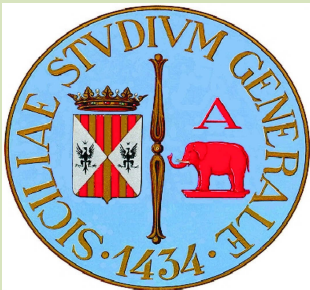


NeD 2018

Charm dynamics and its hadronization in AA(pp)

Vincenzo Greco - University of Catania

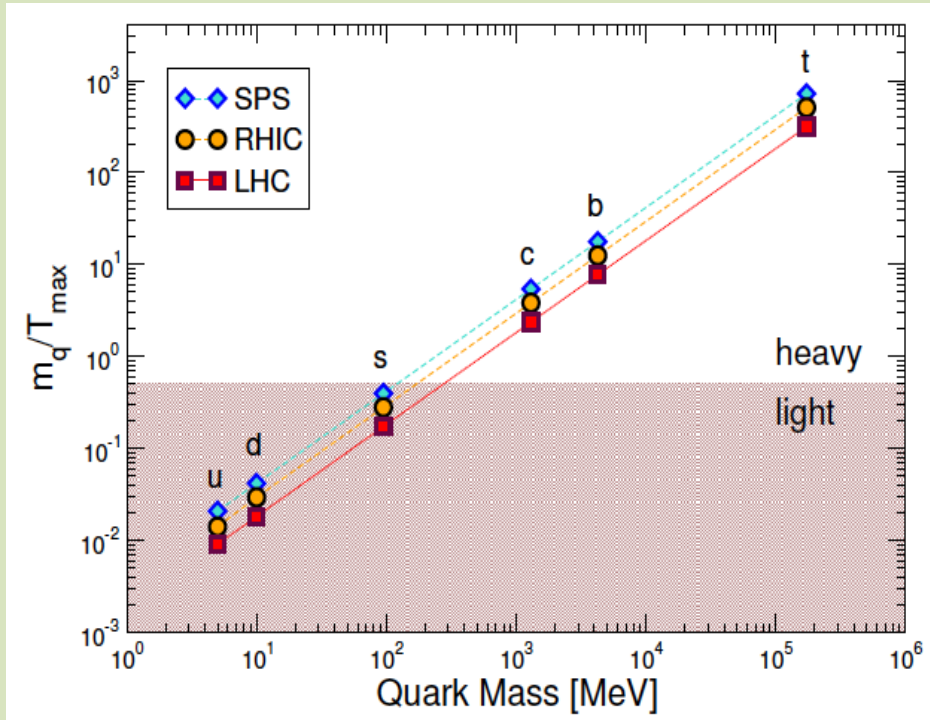


17th April 2018 - Varadero, Cuba

Outline

- ✧ Basic scales for heavy flavor physics
- ✧ HF dynamical evolution in QGP:
 - Boltzmann vs Langevin
 - predictions at RHIC and LHC within a Quasi-Particle Model
 - Estimating Ds transport coefficient
- ✧ Hadronization mechanics: Λ_c/D ratio, $R_{AA}(\Lambda_c)$
- ✧ Impact of electro-magnetic field on HF dynamics

Basic Scales



- $m_{c,b} \gg \Lambda_{\text{QCD}}$ pQCD initial production
- $m_{c,b} \gg T_{\text{RHIC,LHC}}$ negligible thermal production
- $\tau_0 \approx 1/2 m_Q \ll \tau_{\text{QGP}}$ witness of all the QGP evolution
- $\tau_{\text{th}} \approx \tau_{\text{QGP}} \gg \tau_{q,g}$ carry more information
- $m_{\text{HF}} \gg T, gT \rightarrow q^2 \ll m^2$ dynamics reduced to Brownian motion

Link to lattice QCD at finite T

❖ Extract the Free Energy of QQ

→ HQ Potential $F=U-TS$

$$q_0^2 \approx \vec{q}^4 / m_Q^2 \ll \vec{q}^2$$

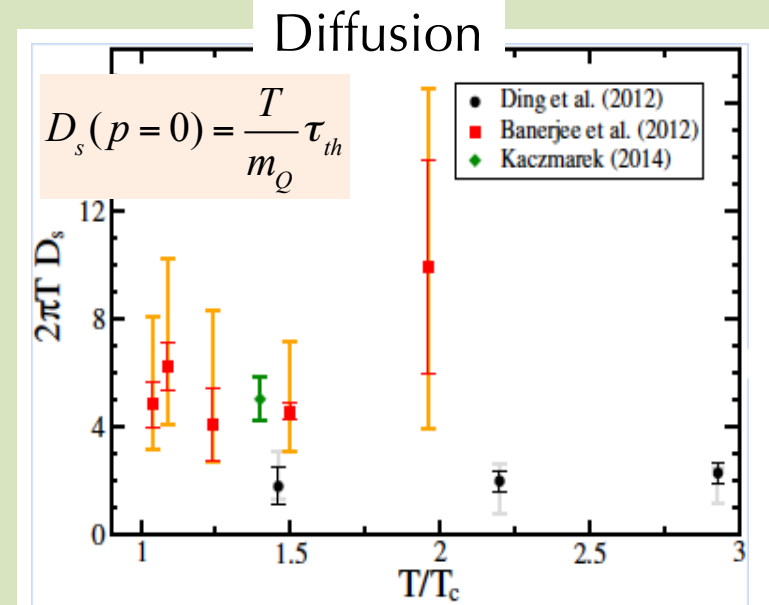
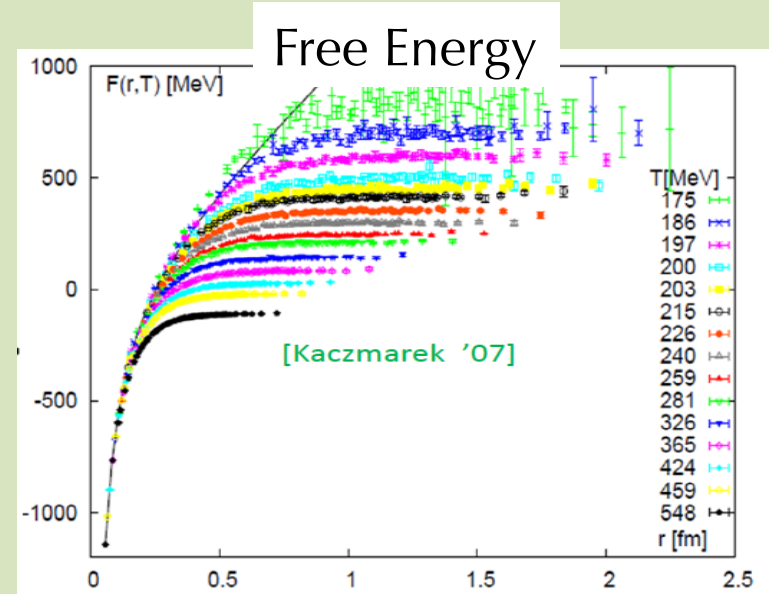
space-like transf. mom. → $V(r)$

❖ Evaluate Diffusion Transp. Coeff.

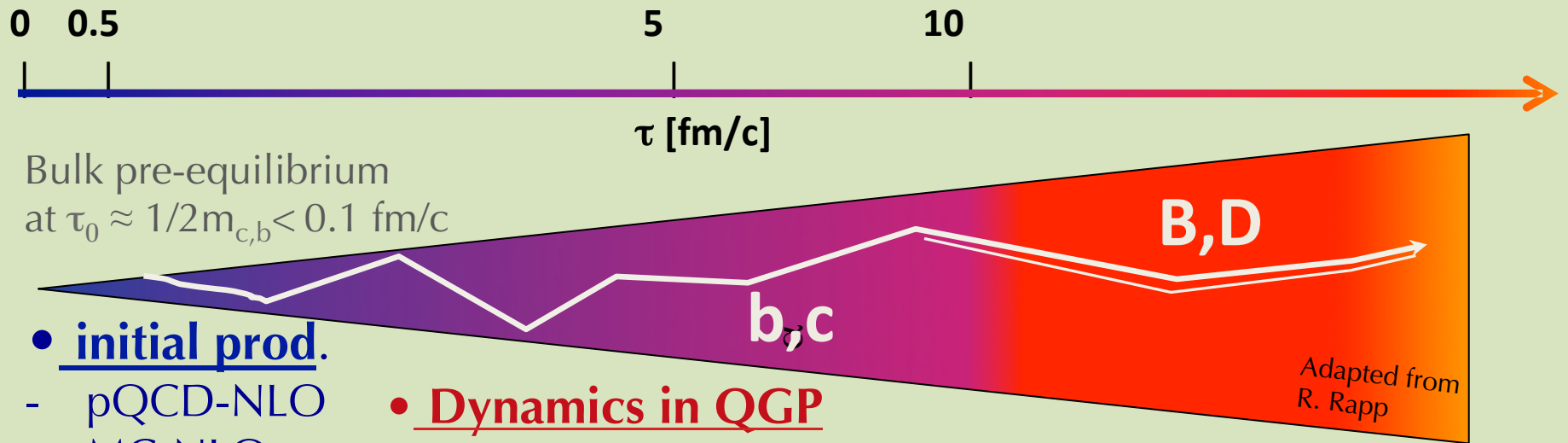
Extract Spectral function ρ_E from color-electric correlator with an initial assumption for ρ_E , then Kubo formula:

$$\kappa/T^3 = \lim_{\omega \rightarrow 0} \frac{2T \rho_E(\omega)}{\omega} \quad D = \frac{2T^2}{\kappa}$$

Approximations/limitations:
 quenched QCD, heavy quark vs. charm quark, continuum extrapolation, still systematic large errors ...



Studying the HF in uRHIC



- initial prod.

- pQCD-NLO
- MC-NLO
- CNM effect [pp,pA exp.]

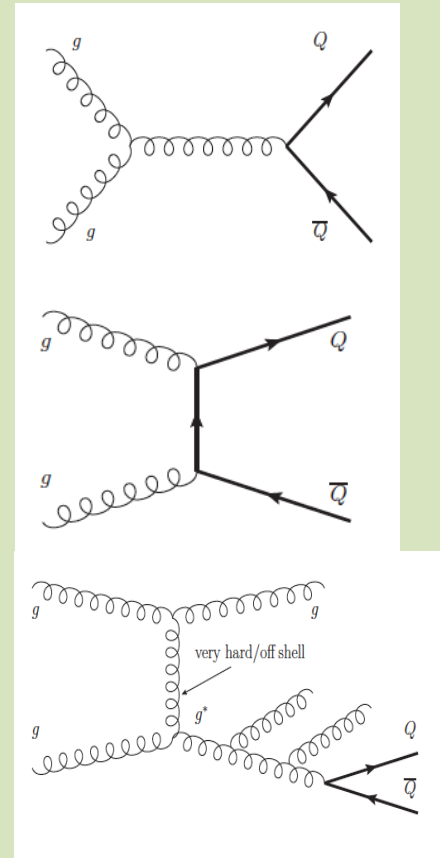
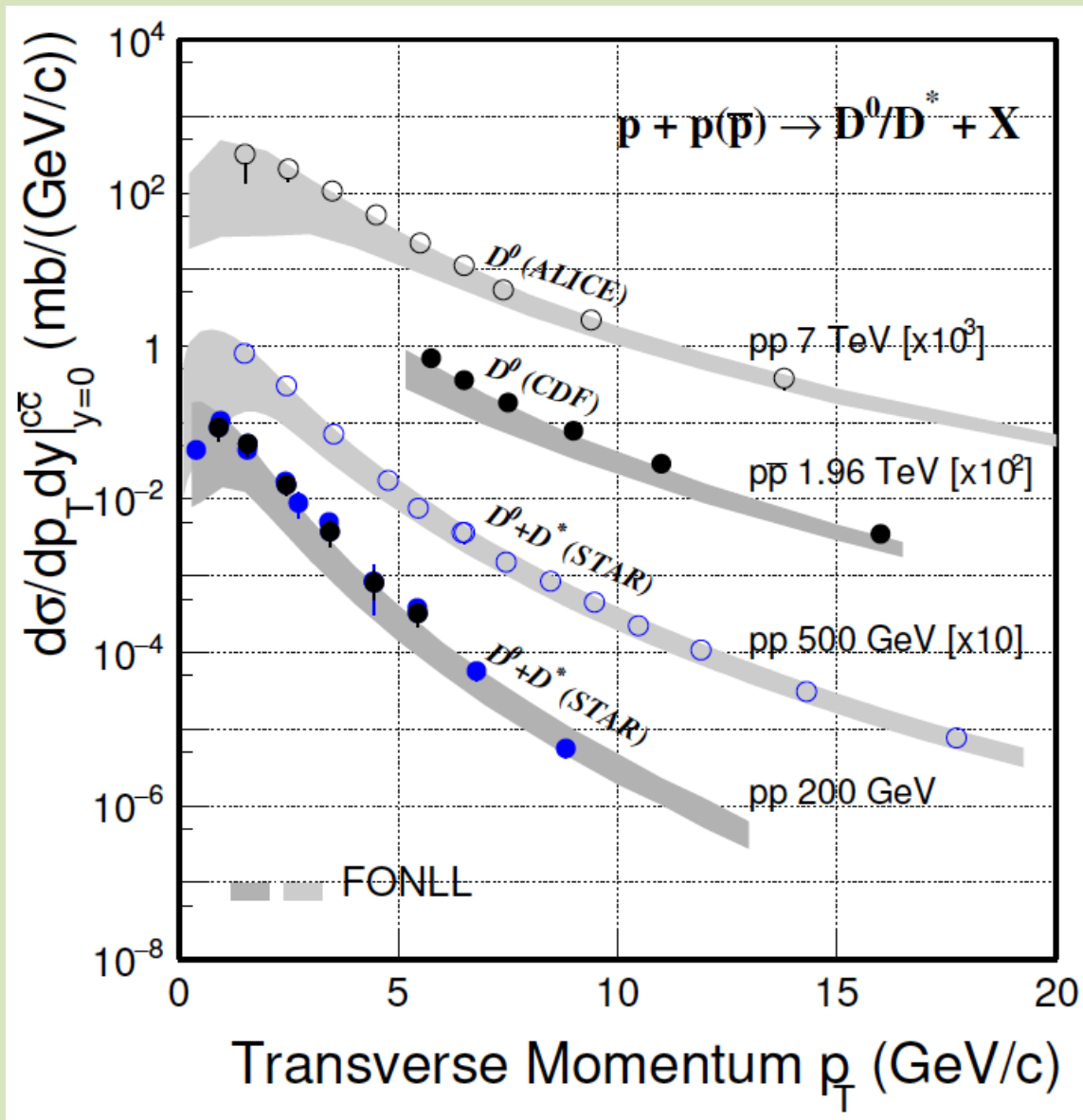
- Dynamics in QGP

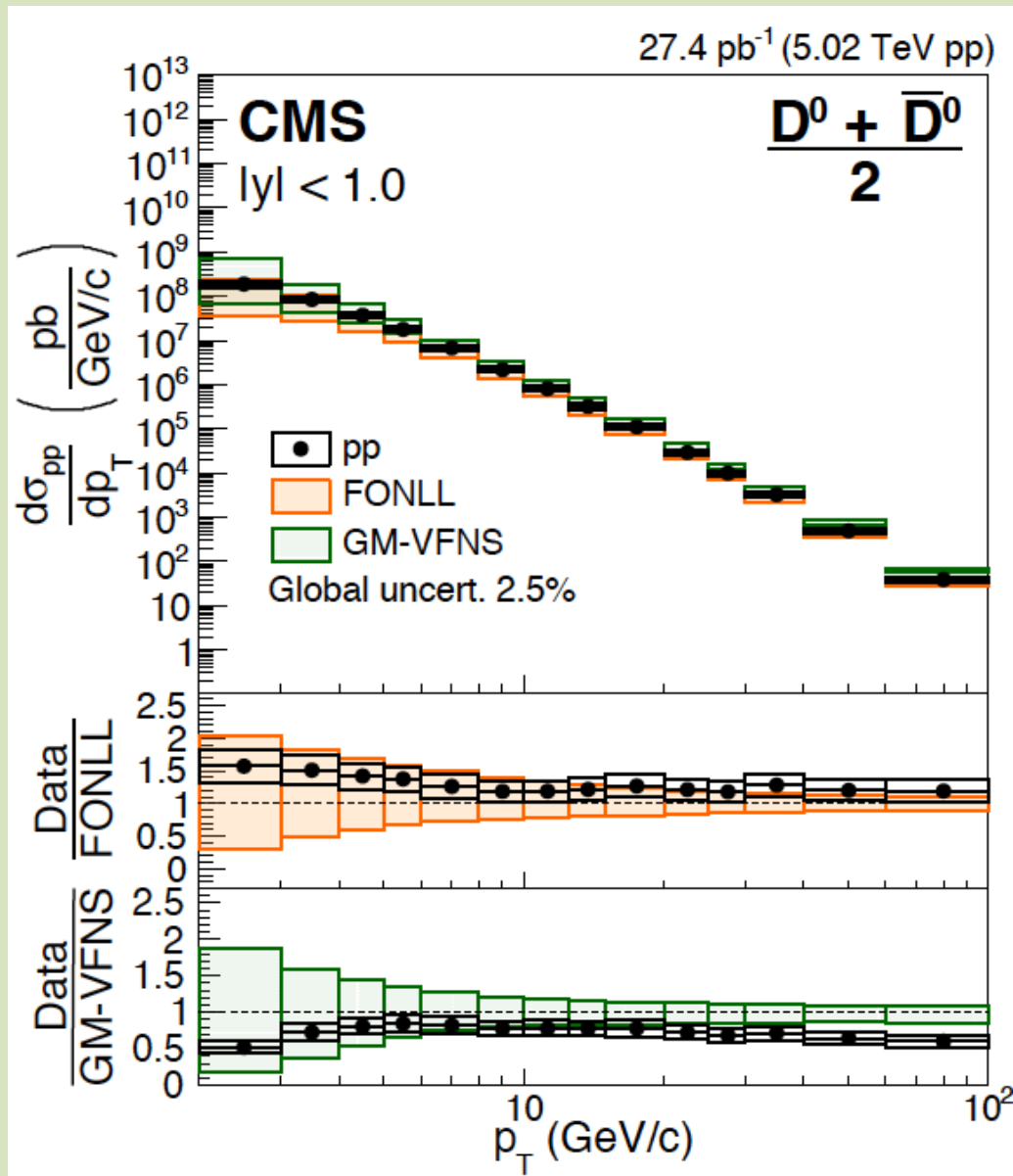
- Transp. coeff. of QCD matter
-> thermalization ?!

- hadronization

- coalescence and/or fragm.
- hadronic rescattering

Initial Production - $m_Q \gg \Lambda_{\text{QCD}}$





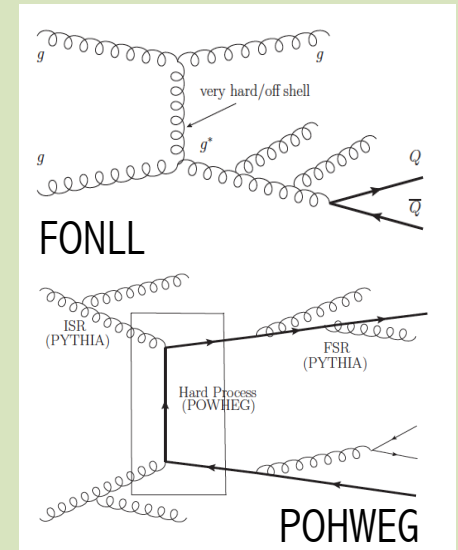
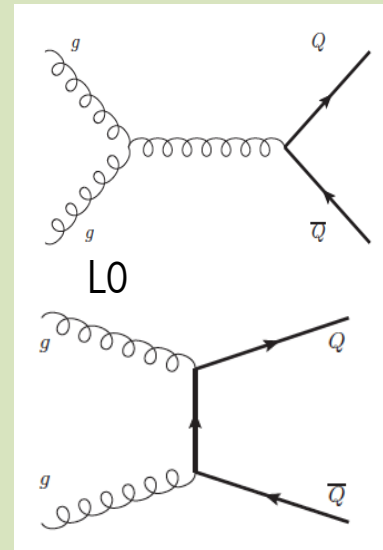
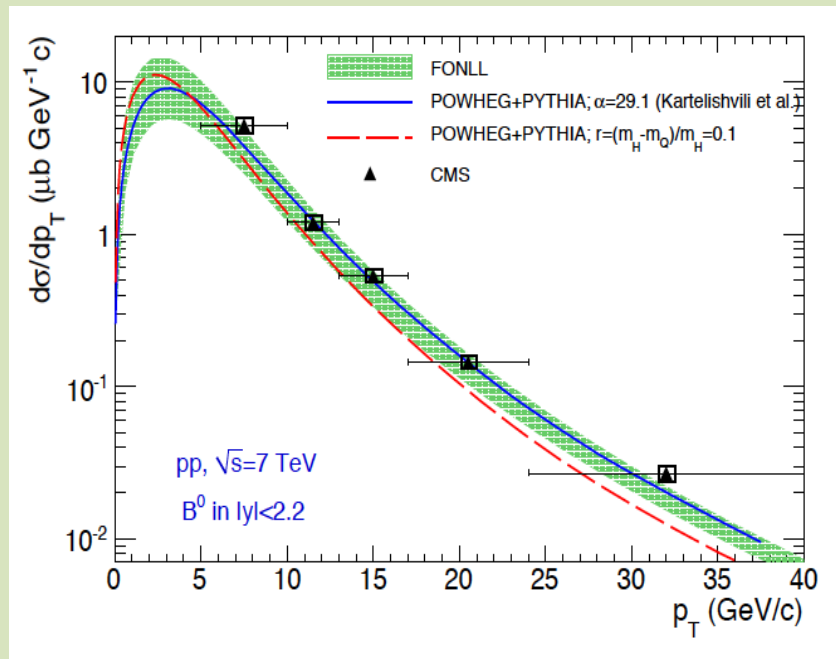
$$d\sigma^{Q+X} \simeq \sum_{i,j} f_i^A \otimes f_j^B \otimes d\tilde{\sigma}_{ij \rightarrow Q+X}$$

$$d\sigma^H = d\sigma^Q \otimes D_Q^H(z)$$

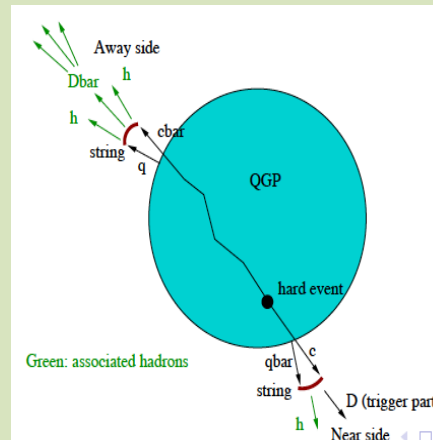
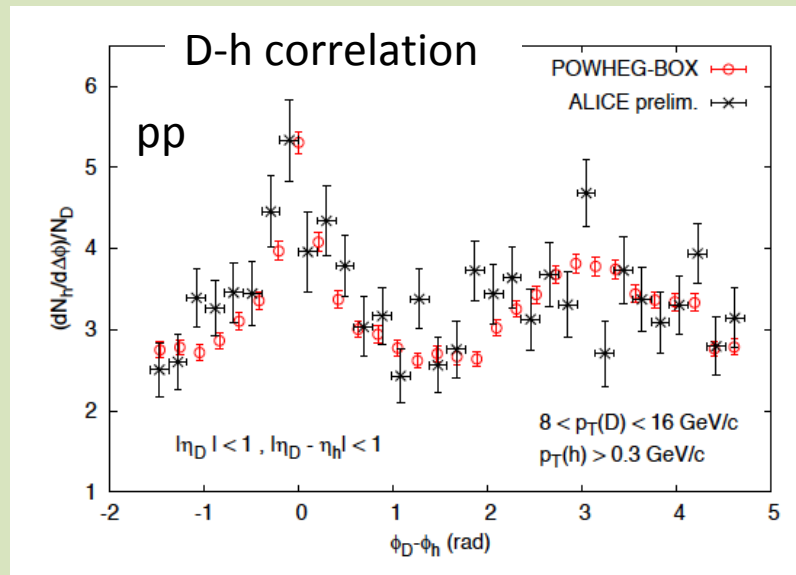
FONLL (Fixed Order NNLO pQCD)

GM-VFNS (General Mass- Variable Fixed Flavor Number Scheme)

Initial Production - $m_Q \gg \Lambda_{\text{QCD}}$

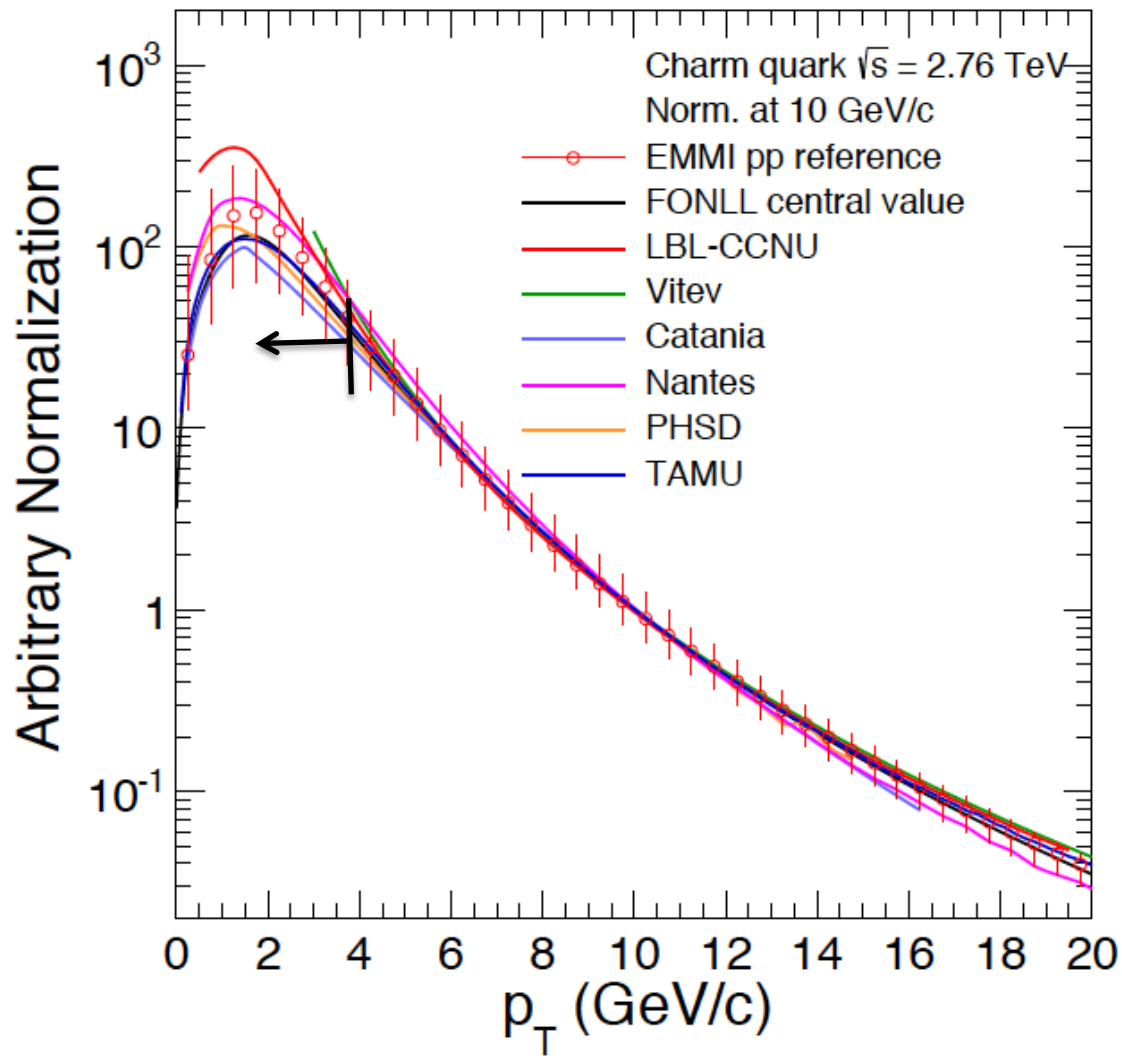


Now we have MonteCarlo (MC) generator at NLO compatible with FONLL, this will be Relevant when accessing triggered angular correlations.



Initial Charm distribution from various groups

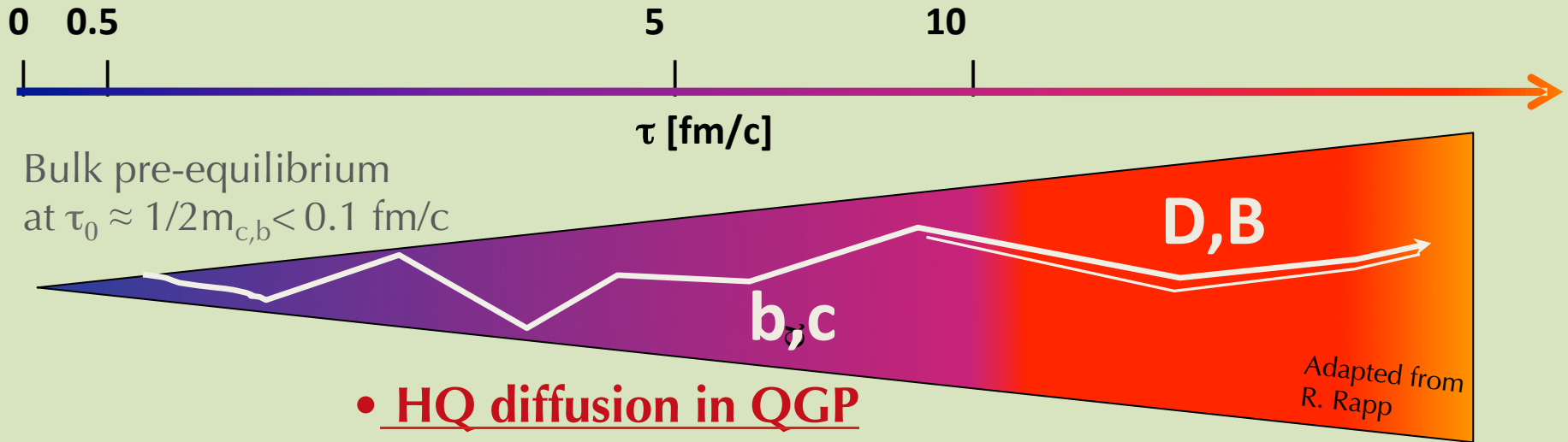
EMMI-RRTF Collab., ArXiv:1803.03824



Still to our purpose (R_{AA} at $p_T < 4-5$ GeV)

The best would be good precision data at low p_T

Studying the HF in uRHIC



- HQ diffusion in QGP

- scatterings in the bulk
- transport equation:
Langevin – Boltzmann (PHSD)
- Transp. Coeff. for HQ

- hadronization

- coalescence and/or fragm.

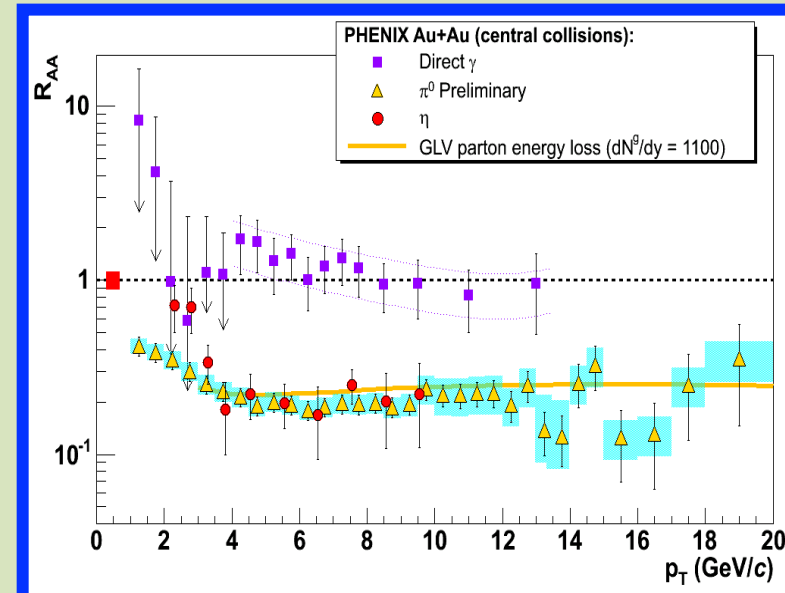
$$f_Q(r, \phi_r, p, \phi_p, t) \rightarrow R_{AA}, v_2, v_3, dN/d\Delta\phi_{12}, v_2(\text{soft}) - v_2(\text{HF})$$

Two Main Observables in HIC

❖ Nuclear Modification factor

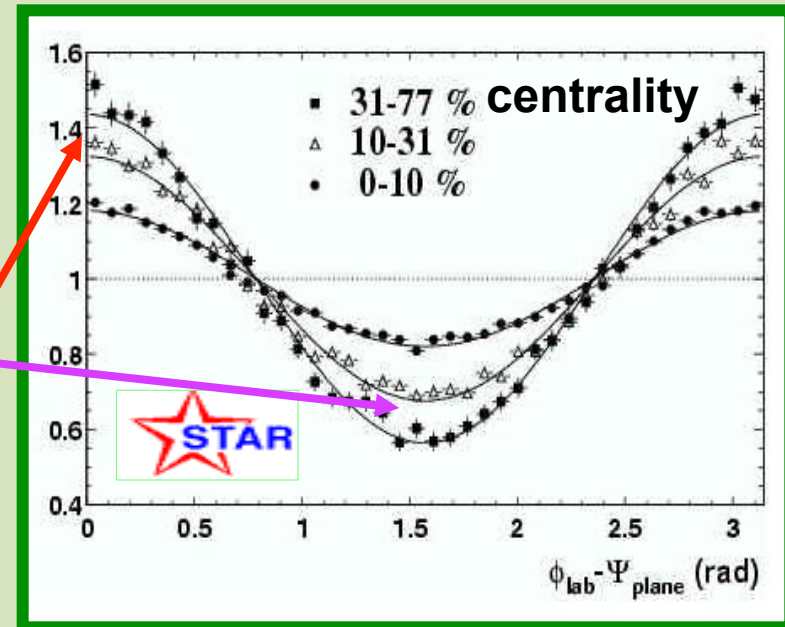
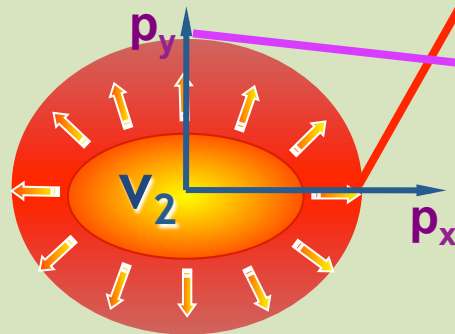
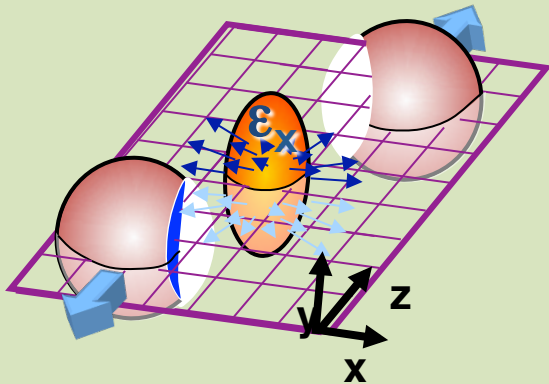
$$R_{AA}(p_T) = \frac{d^2 N^{AA} / dp_T d\eta}{N_{coll} d^2 N^{NN} / dp_T d\eta}$$

- Modification respect to pp
- Decrease with increasing partonic interaction

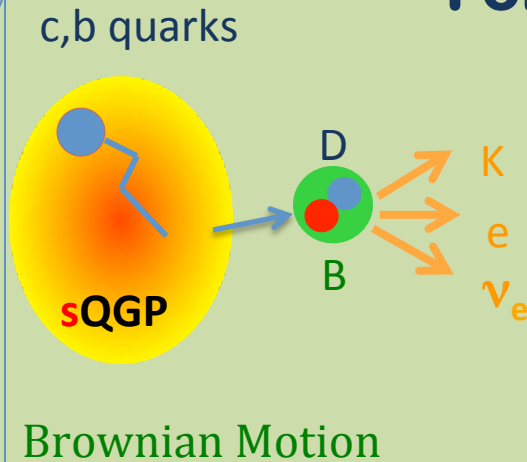


❖ Anisotropy p-space: Elliptic Flow v_2

$$\frac{dN}{p_T dp_T d\phi} = \frac{dN}{2\pi p_T dp_T} [1 + 2v_2 \cos(2\phi) + \dots]$$



Standard Dynamics of Heavy Quarks in the QGP



Fokker-Planck approach ($T \ll m_Q$) in Hydro/transport bulk

$$\frac{\partial f_{c,b}}{\partial t} = \gamma \frac{\partial (p f_{c,b})}{\partial p} + D_p \frac{\partial^2 f_{c,b}}{\partial p^2}$$

$$\langle p \rangle = p_0 e^{-\gamma t}$$

$$\langle \Delta p^2 \rangle = 3 D_p / \gamma (1 - e^{-2\gamma t})$$

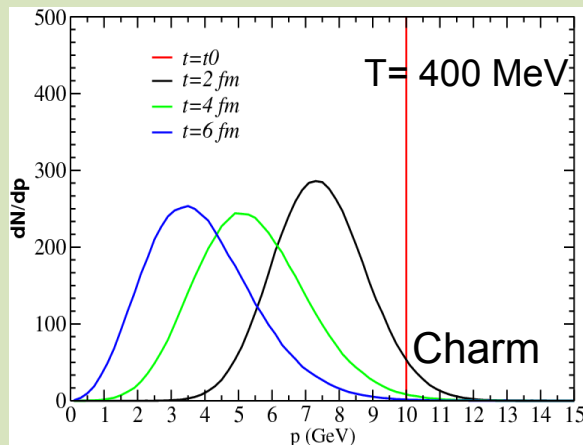
$$D = E T \gamma \quad - \text{FDT}$$

$$\gamma = \int d^3k |M(k, p)|^2 p$$

$$D_p = \frac{1}{2} \int d^3k |M(k, p)|^2 p^2$$

$|M|^2$ scatt. matrix from
some theory: HTL, pQCD
coll., rad., T-matrix

- D_s from IQCD

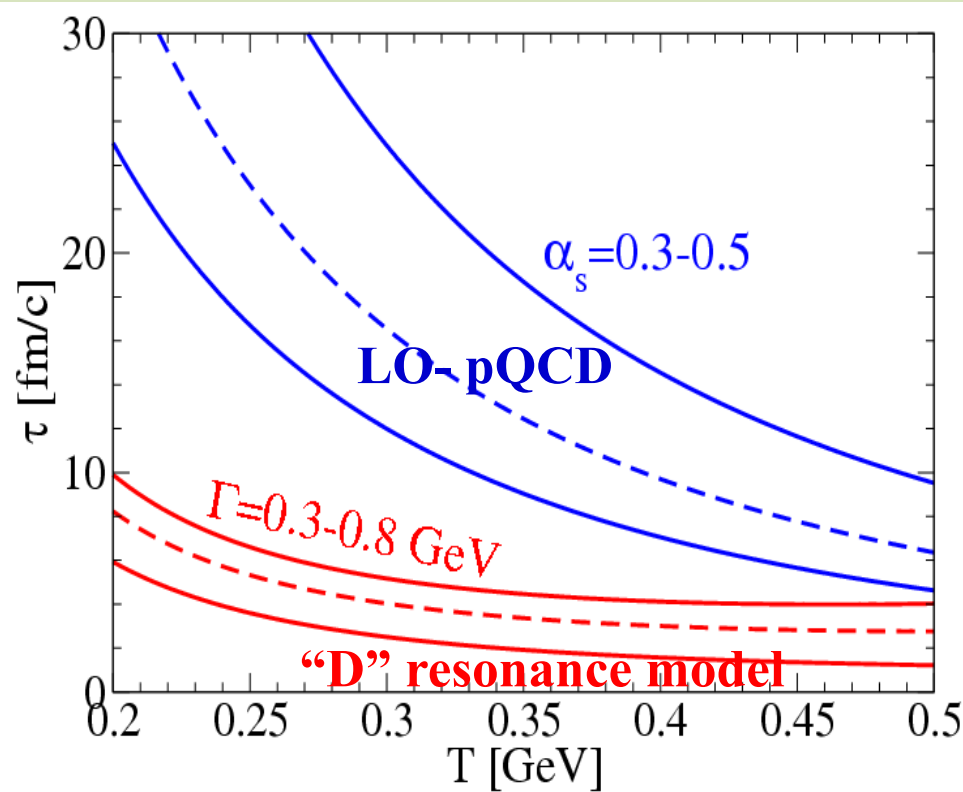


$$\frac{dN}{d^3 p_{\text{initial}}} = \delta(p - 10 \text{ GeV})$$

- Evolution in p_T of a single charm at $P_T(t=0)=10 \text{ GeV}$
- For HIC double folding with $f_{HQ}(r, p, t)$ and $\rho_{Bulk}(r, t)$
- I will also challenge such a scheme...

In 2003-04 ...pQCD dynamics for HQ in the QGP!?

