

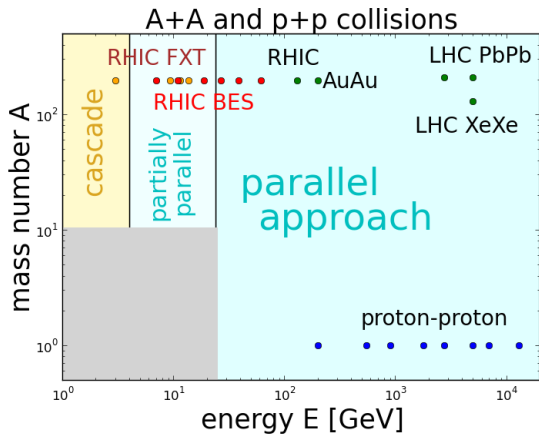
# EPOS4

## A MC tool for high-energy scatterings

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- Released few weeks ago  
<https://klaus.pages.in2p3.fr/epos4/>  
thanks Laurent Aphecetche for explaining gitlab pages, nextjs etc  
thanks Damien Vintache for managing installation/technical issues
- a full general purpose approach, public, and testable**
- tested (by myself) for 4 GeV - 13000 GeV,  
pp to PbPb, light / heavy flavor, collective / hard**
- Papers coming soon**

# Parallel vs sequential scattering (primary interactions)



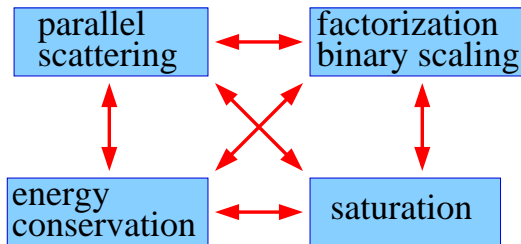
Points  
(besides FXT):  
Epos  
comparisons  
to data

**From very elementary time scale arguments:  
parallel scheme needed everywhere beyond 25 AGeV,  
partly beyond 4AGeV**

## New insight into pp and AA scattering

- We **MUST** implement parallel scattering
- Appropriate tool: S-matrix theory

**We reveal a deep connection between four crucial concepts**



**missing out one spoils the whole picture**

In EPOS<4, we could never accommodate all of them

Factorization / binary scaling is not “assumed”, it must come out!

## EPOS S-matrix approach:

**Parallel “Pomerons” structure of  $T$  for pp** ( $T = T_{ii}$ , elastic  $^*$ ):

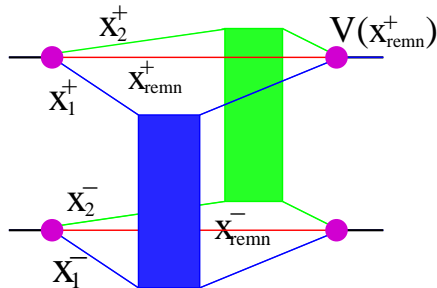
$$iT = \int_{\text{momenta}} \sum_k \frac{1}{k!} V \times \{iT_{\text{Pom}} \times \dots \times iT_{\text{Pom}}\} \times V$$

with  $V$  representing connection to projectile / target remnant

**Energy-momentum conservation**  
 $x_i^\pm$  light-cone momentum fractions

$$x_{\text{remn}}^\pm = 1 - \sum x_i^\pm$$

the boxes contain ... whatever  
 in our case: parton ladders, i.e.  
 all the pQCD part



$$x_{\text{PE},i} = x_i^+ x_i^- \approx s_{\text{Pom},i} / s_{\text{tot}}$$

$^*$ ) Relation S-matrix - T-matrix:  $S_{fi} = \delta_{fi} + i(2\pi)^4 \delta(p_f - p_i) T_{fi}$ ;  $T = T_{ii}$

## Generalisation for pA and AA: trivial \*)

**Just a product of pp expressions:**

$$iT = \int_{\text{momenta}} \prod_{i=1}^A V \prod_{n=1}^{AB} \left\{ \sum_k \frac{1}{k!} \{iT_{\text{Pom}} \times \dots \times iT_{\text{Pom}}\} \right\} \prod_{j=1}^B V$$

**which does NOT mean at all superposition of pp collisions!**

**Completely parallel!**

**No collision sequence!**

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\*) conceptually trivial ... but we have 10 000 000 dimensional non-separable integrals

Connection with inelastic scattering (“optical theorem”)

$$2s \sigma_{\text{tot}} = \frac{1}{i} \text{disc } T = \text{“cut diagram”}$$

so we need to compute the “cut” of the complete diagram, i.e. for pp:

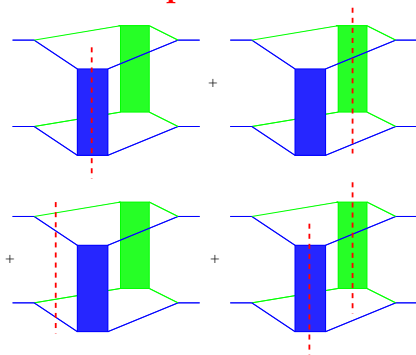
$$\frac{1}{i} \text{disc} \{ V \times iT_{\text{Pom}} \times \dots \times iT_{\text{Pom}} \times V \}$$

and a “cut” multi-Pomeron diagram = sum of all possible cuts

gives a sum of positive and negative terms (which we sum up)

-> interference,  
cancellations!

