension of the problem:

- spherical symmetry $\rightarrow \varrho\left(r, \theta_{\mathrm{em}},|\mathbf{p}|, t\right)$
- stationarity $\rightarrow \varrho\left(r, \theta_{\mathrm{em}},|\mathbf{p}|\right), \nu$-bulb model (multi-angle) [Duan+ 2006]
- single-angle approximation $\rightarrow \varrho(r,|\mathbf{p}|)$, might be fine if flavor conversion far away from the source


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In NS(BH)-disk case, only cylindrical symmetry is present
$\rightarrow \varrho(x, z, \theta, \phi,|\mathbf{p}|)$

- single-trajectory approximation $\rightarrow \varrho\left(d, r_{\mathrm{em}}, \theta, \phi,|\mathbf{p}|\right)$ this actually "decouples" the flavor evolution of neutrinos with different momenta


## Neutrino physics - flavor conversion

"fast" conversion can happen extremely close to the $\nu$ surfaces, driven by the local angular distribution of neutrino lepton number
[Sawyer+ 2005, 2009, 2016, Izaguirre+ 2016-17, Dasgupta+ 2016 ]

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$$

Solving the full EoM is cubersome, but one can linearize the EoM and analyze locally how off-diagonal term in $\varrho$ evolves in linear regime.
[Banerjee+ 2011, Raffelt+ 2013, Izaguirre+ 2017... ]

If the off-diagonal term grows exponentially $\leftrightarrow$ flavor conversion happens at the time/length scale of the exponent

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$L_{n, \bar{\nu}_{e}} / L_{n, \nu_{e}}=1.35, R_{\bar{\nu}_{e}}=0.75 R_{\nu_{e}}, h_{\nu_{e}} / R_{\nu_{e}}=h_{\bar{\nu}_{e}} / R_{\bar{\nu}_{e}}=0.25$.

## Summary \& discussions

- NH-NS/BH mergers can produce the whole range of $r$-process nuclides with (the combination of) different components of ejecta. Can the variations simultaneous account for the observed robustness of heavy $r$ abunadnces and the variations of light $r$ abundances?
- The dynamical ejecta can always reach the 3rd peak and above. Influence of neutrinos determines how much $A<120$ can be synthesized.
- The disk outflow can potentially produce all $r$-nuclei from $A \approx 80$ to U and Th. Viscosity and the life time of the massive NS are the big unknowns.
- Nuclear physics affects the detail abundances in several ways and may even play roles in the kilonova/macronova lightcurves.
- Neutrino flavor conversion will likely occur in the merger remnants. Fast conversions may change the MNR paradigm and change the role of neutrinos on nucleosynthesis and jet dynamics (if any).