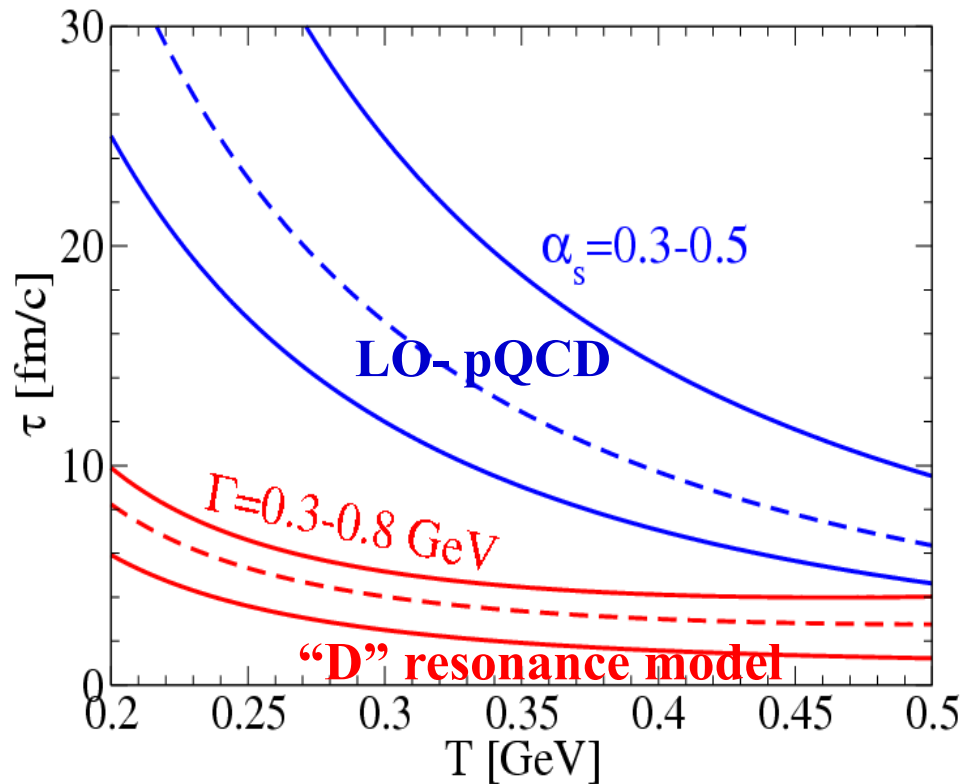
Equilibration time



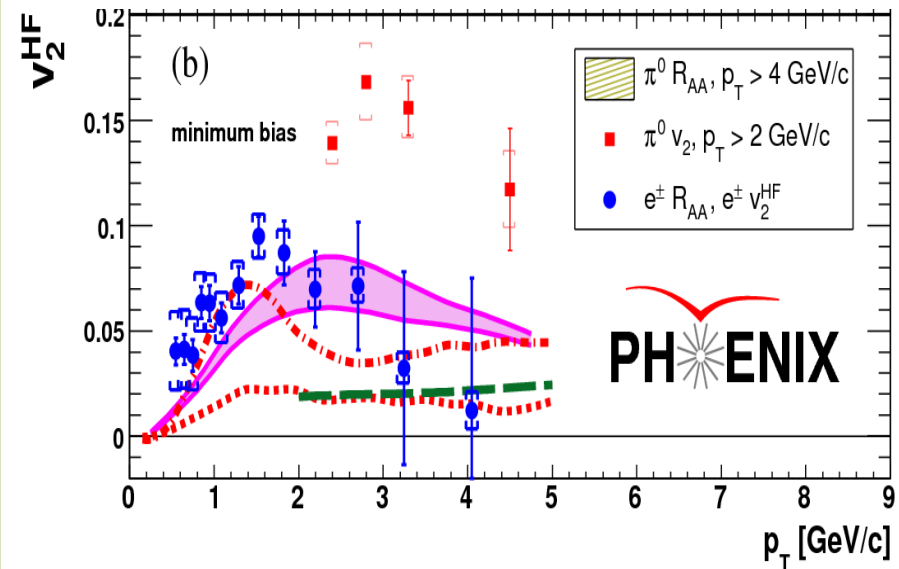
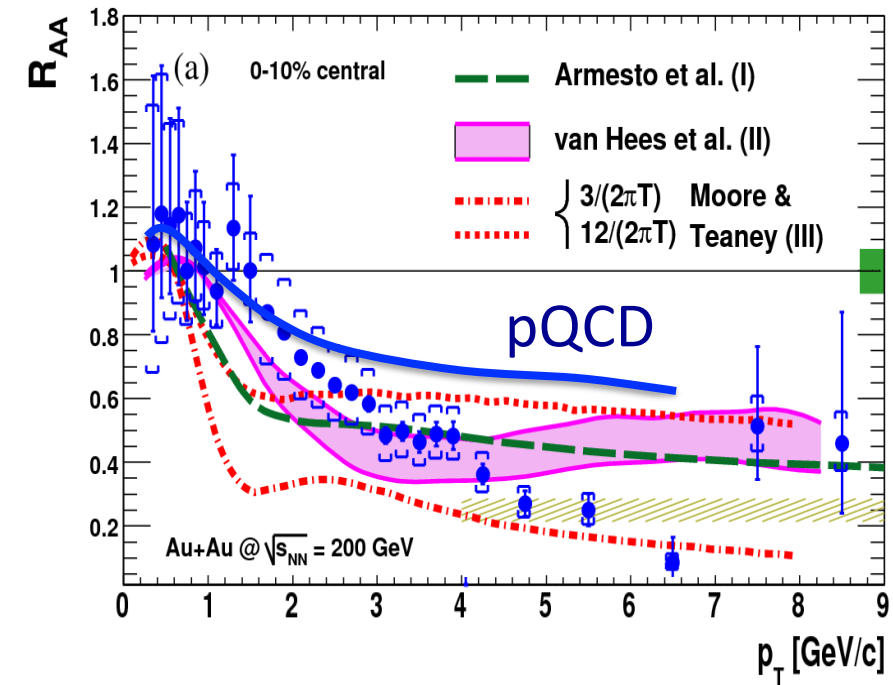
"D" Resonance model used in
Van Hees, Rapp, PRC71(05)
Van Hees, Greco, Rapp, PRC73 (06)

In 2003-04 ...pQCD dynamics for HQ in the QGP!?

Equilibration time

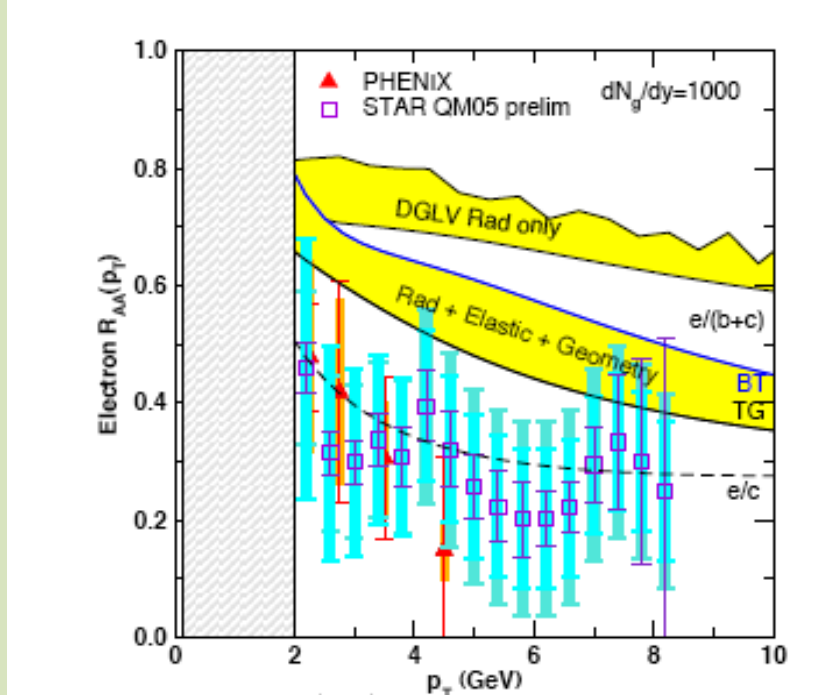


"D" Resonance model used in
 Van Hees, Rapp, PRC71(05)
 Van Hees, Greco, Rapp, PRC73 (06)



From QM2006 ...

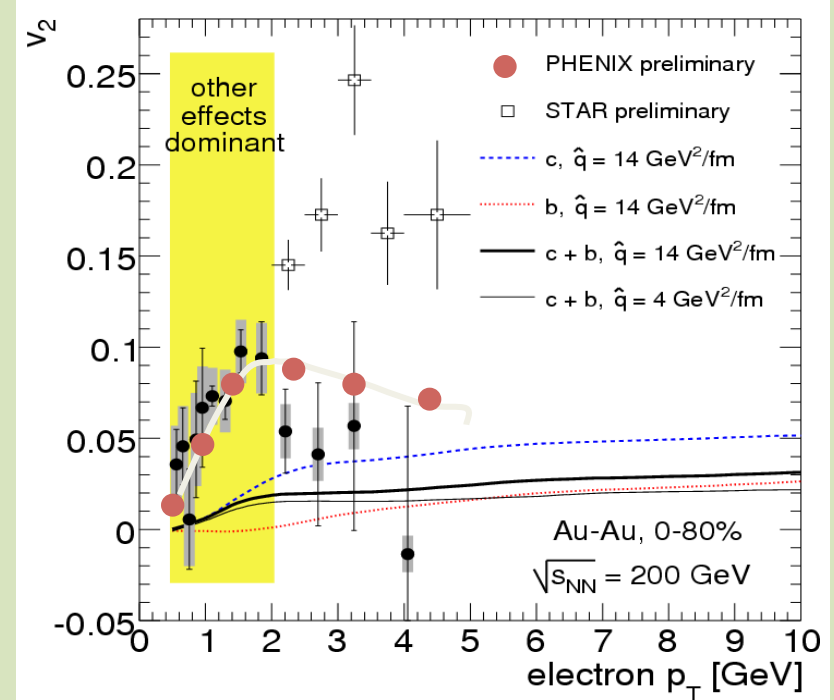
Strong suppression



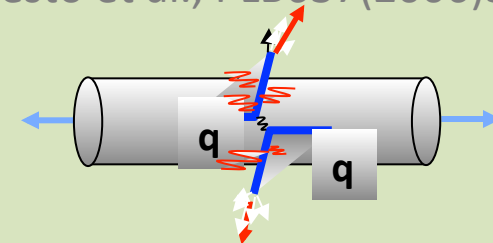
S. Wicks et al. (QM06)

- Radiative energy loss not sufficient
- Charm seems to flow like light quarks

Large elliptic Flow



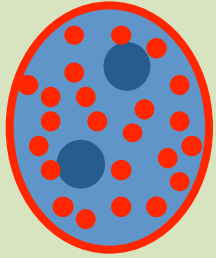
N. Armesto et al., PLB637(2006)362



Heavy Quark strongly dragged by interaction with light quarks

pQCD does not work may be the real cross section is a K factor larger?

R_{AA} & v_2 with upscaled pQCD cross section

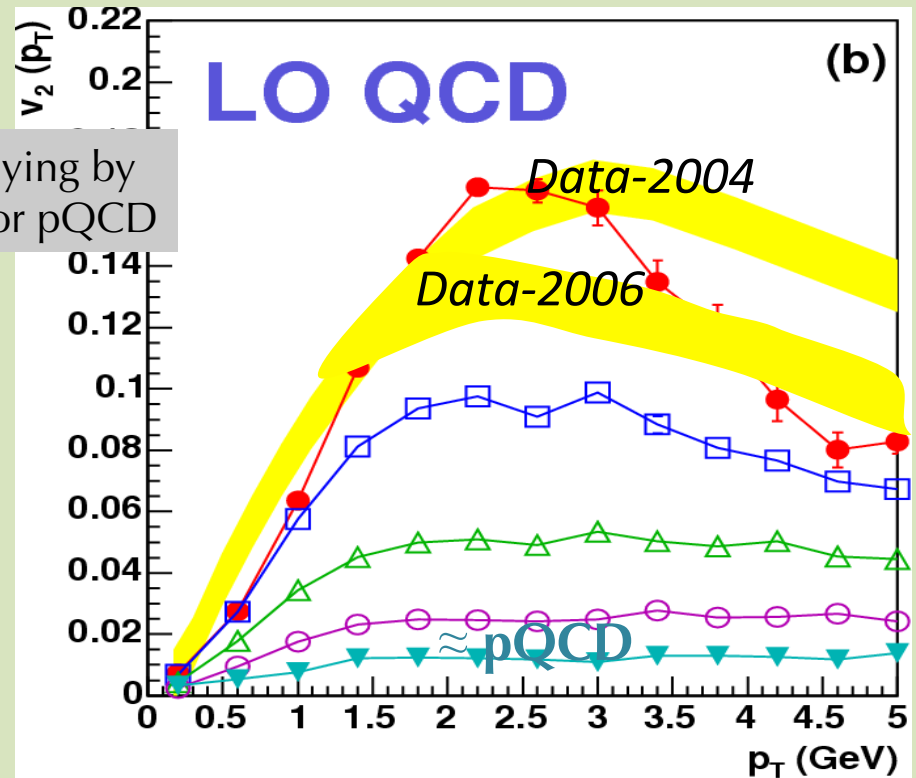
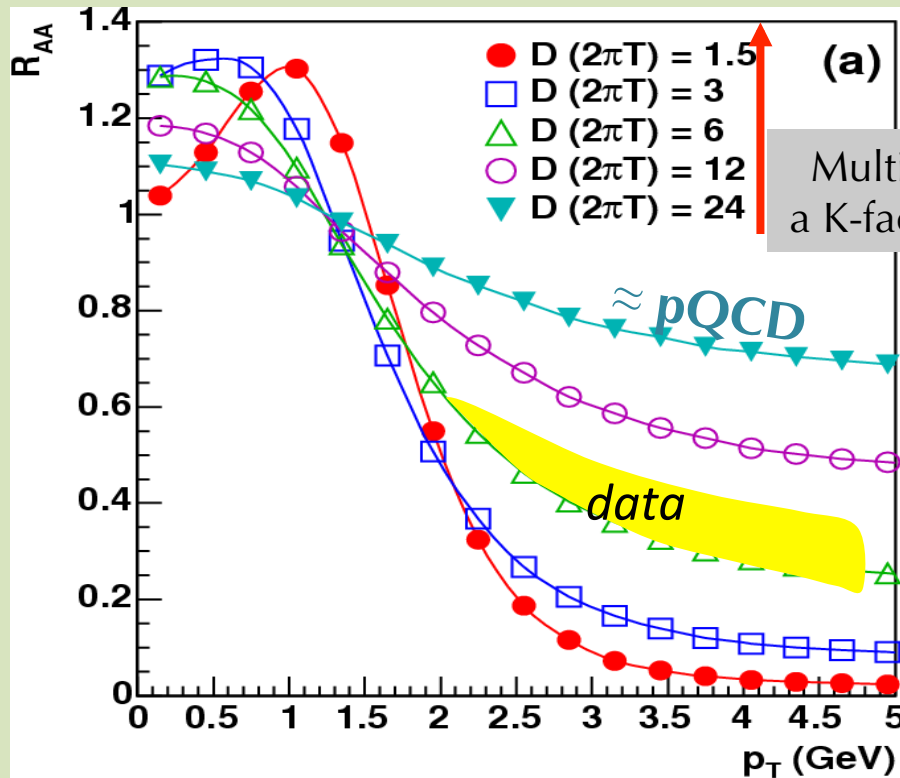


Fokker-Plank for charm
interaction in a hydro bulk
Moore & Teaney, PRC71 (2004)

Diffusion coefficient

$$D_p \propto \int d^3k \left| M_{g(q)c \rightarrow g(q)c}(k, p) \right|^2 k^2$$

scattering matrix

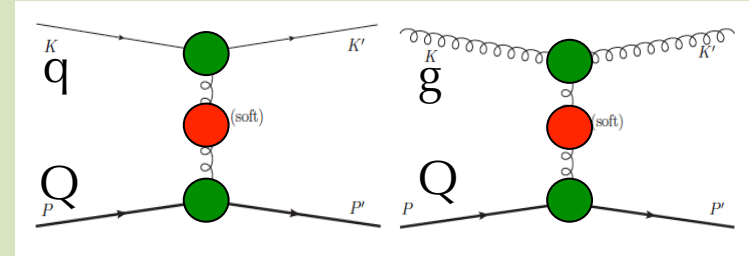


It's not just a matter of pumping up pQCD elastic cross section:
too low R_{AA} or too low v_2

How HQ interact with the medium

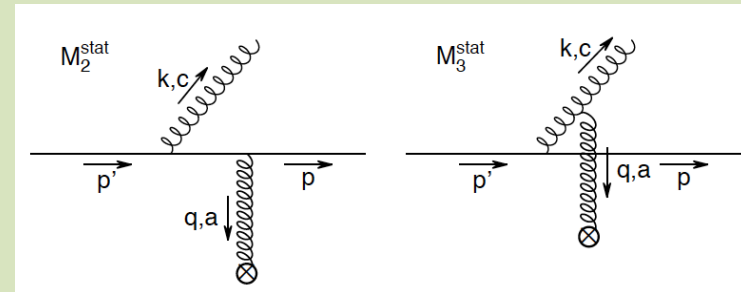
❖ Elastic Collisional Energy Loss

- **pQCD inspired+HTL** (*Torino, Nantes, LBL...*)
LO diagrams, soft scale resummed in HTL
Infrared singularity, $gT \ll g^2$?
- **QuasiParticleModel** (*Catania, Frankfurt-PHSD*)
LO diagram, $\alpha_s(T)$ from a fit to IQCD-EoS
main feature increased strength as $T \rightarrow T_c$



❖ Radiative Energy Loss

- **pQCD** ($p_T > 10$ GeV) (*AMY, DGLV, WHDG, HT, ...*)
some have both collisional and radiative
both light & heavy but v_2 is often missed



Agreement that:

- $p \approx m_Q$ is dominated by Collisional E_{loss}
- $p \gg m_Q$ radiative dominated
- what is the crossing is model dependent and exp. data are not able to clarify it even if favor collisional up to $p_T \approx 5-6$ GeV for charm

Some main specific features of:

1) LBL-CCNU-Duke

2) Nantes

3) QPM- Catania

4) PHSD

5) BAMPS,

6) TAMU

7) Torino, HTL

8) CUJET

9) DGLV

10) AdS/CFT

Some main specific features of:

- 1) **LBL-CCNU-Duke**, pQCD* $K(p_T, T)$ + Bayesian $\rightarrow$ drag $\approx T$
- 2) **Nantes**, HTL for $|t| < |t^*|$ + modified propagator $1/(t - k_{m_D}^2) \rightarrow$ forward peak
- 3) **QPM-Catania**, $\alpha_s(T)$ fitted to lQCD thermodynamics ϵ, p, s
- 4) **PHSD**, like QPM + off-shell dynamics
- 5) **BAMPS**, pQCD LO radiative+elastic $\alpha_s=0.6$
- 6) **TAMU**, Resonant scattering drive by $V(r, T)$ from lQCD
- 7) **Torino**, HTL for $|t| < |t^*|$ starting from D_p + FDT
- 8) **CUJET**, $\alpha_s(T)$ large increase at $T \rightarrow T_c$ due to monopoles
- 9) **DGLV**, $\alpha_s(T)$ opacity expansion base on scattering on yukawa interaction
- 10) **AdS/CFT**, Drag $\approx T^2$ like pQCD but 10-20 time larger (no p dep.)

Shared feature Drag $\gg$ pQCD-LO and
some have stronger interaction as $T \rightarrow T_c$

Simple QP-Model fitting IQCD

Plumari, Alberico, Greco, Ratti, PRD84 (2011)

$$P(T) = \sum_{i=g,q,\bar{q}} \frac{D_i}{(2\pi)^3} \int_0^\infty d^3k \frac{k^2}{3\omega_i(k)} f_i(k) - B(T)$$

$$\varepsilon(T) = \sum_{i=g,q,\bar{q}} \frac{d_i}{(2\pi)^3} \int_0^\infty d^3k \omega_i(k) f_i(k) + B(T) + \tilde{W}_B(T)$$

$W_B=0$ guarantees

Thermodynamical consistency

$$\omega_{q,g} = k^2 + m_{q,g}^2(T)$$

$$m_g^2 = \frac{1}{6} \left(N_c + \frac{1}{2} N_f \right) g^2 T^2$$

$$m_q^2 = \frac{N_c^2 - 1}{8N_c} g^2 T^2$$

$g(T)$ from a fit to ε from IQCD

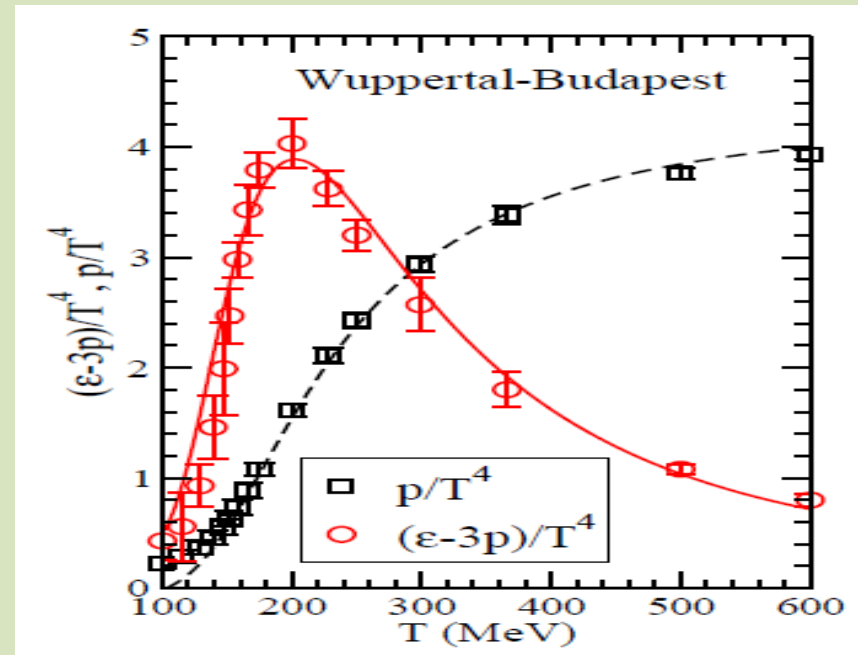
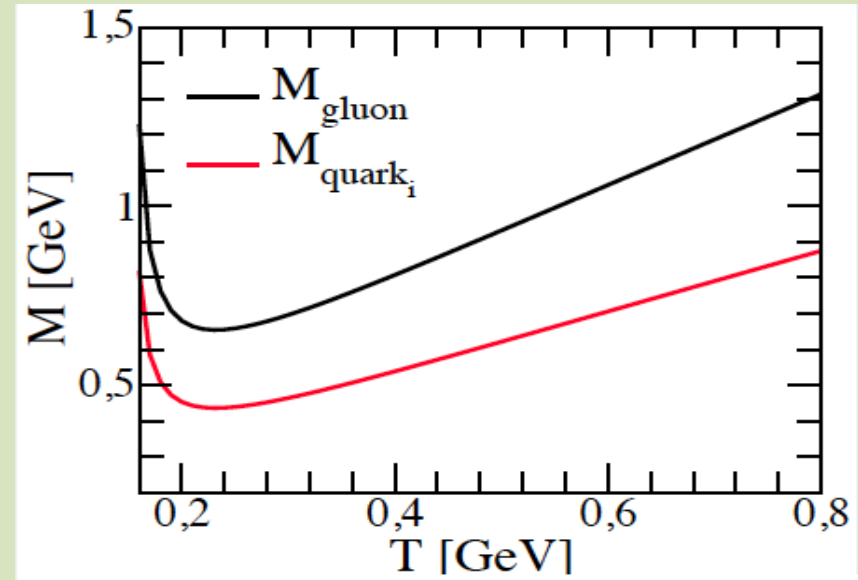
-> good reproduction of P , $\varepsilon-3P$, c_s

$$g_{QP}^2(T) = \frac{48\pi^2}{(11N_c - 2N_f) \ln \left[\lambda \left(\frac{T}{T_c} - \frac{T_s}{T_c} \right) \right]^2}$$

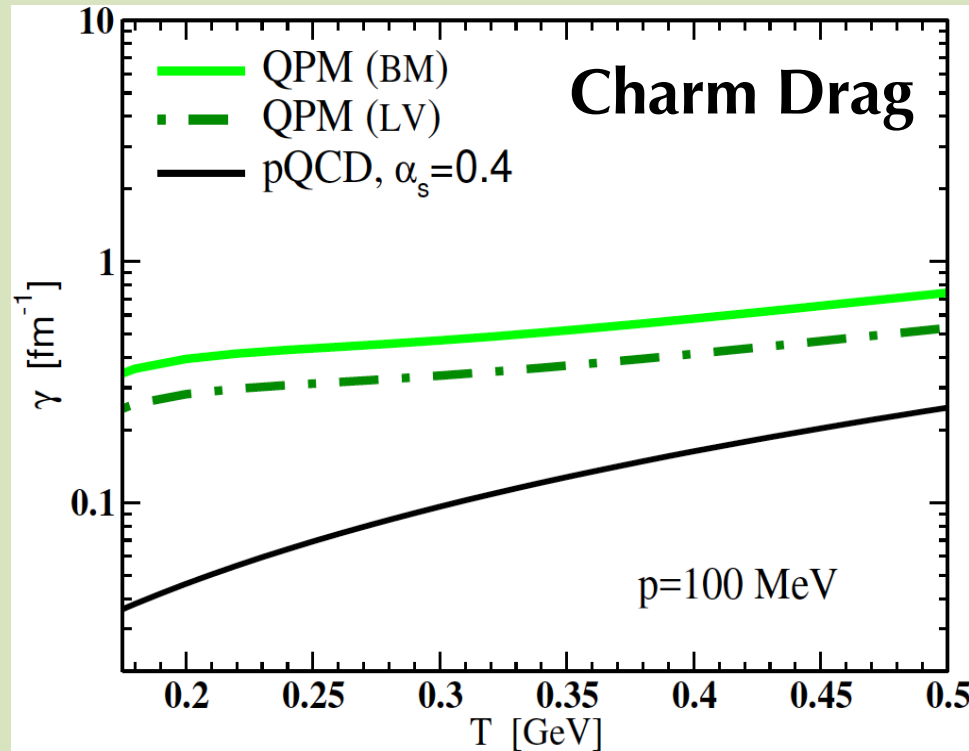
$$\lambda=2.6$$

$$T_s=0.57 T_c$$

Larger than pQCD



Drag Transport coefficient in QPM



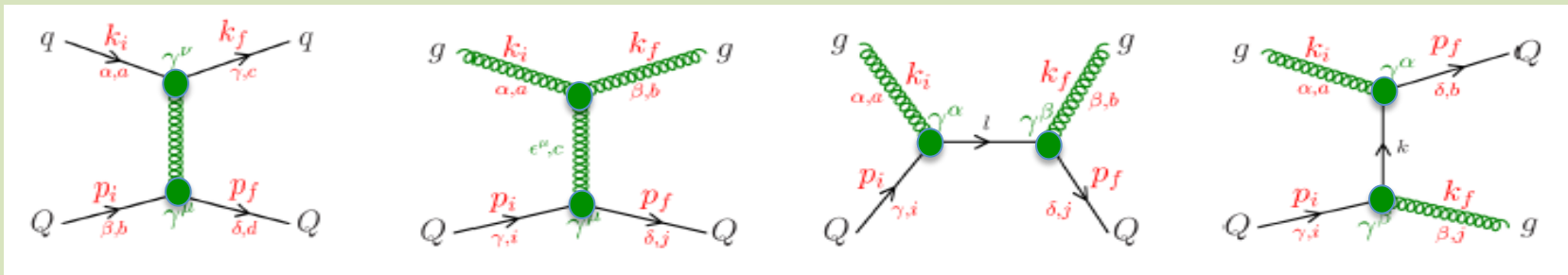
$$f(p, t=0) = \delta(p - p_0)$$

$$\langle p \rangle = p_0 e^{-\gamma t}$$

✧ Drag from QPM quite large than pQCD : $g(T)$ enhanced as $T \rightarrow T_c$ weak dependence on T

✧ pQCD or AdS/CFT $\gamma(T) \approx 1/T^2$

$$\gamma_i = \gamma(p^2) p_i = \frac{1}{2E_p} \int \frac{d^3 q}{(2\pi)^3 2E_q} \int \frac{d^3 q'}{(2\pi)^3 2E_{q'}} \int \frac{d^3 p'}{(2\pi)^3 2E_{p'}} \sum |M_{(q,g)+Q \rightarrow (q,g)+Q}|^2 (2\pi)^4 \delta^4(p + q - p' - q') f(q) [(p - p')_i]$$

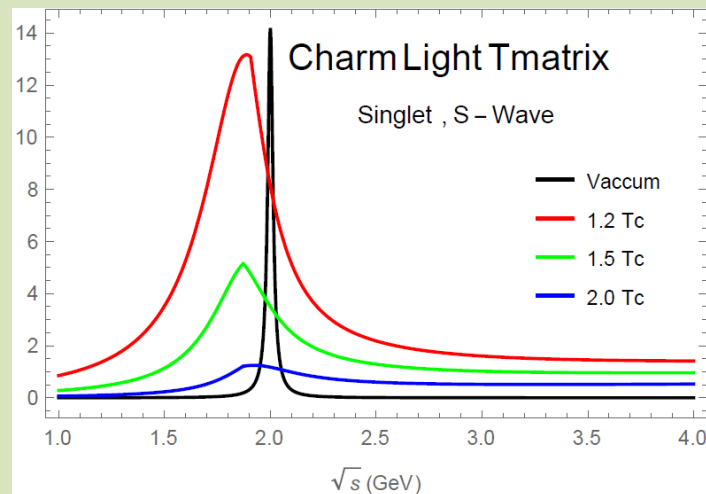
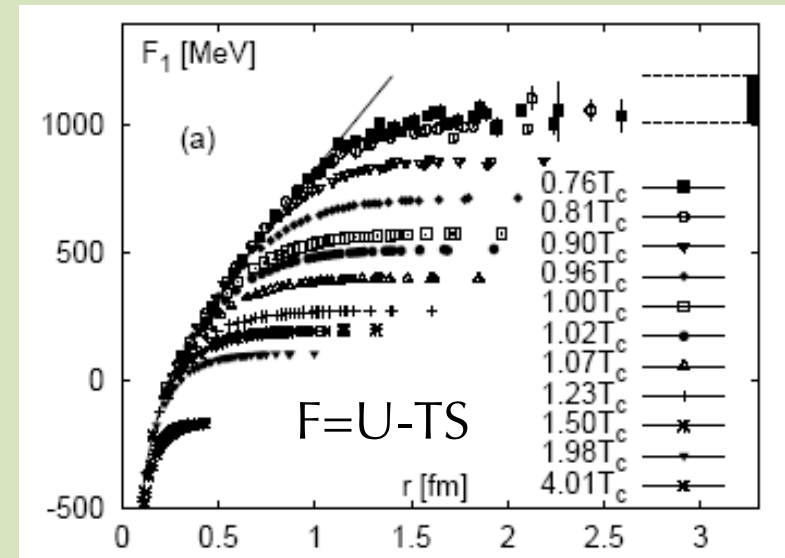
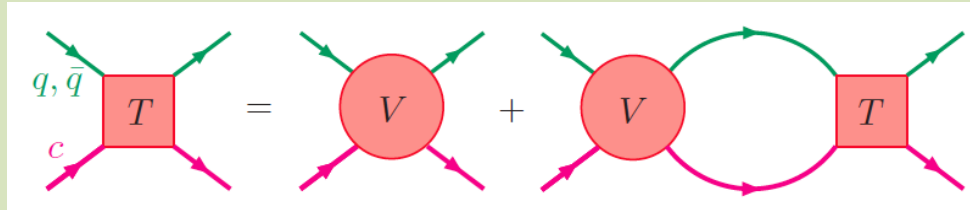


Some other recent theoretical progress

Resonant Elastic scattering with T-matrix

Scattering under a potential derived from IQCD Free-energy:

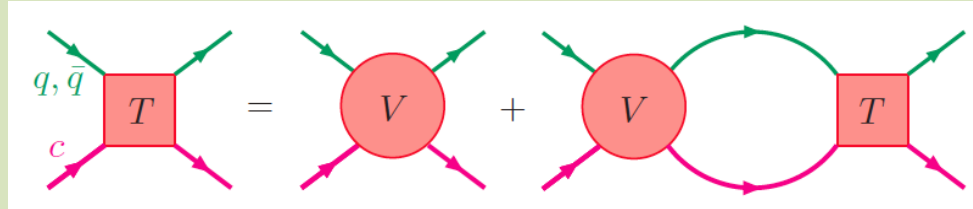
Like QPM indicates an increasing interaction as $T \rightarrow T_c$



Resonant Elastic scattering with T-matrix

Scattering under a potential derived from IQCD Free-energy:

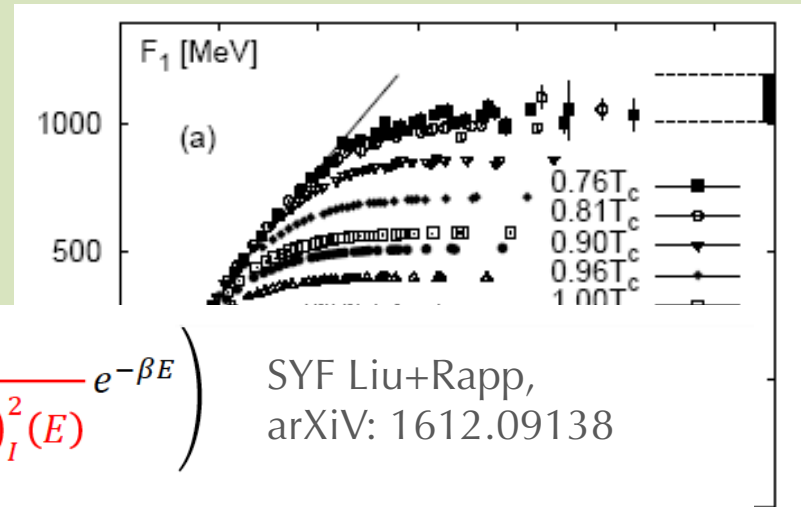
Like QPM indicates an increasing interaction as $T \rightarrow T_c$



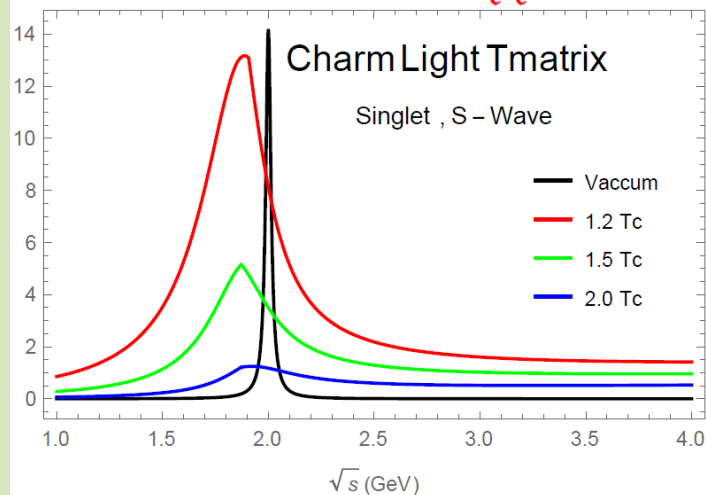
Recent new theoretical development

$$F_{Q\bar{Q}}(T, r) = -T \ln \left(\int_{-\infty}^{\infty} dE \frac{-1}{\pi} \frac{(V + \hat{\Sigma})_I(E)}{(E - (V + \hat{\Sigma})_R)^2 + (V + \hat{\Sigma})_I^2(E)} e^{-\beta E} \right)$$

SYF Liu+Rapp, arXiv: 1612.09138



➤ Compare T-matrix $F_{Q\bar{Q}}(T, r)$ with lattice $F_{Q\bar{Q}}(T, r)$ to extract in-medium $V(r)$ and $\hat{\Sigma}$

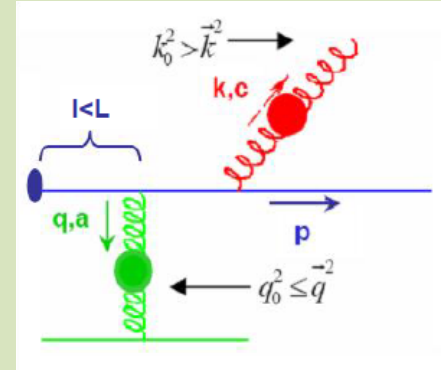


- A way to solve the issue of V from $F=U-TS$
- V keeps long range remnants of confinement
- Consistent with hadronization by coalescence
- Scope: consistency with quarkonium correlator, HQ susceptibilities, EoS, ...3-body?

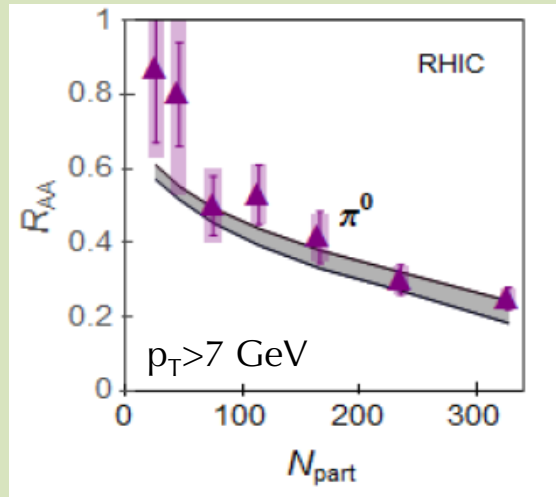
pQCD E_{loss} extension of DGLV

Continuous improvement: no static scatterings $\rightarrow$ coll.+rad.,
finite size, magnetic and electric mass, α_s running,
...both heavy & light,

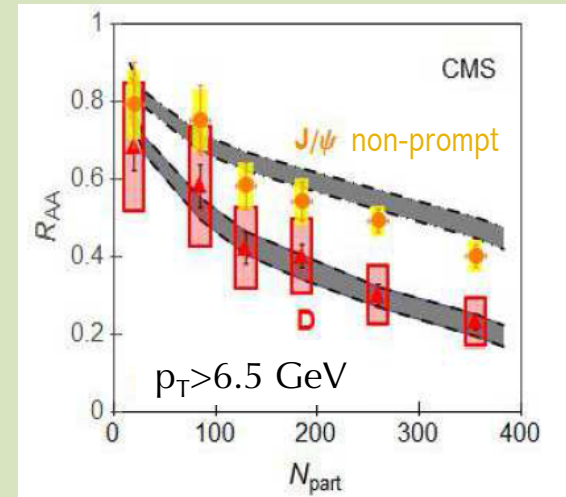
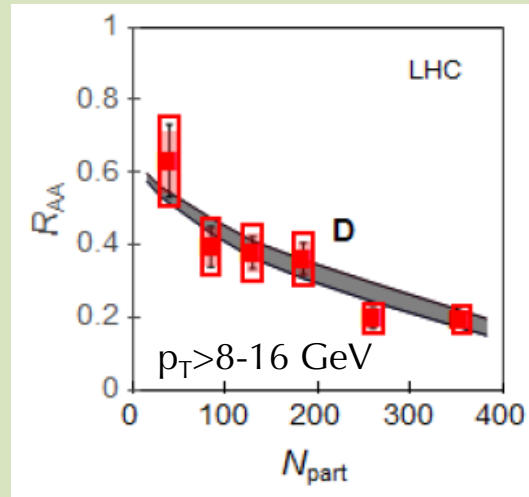
- Collisional non negligible (also at $p_T > 5-10$ GeV)
- Explain $R_{AA}(\pi) \approx R_{AA}(D) < R_{AA}(B)$



M. Djordjevic et al. PRC80 (2009), PRL101(2008), PLB709 (2012), PLB734 (2014) ...



PLB737(2014)

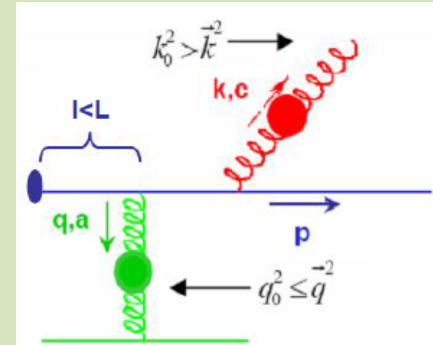


PRC94(2016)

pQCD E_{loss} extension of DGLV

Continuous improvement: no static scatterings $\rightarrow$ coll.+rad.,
Both heavy & light, finite size magnetic and electric mass,
 α_s running,...