**Absolutely crucial!!!**

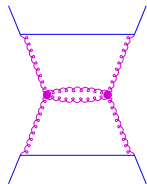


## Simple example

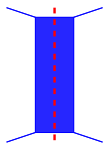
Uncut diagram:



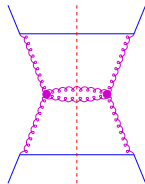
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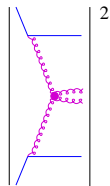
Cut diagram:

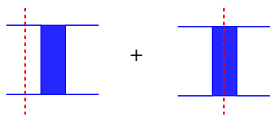


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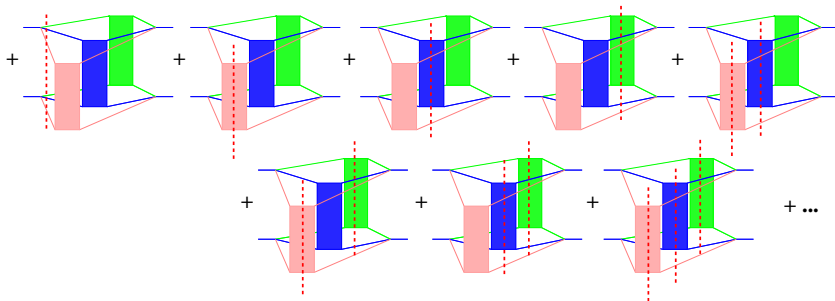
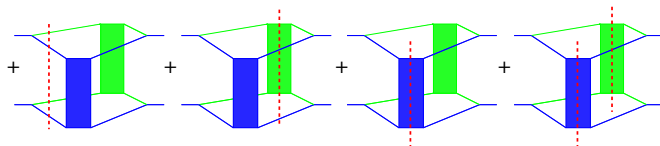


corresponds to:





**All the diagrams  
which contribute to pp**

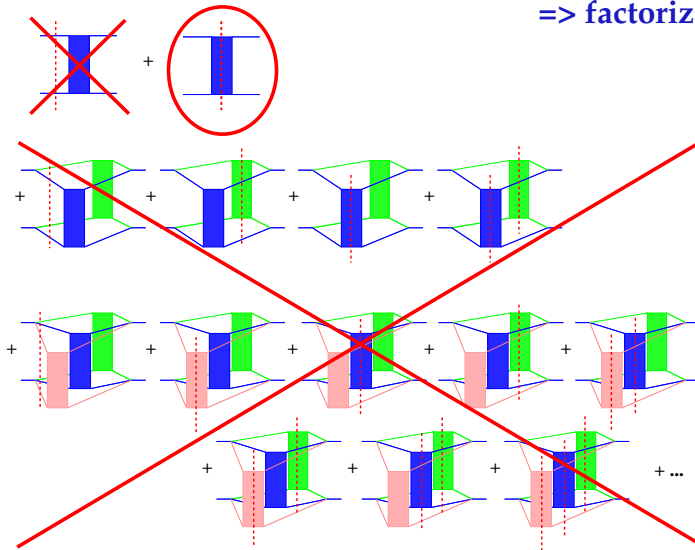




## Ignoring energy conservation:

For inclusive cross sections everything cancels - up to one diagram

=> factorization



... one can prove (rigorously) for pt spectra in pp scattering

$$\frac{d\sigma_{\text{incl}}^{pp}}{dp_t} = \frac{d\sigma_{\text{incl}}^{\text{single Pom}}}{dp_t}$$

which means factorization (treating the cancellations is trivial)

and for AB scattering:

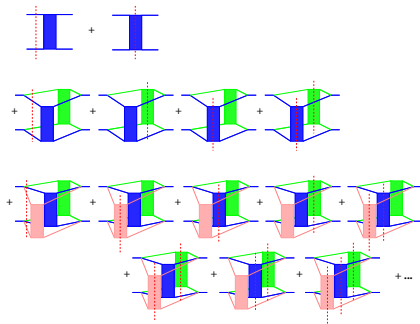
$$\frac{d\sigma_{\text{incl}}^{AB}}{dp_t} = AB \frac{d\sigma_{\text{incl}}^{\text{single Pom}}}{dp_t}$$

which means binary scaling

**Great ... but getting factorization /binary scaling ALWAYS (large and small pt) is not so great ...**

so we better keep energy conservation, but here the “cancellation issues” become complicated