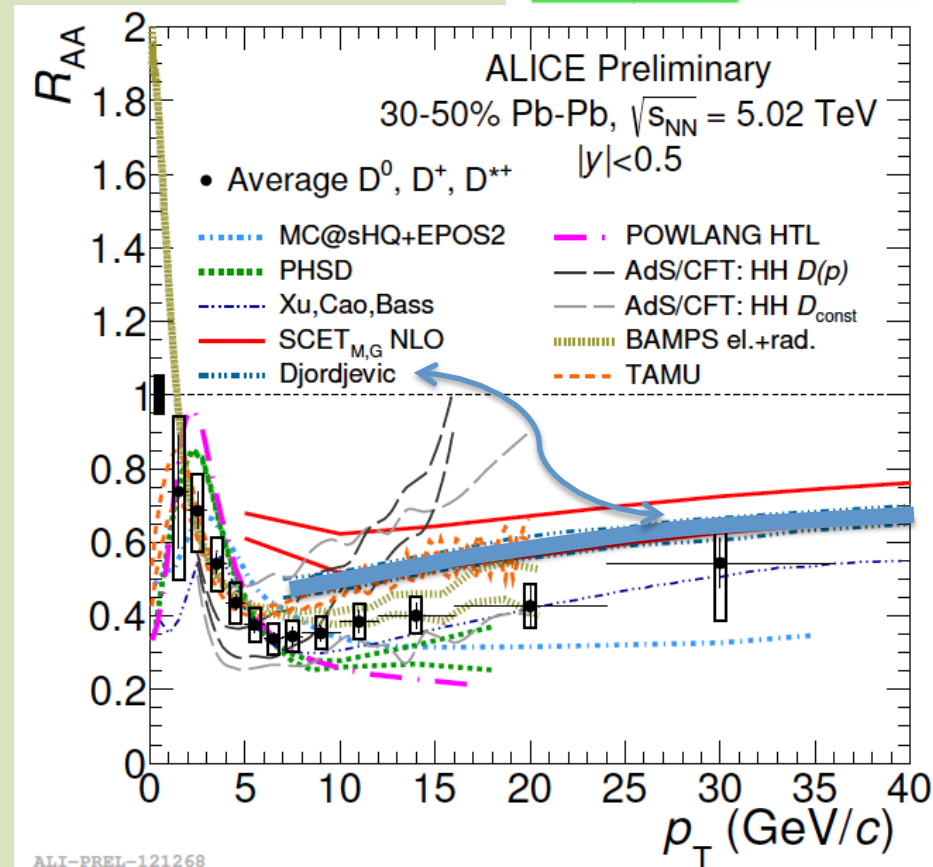
- Collisional non negligible (also at $p_T > 5-10$ GeV)
- Explain $R_{AA}(\pi) \approx R_{AA}(D) > R_{AA}(B)$



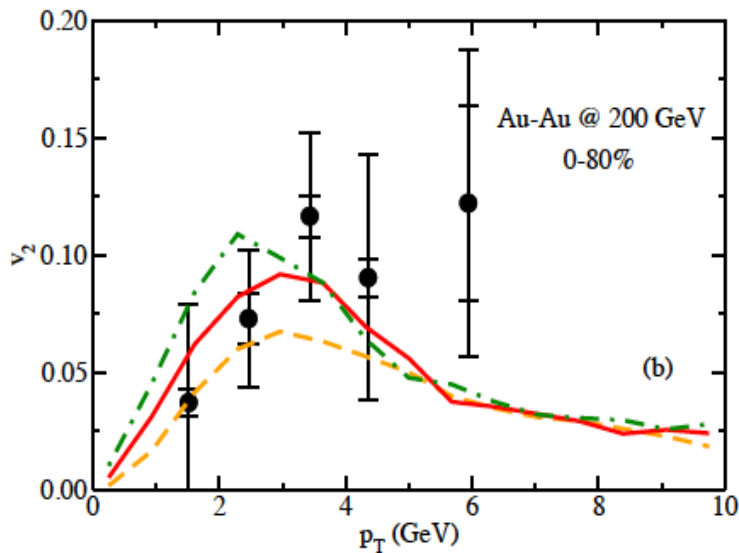
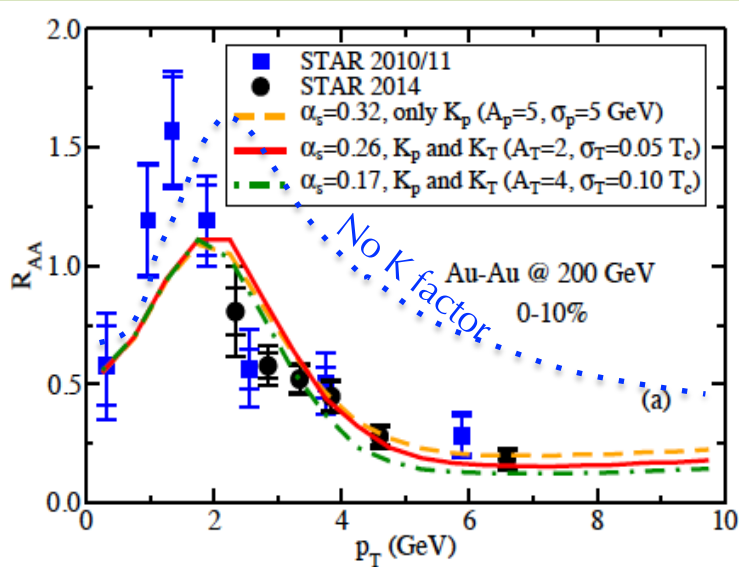
Progress needed:

- ✧ Miss an underlying Hydro well controlled background
- ✧ Miss prediction for v_2

This step is starting ... ERC-Grant \$\$\$\$



Linearized Boltzmann Transp.: Coll.+Rad.



S. Cao et al., PRC94(2016)

Main point:

- ✧ Starting from pQCD a **K-factor** is needed that is T and p dependent:

$$\hat{q} = \hat{q}_{pQCD} \cdot K^2 \left[1 + A_p e^{-\frac{p^2}{2\sigma_p^2}} \right] \left[1 + A_T e^{-\frac{(T-T_c)^2}{2\sigma_T^2}} \right]^2$$

- ✧ This means non-perturbative dynamics
 - that is larger as $T \rightarrow T_c$
 - that disappears as $p \gg m_c$

Data led different modeling to a coherent message

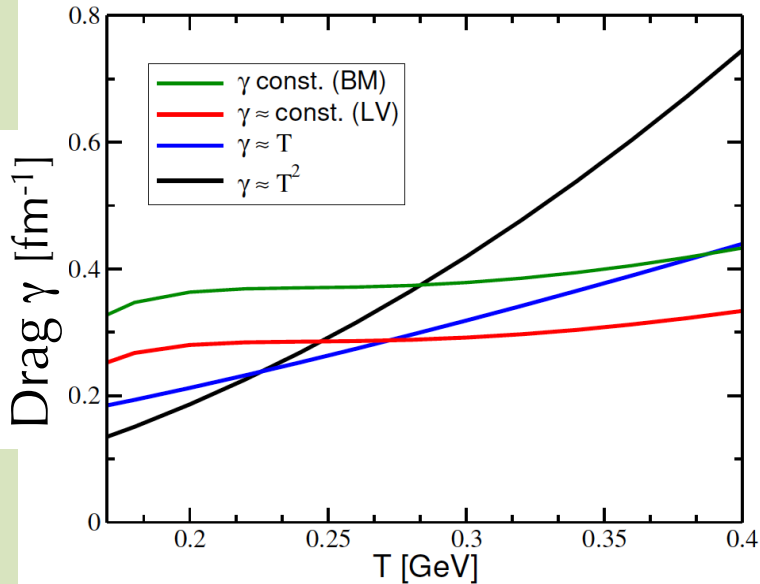
Future: 5 param. Global Bayesian fit [S.Bass talk]

Strong points:

- ✧ Both heavy and light
- ✧ Both radiative and collisional
- ✧ Realistic hydro background

**What is the relation between
transport coefficients
and experimental observables?**

Impact of T dep. interaction on $R_{AA} - v_2$

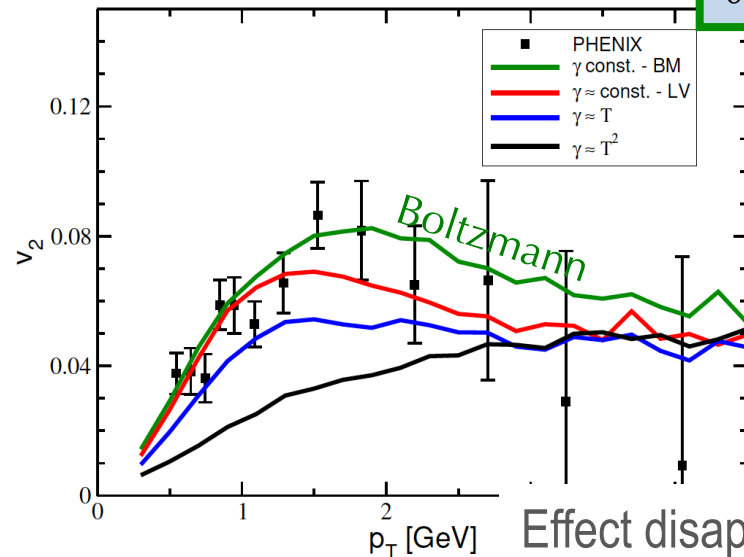
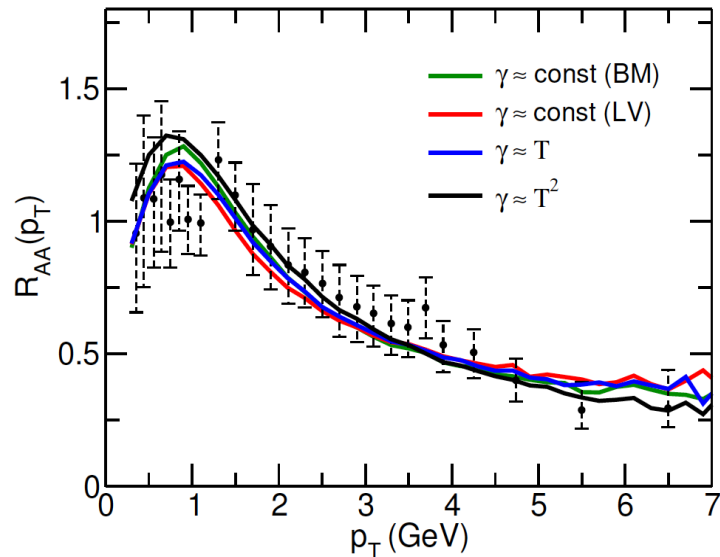


Looking at it beyond the specific modelings

- $\gamma \approx T^2$ [Ads/CFT, pQCD $\alpha_s = \text{const}$, *Duke*]
- $\gamma \approx T$ [pQCD strong α_s running] [LBT]^[MC@HQ]
[T-matrix]
- $\gamma \approx \text{const.}$ [QPM, PHSD,..] [QPM, PHSD]

γ rescaled to fit $R_{AA}(p_T)$, D from FDT

$$\frac{\partial f_Q}{\partial t} = \gamma \frac{\partial (p f_Q)}{\partial p} + D \frac{\partial^2 f_Q}{\partial p^2}$$



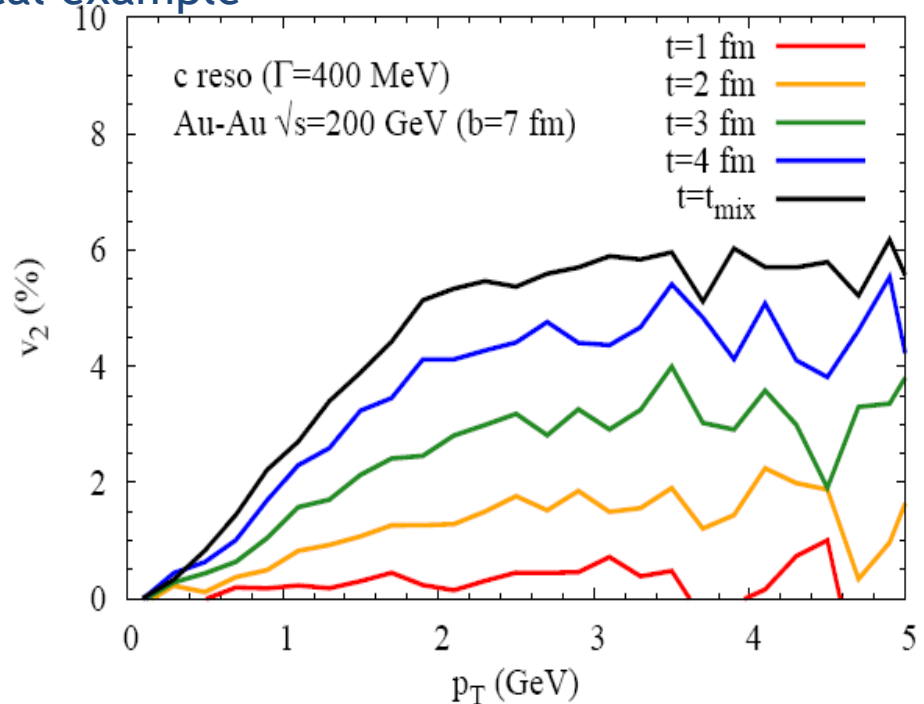
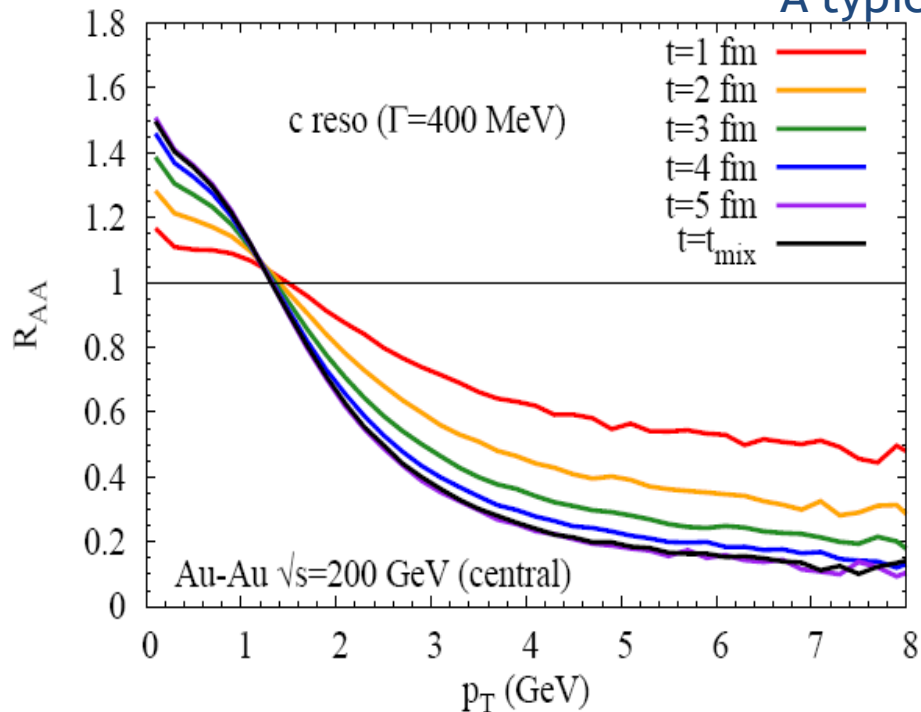
Effect disappears at $p_T > 3$ GeV
extends for v_3 Caio's talk

R_{AA} and v_2 correlation

No interaction means $R_{AA}=1$ and $v_2=0$. More interaction decrease R_{AA} and increase v_2

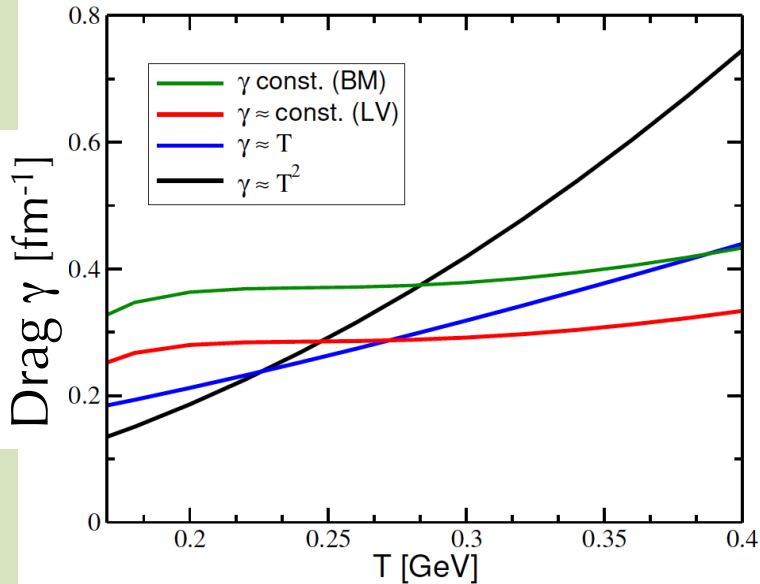
R_{AA} can be “generated” faster than v_2

A typical example



The relation between R_{AA} and time is not trivial and depend on how one interact and loose energy with time.

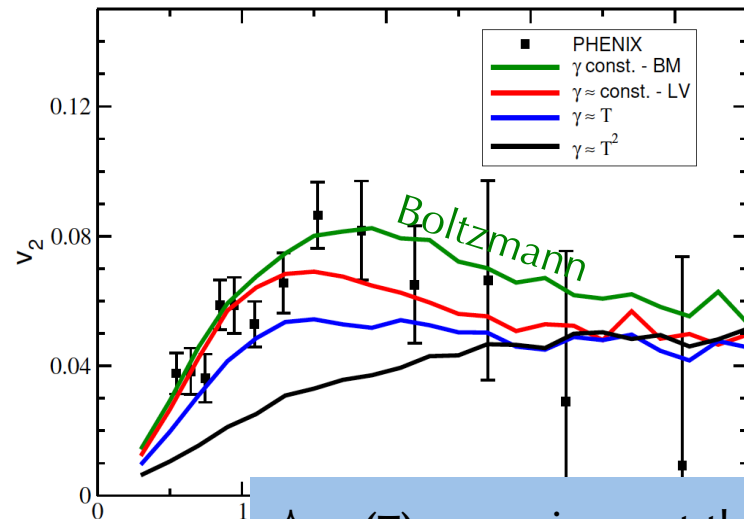
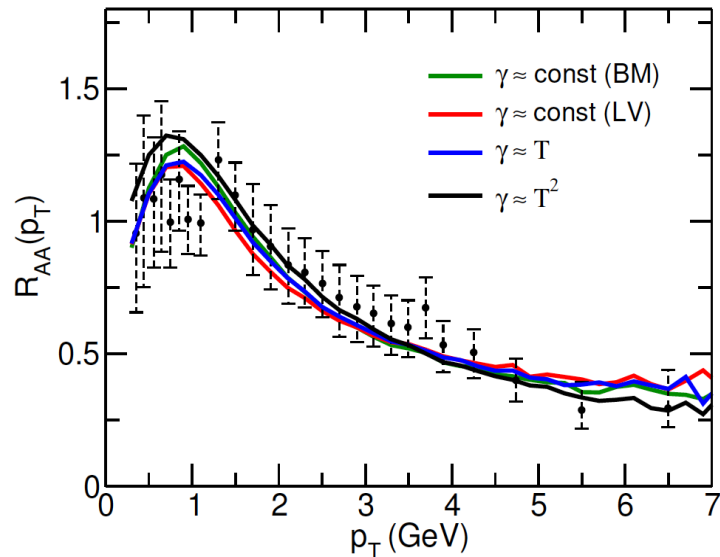
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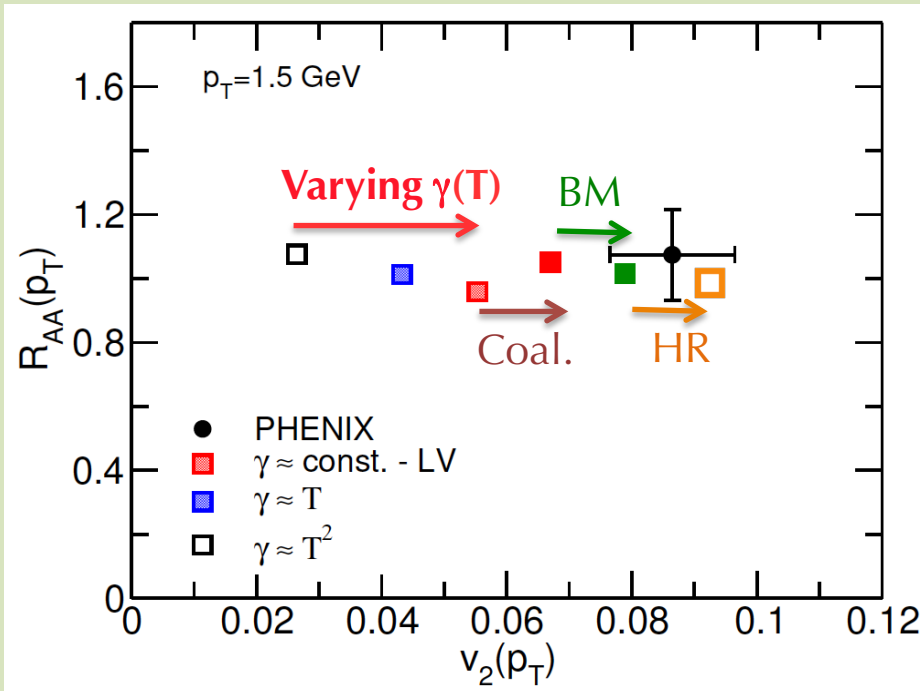
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γ rescaled to fit $R_{AA}(p_T)$, D from FDT



✧ $\gamma(T)$ more impact than $\eta/s(T)$ for bulk factor 2 in v_2 vs 10-20%

$$R_{AA} - V_2$$



3 main contributions:

- ✧ $\gamma(T)$ factor 2 in v_2 vs 10-20%
more impact than $\eta/s(T)$ for bulk
- ✧ 10-25% Boltzmann dynamics
- ✧ 20-30% Hadronization by coalesc.

Still several ingredients to be scrutinized:
initial $p_{T,w}$ w/o CNM, hydro bulk, hadronization impact, w/o hadronic rescattering... we are working on this:

- **EMMI-RRTF@GSI**
- **Jet-HQ**
- **Duke-Frankfurt-Nantes-Catania**

- ✧ At RHIC solution for $R_{AA}-v_2$, not clear is sufficient at LHC (still large error bars)
- ✧ Impact of Hadronic Rescattering 0-20%, but $T_c = 155-175 \text{ MeV}$ would be appropriate to have 155 MeV (lQCD, SHM) and check v_{2D} vs v_{2Ds}

HQ diffusion in the expanding QGP

c,b quarks



Two main approaches:

1) Langevin approach ($T \ll m_q$ soft scattering)

[TAMU, Duke, Nantes, Torino, Catania, ...]

2) Boltzman kinetic transport (...Kadanoff-Baym-PHSD)

[Catania, Nantes, Frankfurt, LBL, CCNU, ...]

background Hydro/transport expanding bulk

HQ diffusion in the expanding QGP

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[TAMU, Duke, Nantes, Torino, Catania, ...]

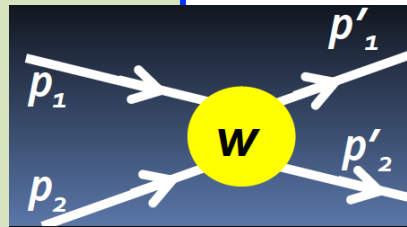
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[Catania, Nantes, Frankfurt, LBL, CCNU, ...]

background Hydro/transport expanding bulk

Boltzmann (BM)

$$\frac{Df_Q(p)}{Dt} = C_{22} = \frac{1}{2E_p} \int \frac{d^3q}{(2\pi)^3 2E_q} \int \frac{d^3p'}{(2\pi)^3 2E'_p} \frac{d^3q'}{(2\pi)^3 2E'_q} \left[f'_g(q') f'_Q(p') |M_{gQ \rightarrow gQ}(p'q' \rightarrow pq)|^2 \right. \\ \left. - f_g(q) f_Q(p) |M_{gQ \rightarrow gQ}(pq \rightarrow p'q')|^2 \right] (2\pi)^4 \delta^4(p+q-p'-q')$$



Small $q^2 \ll M, M \gg gT$
Brownian motion

Langevin/Fokker Planck (LV)

Fluct.-Dissip. Th.
 $D = ET\gamma$

$$\frac{\partial f_Q}{\partial t} = \gamma \frac{\partial (pf_Q)}{\partial p} + D \frac{\partial^2 f_Q}{\partial p^2}$$

$\langle p \rangle \approx e^{-\gamma T}$

Drag

$\langle \Delta p^2 \rangle$

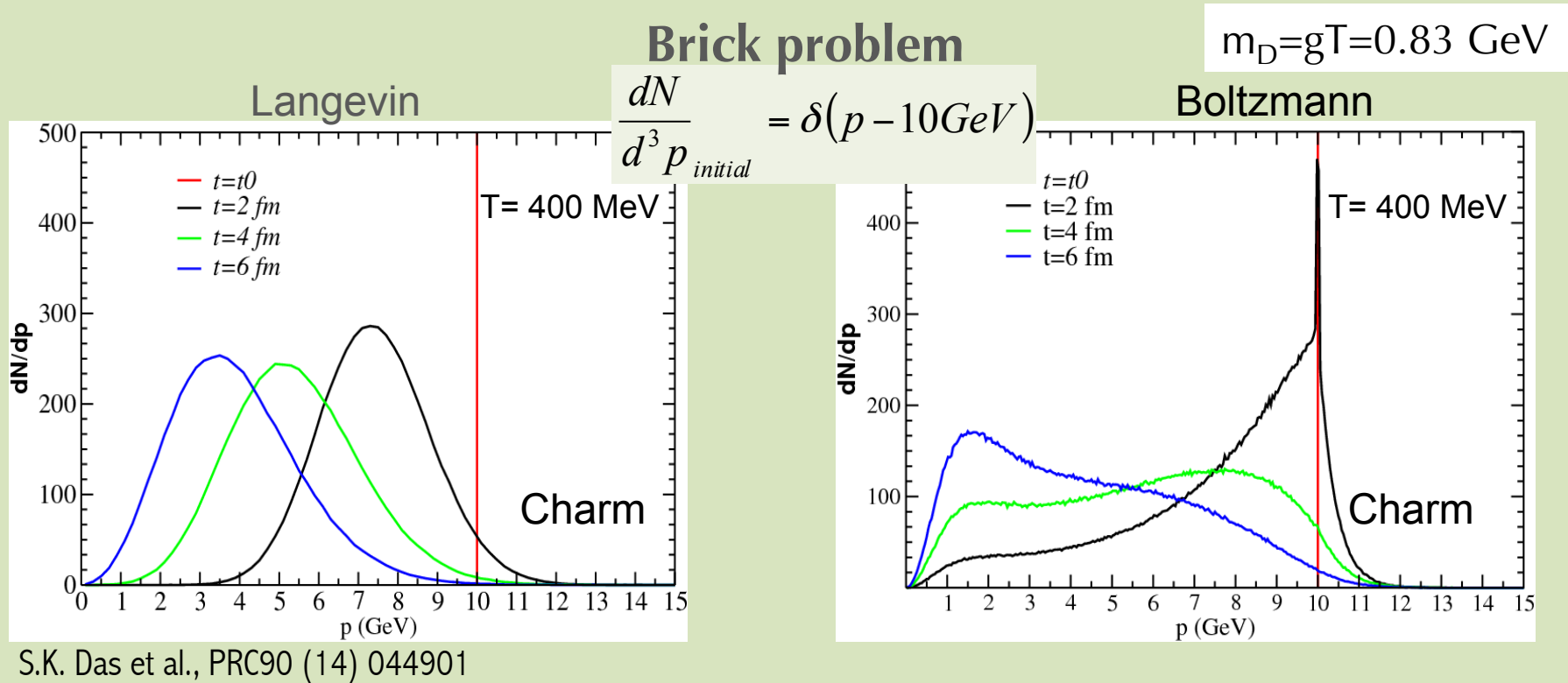
Diffusion

$$\gamma = \int d^3k |M(k, p)|^2 p$$

$$D = \frac{1}{2} \int d^3k |M(k, p)|^2 p^2$$

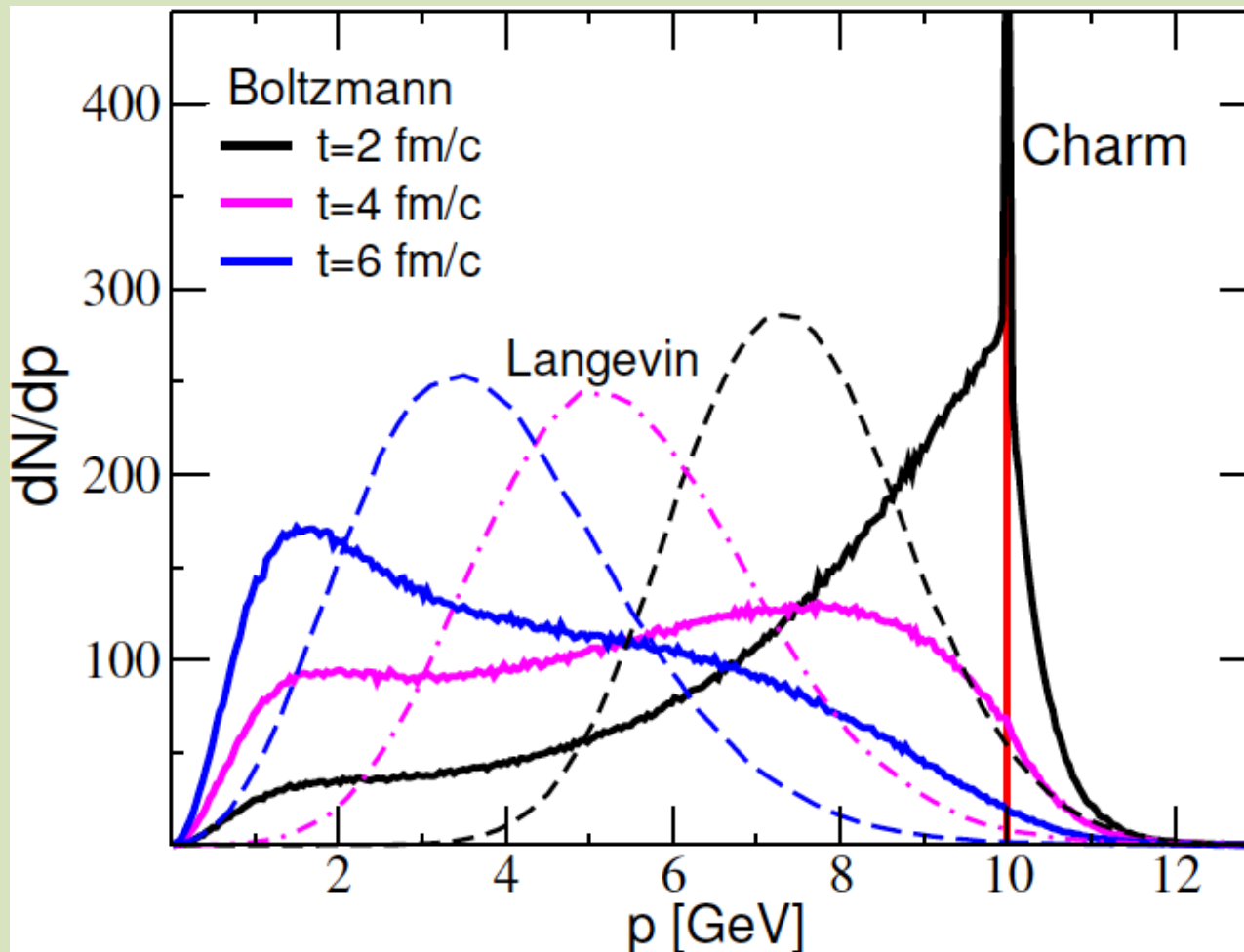
$|M|^2$ scatt. matrix from
some theory: HTL, pQCD
coll., rad., T-matrix..

Going more differential



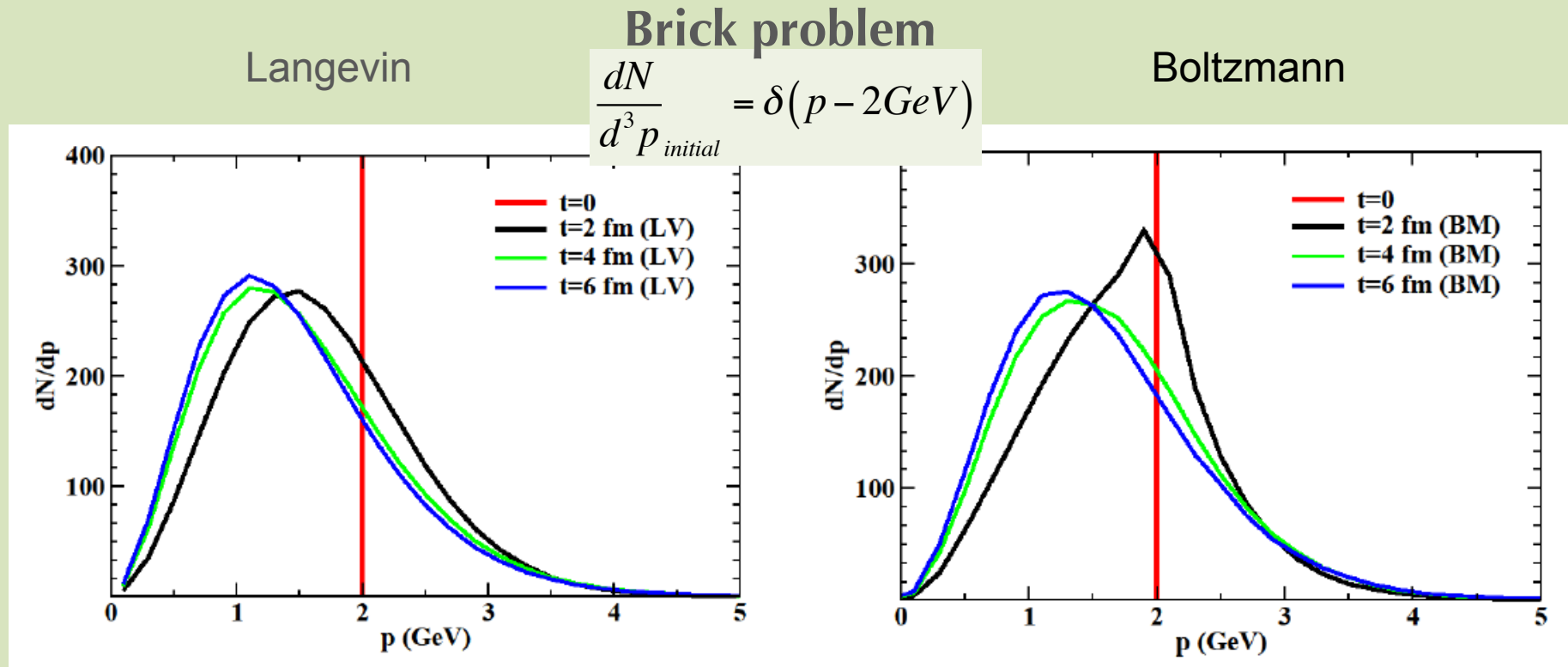
- ✧ Kinematics of collisions (Boltzmann) can throw particles at very low p soon.
- ✧ The motion of single HQ does not appear to be of Brownian type, on the other hand $M_c/T \approx 3 \rightarrow M_c/\langle p_{bulk} \rangle \approx 1$ & $p \gg m_Q$
- ✧ Evolution of $\langle p \rangle$ is nearly identical in BM & LV

$$\frac{d\sigma}{d\Omega} \propto \frac{1}{\left(q^2(\theta) + m_D^2\right)^2}$$



Equal evolution of $\langle p \rangle$ vs time
Very different fluctuations around $\langle p \rangle$

Going more differential – low p_T



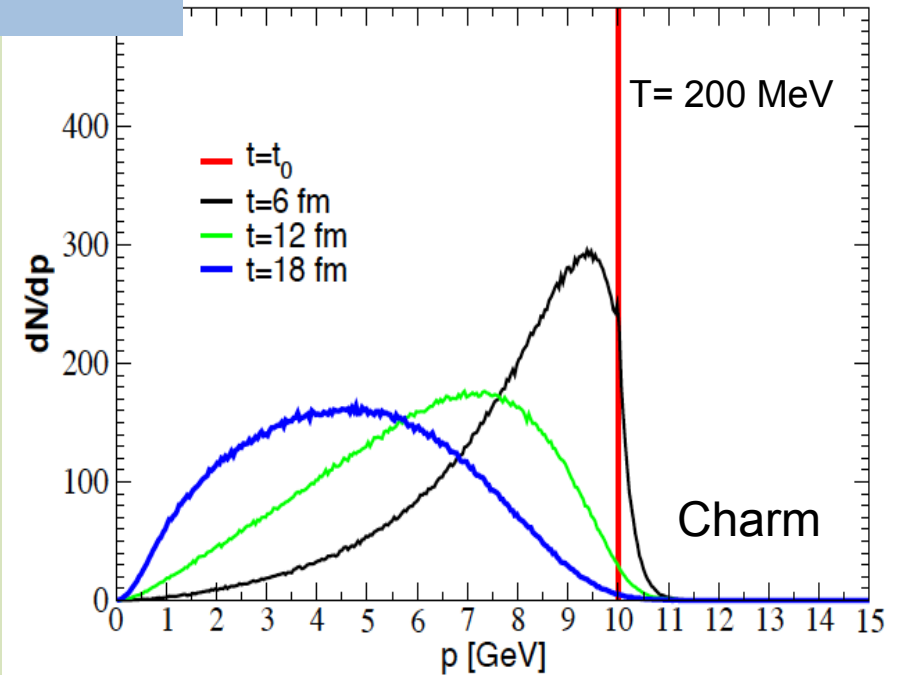
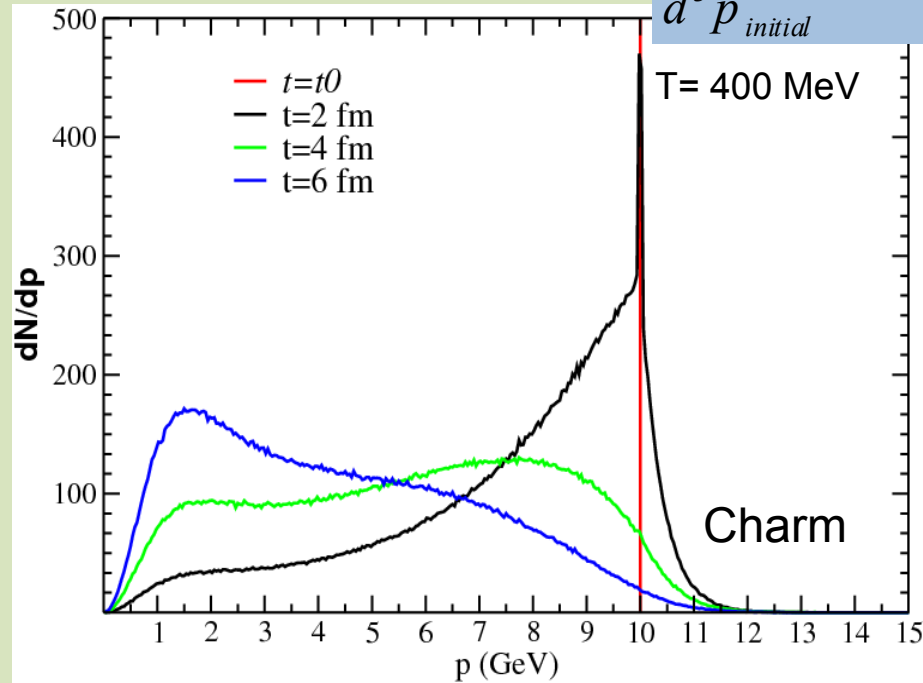
- ✧ Low p_T for charm protected by thermalization
- ✧ Bottom protected by the significantly larger M/T