## The difficulty is



- to keep all diagrams
- make sure that they cancel where they should do so:**  
for inclusive cross sections, for “hard probes”
- make sure that energy conservation does not spoil factorization in that case**  
(like in EPOS LHC)

### To achieve this

- precision concerning the pQCD calculations**
- good strategy to implement saturation**  
to cure the factorization issues spoiled by energy conservation

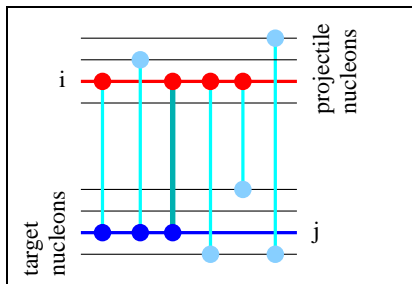
For a given Pomeron, connecting  
projectile nucleon  $i$  and  
target nucleon  $j$

define:

$$N_{\text{conn}} = \frac{N_P + N_T}{2}$$

$N_P$  = number of Pomerons connected to  $i$

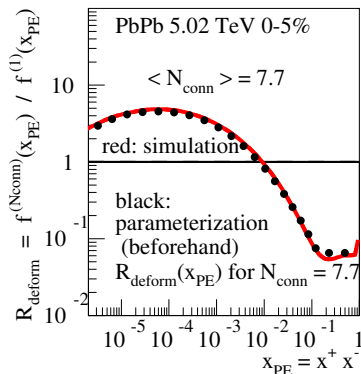
$N_T$  = number of Pomerons connected to  $j$



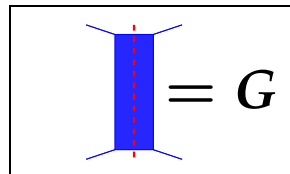
The  $x_{PE}$  (Pomeron energy squared)  
distribution for  $N_{\text{conn}} > 1$  will be  
"deformed" wrt the case  $N_{\text{conn}} = 1$

$$R_{\text{deform}} = f^{(N_{\text{conn}})} / f^{(1)} \neq 1$$

But we are able to parameterize the  
"deformation" beforehand(!)  
(iterative process, converges fast)  
for all systems, all centrality classes



Now we can define the “box”, called “cut Pomeron” and named  $G(x^+, x^-, s, b)$  the crucial building block used in the multi-Pomeron expressions (pp,AA)



For each cut Pomeron, for given  $x^\pm$ ,  $s$ , and  $b$ , and for a given functional dependence  $G_{\text{QCD}}(Q^2, x^+, x^-, s, b)$  with  $G_{\text{QCD}} = \text{DGLAP parton ladder}$ , with  $Q^2$  being the low virtuality cutoff

**we postulate:**

$$G(x^+, x^-, s, b) = \frac{1}{R_{\text{deform}}(x_{\text{PE}})} \times f \times G_{\text{QCD}}(Q_{\text{sat}}^2, x^+, x^-, s, b)$$

**with  $Q_{\text{sat}}^2$  depending on  $x^+$ ,  $x^-$  and  $N_{\text{conn}}$**   
 ( $f$  is a normalization depending linearly on  $N_{\text{conn}}$ )

**which assures factorization and binary scaling, for hard processes!**  
 For large  $N_{\text{conn}}$ , low  $p_t$  is suppressed, the Pomeron gets “hard”.

How the different “concepts” affect factorization  
 – in terms of  $R_{AA}$  – in our “parallel scattering scenario”

energy conservation	dynamical saturation	resulting $R_{AA}$ vs pt
No	No	1 everywhere ☹️
Yes	No	< 1 everywhere ☹️
Yes	Yes	< 1 at small pt 1 at large pt 😊

The approximate so-called  $N_{part}$  scaling at low pt in AA scattering,

$$\text{Multiplicity} \propto N_{part}$$

is in reality simply screening (saturation) of binary scatterings

$$\text{Multiplicity} \propto N_{coll} \times f_{screen}(N_{coll})$$

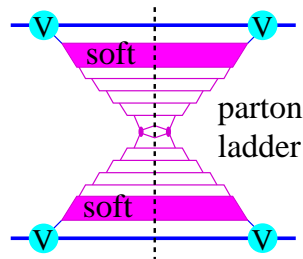
## EPOS4 factorization mode (1 Pom) and EPOS4 PDFs