Momentum evolution for charm vs temperature

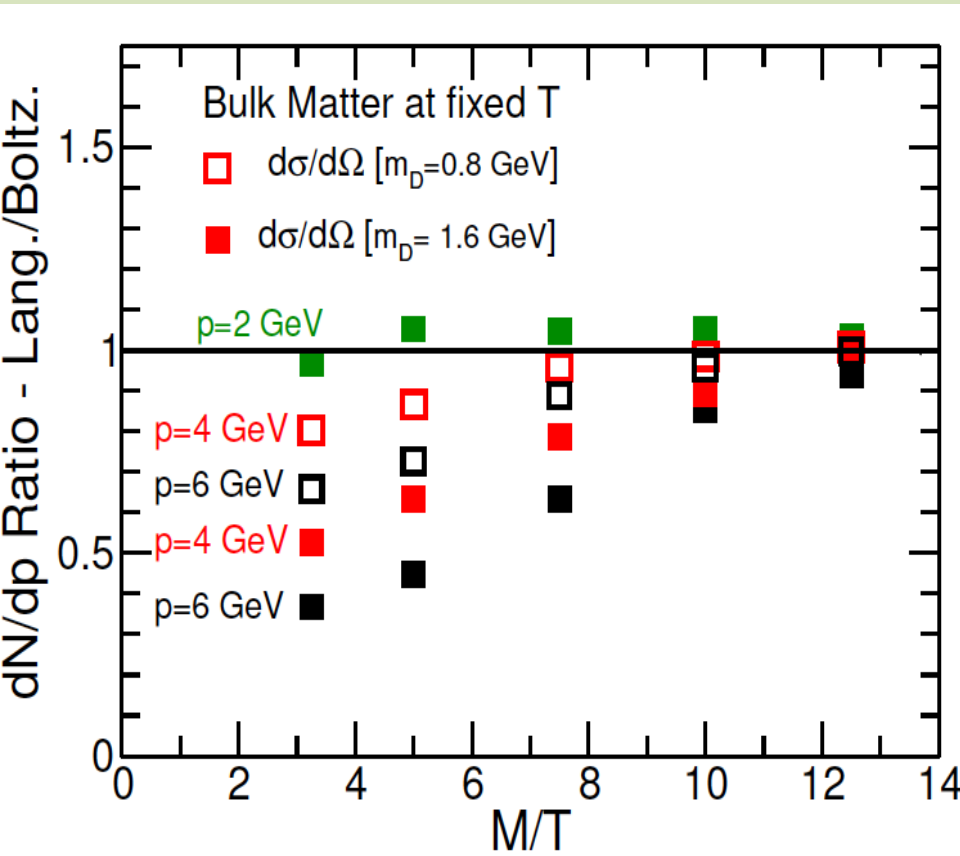
Boltzman

$$\frac{dN}{d^3 p_{initial}} = \delta(p - 10 \text{ GeV})$$

Boltzmann



Ratio of p-spectra in a box at fixed T

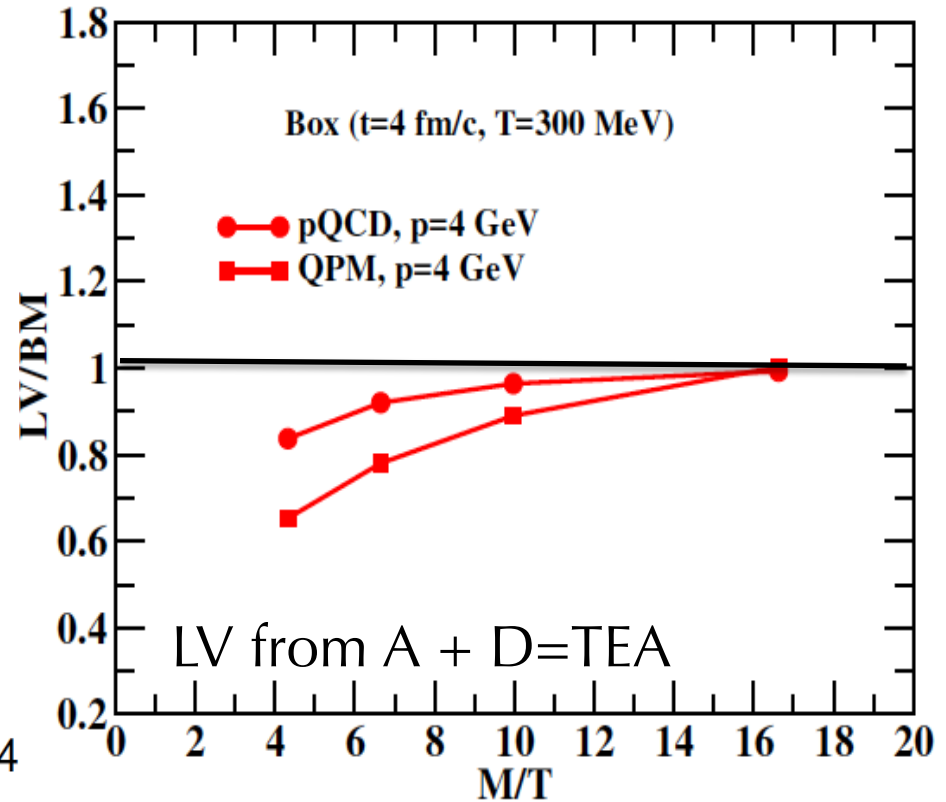
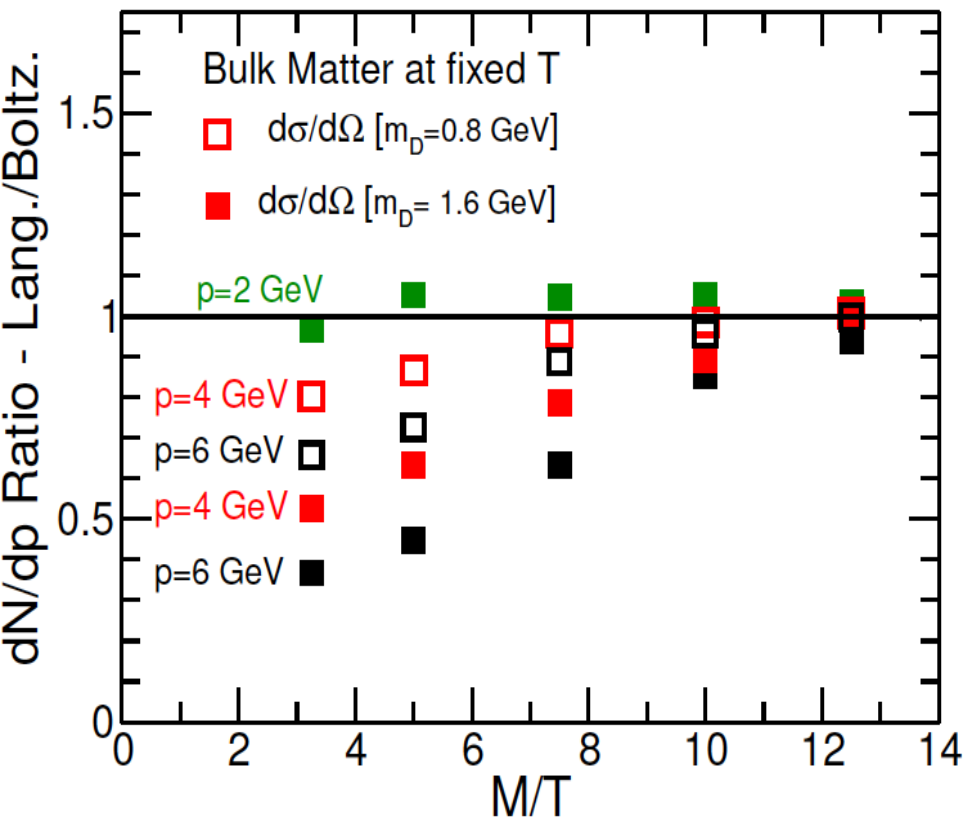


✧ Main impact $d\sigma/d\theta$:

- Large difference for isotropic scattering
- For Nantes $1/(t-0.2*m_D^2)$ difference small (if starting from A)

✧ $M/T \approx 10$ BM similar to LV

Ratio of p-spectra in a box at fixed T

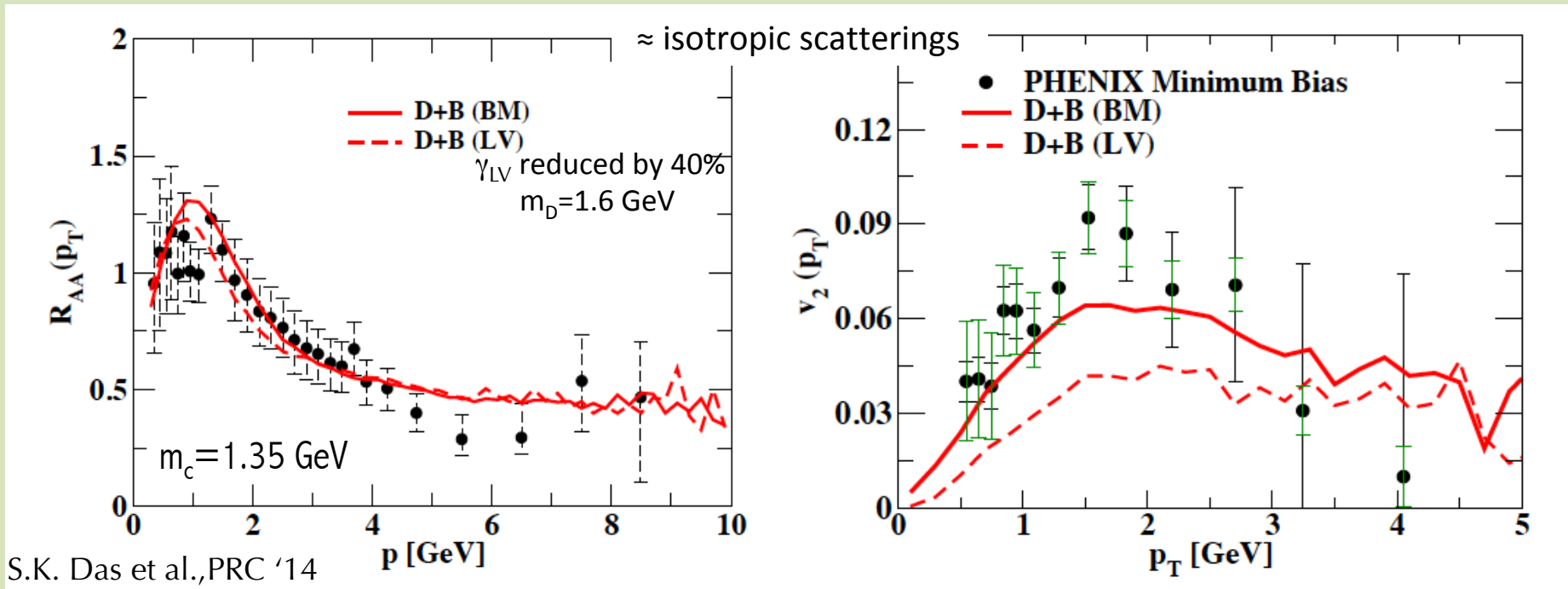


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 - Large difference for isotropic scattering
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Are there differences coming from BM vs LV?

Most of the groups start from drag γ or from D_T (not D_L)

This choice is more in line with Boltzmann that not having the FDT issue,
can serve as a guide...



BM and LV $\rightarrow R_{AA}(p_T)$ shaper nearly identical:

- but Drag γ has to be reduced by 15-40% *depending on m_c & $d\sigma_{gQ}/d\Theta$*
- Larger $v_2(p_T) \approx 10$ -30% again *depending on m_c & $d\sigma/d\Theta$*

Impact of different implementation of FDT

- ✧ An essential part of LV is the Fluct.- Dissip. Th.: $\mathbf{D}(\mathbf{p}) = \mathbf{E} \mathbf{T} \gamma(\mathbf{p})$ (*)

D_L , D_T and γ from the scattering matrix that does not fulfill (*)

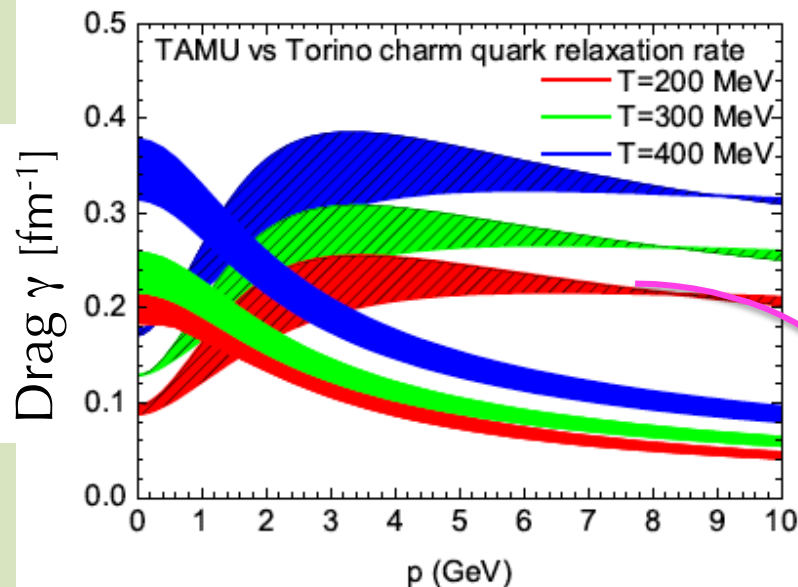
[a sign that microscopic dynamics imply more than $\langle p \rangle$ and $\langle \Delta p^2 \rangle$]

- ✧ Issue less relevant for bottom ($M \gg gT$, $T \rightarrow$ Brownian motion)

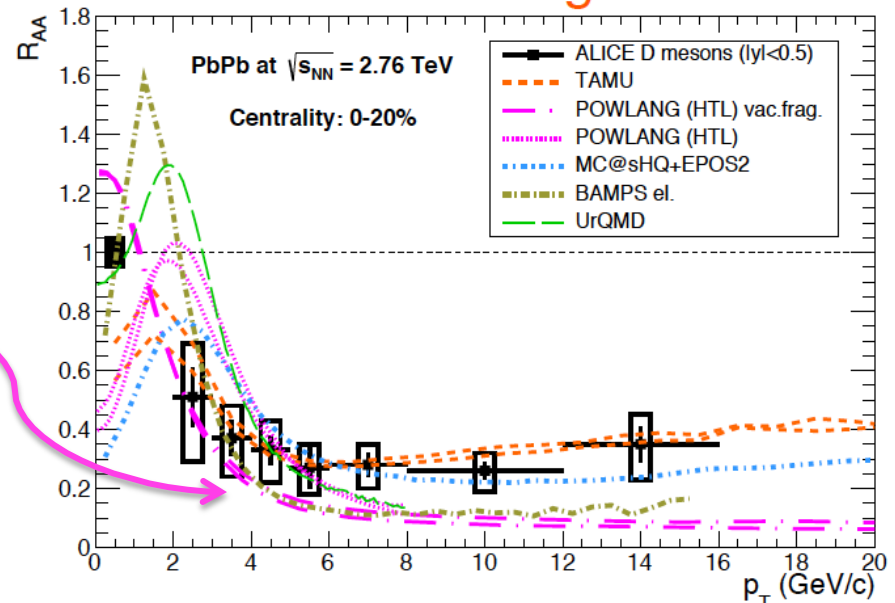
FDT

$$\gamma = \frac{1}{p} D_{\parallel} \frac{1}{T} \frac{\partial E}{\partial p} - \frac{1}{p} \frac{\partial D_{\parallel}}{\partial p} - \frac{2}{p^2} (D_{\parallel} - D_{\perp})$$

main difference if one input D_L from M scatt. - matrix



Rapp & Prino, JPG43 (2016)093002



Andronic et al., EPJA (2016) [SAPORE GRAVIS Review]

Issue also in AdS/CFT

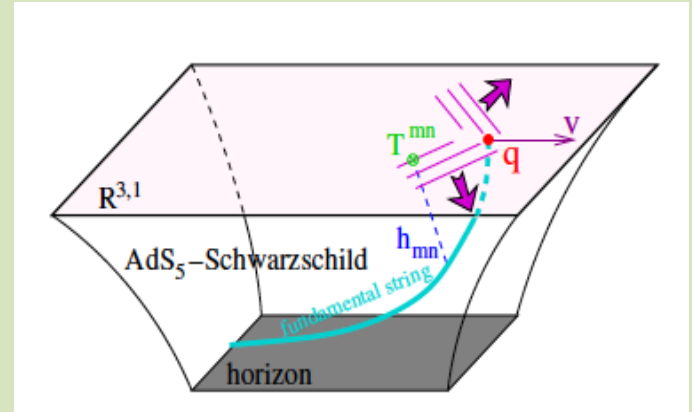
$$\gamma = \pi\sqrt{\lambda} \frac{1}{2m_Q} T_{SYM}^2 \xrightarrow{\text{FDT}} D = \pi\sqrt{\lambda} \left(\frac{E}{m_Q} \right) T_{SYM}^3$$

$$D_T = \pi\sqrt{\lambda} \left(\frac{E}{m_Q} \right)^{1/2} T_{SYM}^3$$

$$D_L = \pi\sqrt{\lambda} \left(\frac{E}{m_Q} \right)^{5/2} T_{SYM}^3$$

$\lambda = g_{\text{sym}}^2 N_C$ to be gauged to QCD

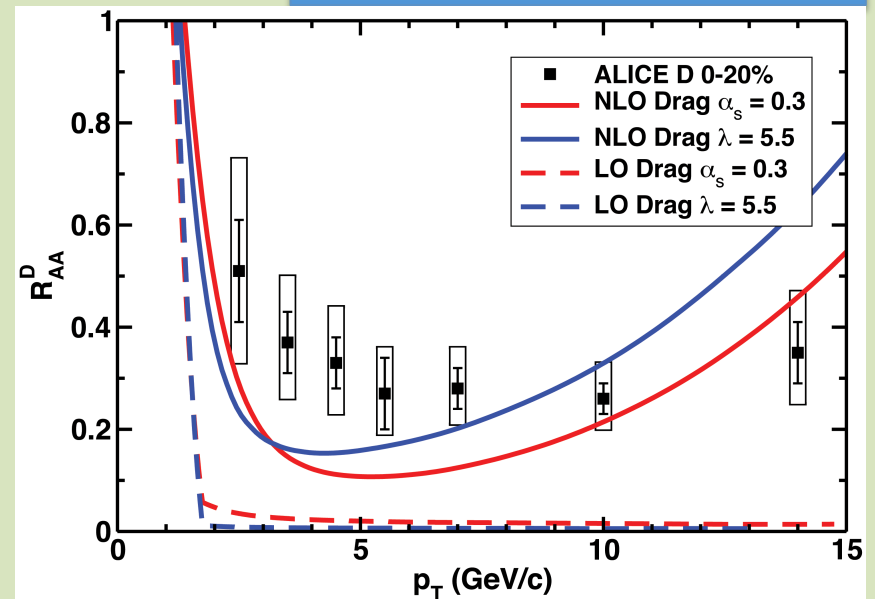
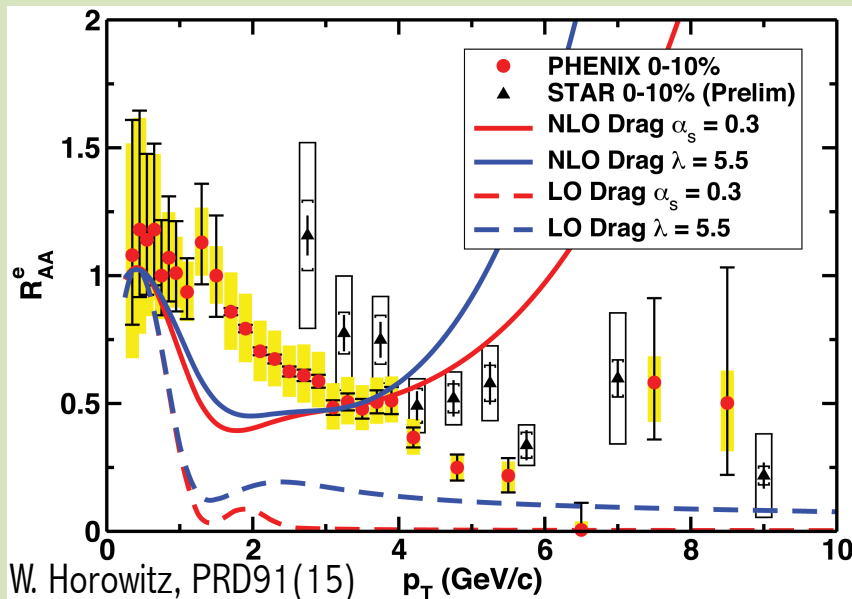
- ✓ No set-up for realistic v_2 prediction
- ✓ T^2 is quite unfavored by the exp.data on v_2



New Result ($\neq$ FDT)

$$D = \pi\sqrt{\lambda} T_{SYM}^3$$

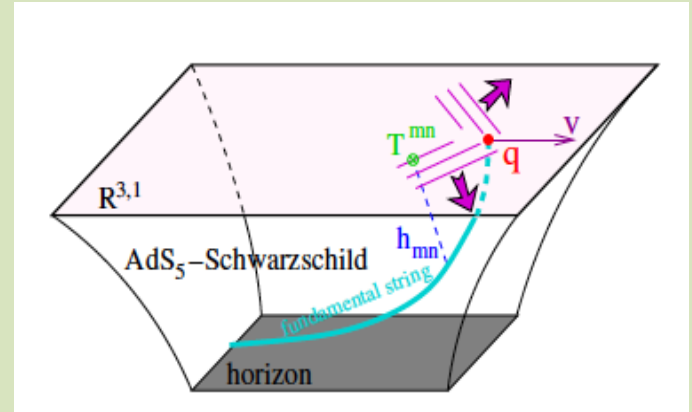
Horowitz: arXiv:1612.05908 [hep-ph]



AdS/CFT

$$\gamma = \pi\sqrt{\lambda} \frac{1}{2m_Q} T_{SYM}^2 \xrightarrow{\text{FDT}} D = \pi\sqrt{\lambda} \left(\frac{E}{m_Q} \right) T_{SYM}^3$$

$$D_{\text{FDT}} = \pi\sqrt{\lambda} \left(\frac{E}{m_Q} \right)^{1/2} T_{SYM}^3 \quad D_{\text{HH}} = \pi\sqrt{\lambda} \left(\frac{E}{m_Q} \right)^{5/2} T_{SYM}^3$$

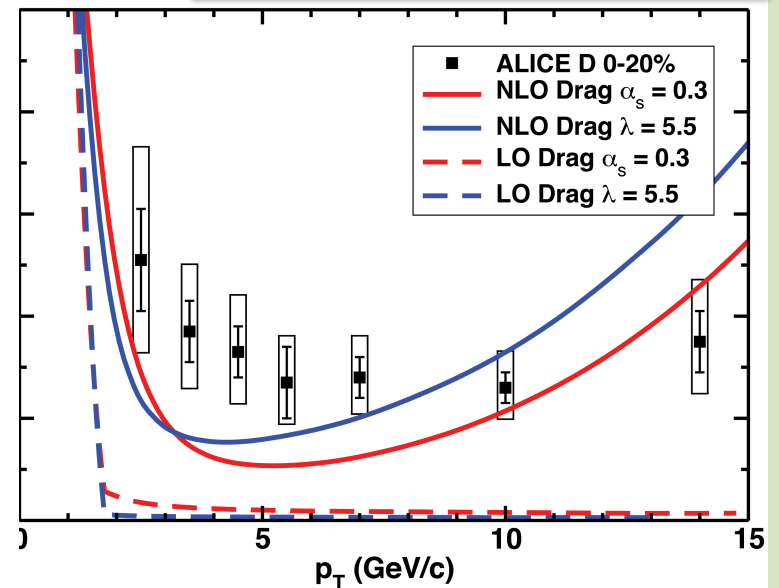
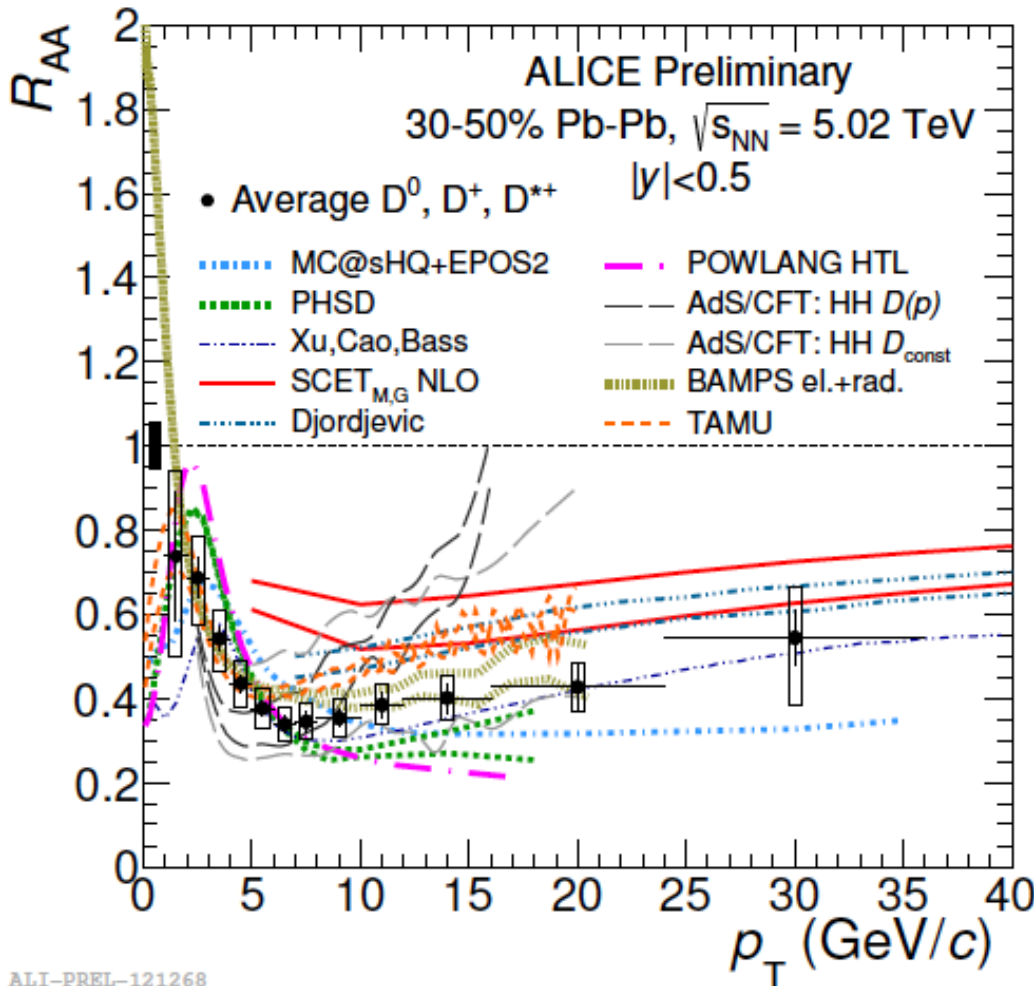


of HQ

New Result ($\neq$ FDT)

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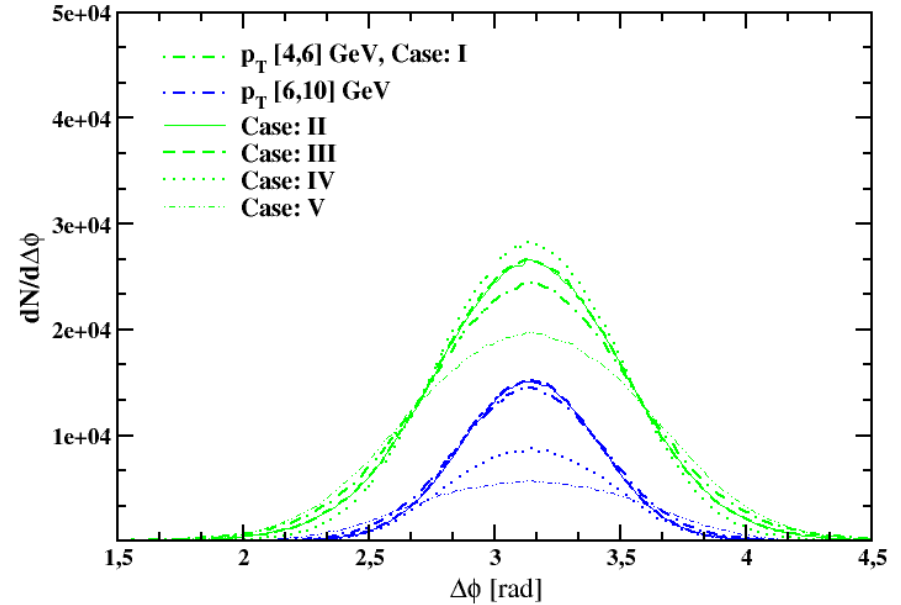
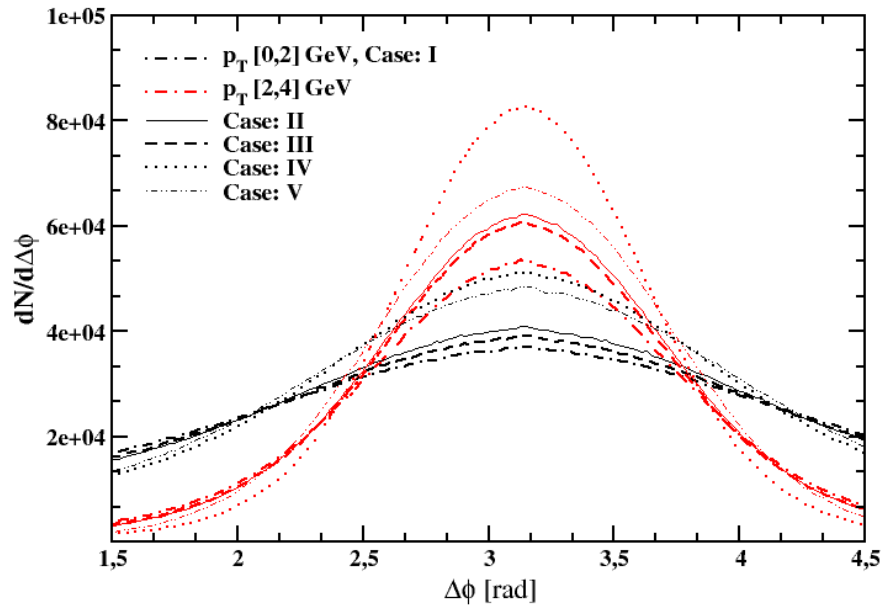
Horowitz: arXiv:1612.05908 [hep-ph]



Impact on pairs correlation of the different form of FDT

LHC Pb+Pb at 2.76 ATeV (D-meson)

Fixed $R_{AA}(p_T)$



1) A and B_T (from pQCD No FDT, but $B_{||} = B_T$)

2) $B_{||} = B_T$ (pQCD) ; A (FDT)

$$A = \frac{B_T}{ET} - \frac{1}{p} \frac{\partial B_T}{\partial p}$$

3) A pQCD ; $D = B_{||} = B_T$ (FDT)

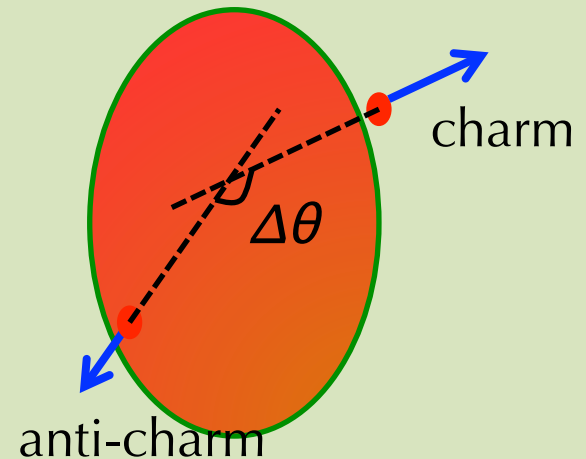
$$D = AET \quad \text{Post-Ito}$$

4) B_T and $B_{||}$ (pQCD) ; A FDT

$$A = \frac{1}{p} B_{||} \frac{1}{T} \frac{\partial E}{\partial p} - \frac{1}{p} \frac{\partial B_{||}}{\partial p} - \frac{(n-1)}{p^2} (B_{||} - B_{\perp})$$

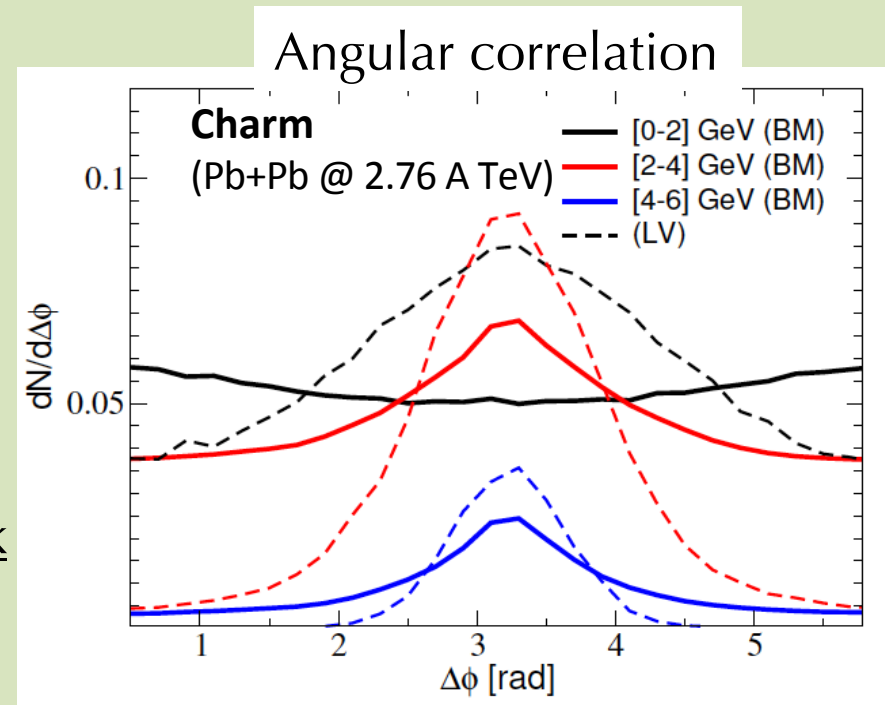
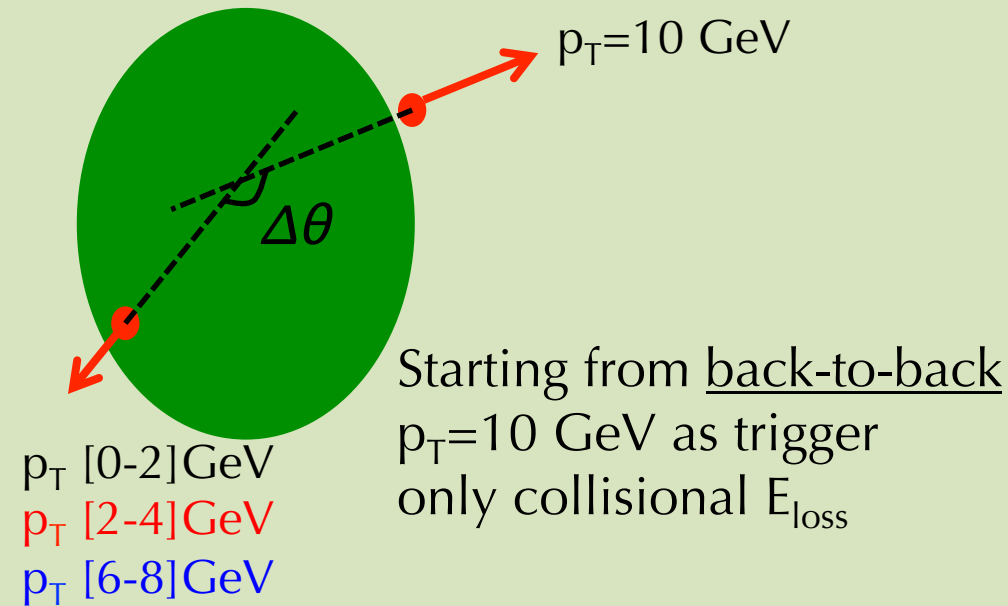
5) $B_T = B_{||}$ (pQCD) ; A FDT

$$A = \frac{B_{||}}{ET} - \frac{1}{p} \frac{\partial B_{||}}{\partial p}$$



Boltzmann vs Langevin for angular correlations

BM vs LV would make a difference
for up coming [D-h] + [D-D]
triggered angular correlations



In $dN/d\Delta\phi_{12}$ sizeable differences
between BM& LV also for **Bottom**

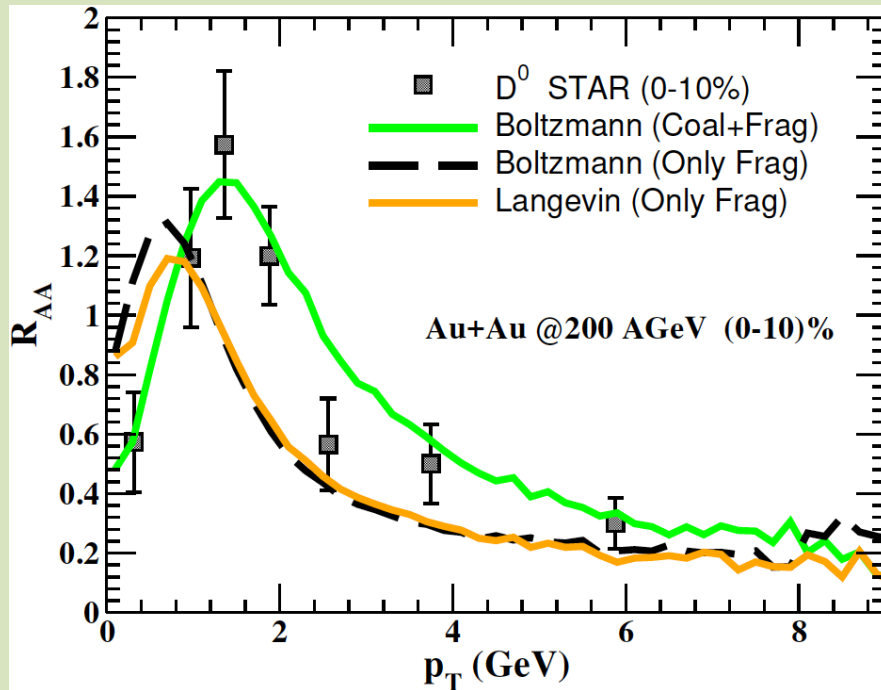
- ❖ Boltzmann especially going to $dN/d\Delta\phi_{12}$ and high p_T including both radiative and collisional should be more appropriate
→ Frankfurt, Subatech, LBL- CCNU, Catania, ...

**What predictions can we do for
charm experimental observables
with QPM-Catania?**

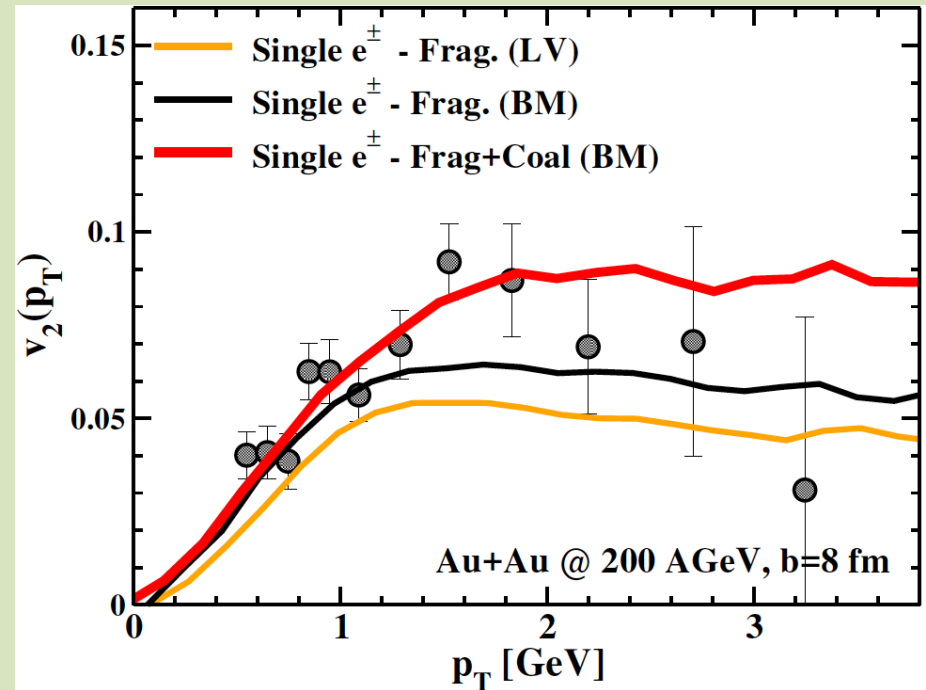
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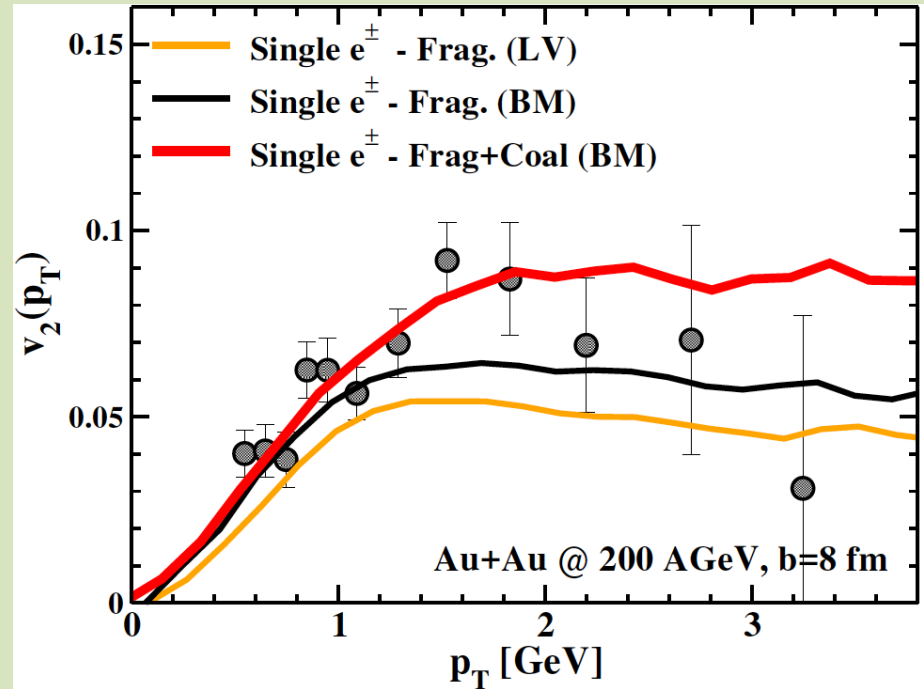
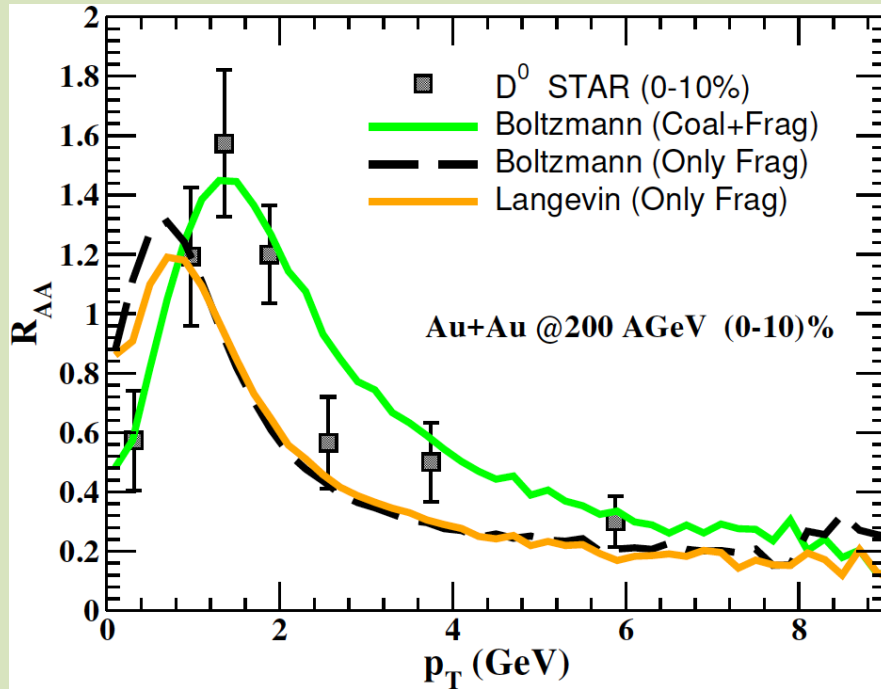
Scardina et al., arXiv: 1707.05452



BM and LV $\rightarrow R_{AA}(p_T)$ shaper nearly identical:

- but Drag γ **has to be reduced by 35% with a QPM model [max. 55%]**
- Larger $v_2(p_T) \approx 15\%$ again *with QPM [max. 30-35%]*

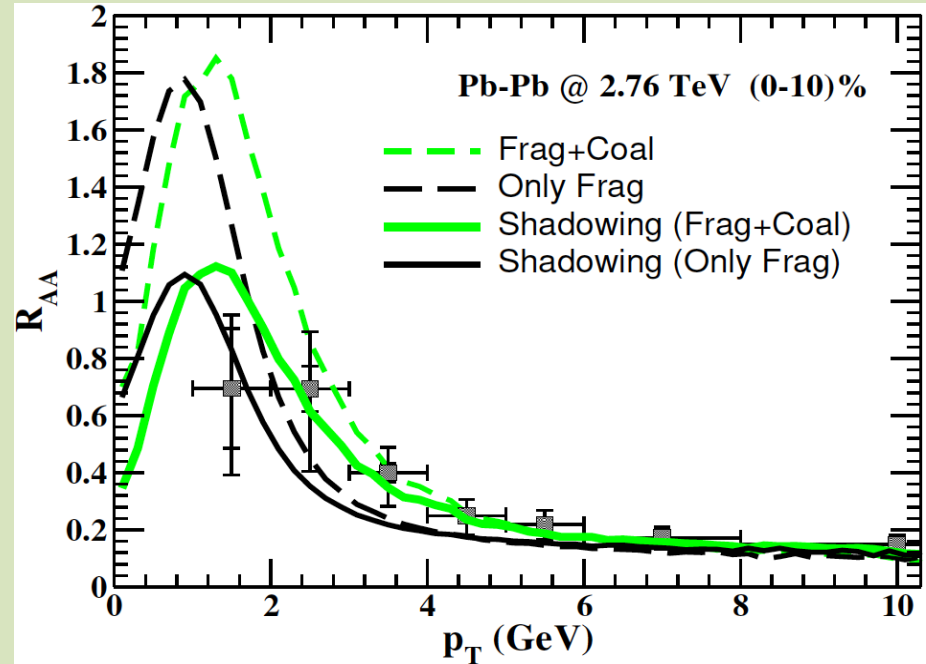
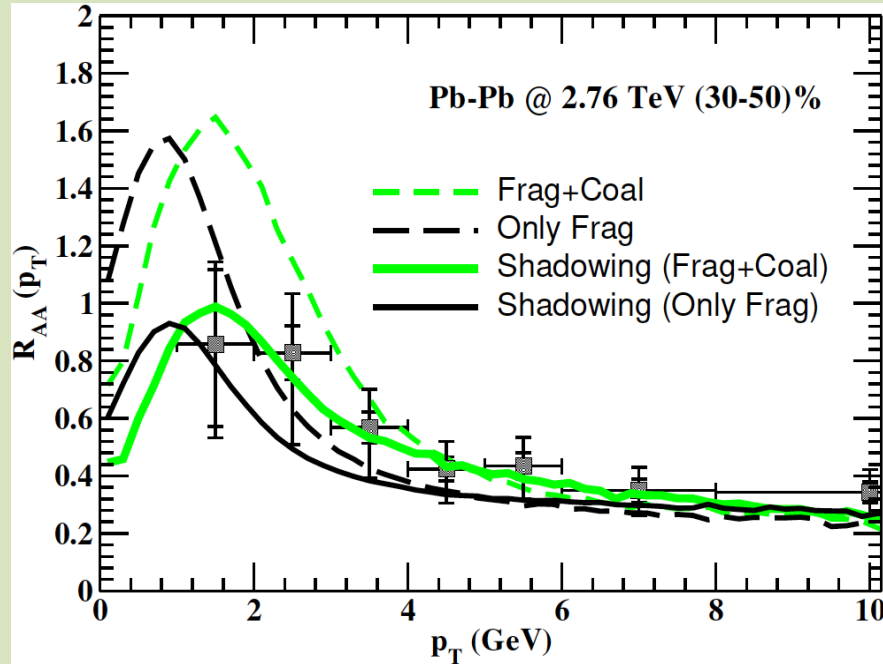
What is the impact of coalescence?