Based on cut single Pomeron diagrams  
(composed of soft parts + parton ladder),

**we may compute (and tabulate) PDFs,**  
**corresponding to half of the diagram**

including Pomeron-nucleon coupling,  
excluding the Born process

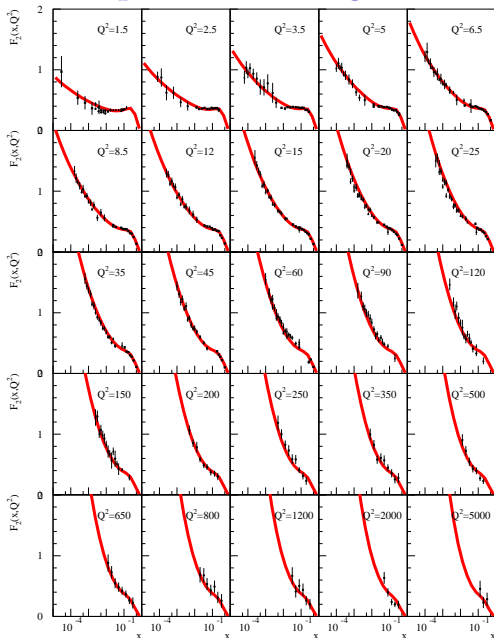
and then express the di-jet cross sections in  
terms of the PDFs



$$E_3 E_4 \frac{d^6 \sigma_{\text{dijet}}}{d^3 p_3 d^3 p_4} = \sum_{kl} \int \int dx_1 dx_2 f_{\text{PDF}}^k(x_1, \mu_F^2) f_{\text{PDF}}^l(x_2, \mu_F^2)$$

$$\frac{1}{32s\pi^2} \sum |\mathcal{M}^{kl \rightarrow mn}|^2 \delta^4(p_1 + p_2 - p_3 - p_4)$$

## Electron-proton scattering $F_2$ vs $x$



To check our  $f_{\text{PDF}}$ , we can compute

$$F_2 = \sum_k e_k^2 x f_{\text{PDF}}^k(x, Q^2)$$

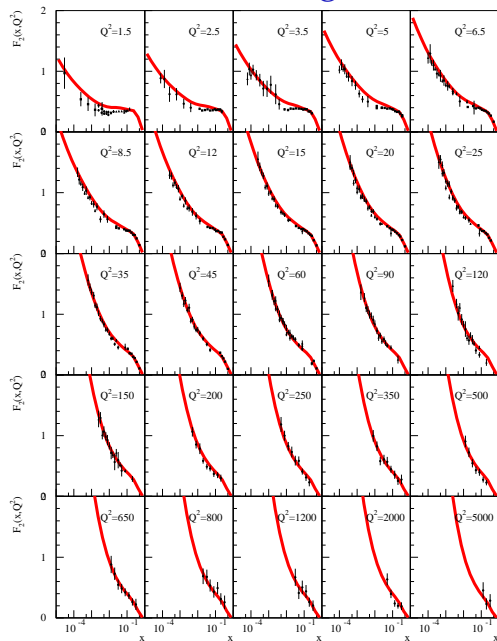
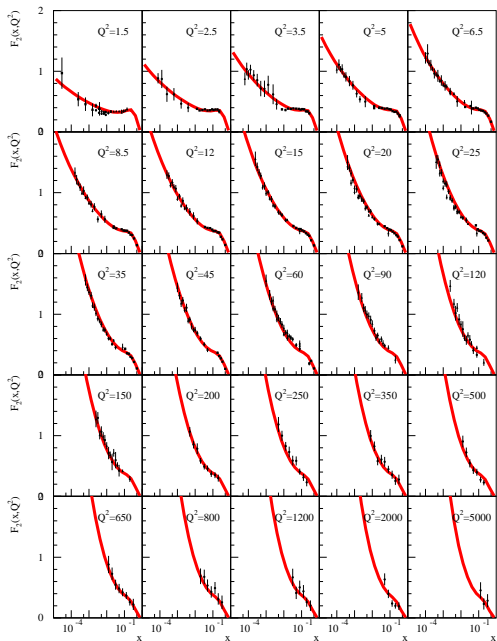
with

$$x = x_B = \frac{Q^2}{2pq}$$

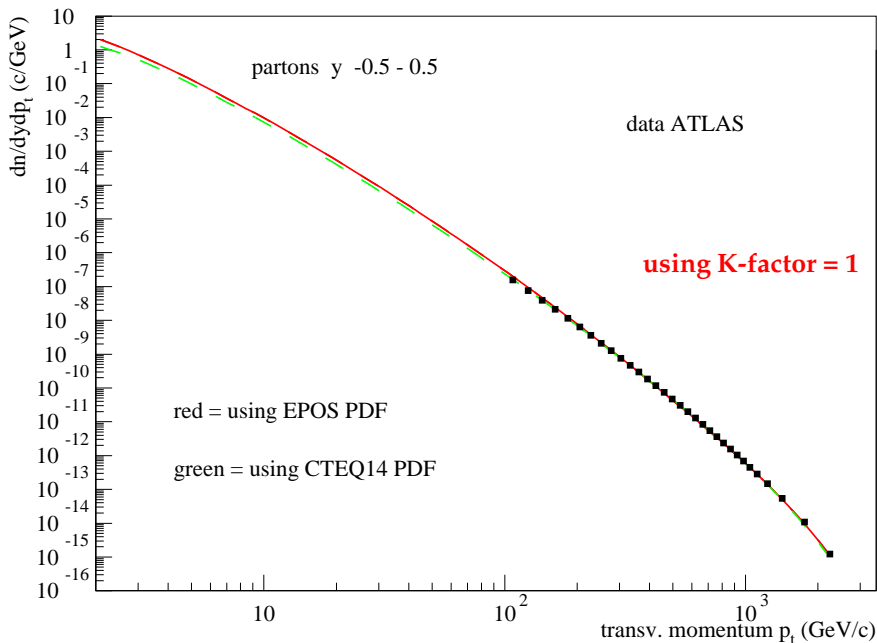
in the EPOS framework, and compare with data from ZEUS, H1



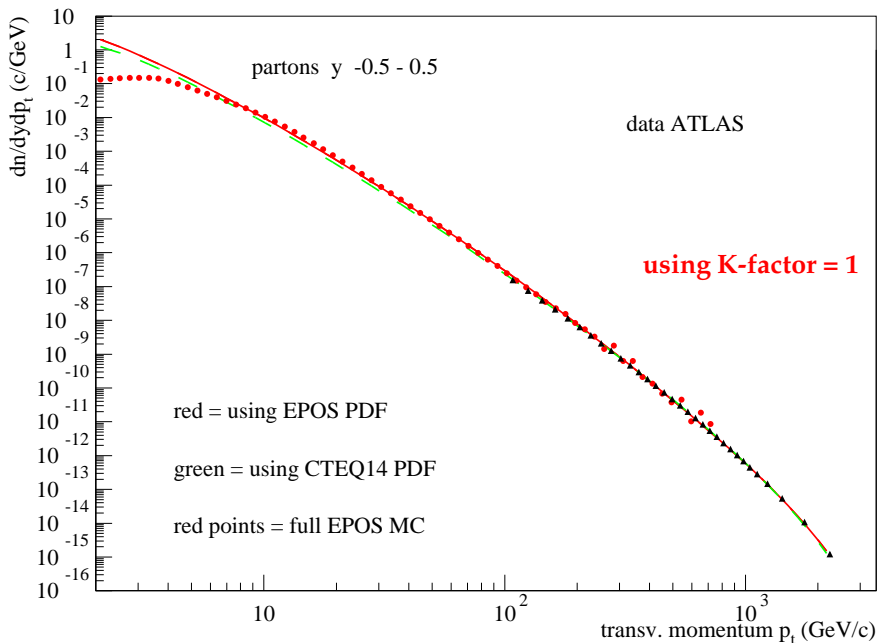
## $F_2$ with EPOS PDF (left) and CTEQ14(5f) PDF (right)



# Jet cross section vs pt for pp at 13 TeV

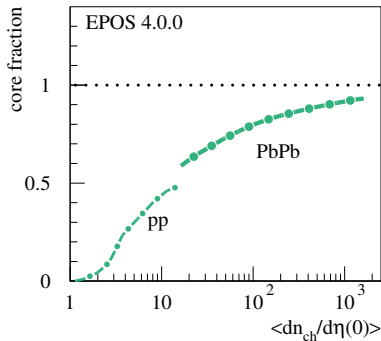


# Jet cross section vs pt for pp at 13 TeV



# Full EPOS4, core + corona, hydro, microcanonical decay: checking multiplicity dependencies

## Core fraction



Core: microcanonical  
**NEW FO concept**  
**NEW numerical methods**  
**used for pp and AA**

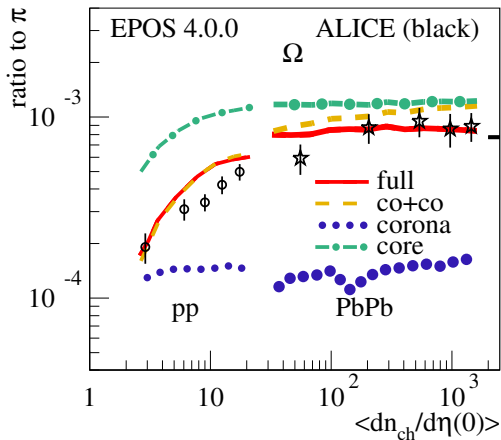
**Microcanonical core alone does not work!**