- $R_{AA}(p_T)$ significant reshaped $\rightarrow$ exp. data
- *Opposite to energy loss Coalescence brings up both R_{AA} and v_2*

What we predict for LHC?

No change in the HQ interaction,
Only the evolution in the bulk expansion of course

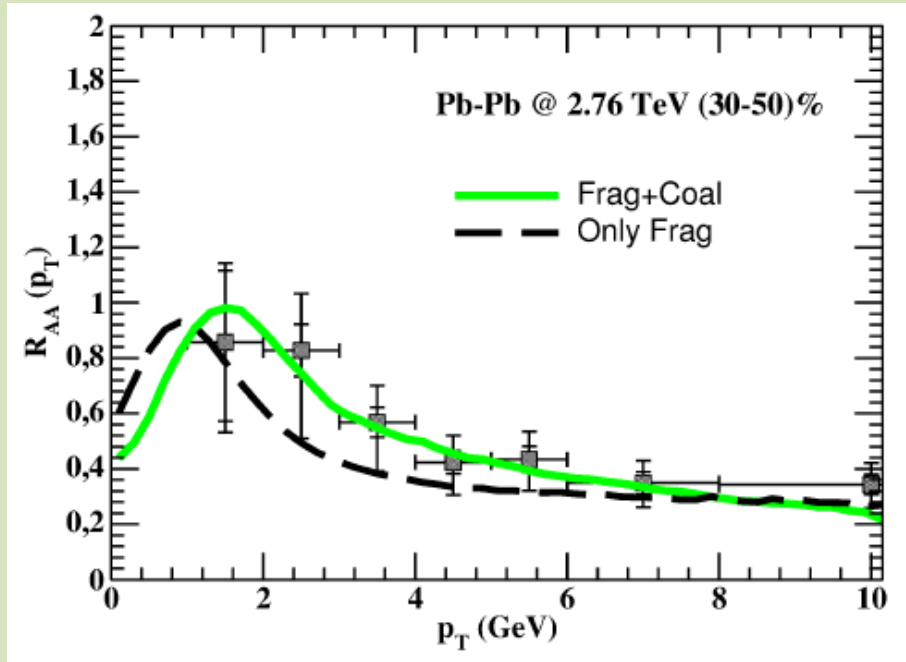


Scardina et al., arXiv: 1707.05452

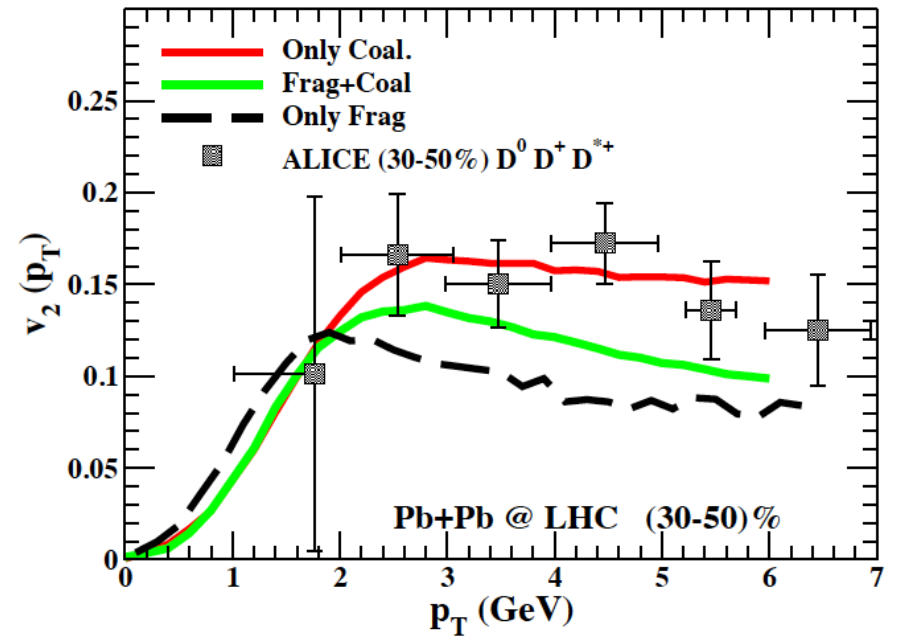
- ✓ Shadowing appear necessary [EPS09, Eskola-Salgado JHEP(2009)]
- ✓ Coalescence still important

What we predict for LHC?

Nuclear Modif. Factor



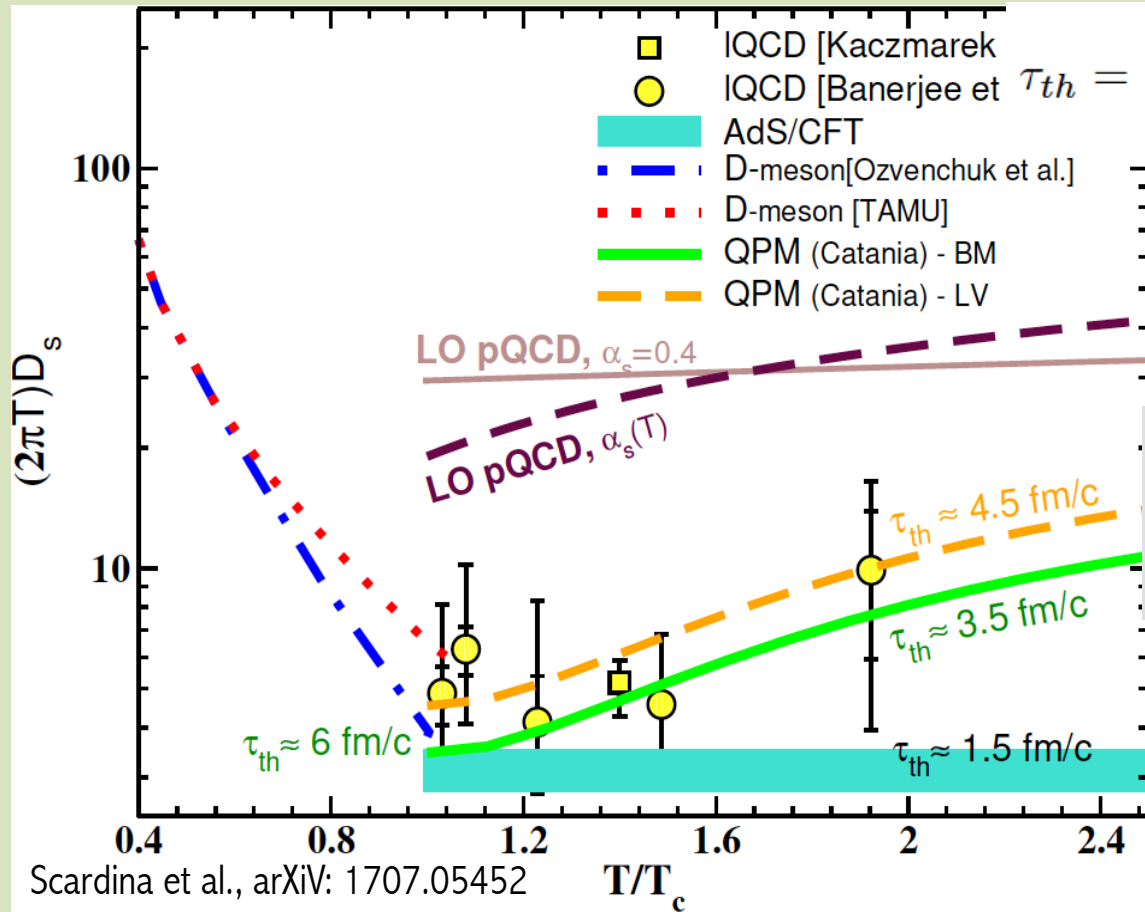
Elliptic flow



Scardina et al., arXiv: 1707.05452

- ✓ Shadowing appear necessary [EPS09, Eskola-Salgado JHEP(2009)]
 - ✓ Coalescence still important
 - ✓ Reasonable description of v_2
- Hadronic rescattering does not change R_{AA} - increase by 15% v_2

What is the underlying D_s ?



$$\tau_{th} = \frac{M}{2\pi T^2} (2\pi T D_s) \cong 1.8 \frac{2\pi T D_s}{(T/T_c)^2} \text{ fm/c}$$

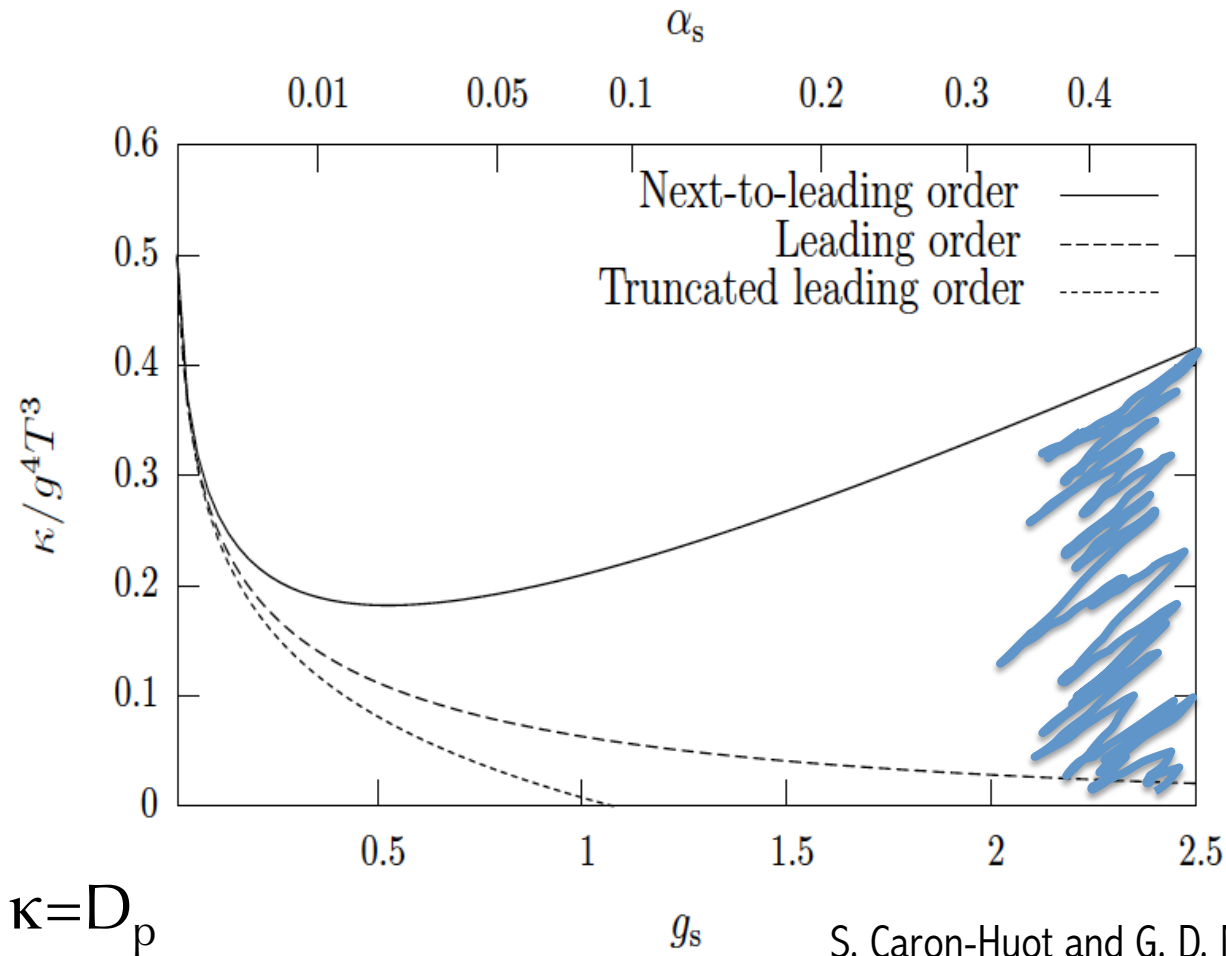
$$D_s = \frac{T}{M\gamma} = \frac{T^2}{D_p}$$

Not a model fit to IQCD data!
but the result from the
predictions of $R_{AA}(p_T)$ & $v_2(p_T)$

❖ Another hint that the matter we create in uRHICs is the **Hot QCD matter!**

❖ We have a probe with $\tau_{therm} \approx \tau_{QGP}$
→ easier to pin-down a T dependence of the transport coeff.

From theory itself pQCD does not work

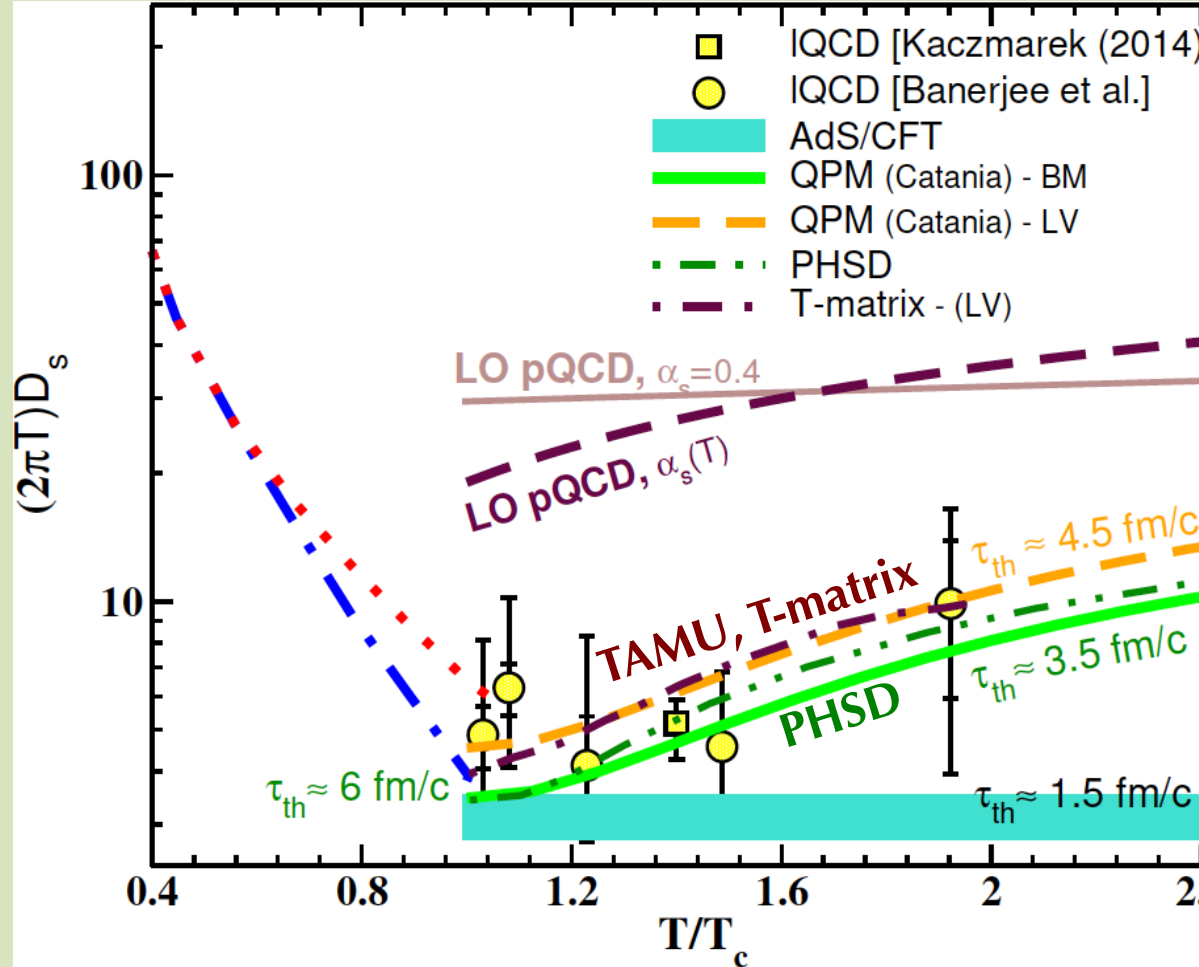


S. Caron-Huot and G. D. Moore, JHEP 02 (2008) 081

$$\mathcal{D}_s^{\text{NLO}} = \frac{27}{16\pi\alpha_s^2 T} \left(\left[3 + \frac{N_f}{2} \right] \left[\ln \frac{2T}{m_D} - 0.64718 \right] + \frac{N_f \ln(2)}{2} + 2.3302 \frac{3m_D}{T} \right)^{-1}$$

NLO corrections for transport coefficient dominated by soft sector $p \approx m_D$

What is the underlying D_s ?



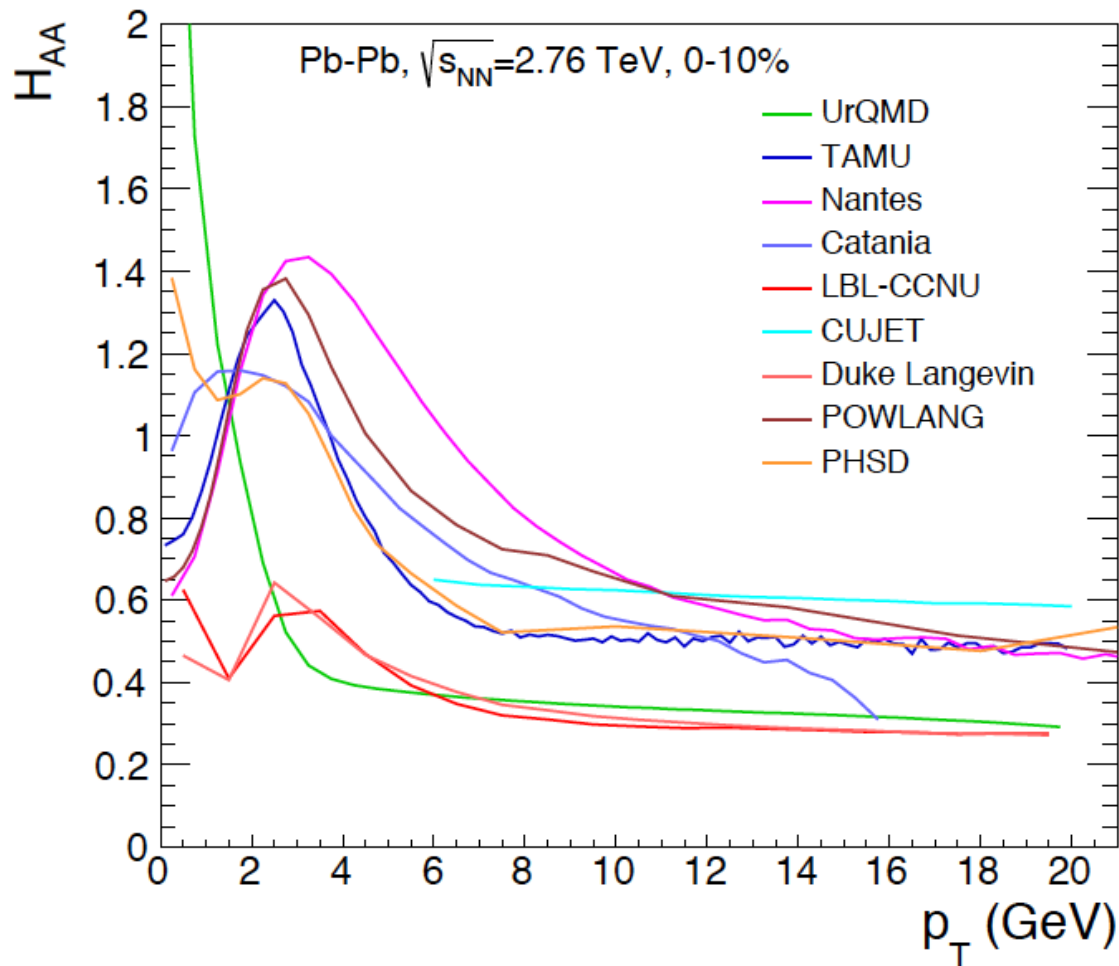
$$\tau_{th} = \frac{M}{2\pi T^2} (2\pi T D_s) \cong 1.8 \frac{2\pi T D_s}{(T/T_c)^2} \text{ fm/c}$$

QGP diffuse Charm quarks
like a “perfect fluid”

	State	$D_s \text{ (cm}^2\text{/s)}$
Air in Water	liquid	2.0×10^{-5}
Hydrogen in Iron	solid	1.66×10^{-9}
HQ in QGP	Liquid!	$\approx 300 \times 10^{-5}$

Phenomenological approach in the right ball-park, and now we are starting to extend the analysis to v_3 , $v_2 - v_3$ light-heavy correlations and upcoming angular triggered correlation $dN/d\Delta\phi_{12} \dots$

D meson to final charm spectrum: strong impact of hadronization



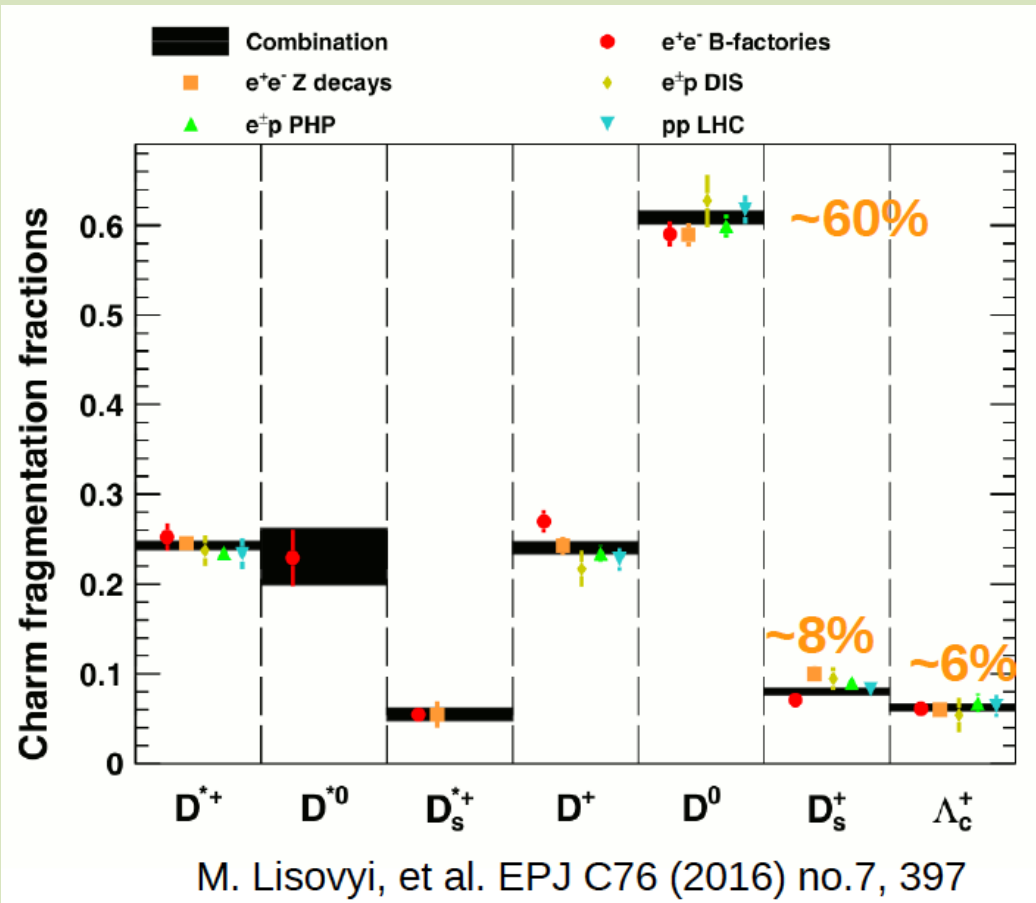
✧ Measurement of Λ_c/D can significantly provide *bounds and constraints on hadronization by coalescence and/ or fragmentation*

A step back:

➤ Do all agree with Coalescence implementation?

- ✧ Impact of coalescence differs among the approaches
- ✧ Measurement of Λ_c/D would provide *bounds and constraints on hadronization by coalescence and/or fragmentation*

Λ_c/D in elementary collisions



Fragmentation functions

$$\left(\frac{\Lambda_c}{D^0}\right)_{e^+e^-}^{pp} \approx 0.1$$

Statistical Hadronization model

$$\left(\frac{\Lambda_c}{D^0}\right)_{e^+e^-}^{pp} \approx 0.25 - 0.30$$

A. Andronic et al. PLB571 (2003)
 I. Kuznetsova, J. Rafelski, EPJ C51 (2007)
 Y. Oh, C.M. Ko, et al., PRC79 (2009)

What happens in a coalescence model?

$$\frac{dN_{Hadron}}{d^2 p_T} = g_H \int \prod_{i=1}^n p_i \cdot d\sigma_i \frac{d^3 p_i}{(2\pi)^3} f_q(x_i, p_i) f_w(x_1, \dots, x_n; p_1, \dots, p_n) \delta(p_T - \sum_i p_{iT})$$

Statistical factor
colour-spin-isospin
Parton Distribution
function
Hadron Wigner
function

distribution function giving R_{AA} and v_2 for D just discussed

$$f_M(x_1, x_2; p_1, p_2) = A_W \exp \left(-\frac{x_{r1}^2}{\sigma_r^2} - p_{r1}^2 \sigma_r^2 \right)$$

Wigner function with the width fixed by radius from quark model

C.-W. Hwang, EPJ C23, 585 (2002).
C. Albertus et al., NPA 740, 333 (2004)

$$\begin{aligned} \langle r^2 \rangle_{D^*} &= 0.184 \text{ fm}^2 & \langle r^2 \rangle_{D_s^*} &= 0.124 \text{ fm}^2 & \langle r^2 \rangle_{\Lambda_c^*} &= 0.152 \text{ fm}^2 \\ &= \frac{3}{2} \frac{Q_1 m_2^2 + Q_2 m_1^2}{(m_1 + m_2)^2} \sigma_r^2 \end{aligned}$$

S. Plumari et al, ArXiv:1712.****

What happens in a coalescence model?

In our calculations we take into account main hadronic channels, including the ground states and the first excited states for D and Λ_c

MESONS

- D^+ ($l=1/2, j=0$)
- D^0 ($l=1/2, j=0$)
- D_s^+ ($l=0, j=0$)

Resonances

- D^{*+} ($l=1/2, j=1$) $\rightarrow D^0 \pi^+$ B.R. 68%
 $\rightarrow D^+ X$ B.R. 32%
- D^{*0} ($l=1/2, j=1$) $\rightarrow D^0 \pi^0$ B.R. 62%
 $\rightarrow D^0 \gamma$ B.R. 38%
- D_s^{*+} ($l=0, j=1$) $\rightarrow D_s^+ X$ B.R. 100%
- D_{s0}^{*+} ($l=0, j=0$) $\rightarrow D_s^+ X$ B.R. 100%

Statistical factor

$$\frac{[(2J+1)(2I+1)]_{H^*}}{[(2J+1)(2I+1)]_H} \left(\frac{m_{H^*}}{m_H} \right)^{3/2} e^{-(E_{H^*}-E_H)/T}$$

BARYONS

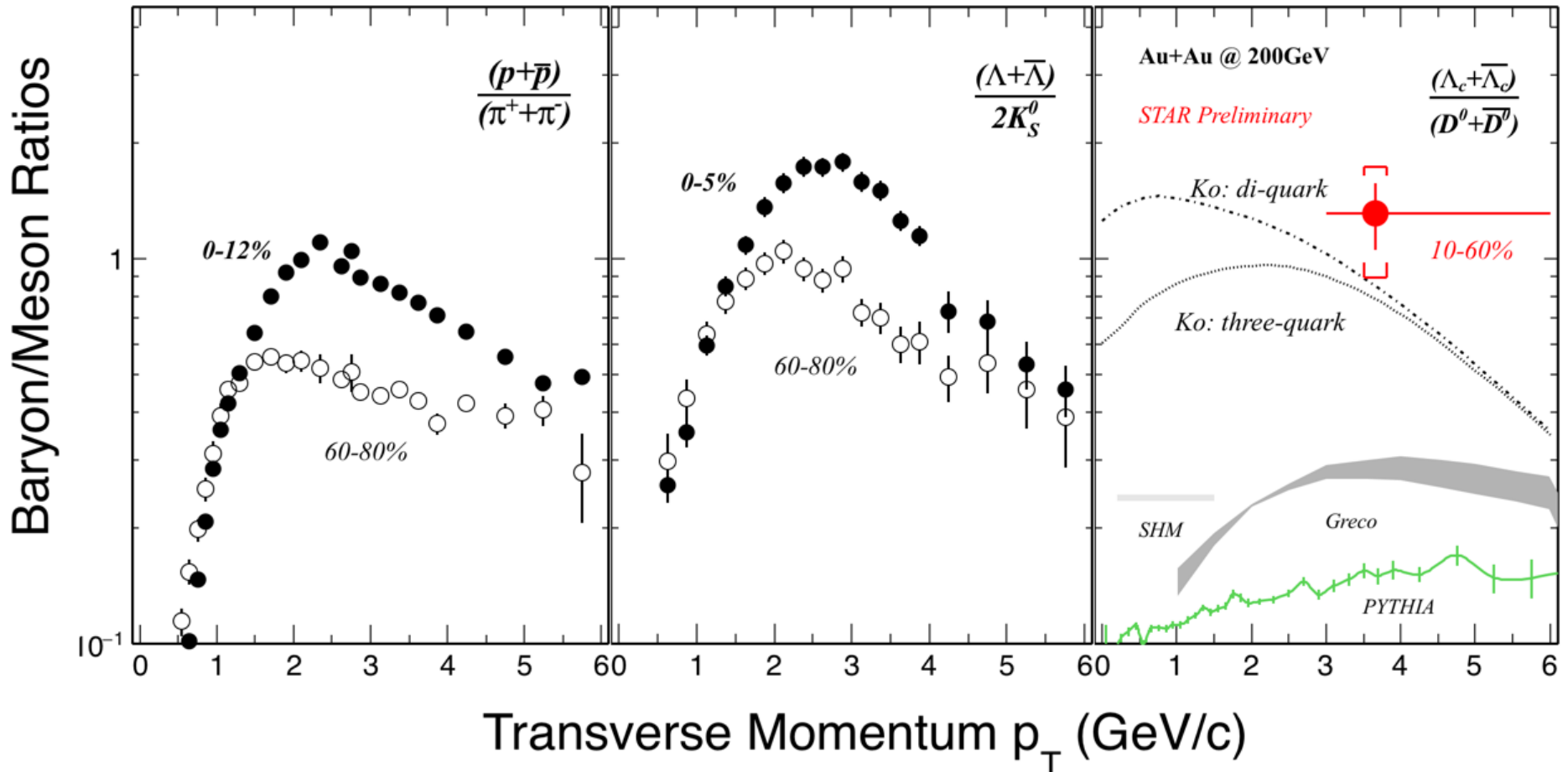
- Λ_c^+ ($l=0, j=1/2$)

Resonances

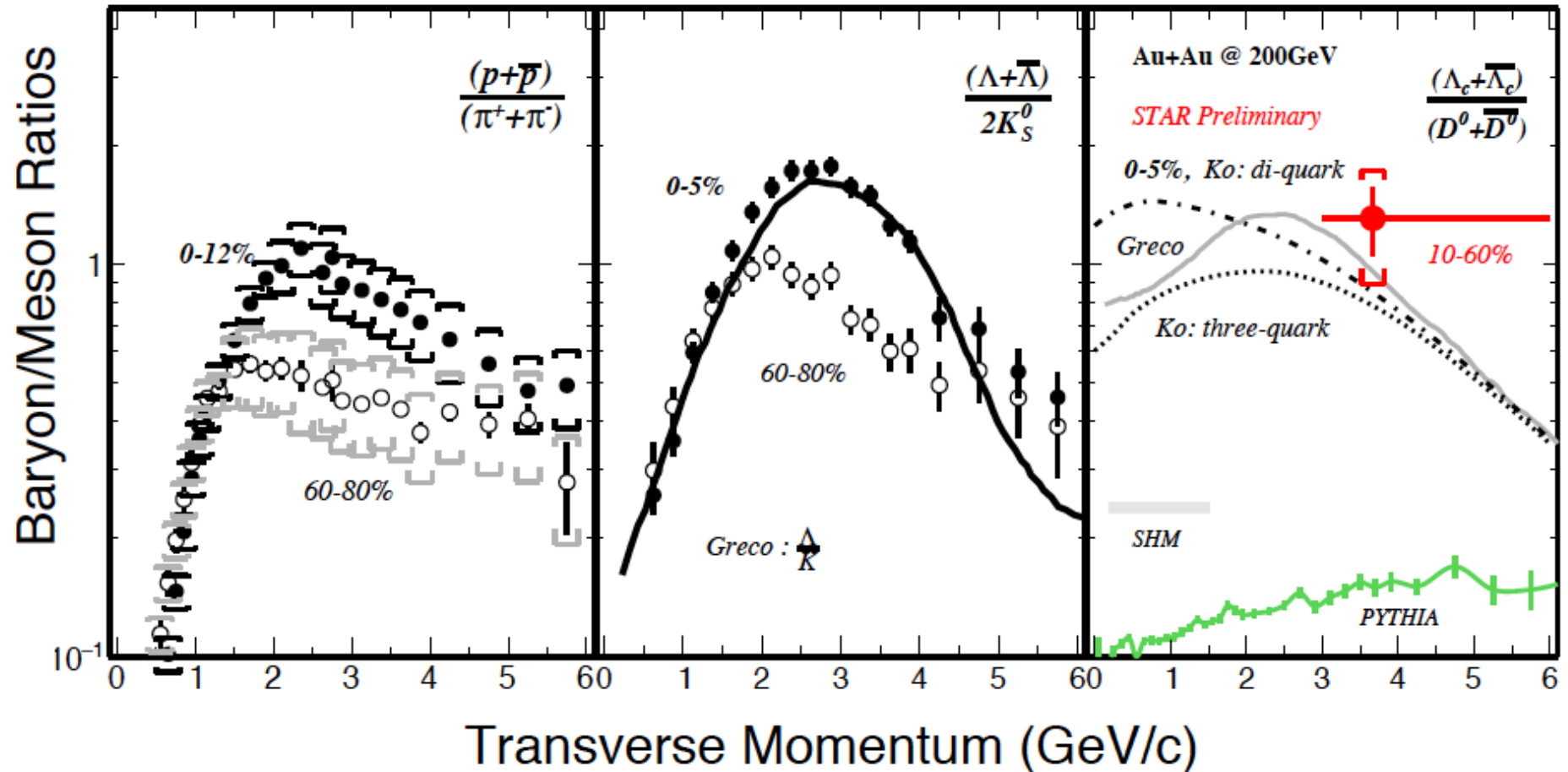
- $\Lambda_c^+(2595)$ ($l=0, j=1/2$) $\rightarrow \Lambda_c^+$ B.R. 100%
- $\Lambda_c^+(2625)$ ($l=0, j=3/2$) $\rightarrow \Lambda_c^+$ B.R. 100%
- $\Sigma_c^+(2455)$ ($l=1, j=1/2$) $\rightarrow \Lambda_c^+ \pi$ B.R. 100%
- $\Sigma_c^+(2520)$ ($l=1, j=3/2$) $\rightarrow \Lambda_c^+ \pi$ B.R. 100%

What happens in a coalescence model?

Data from STAR Coll., arXiv:1704.04364 [nucl-ex].

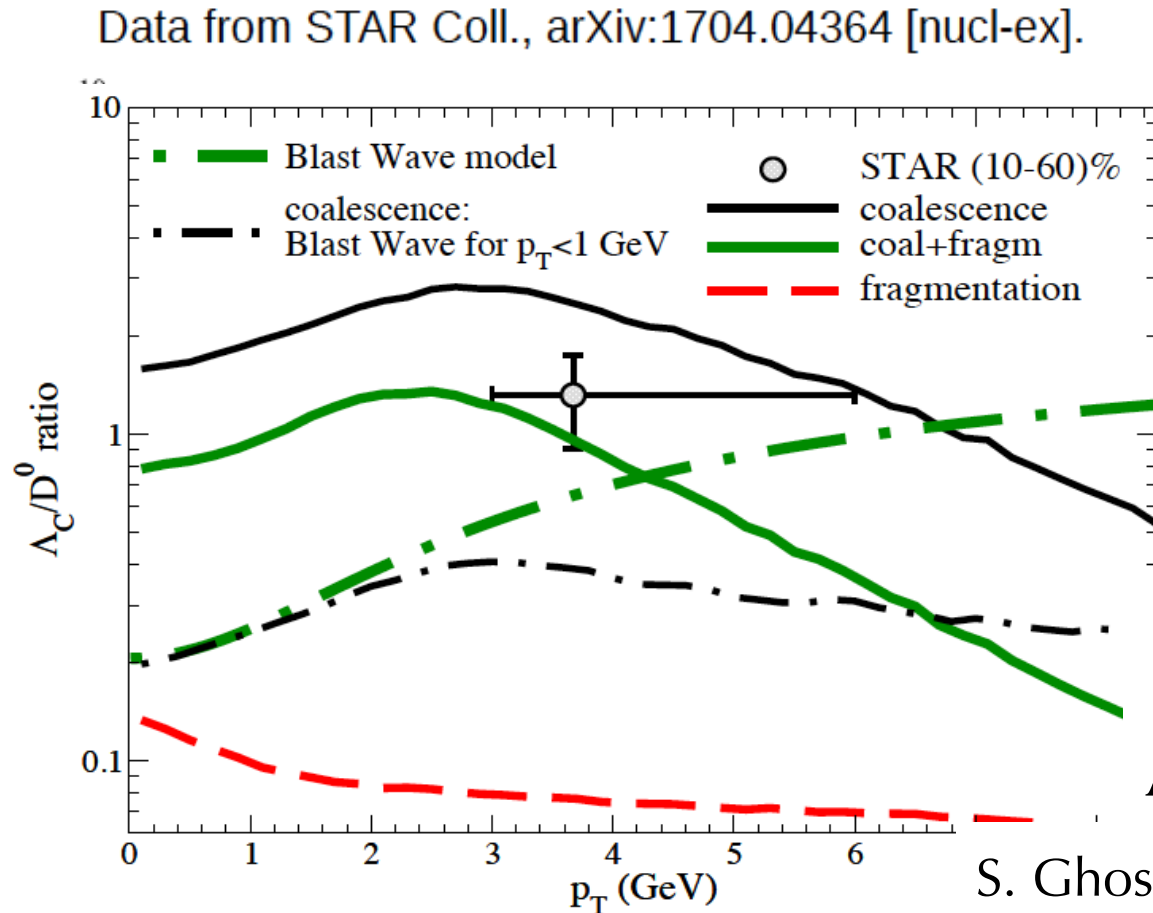


What happens in a coalescence model?