Check  
 in the following

- hadron to pion ratios
- mean pt

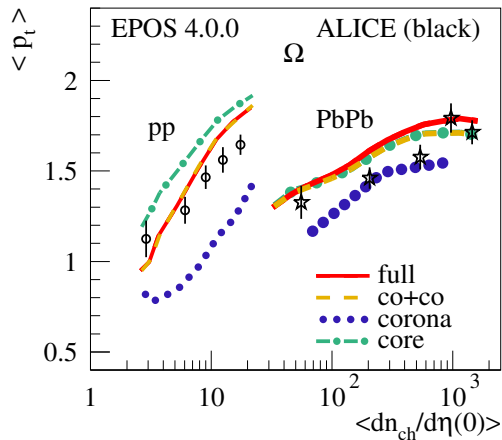
versus multiplicity  
 in core-corona  
 approach

## continuous curve

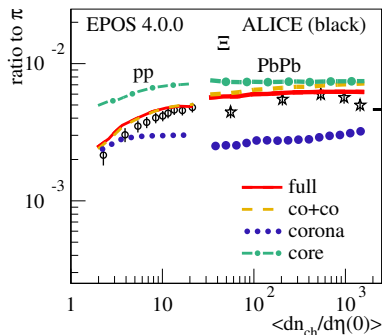
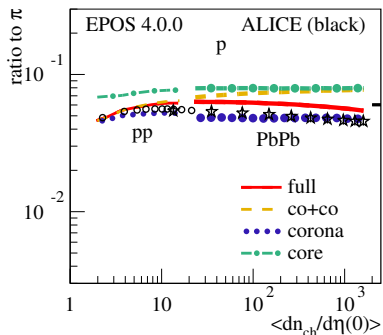
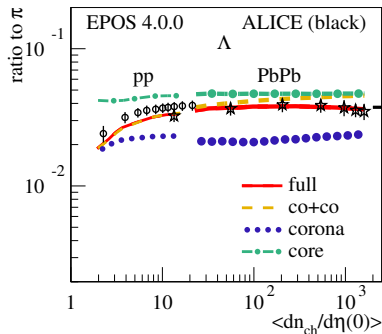
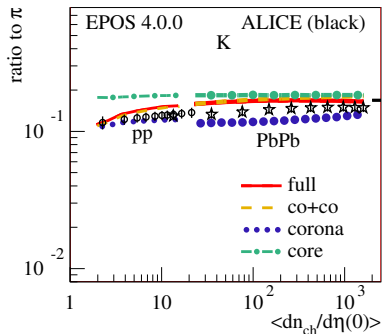


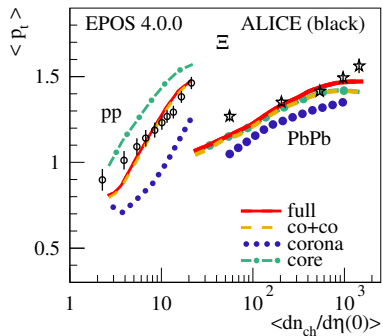
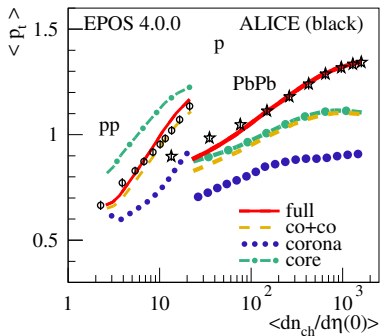
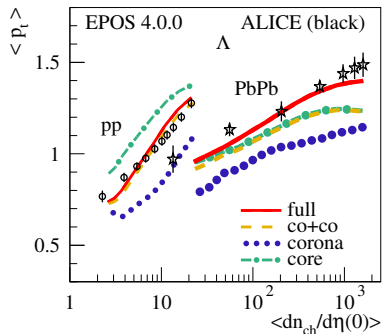
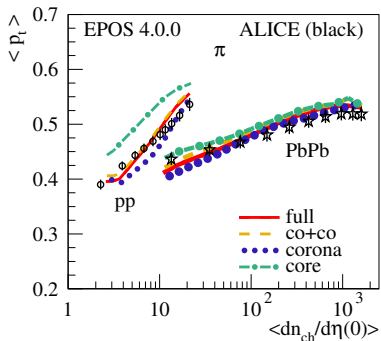
core-corona effect  
+ microcanonical effect

## jump



core-corona effect  
saturation effect  
+ flow effect





## Crucial in all cases

**core-corona**

**saturation**

**flow**

**mirocanonical**

**all of them !!!**



# Multiplicity dependence of charm production

saturation and flow effect

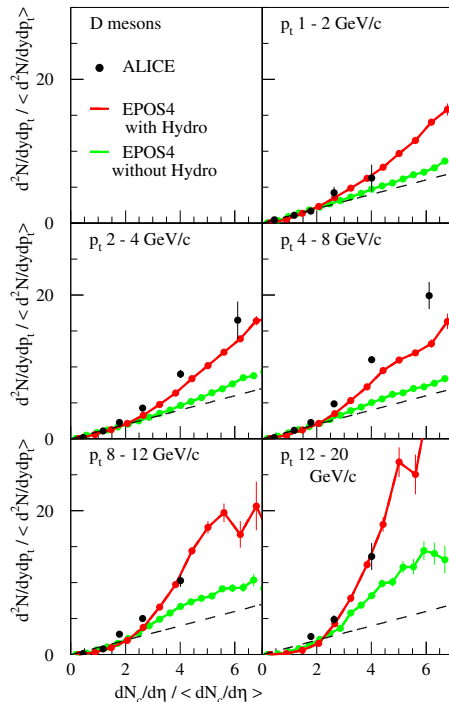
pp 7TeV

Self-normalized  $D$  meson  
multiplicity

for different transverse  
momentum ranges

versus self-normalized charged  
particle multiplicity,

compared to ALICE data



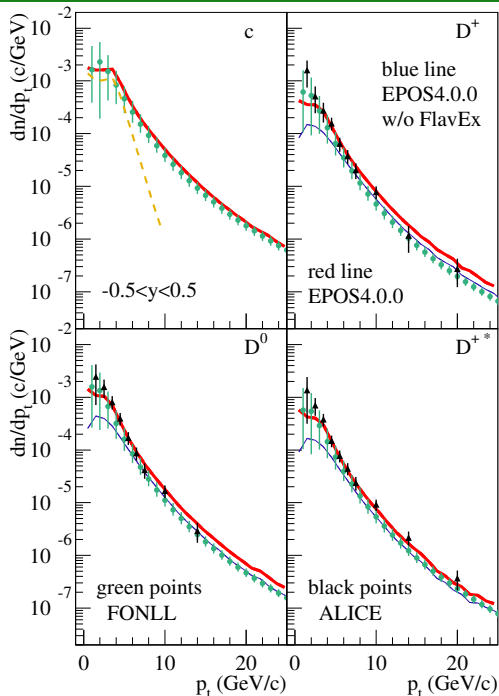
# Charmed hadrons

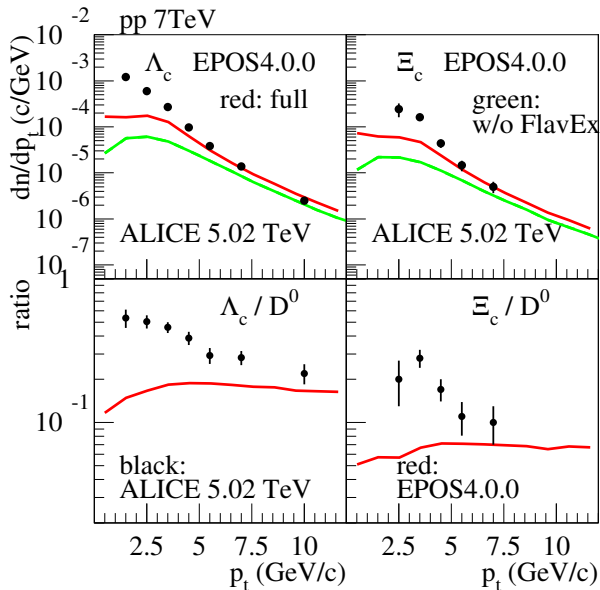
pp 7TeV

charmed final partons  
and mesons

EPOS4 simulations  
w/o hydro,

compared to ALICE data  
and FONLL





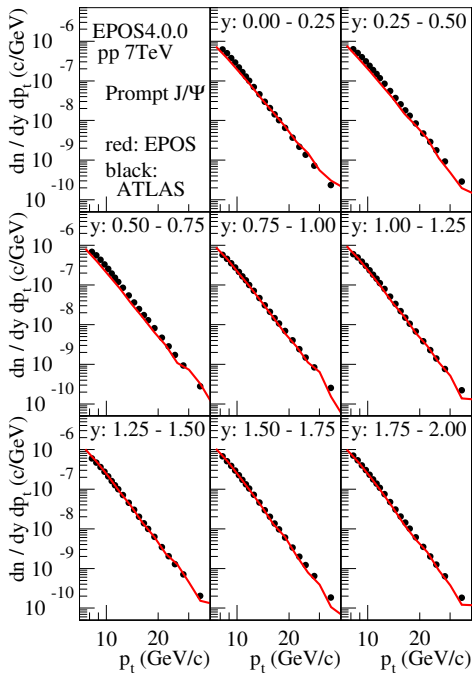
pp 7TeV  
 charmed baryons

$\Lambda_c$  and  $\Xi_c$

EPOS4 simulations  
 w/o hydro,

compared to ALICE data  
 (at 5.02 TeV).