X. Dong and V. Greco, Progress in Particle and Nuclear Physics (2018)

What happens in a coalescence model?



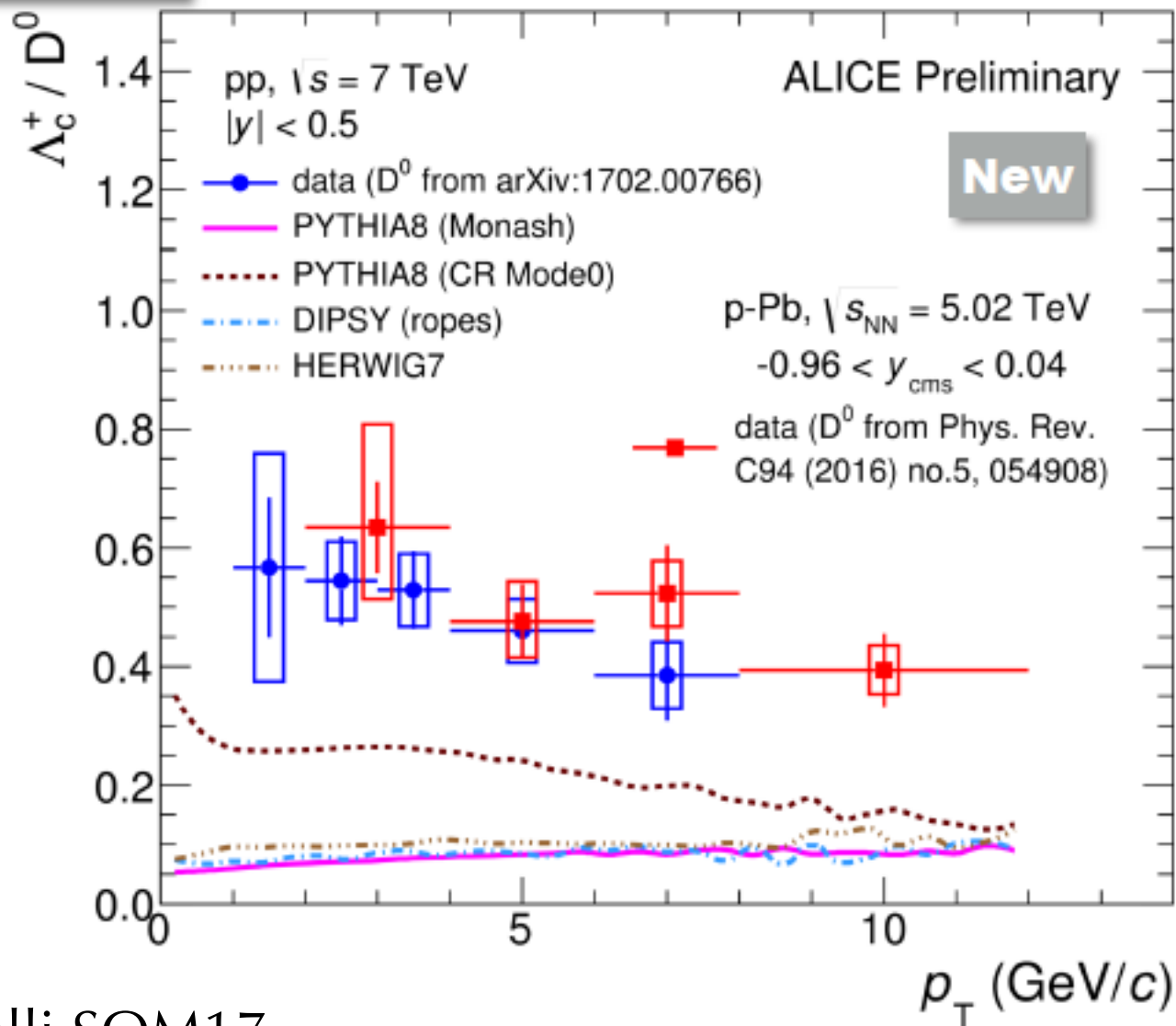
Blast wave model
(statistical hadronization)

Coal. + fragm.
but σ_p of Λ_c fixed to have
 Λ_c/D like in SHM@low p_T

S. Ghosh et al., PRD90 (2014)054018
& reported by STAR as "*Greco Λ_c/D* "

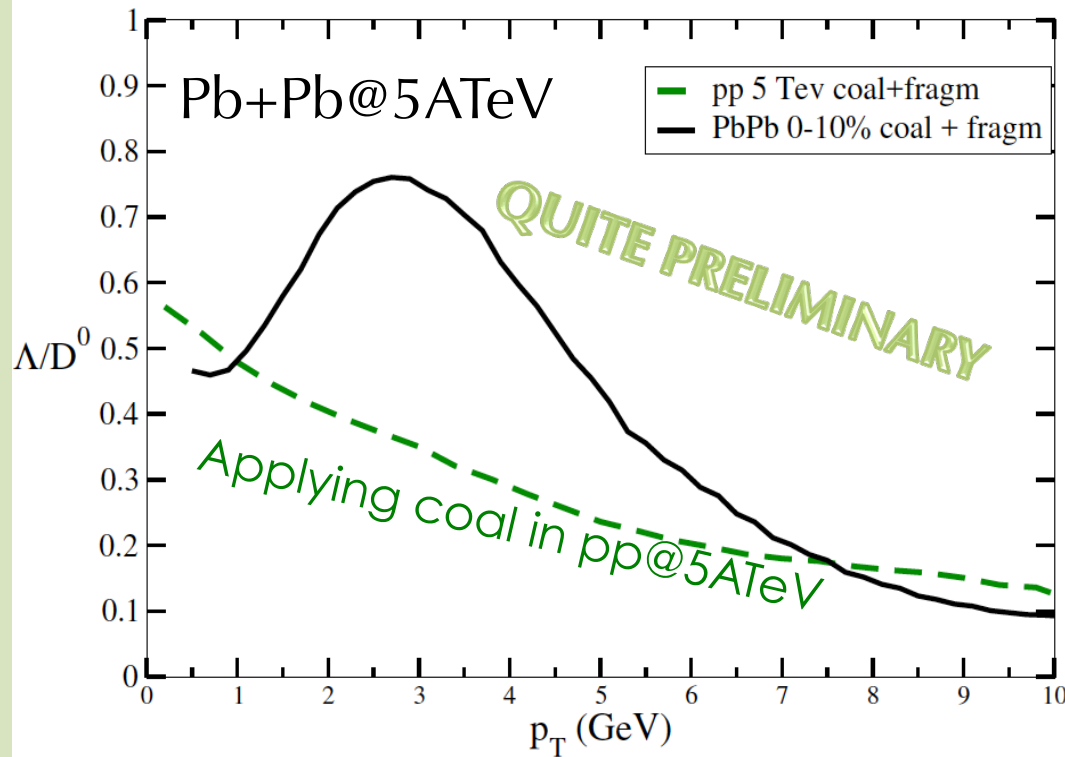
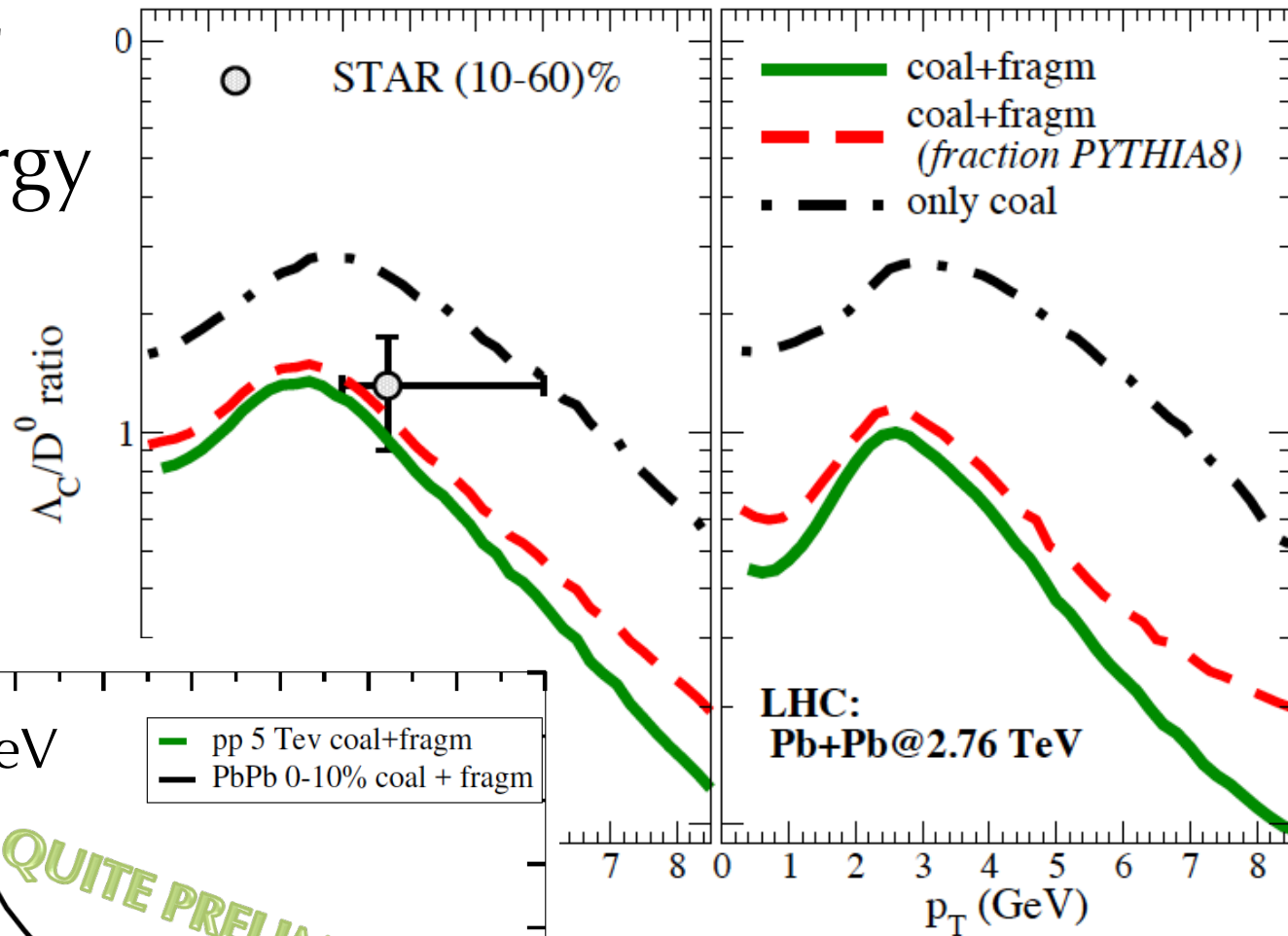
Needed data at low p_T :
For the first time a failure of SHM!?

Run I data



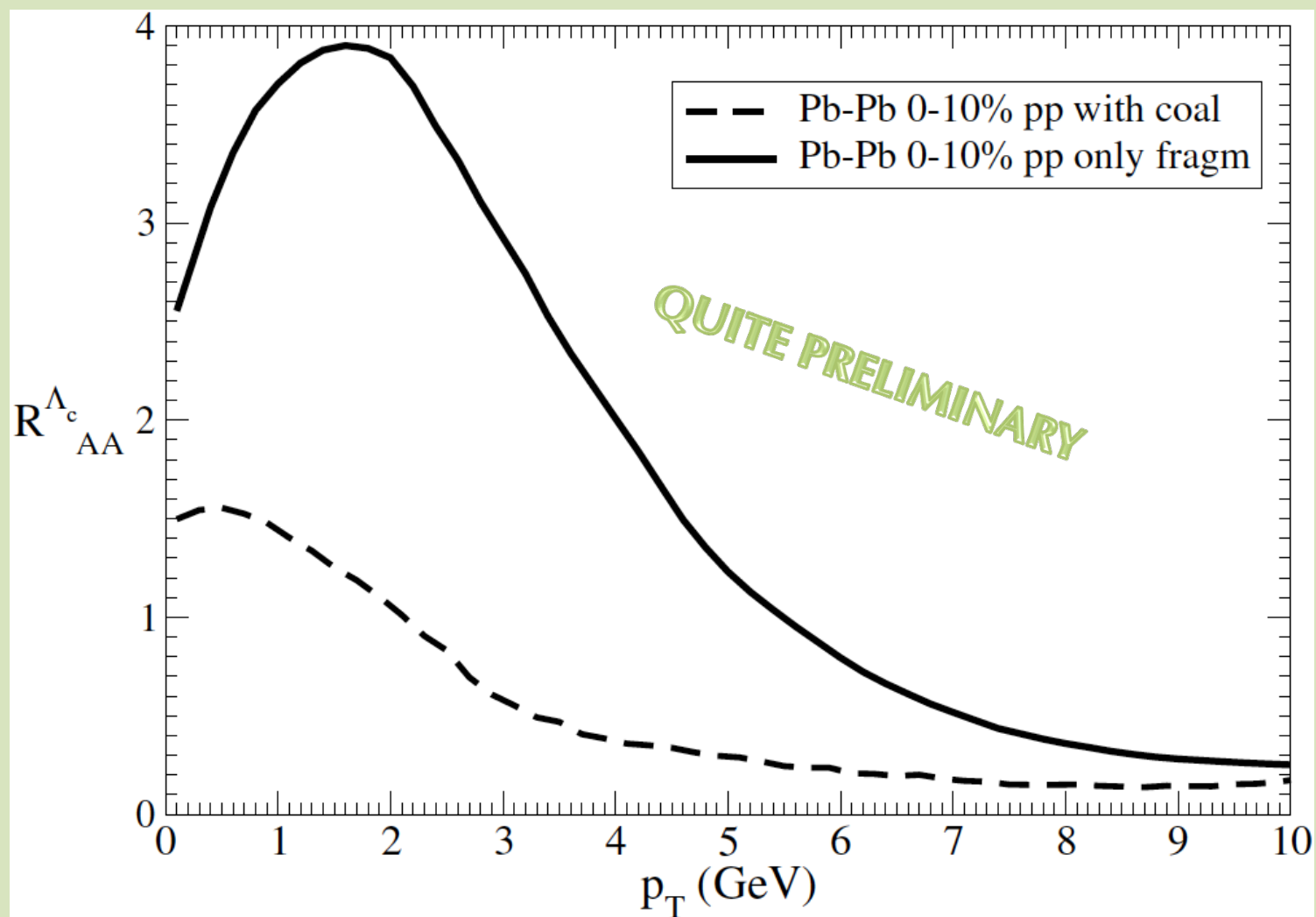
A. Grelli, SQM17

Evolution of Λ_c/D with energy



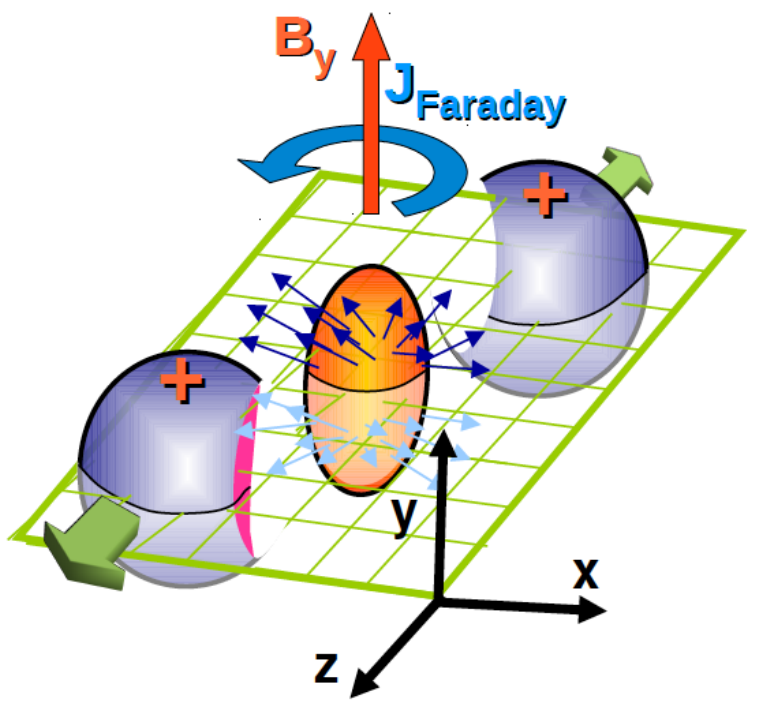
Fireball for pp from
P.Romatschke, PLB774 (2017)

$T=0.165$ GeV,
 $\beta_0=0.4$
 $R_T=2.5$ fm
 $\tau=2$ fm/c



Another plus from $\tau_{\text{th}} \approx \tau_{\text{QGP}}$

Impact of large Magnetic Field on the Charm dynamics



Strong B field induces:

- Chiral magnetic effect

Impacts on:

- Quarkonia states
- Radiative E_{loss}
- Electromagnetic radiation
- HQ transport coefficient $D_T \gg D_{||}$

K Tuchin, Adv.High Energy Phys. 2013 (2013) 490495

K. Hattori, X.-G. Huang, arXiv:1609.00747 [nucl-th]

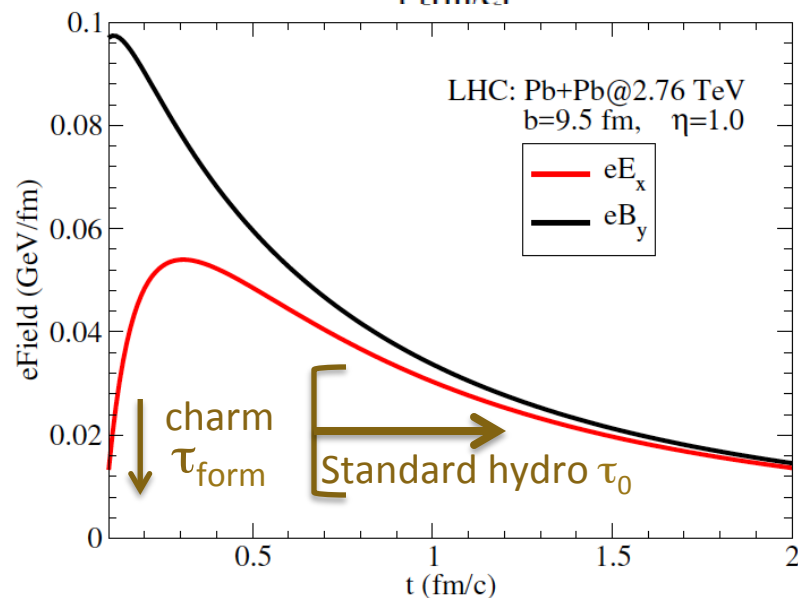
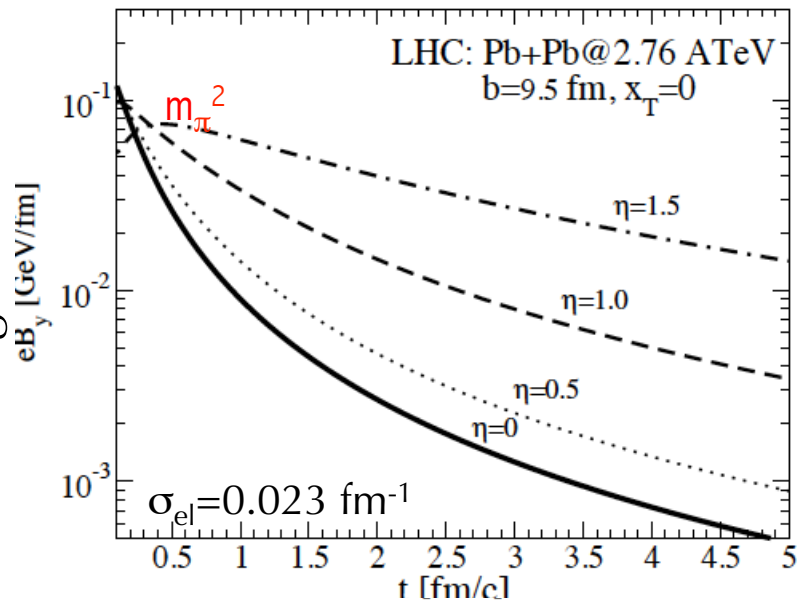
B field strength:

- created on Earth $\approx 10^7$ Gauss
- Neutron Star $\approx 10^{13}$ Gauss
- uRHIC $\approx 10^{19}$ Gauss $\approx 10 m_\pi^2$

**I will discuss the direct effect on
HQ dynamics of the e.m. interaction**

Impact of Magnetic Field on charm

Magnetic field

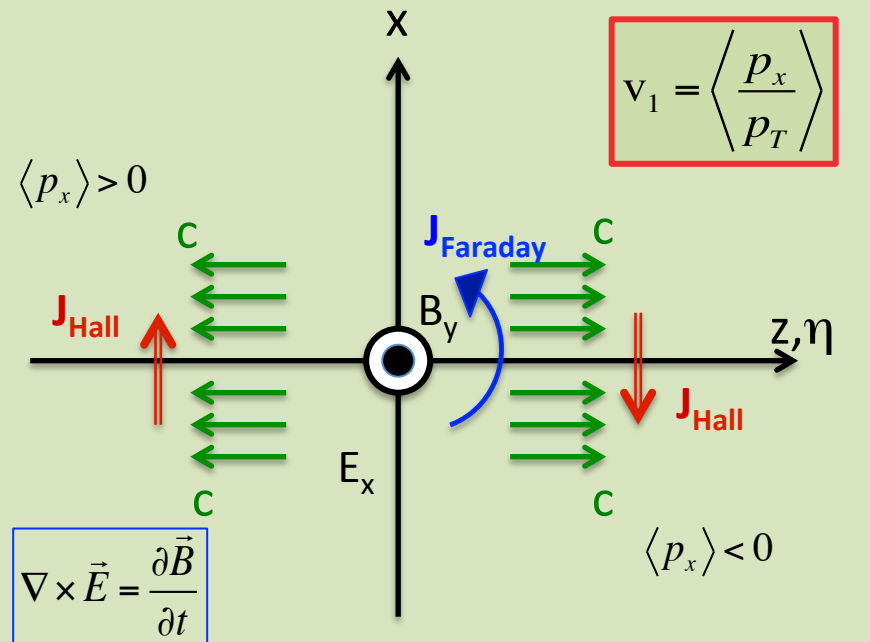


E-B fields like Gursoy et al., PRC89(2014)

$$\mathbf{F}_{ext} = q\mathbf{E}' + \frac{q}{E_p} (\mathbf{p} \times \mathbf{B}')$$

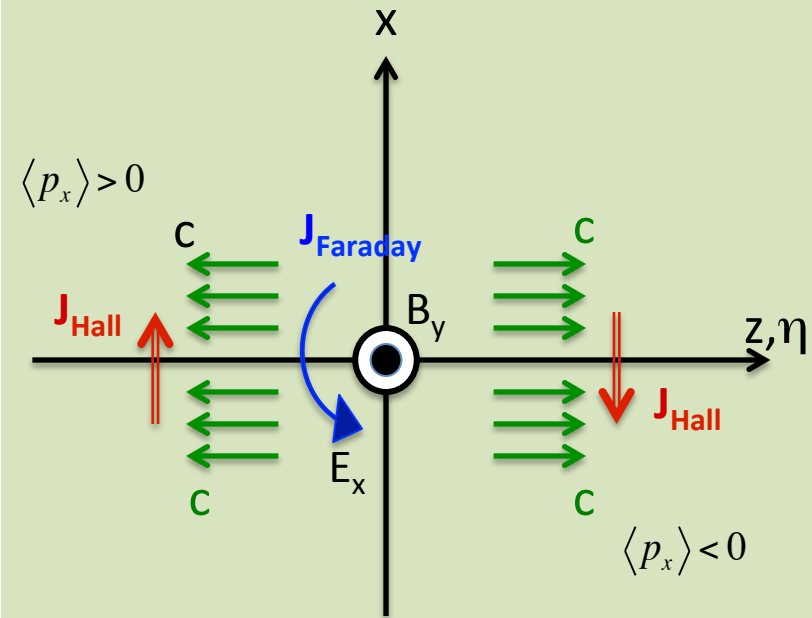
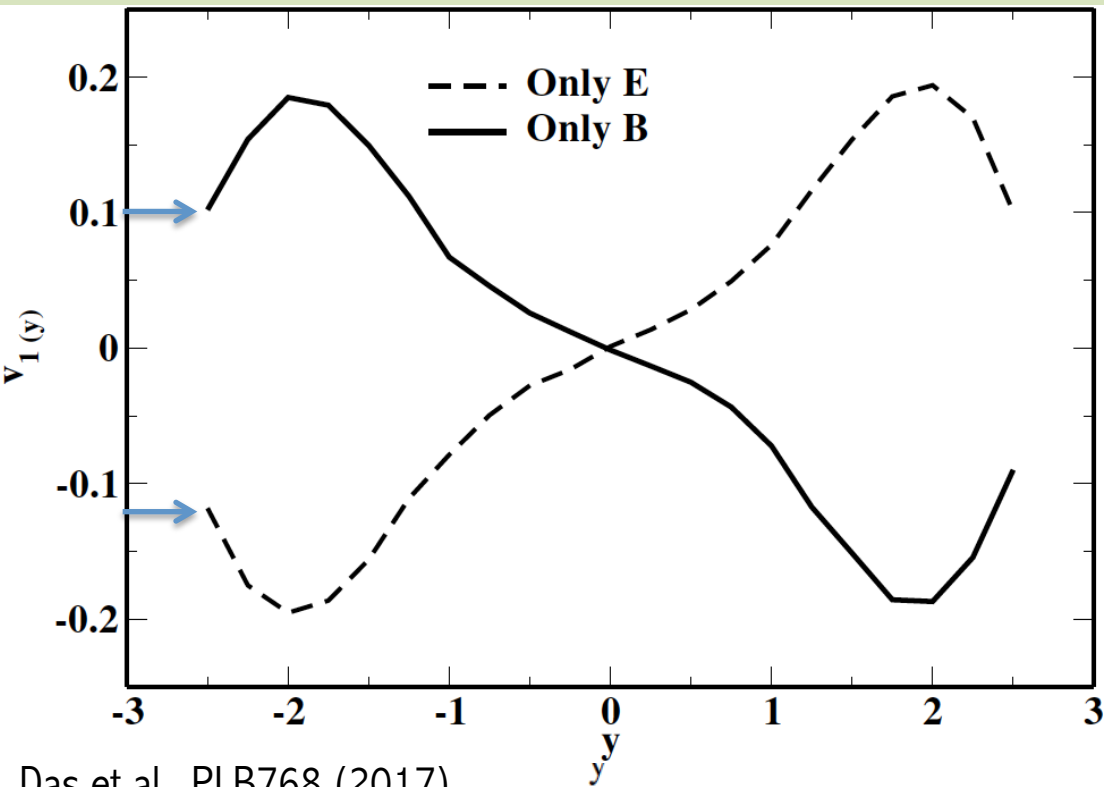
Faraday

Hall



$$\eta = \frac{1}{2} \ln \left(\frac{t+z}{t-z} \right)$$

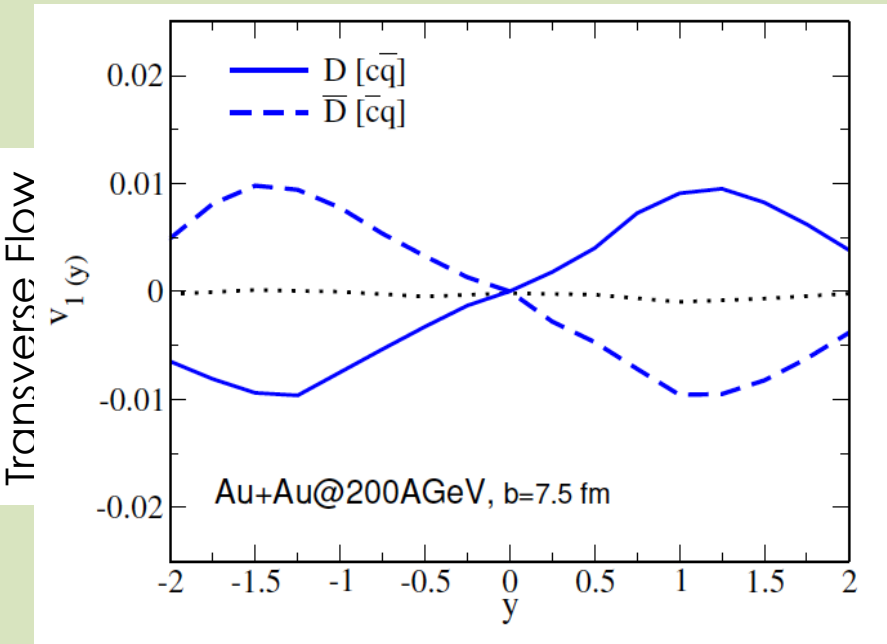
Balance between Faraday current and Hall drift



Das et al., PLB768 (2017)

- ✧ Decreasing magnetic field B_y creates E_x that induces a current in opposite direction w.r.t. to the Magnetic Hall drift: delicate balance!
- ✧ Larger initial ($t < 1$ fm/c) field important to determine a sizeable v_1 flow

Impact of Magnetic Field on charm



V. Greco, QM2017, NPA (2017)

S. Das et al., PLB768 (2017)

HQ best probe for v_1 from e.m. field:

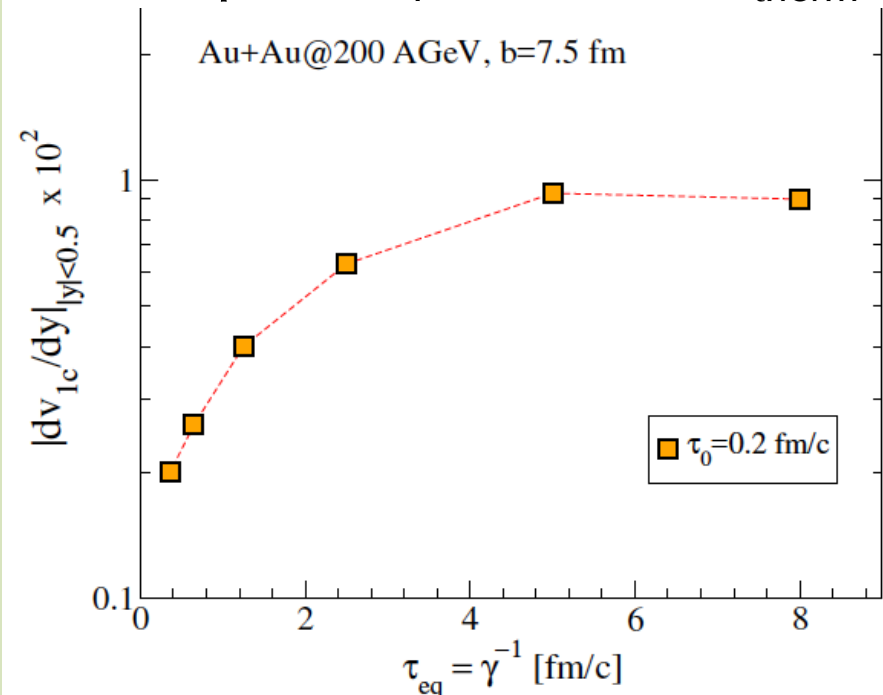
- $t_{\text{form}} \approx 0.1 \text{ fm/c}$ vs $q \ll g$ at this time
- $\tau_{\text{th}}(c) \approx \tau_{\text{QGP}} \gg \tau_{\text{e.m.}}$
- do not mix with CME [c no chiral]
- do not mix vorticity [Odd- parity]

For light quarks predicted $v_1 \approx 10^{-3}-10^{-4}$ [Gursoy et al., PRC89 (2014)]

For charm quark we find a sizeable v_1 using the same E-B field evolution

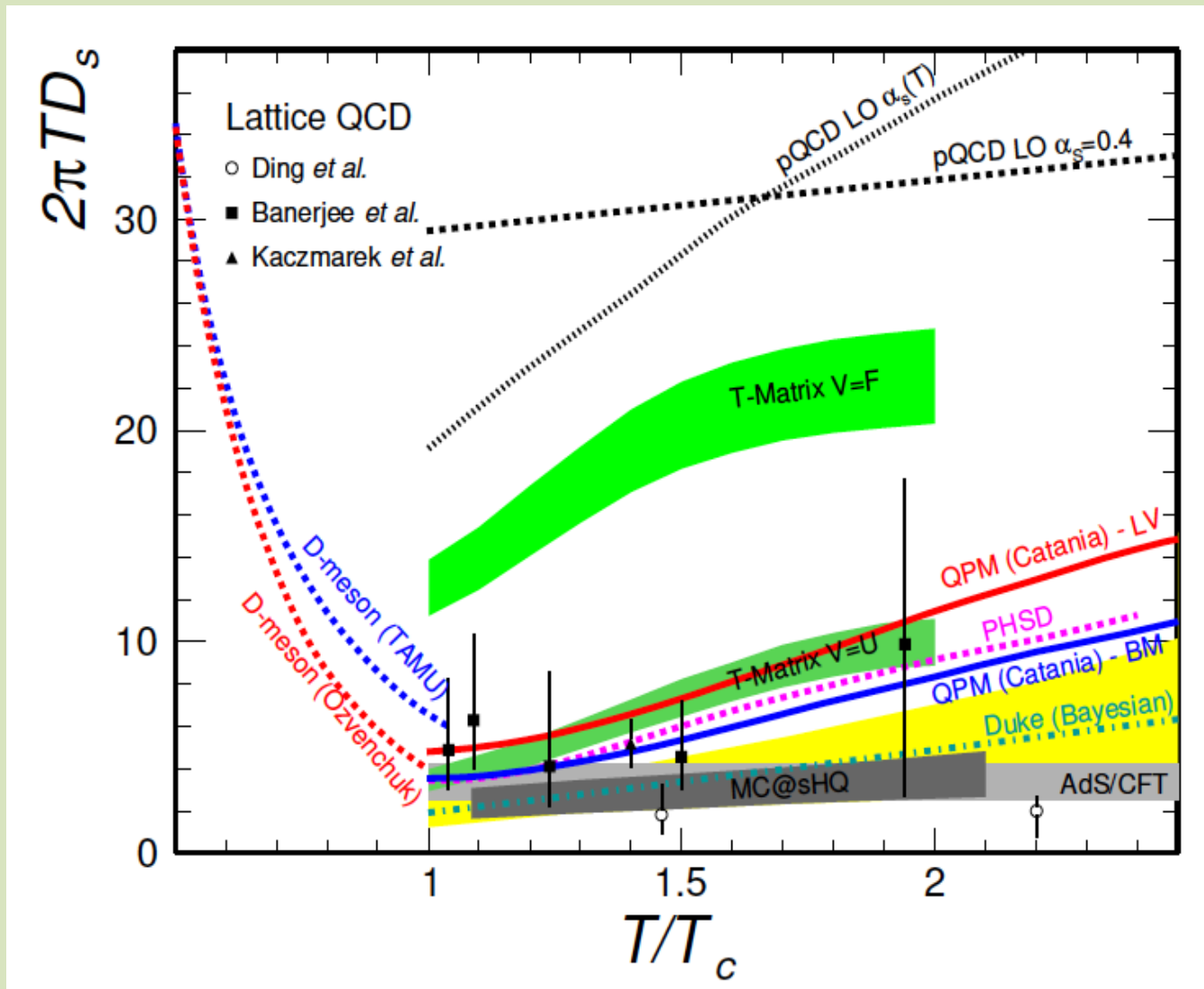
About 40 times larger!