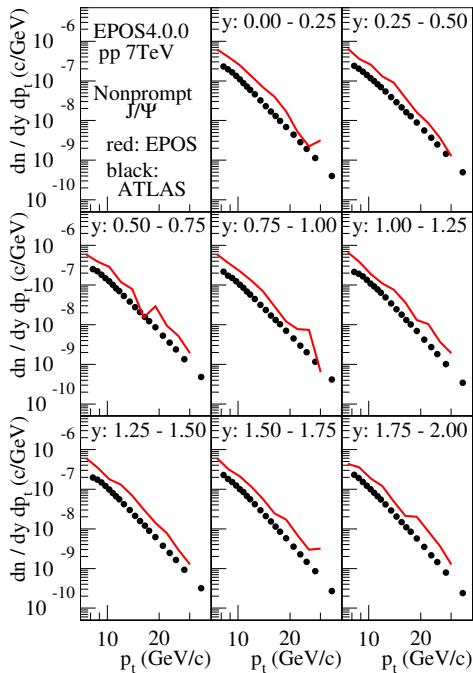
Deficit at low  $p_t$  ...  
 thermal?



pp 7TeV  
Prompt  $J/\Psi$

compared to ATLAS

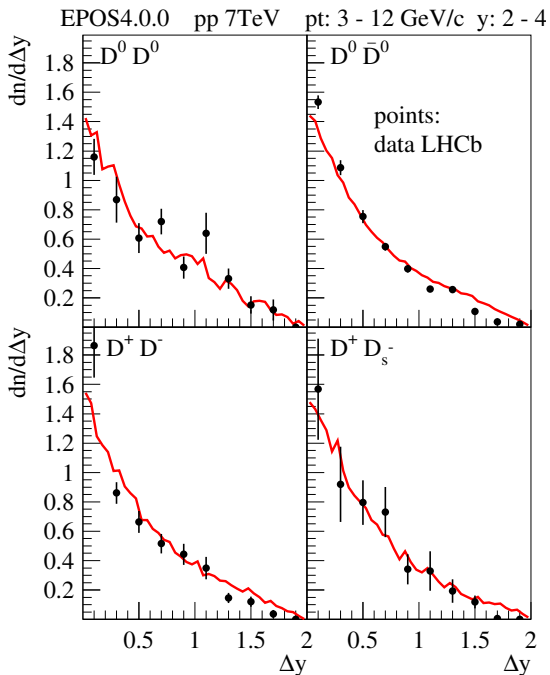
EPOS  $J/\Psi$  production:  
Color Evaporation Model



pp 7TeV  
Nonprompt  $J/\Psi$

compared to ATLAS

strange:  $B$  spectra are very good



## pp 7TeV Two hadron correlations

$$D^0 D^0$$

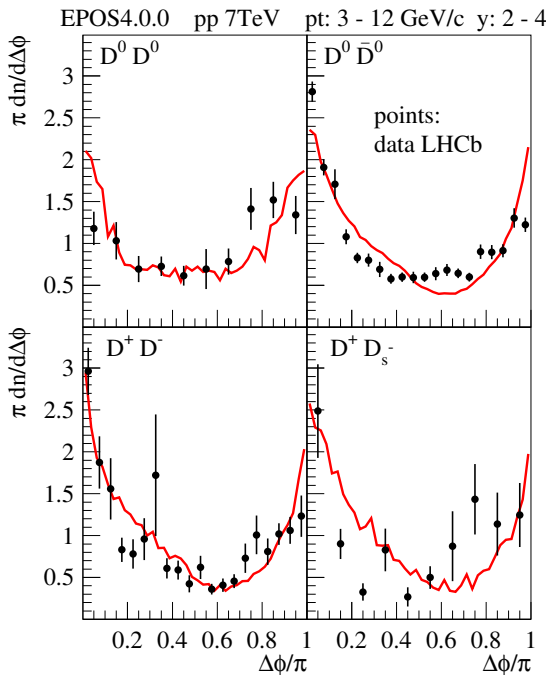
$$D^0 \bar{D}^0$$

$$D^+ D^-$$

$$D^+ D_s^-$$

as a function of  $\Delta y$

compared to LHCb



## pp 7TeV Two hadron correlations

$$D^0 D^0$$

$$D^0 \bar{D}^0$$

$$D^+ D^-$$

$$D^+ D_s^-$$

as a function of  $\Delta\phi$

compared to LHCb

## To summarize: The EPOS4 project

allows to accommodate simultaneously

**E**nergy conservation + **P**arallel scattering + fact **O**rization + **S**aturation

representing **4** crucial concepts of HE scattering

all of them being important ...

missing out one spoils everything