Slope of v_1 vs. charm τ_{therm}



Conclusions

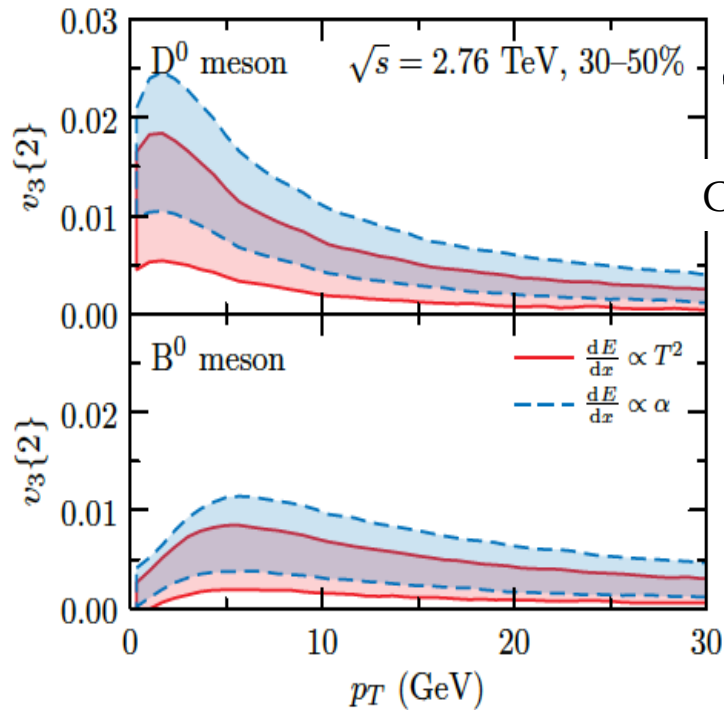
- ❖ Open Charm is an excellent probe having:
 - potential to link IQCD to phenomenology
 - observables ***not easy*** to predict containing information on T dependence of the Hot-QCD interaction in ***non-perturbative regime*** ($p_T < 10$ GeV)
- ❖ $\tau_{\text{therm}} \approx \tau_{\text{QGP}} \rightarrow$ make it a probe carrying more info:
 - from $R_{AA}, v_2 \rightarrow D_s(T)$ of **Hot QCD medium** within IQCD
... we are going to have $v_3, v_2(HQ)-v_2(QGP), dN_D/d\Delta\phi_{12},$
 - **Charm can allow to access the initial strong E-B field**
- ❖ **Hadronization: Λ_c/D ratio in AA & pp? Will SHM fail? $R_{AA}(\Lambda_c) \approx 3-4?$**
At the moment quite not under control even in pp



X. Dong and V. Greco, Progress in Particle and Nuclear Physics (2018)

New observable are coming
 $v_3, v_2(\text{bulk})-v_2(\text{charm}), \dots?$

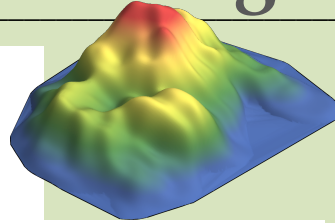
B & D at high p_T : path length but on e-b-e bulk



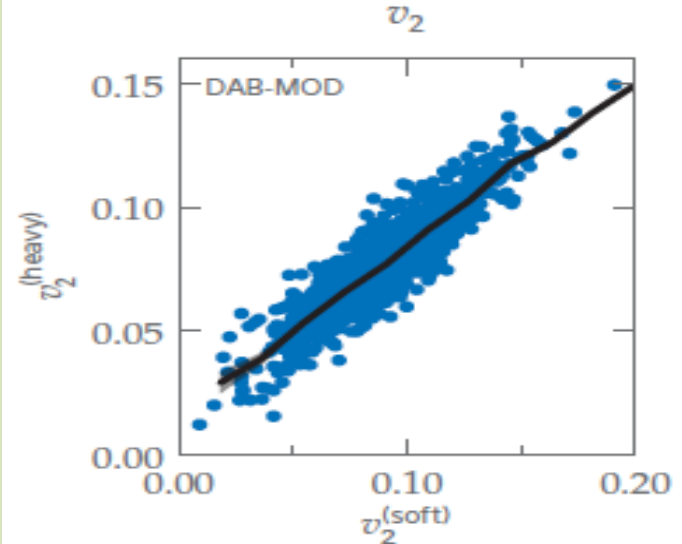
Caio, Wed 17:30

$$\frac{dE}{dx}(T, v) = f(T, v) \Gamma_{\text{flow}},$$

Caio-Prado et al., arXiv:1612.05724



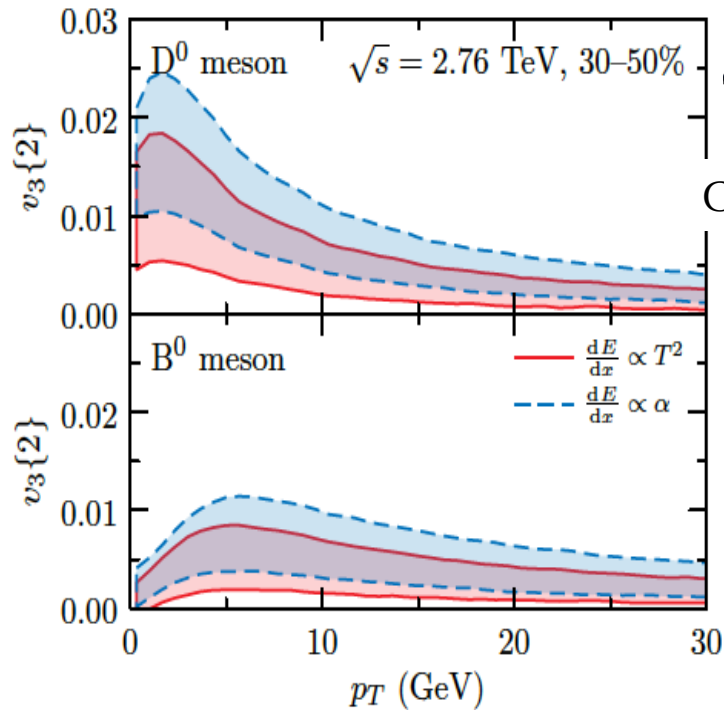
HF- bulk v_n correlation w ESE



D meson – Pb+Pb@5.02 ATeV, 30-40%

- ✧ R_{AA} of B and D appears to be the same!
- ✧ $V_{2D,B}$ linearly correlated with v_2 bulk – **for D see ALICE, A.Barbano - Tue 16:50**
- ✧ V_3 significantly affected by the T dependence of E_{loss}
- ✧ $v_{2,3}\{2\}, v_{2,3}\{4\}, v_{2,3}\{6\}, v_{2,3}\{8\}$ all cumulants are equal $\rightarrow$ flow

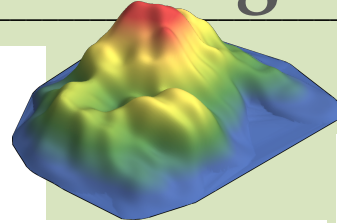
B & D at high p_T : path length but on e-b-e bulk



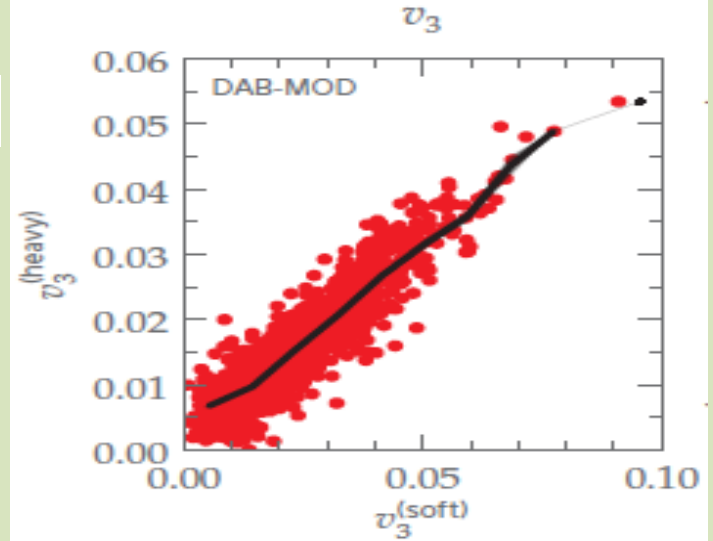
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HF- bulk v_n correlation w ESE

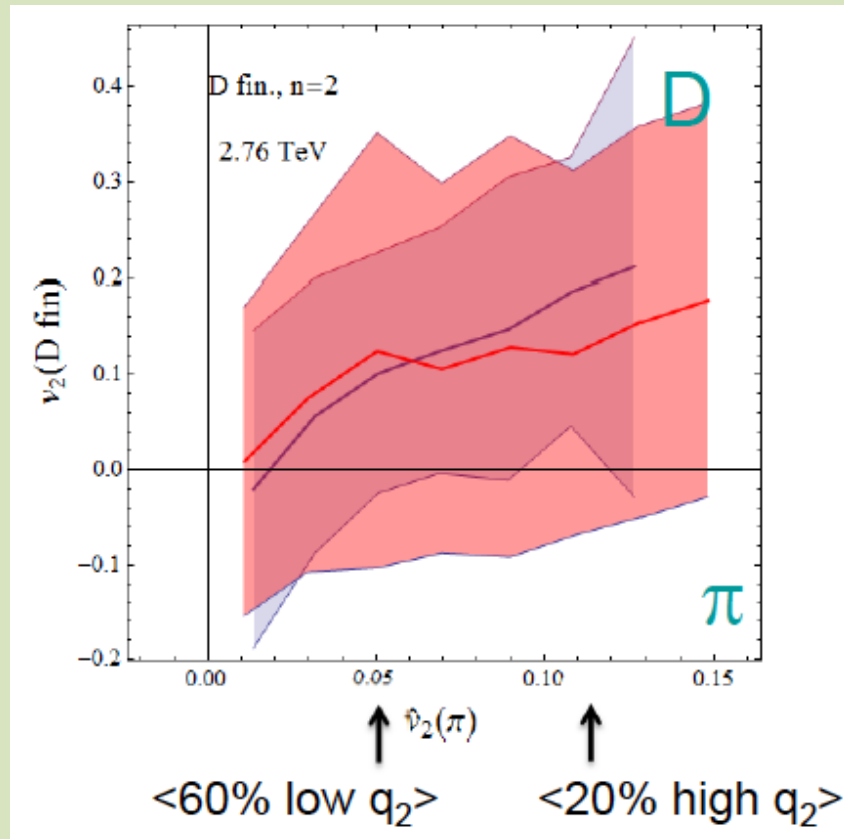


D meson – Pb+Pb@5.02 ATeV, 30-40%

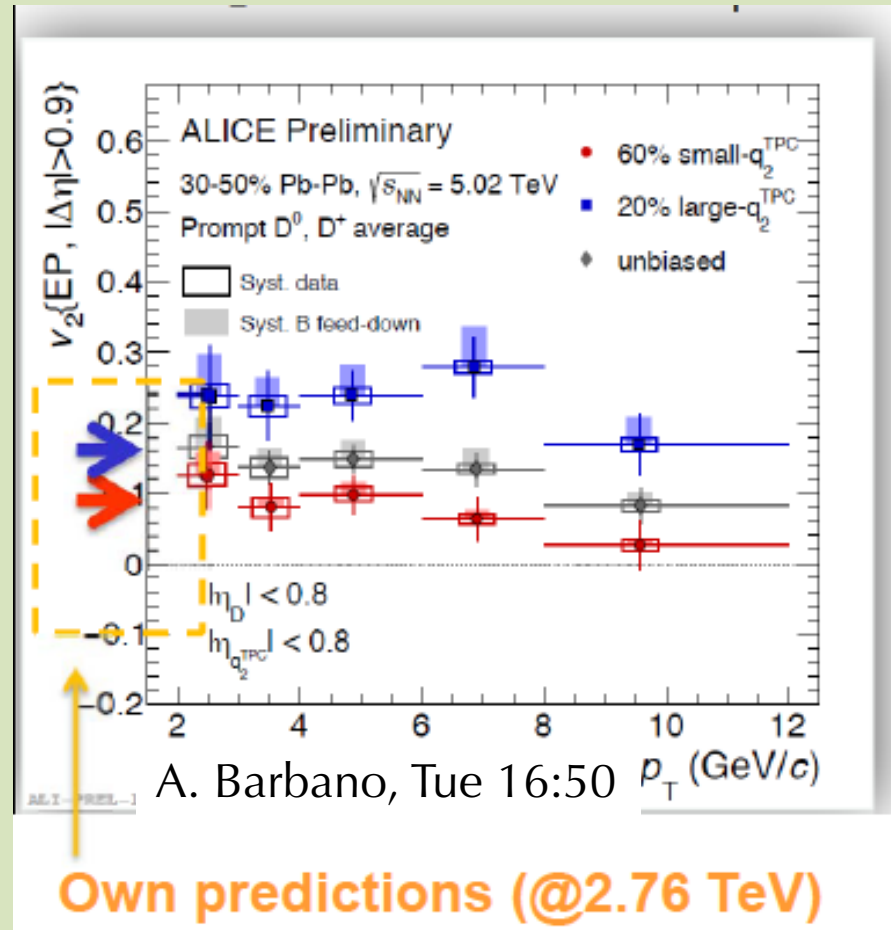
- ✧ R_{AA} of B and D appears to be the same!
- ✧ V_n linearly correlated with v_n bulk – **for D see ALICE, A.Barbano - Tue 16:50**
- ✧ v_3 show a persistence of the correlation with T dependence of E_{loss}
- ✧ $v_{2,3}\{2\}, v_{2,3}\{4\}, v_{2,3}\{6\}, v_{2,3}\{8\}$ all cumulants are equal $\rightarrow$ flow

How v_2 of D is build-up?

SUBATECH-Nantes [MC@sNLO + EPOS]

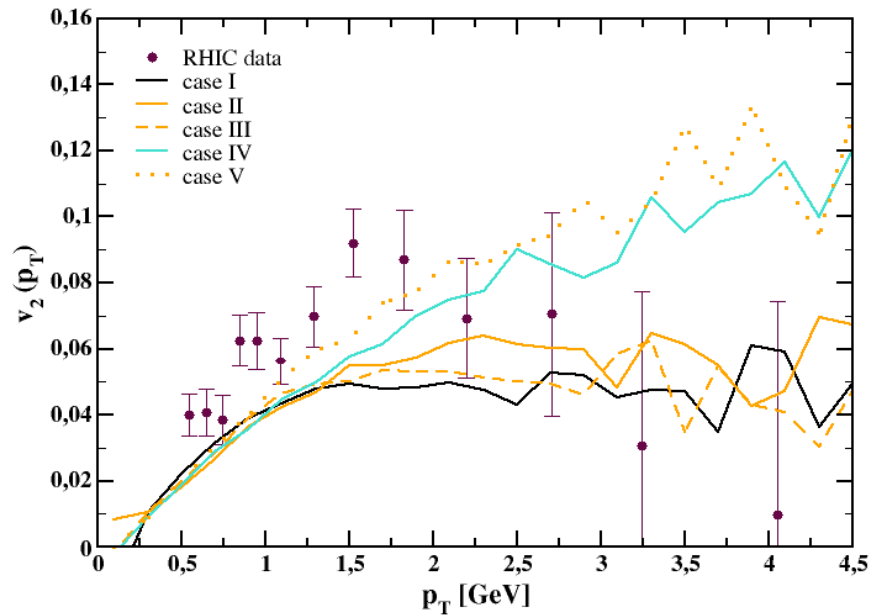
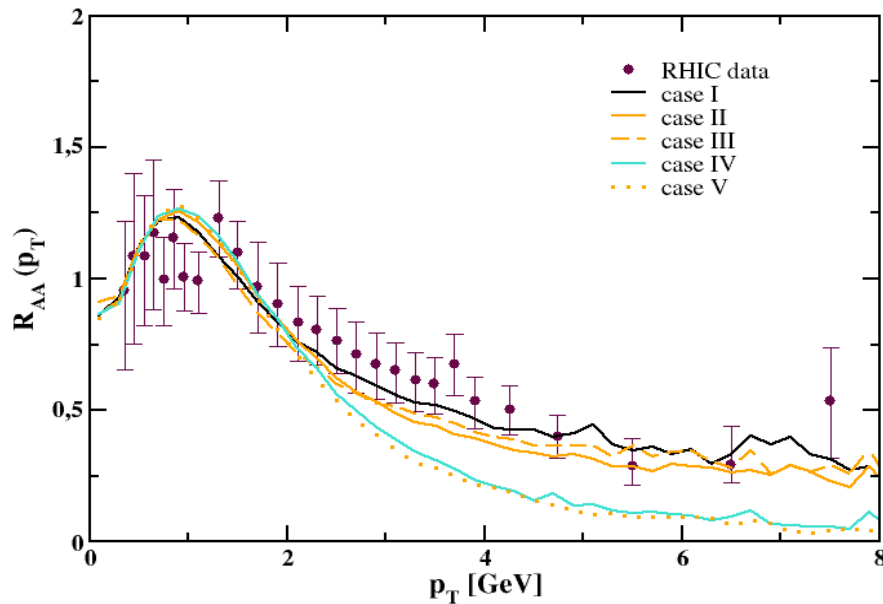


This is just the beginning of a new step forward, how we will learn from it ... next QM2018



Gossiaux over night calculation

Impact of FDT implementation for pQCD-LO



1) A and B_T (from pQCD No FDT, but $B_{||} = B_T$)

2) $B_{||} = B_T$ (pQCD) ; A (FDT)

$$A = \frac{B_T}{ET} - \frac{1}{p} \frac{\partial B_T}{\partial p}$$

3) A pQCD ; $D = B_{||} = B_T$ (FDT)

$$D = AET \quad \text{Post-Ito}$$

4) B_T and $B_{||}$ (pQCD) ; A FDT

$$A = \frac{1}{p} B_{||} \frac{1}{T} \frac{\partial E}{\partial p} - \frac{1}{p} \frac{\partial B_{||}}{\partial p} - \frac{(n-1)}{p^2} (B_{||} - B_{\perp})$$

5) $B_T = B_{||}$ (pQCD) ; A FDT

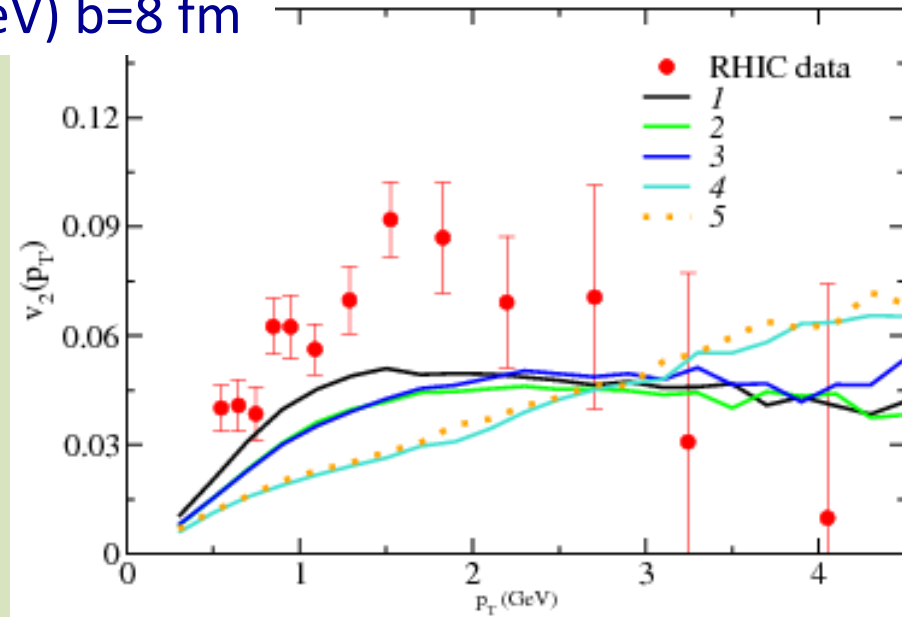
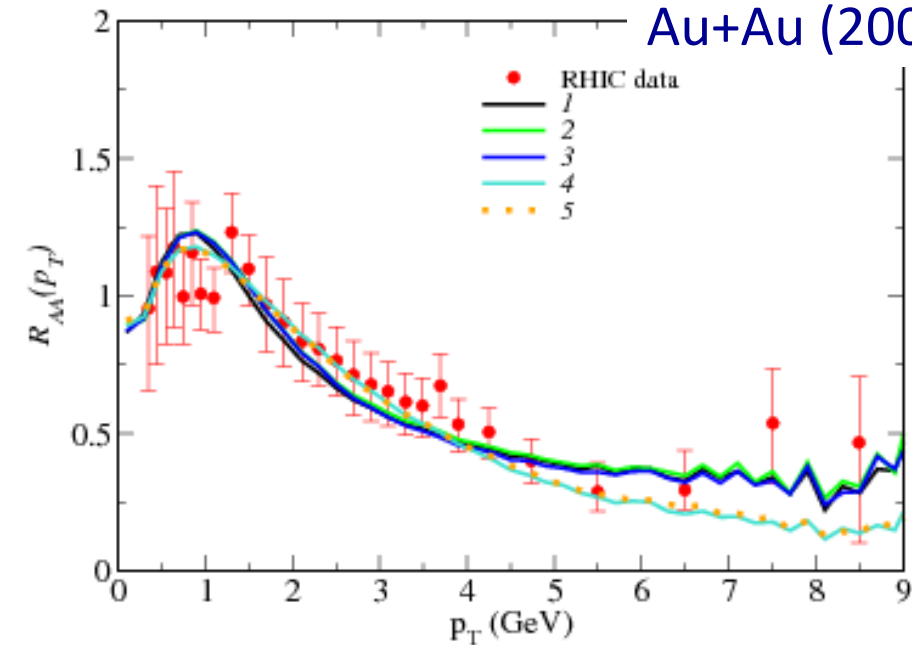
$$A = \frac{B_{||}}{ET} - \frac{1}{p} \frac{\partial B_{||}}{\partial p}$$

Shape of 1,2,3, similar to Boltzmann dynamics

Impact on R_{AA} and v_2 of the different form of FDT

Rescaling A and B to have the same R_{AA} at $p_T < 4$ GeV

Au+Au (200 GeV) $b=8$ fm



4) B_T and $B_{||}$ (pQCD) ; A FDT

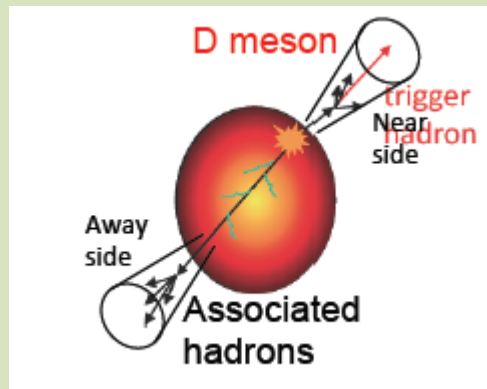
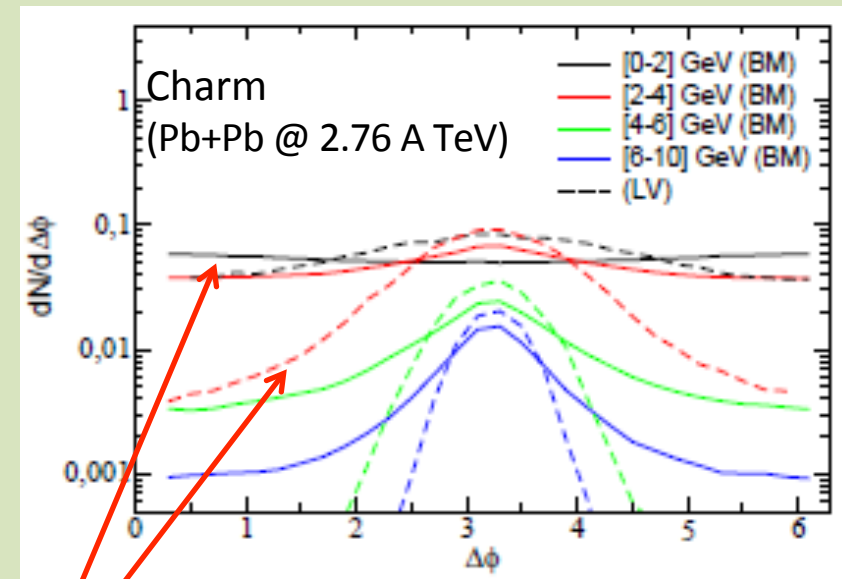
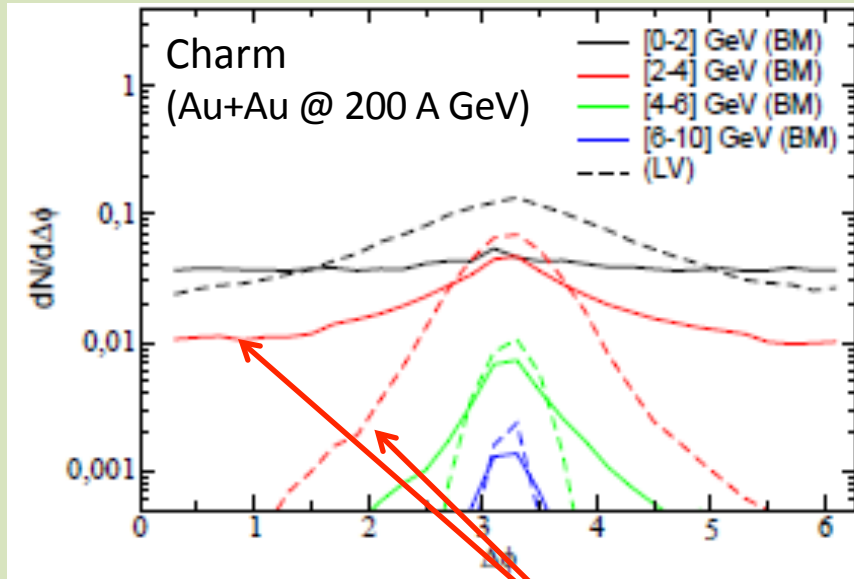
5) $B_T=B_{||}$ (pQCD) ; A FDT

If $B_{||}$ is evaluated from pQCD one has to reduce the drag and the diffusion by 50% but the p_T dependence of R_{AA} and v_2 is quite different

Langevin vs Boltzmann angular correlation

Initially the c-c and b-b are distributed back to back (LO)

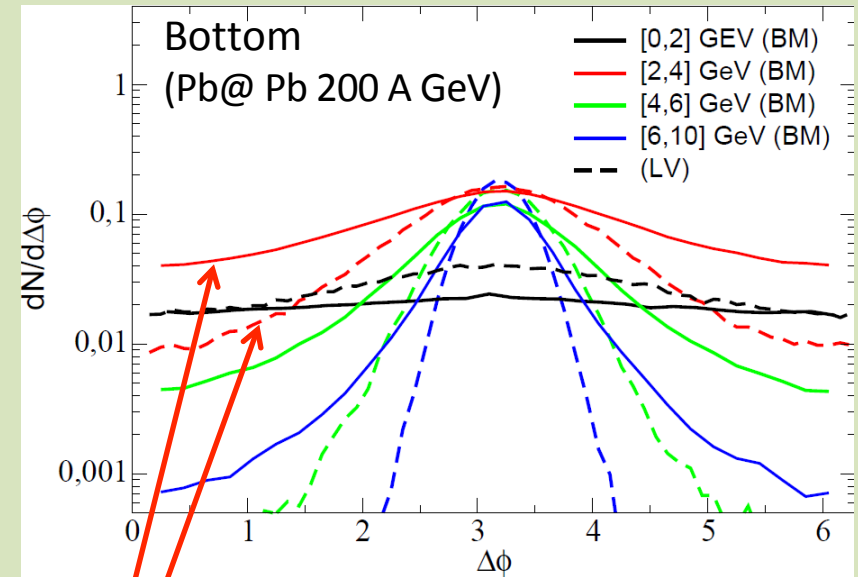
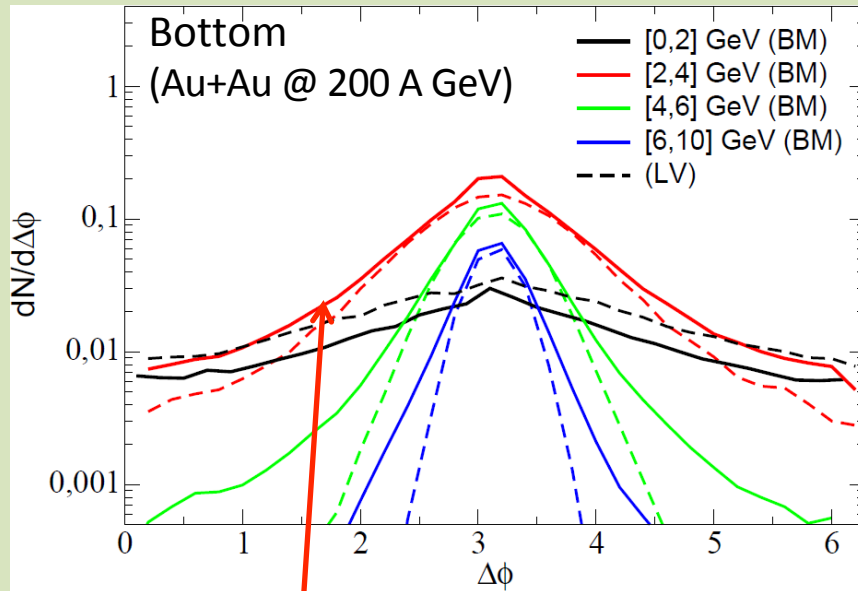
We have fixed the R_{AA} on exp. data for both the two approaches



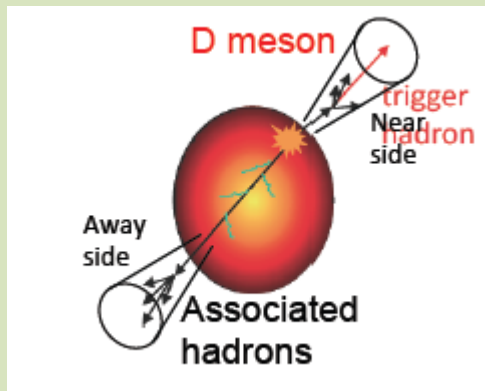
A difference of an order of magnitude

Langevin vs Boltzmann angular correlation

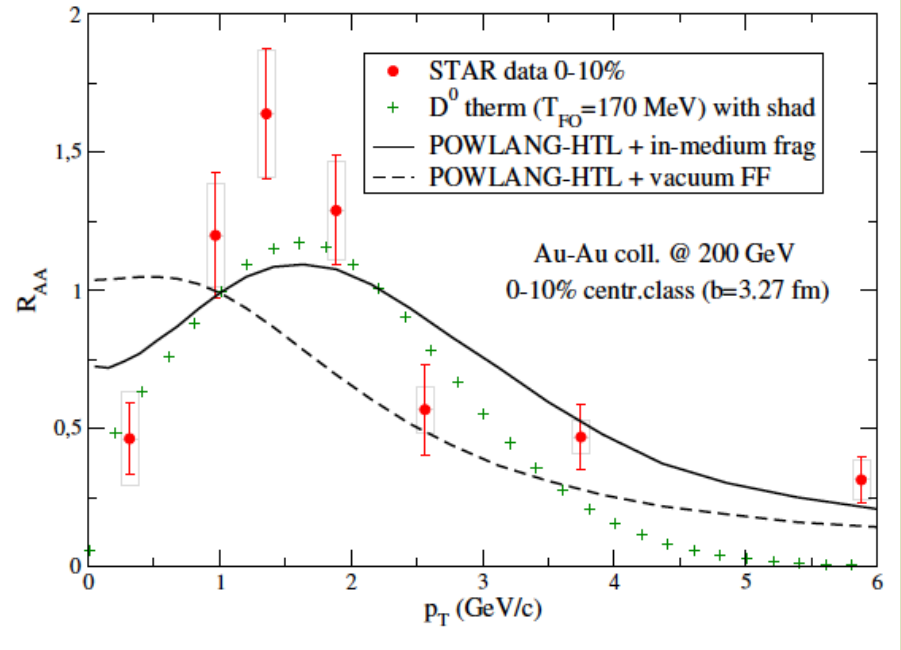
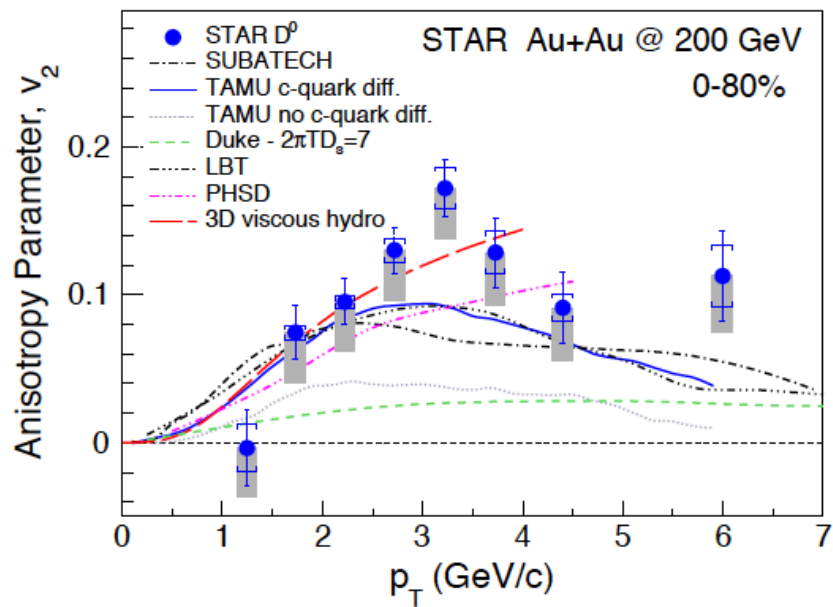
Initially the c-c and b-b are distributed back to back (LO)



There are not differences at RHIC

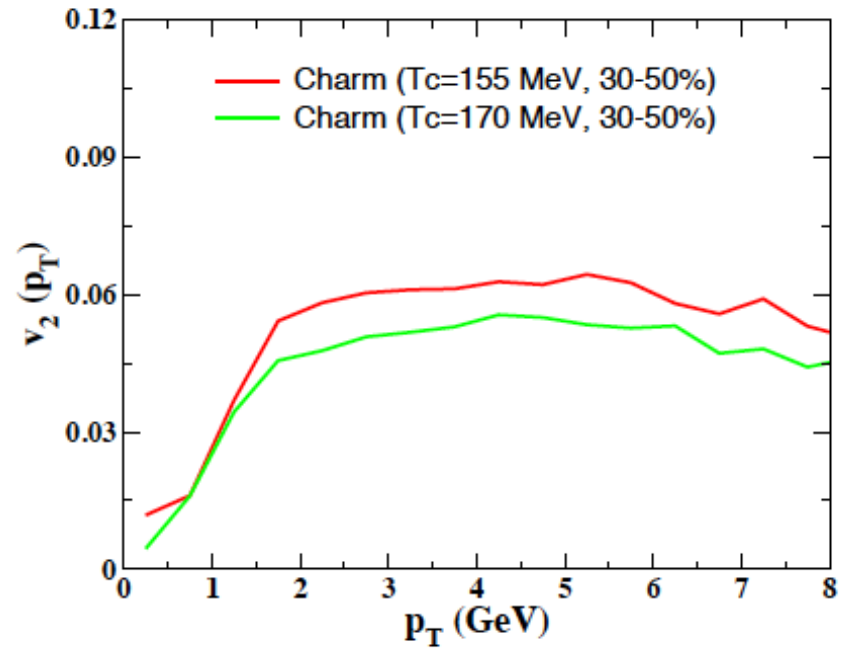
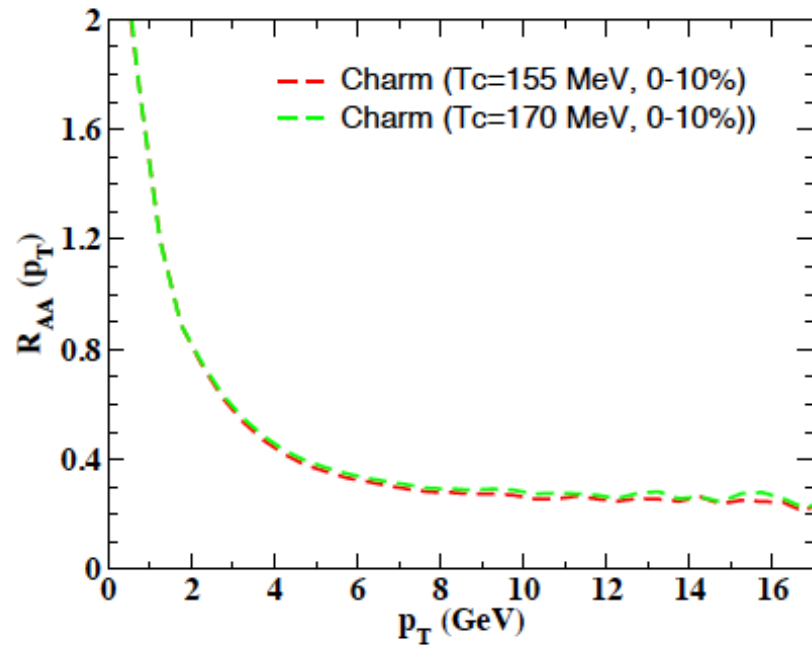


Significant differences at LHC



- Centrality bias
- R_{AA} is non-thermal
- We can see that $\gamma \approx T^2$ generates the smallest flow

Impact of different T_c



Two Main approaches in LV-FP

Post-point Ito (already assumed that $D_L = D_T = D$)

(1)

$$D[E(p)] = \Gamma(p)E(p)T, \quad (23)$$

$$\Gamma(p) = A(p) + \frac{1}{E(p)} \frac{\partial D[E(p)]}{\partial E}. \quad (24)$$

$A(p)$ from the
Scatt. matrix

One is not able to embed
into Langevin all the information
from the Scattering Matrix

(2)

$$\Gamma = A = \frac{1}{p} D_L \frac{1}{T} \frac{\partial E}{\partial p} - \frac{1}{p} \frac{\partial D_L}{\partial p} - \frac{(n-1)}{p^2} (D_L - D_T)$$

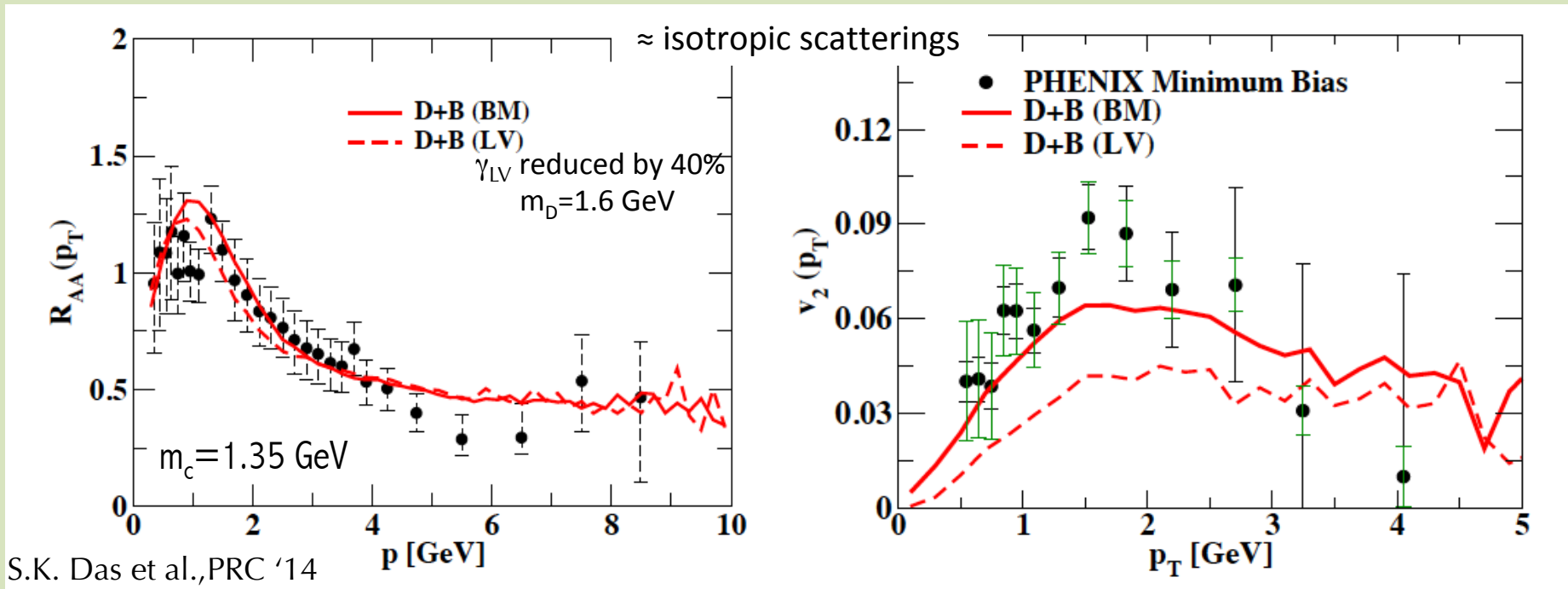
Both $D_L(p)$ & $D_T(p)$ from the scatt. matrix

$$\begin{aligned} \frac{\partial}{\partial t} f(t, \mathbf{p}) &= \frac{\partial}{\partial n_i} \left\{ \Gamma(p) p_i f(t, \mathbf{p}) + D(p) \frac{\partial}{\partial n_i} f(t, \mathbf{p}) \right\} \\ dx_j &= \frac{p_j}{E} dt, \\ dp_j &= -\Gamma(p, T) p_j dt + \sqrt{dt} C_{jk}(\mathbf{p} + \xi d\mathbf{p}, T) \rho_k \end{aligned}$$

Are there differences coming from BM vs LV?

Most of the groups start from drag γ or from D_T (not D_L)

This choice is more in line with Boltzmann that not having the FDT issue,
can serve as a guide...



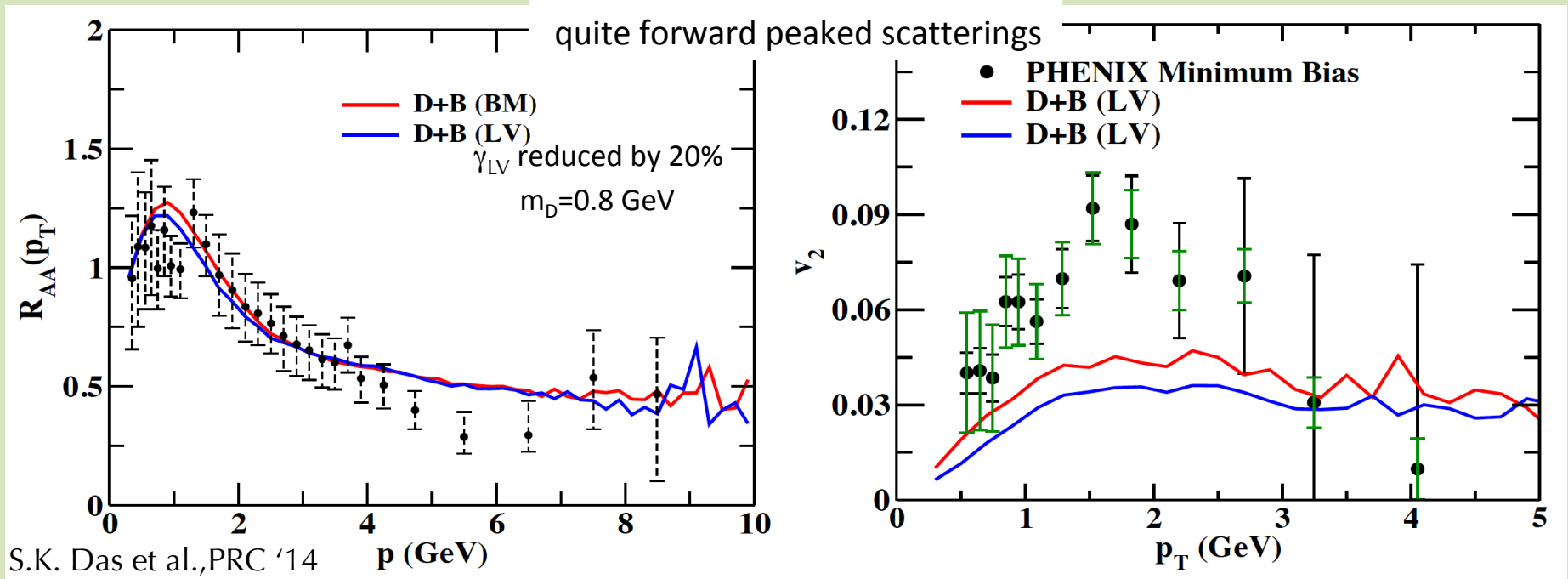
BM and LV $\rightarrow R_{AA}(p_T)$ shaper nearly identical:

- but Drag γ has to be reduced by 15-40% *depending on m_c & $d\sigma_{gQ}/d\Theta$*
- Larger $v_2(p_T) \approx 10$ -30% again *depending on m_c & $d\sigma/d\Theta$*

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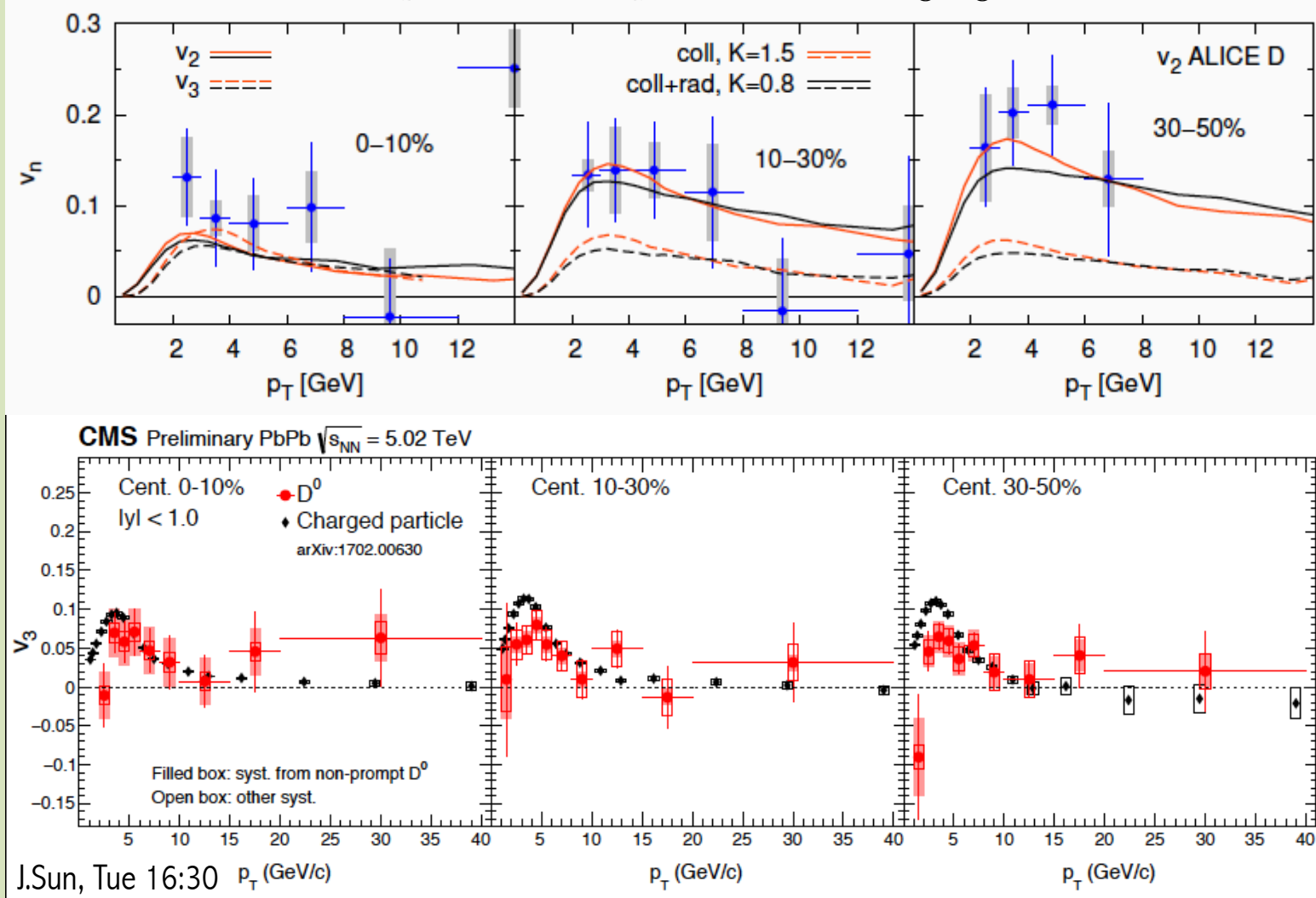
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- Larger $v_2(p_T) \approx 10$ -30% again depending on m_c & $d\sigma/d\Theta$

V_3 with e-b-e hydro bulk

SUBATECH-Nantes [MC@sNLO]

M. Nahrgang et al., PRC91(2015)



Will v_3 constraint more Ds, hadronization, incomplete coupling to medium...?

Linearized Boltzmann: Coll.+Rad.

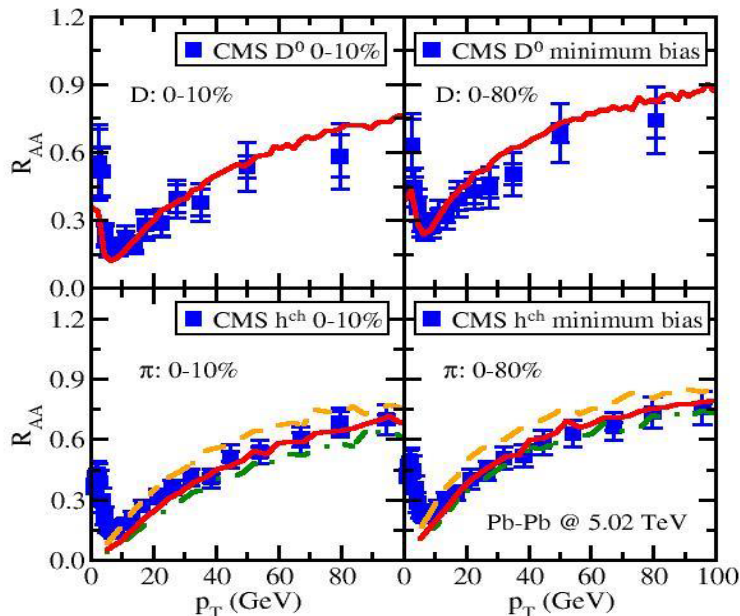
S. Cao, Tue 18:10

Linearized Boltzmann Transport : Rad.(pQCD) + Coll. E_{loss}
 Inelastic Scatt. probability based on the average number of medium-induced gluon
Spectrum of medium-induced gluon (Higher-Twist formalism):

$$\frac{dN_g}{dx dk_{\perp}^2 dt} = \frac{2\alpha_s C_A P(x)}{\pi k_{\perp}^4} \hat{q} \left(\frac{k_{\perp}^2}{k_{\perp}^2 + x^2 M^2} \right)^4 \sin^2 \left(\frac{t - t_i}{2\tau_f} \right) \quad [\text{Guo-Wang (2000), Majumder (2012); Zhang, Wang-Wang (2004)}]$$

Number n of radiated gluons during Δt – Poisson distribution:

$$P(n) = \frac{\langle N_g \rangle^n}{n!} e^{-\langle N_g \rangle} \quad P_{\text{inel}} = 1 - e^{-\langle N_g \rangle} \quad [\text{S.Cao, Luo, Qin and Wang, arXiv: 1605.06447}]$$



Strong points:

- ✧ Both heavy and light
- ✧ Both radiative and collisional
- ✧ Realistic hydro background

Linearized Boltzmann: Coll.+Rad.

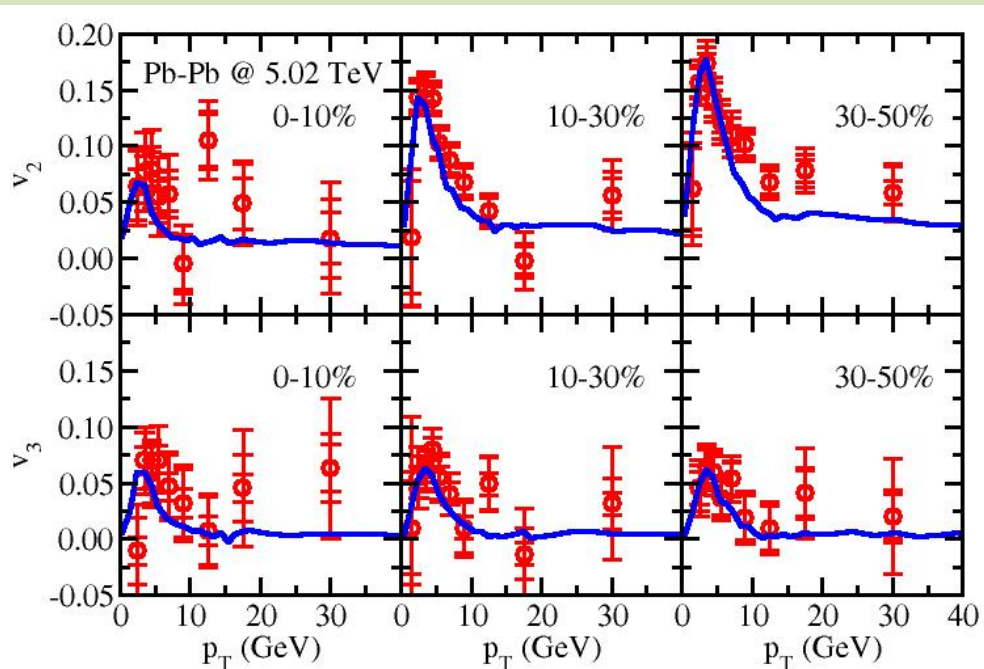
S. Cao, Tue 18:10

Linearized Boltzmann Transport : Rad.(pQCD) + Coll. E_{loss}
 Inelastic Scatt. probability based on the average number of medium-induced gluon
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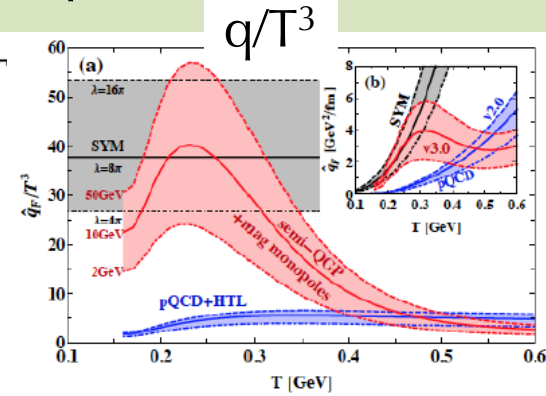
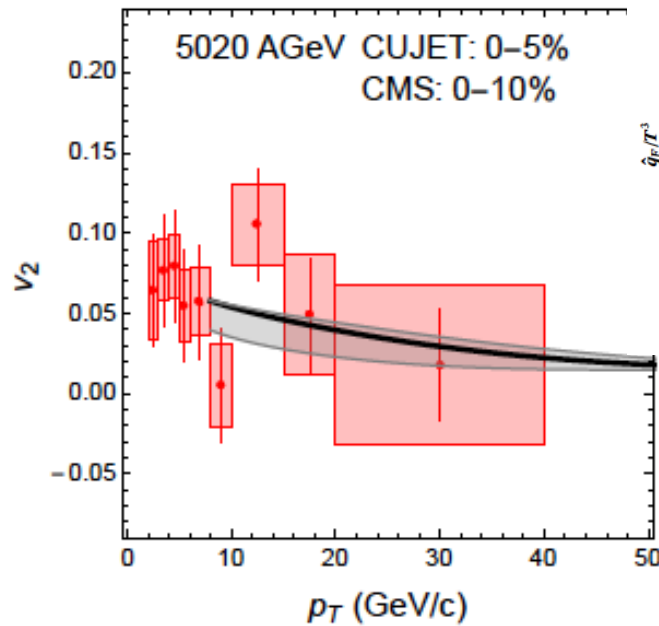
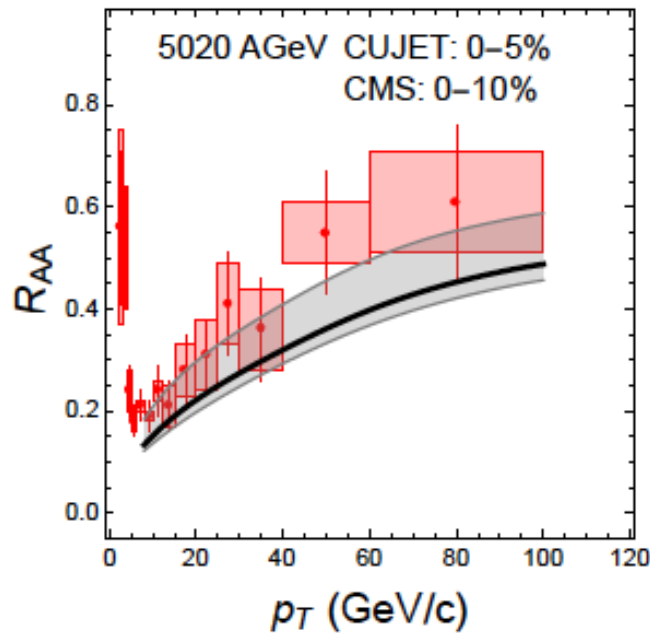


Strong points:

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CUJET3.0 on HF [high p_T]

CUJET3.0: a simulation framework based on a microscopic picture of Semi-quark-gluon **monopole plasma**. E_{loss} from DGLV plus magnetic mass effect. Implement **non-pQCD physics near T_c** due to monopoles

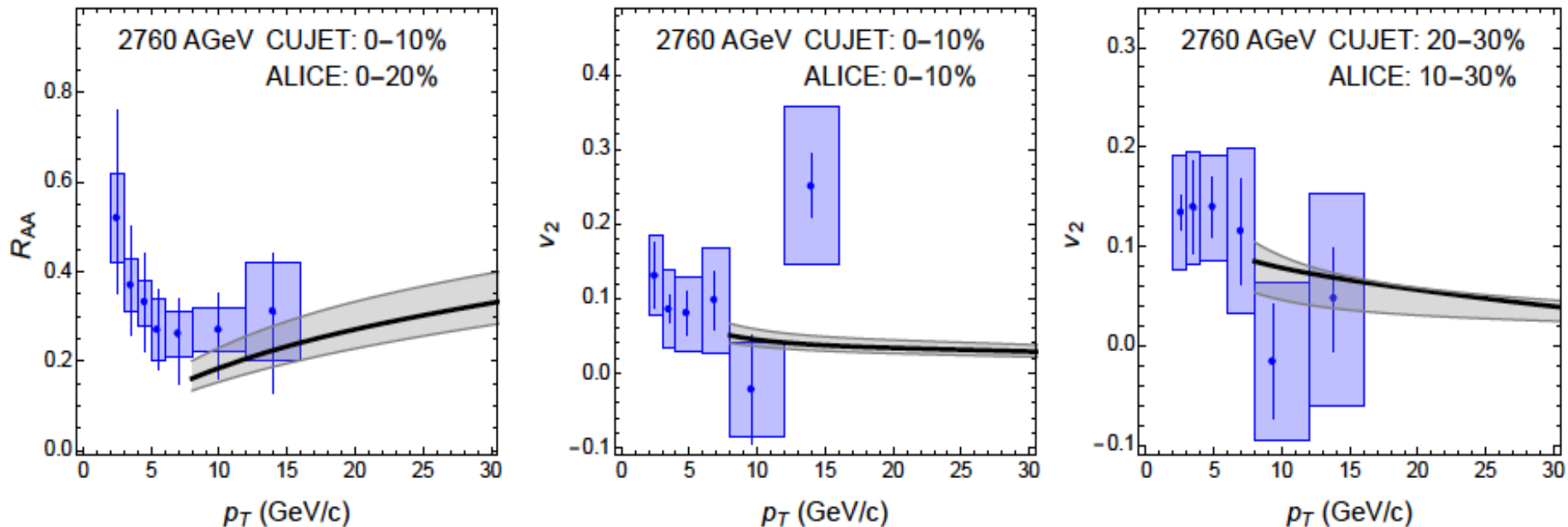


First predictions on HF (independent test) with no parameter calibration within error bars nice description of R_{AA} and V_2 at high p_T .

[S. Shi, J. Xu, J. Liao, M. Gyulassy, in preparation]

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Open HQ in soft-collinear effective theory

- ✧ A new **effective theory [power counting in p_T/Q]** derived that describes the propagation of HQ in a background QCD medium – SCET_{M,G}

Z. Kang et al. ArXiv: 1610.02043, JHEP submitted

- ✧ Role of mass understood in the vacuum and the medium to 1st order in opacity beyond the soft gluon approximation, but reduce to GLV in that limit

Massive splitting function with dead cone

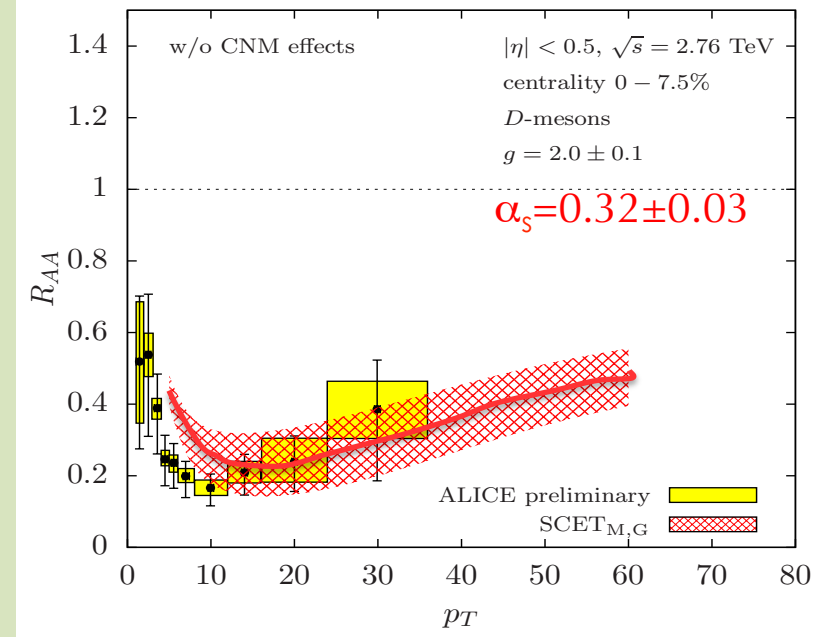
Consistent full NLO calculation

$$d\sigma_{PbPb}^H = d\sigma_{pp}^{H,NLO} + d\sigma_{PbPb}^{H,med}$$

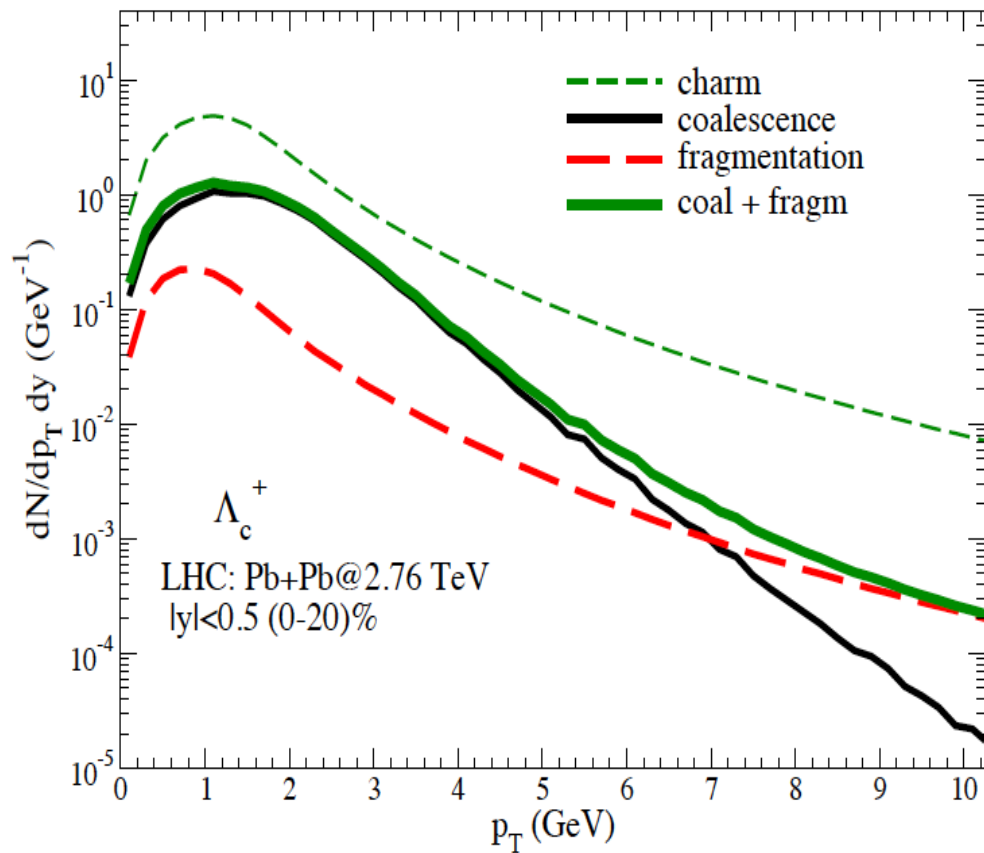
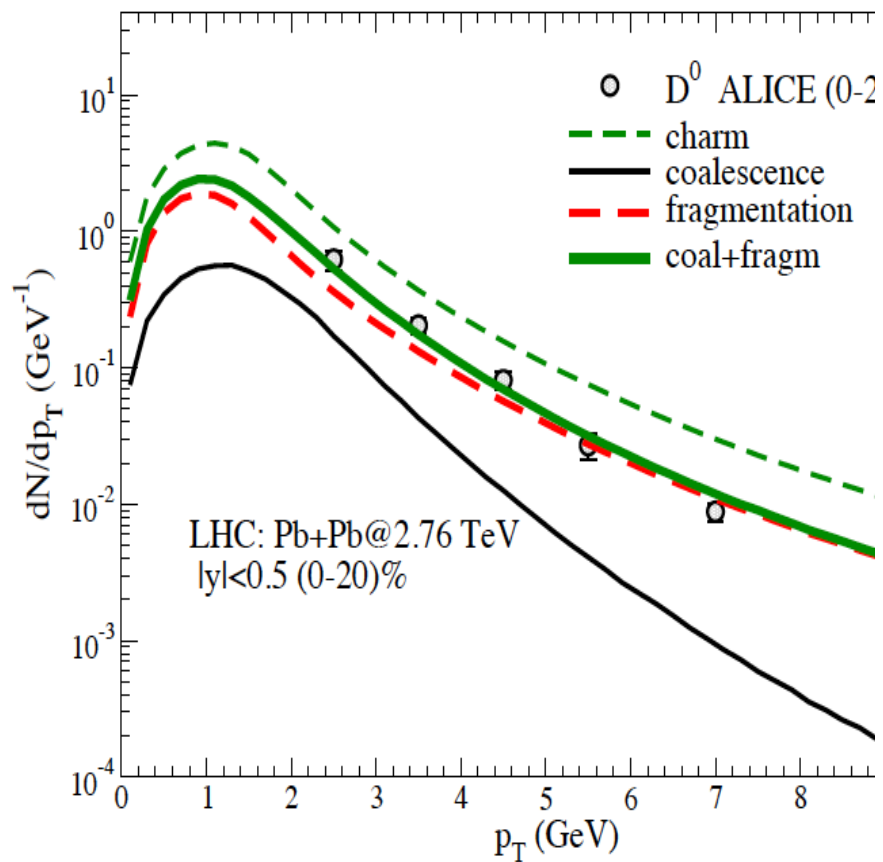
$$\sum_j \hat{\sigma}_i^{(0)} \otimes \mathcal{P}_{i \rightarrow jk}^{med} \otimes D_j^H \equiv \hat{\sigma}_i^{(0)} \otimes D_i^{H,med}$$

Gluon fragmentation plays an important role in the lower p_T range R. Sharma et al. PRC (2009)

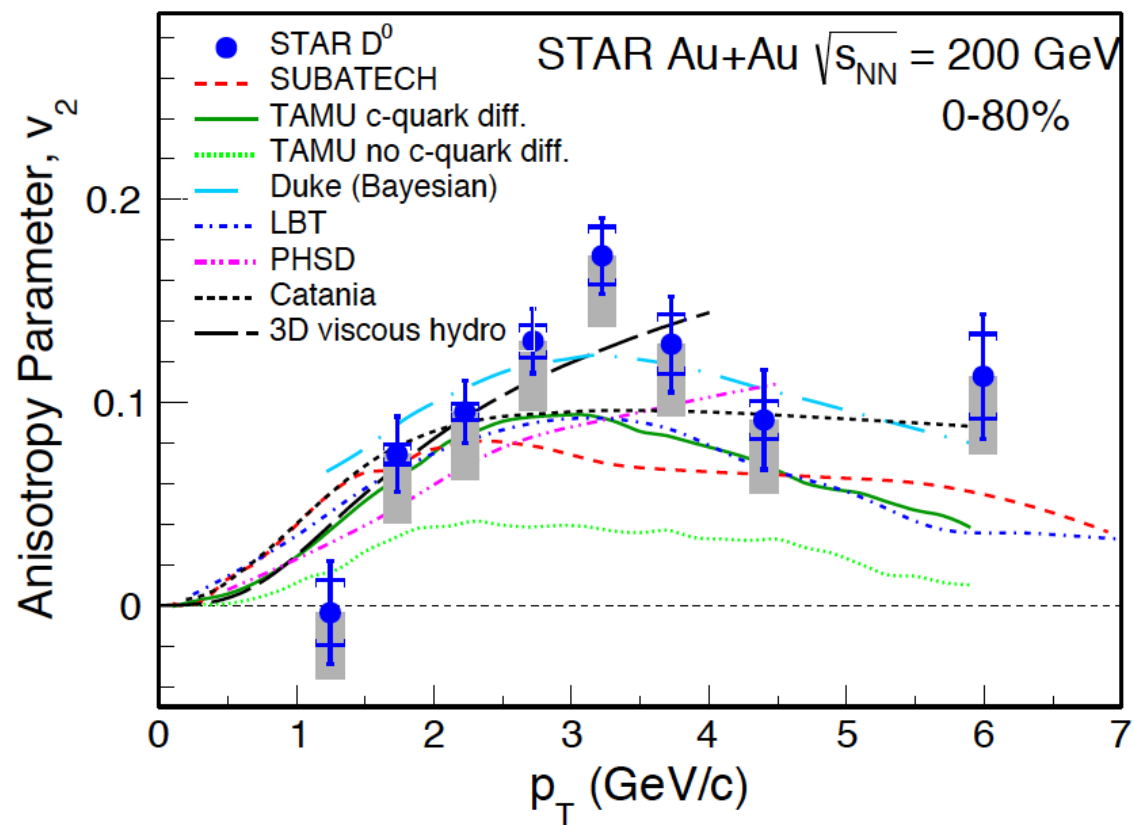
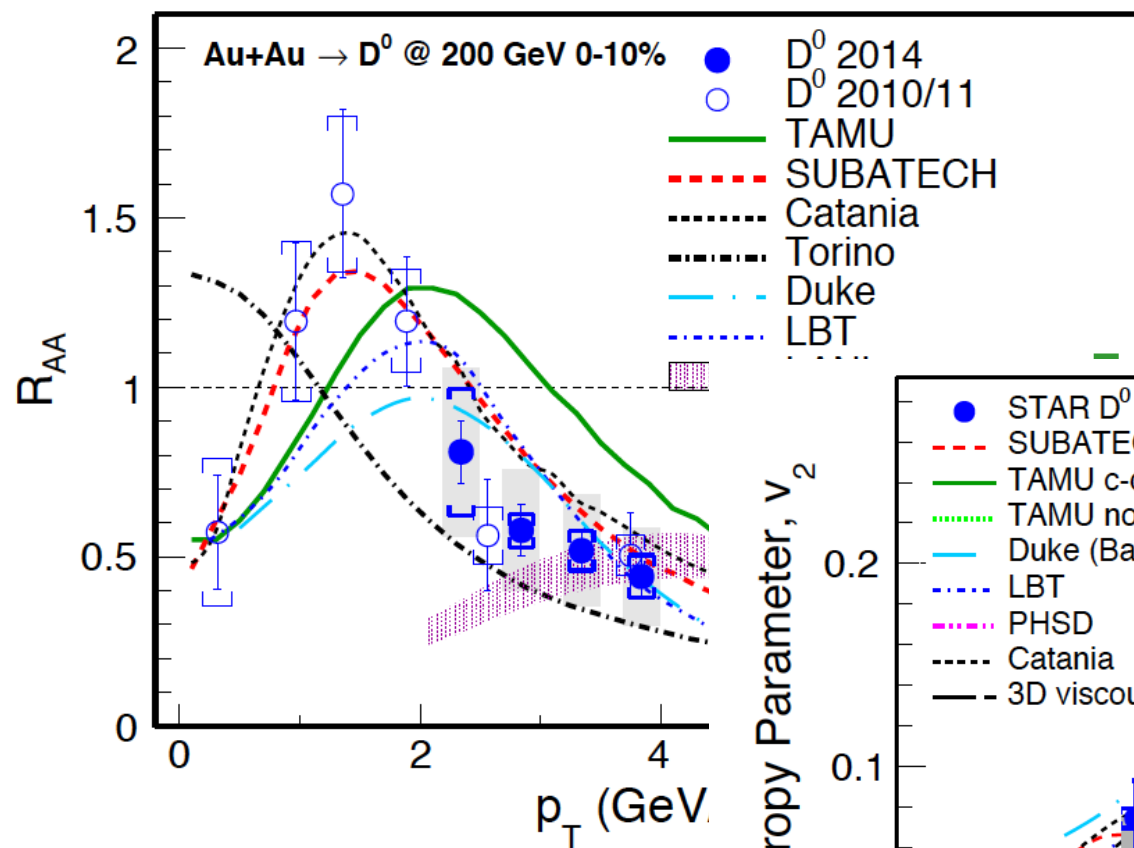
$$\left(\frac{dN}{dx d^2k_\perp} \right)_{Q \rightarrow Qg} = C_F \frac{\alpha_s}{\pi^2} \frac{1}{k_\perp^2 + x^2 m^2} \left[\frac{1-x+x^2/2}{x} - \frac{x(1-x)m^2}{k_\perp^2 + x^2 m^2} \right]$$

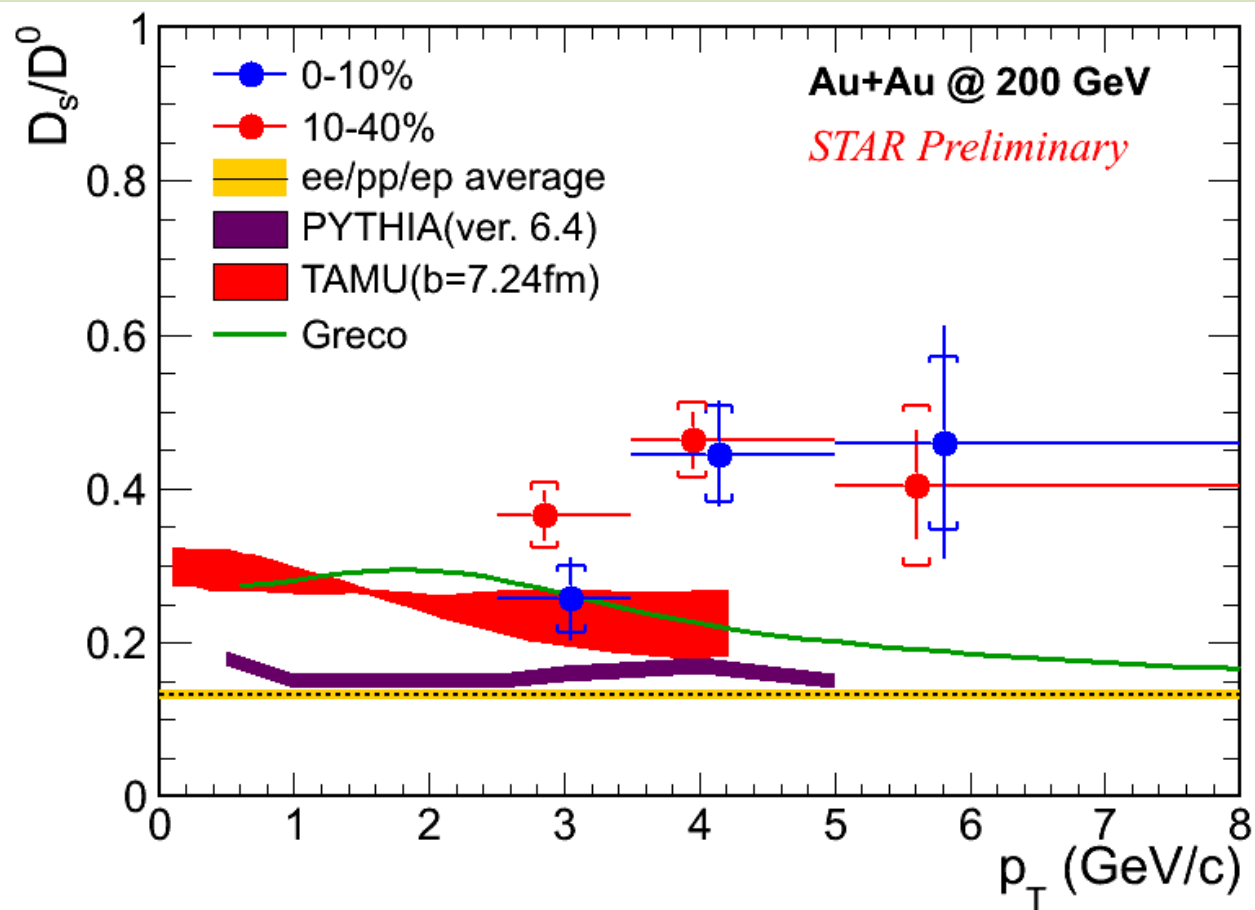


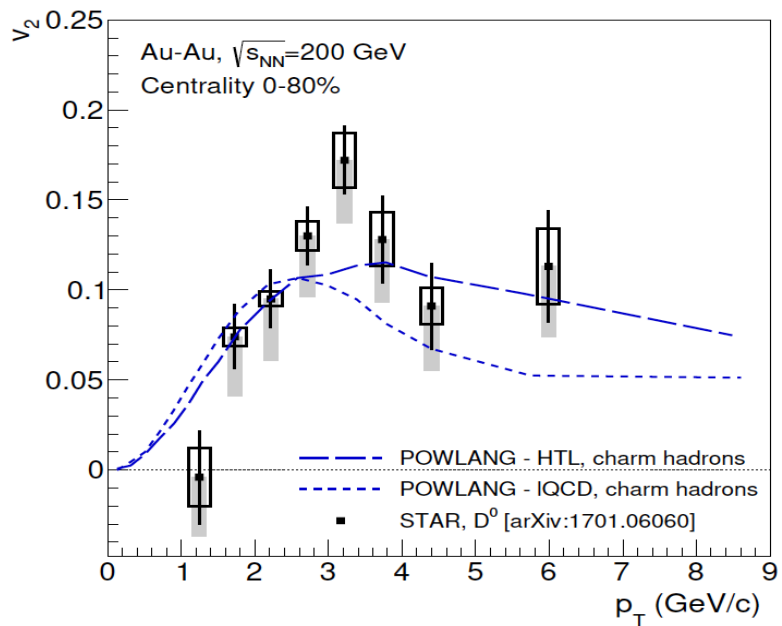
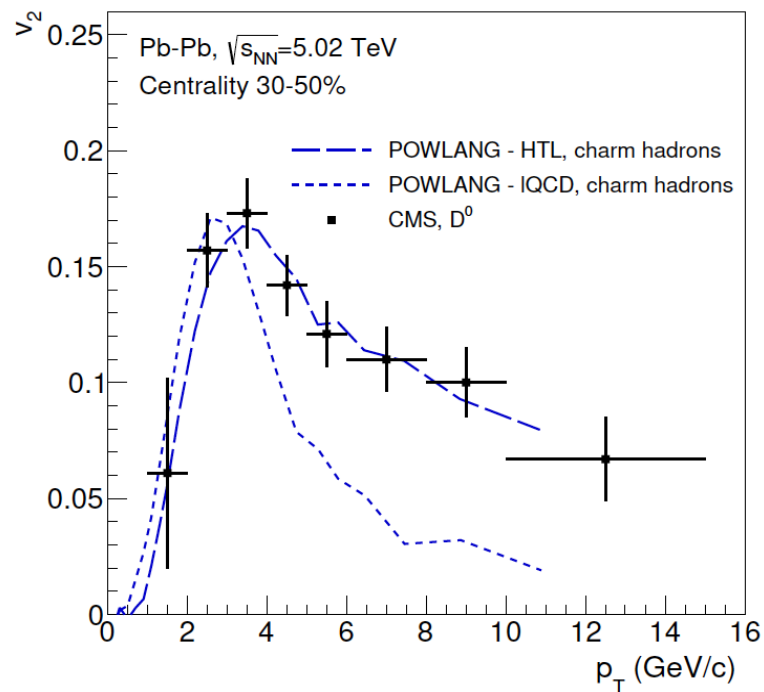
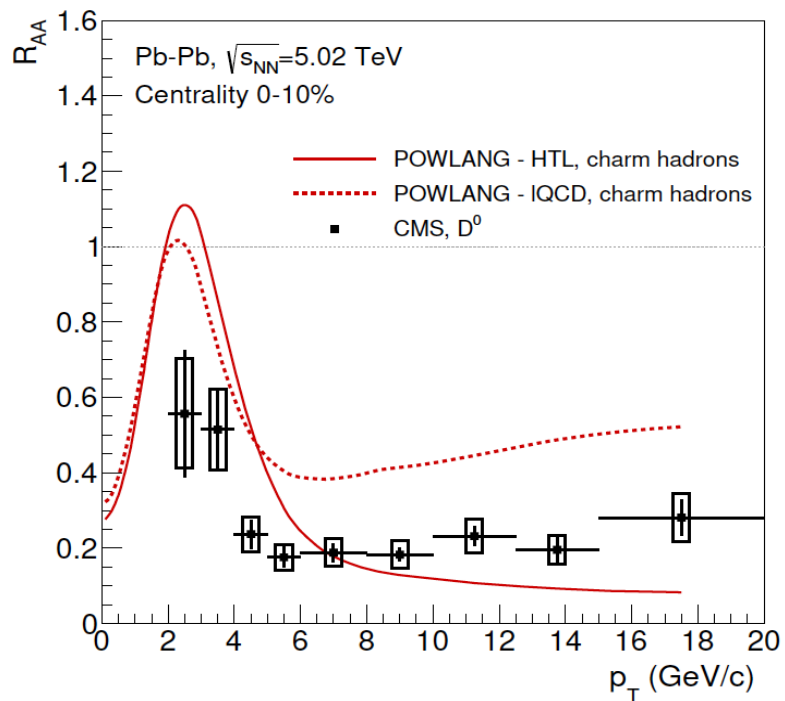
At lower p_T including collisional
Dissociation of D meson ($\tau_D = \tau_0 * E/m_D$)



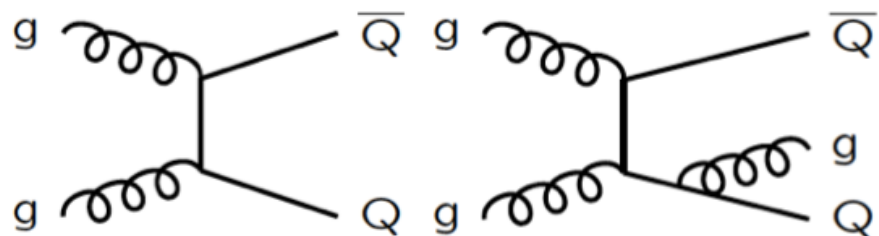
S. Plumari et al, ArXiv:1712.****



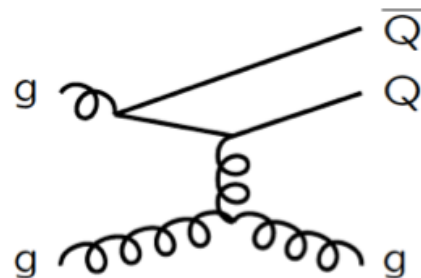




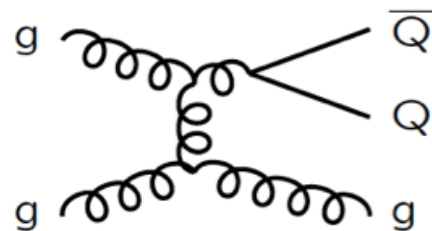
Pair Creation

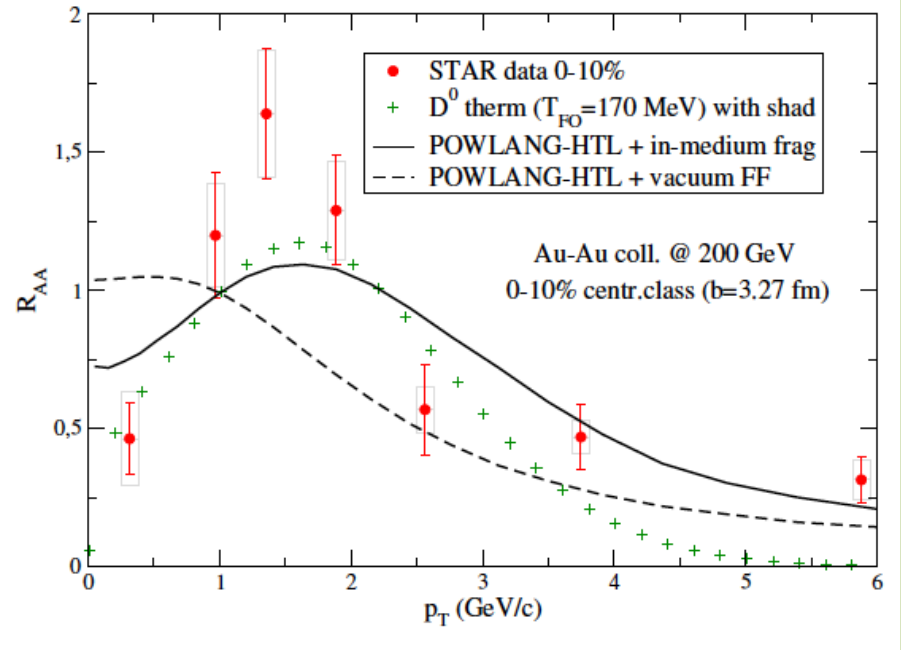
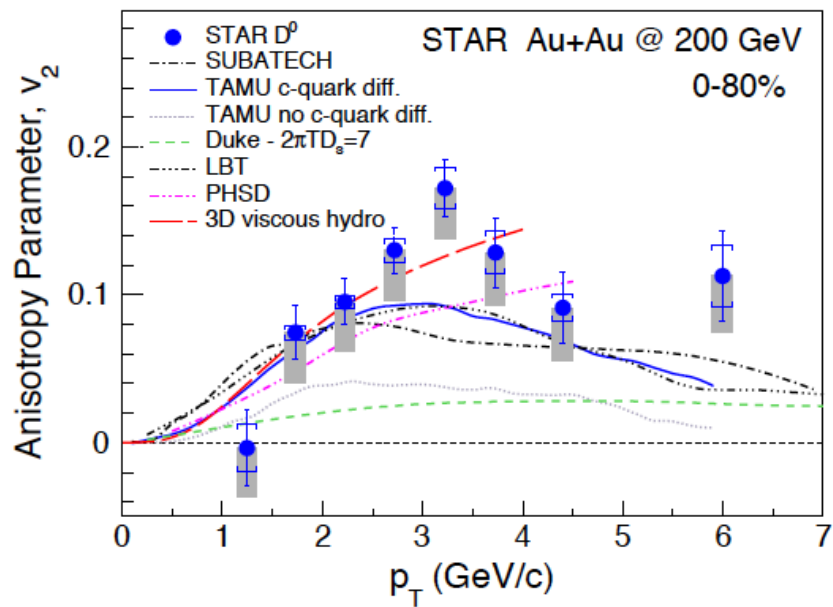


Flavor Excitation



Gluon Splitting





- Centrality bias
- R_{AA} is non-thermal
- We can see that $\gamma \approx T^2$
generates the smallest flow