

Azimuthal angle correlations in forward dihadron production in pA collisions

NeD/TURIC-2012

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In collaboration with T. Lappi

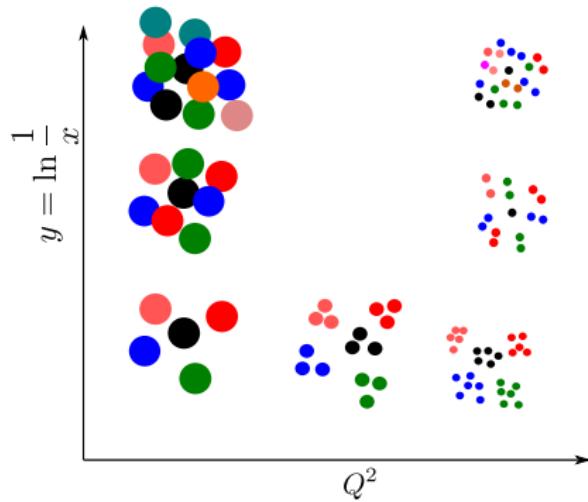
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30.6.2012

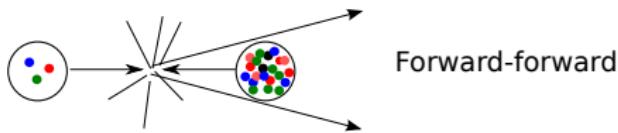
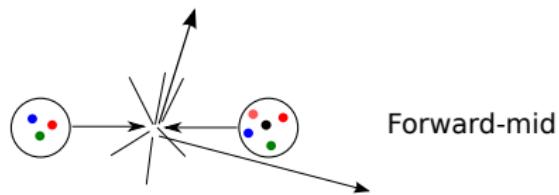
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Introduction



- Hadron production in forward region probes small- x structure
- Saturation phenomena described by CGC
- Evolution in x : BK equation
- Saturation scale Q_s = characteristic momentum scale
- Additional information to single inclusive spectrum: dihadron production in forward rapidities



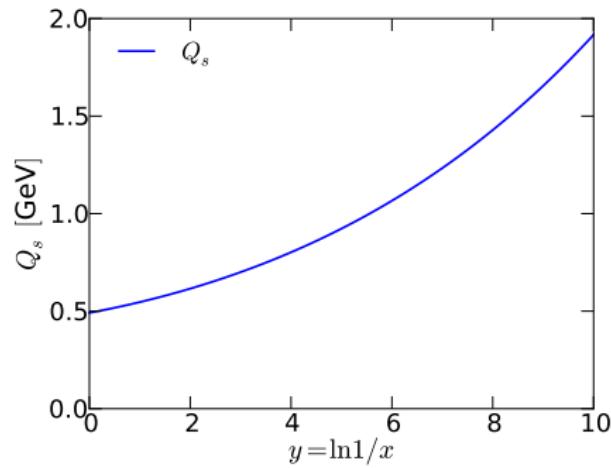
BK equation

Evolution equation in x for dipole-target scattering amplitude $N(r)$

$$\frac{\partial N(r)}{\partial y} = \frac{\alpha_s N_c}{2\pi} \int d^2 r' \mathcal{K}(r, r') [N(r') + N(r - r') - N(r) - N(r') N(r - r')]$$

r : dipole size.

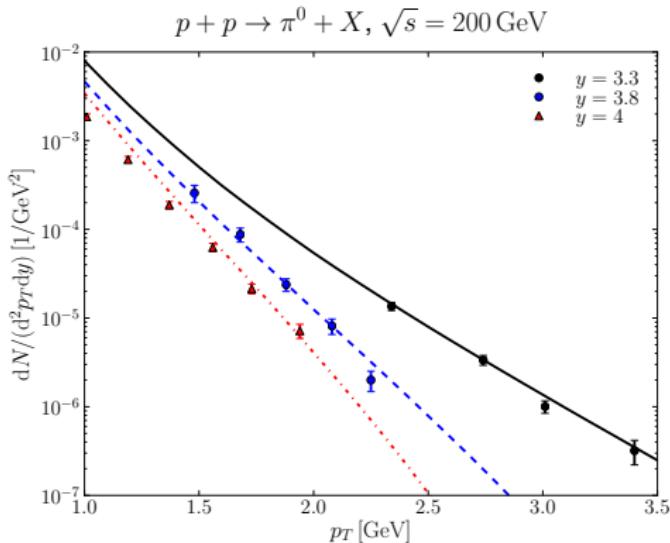
- Large- N_c result, can also be used to calculate x evolution of unintegrated parton distribution function



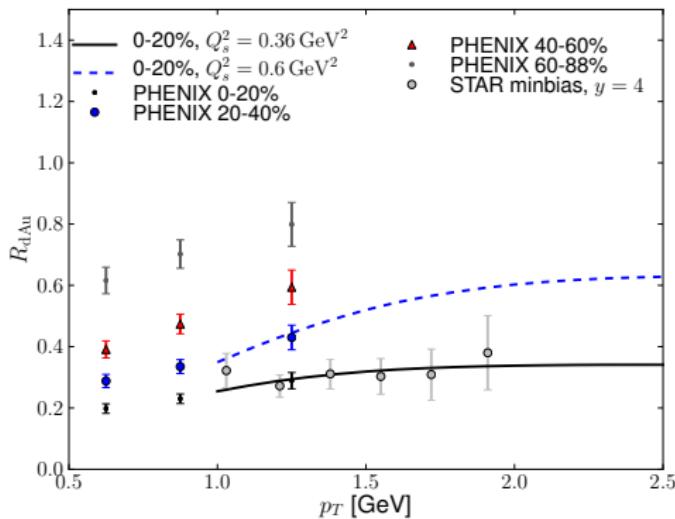
Single inclusive hadron production from CGC

$$dN \sim \int \frac{dz}{z^2} xf(x, Q^2) \tilde{S}\left(\frac{p_T}{z}, y\right) D(z, Q^2)$$

xf : PDF, \tilde{S} : FT of $1 - N$, N dipole amplitude, Vacuum FF (DSS)



Data: STAR, nucl-ex/0602011

$d + Au / p + p \rightarrow \pi^0 + X, \sqrt{s} = 200 \text{ GeV } 3 < y < 3.8$ 

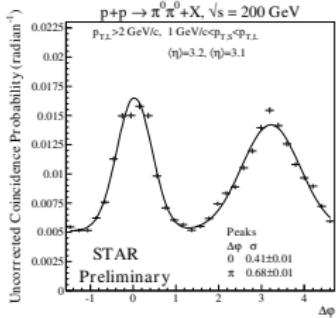
- Here: choose initial saturation scale such that it fits PHENIX most central R_{dAu} data
- Quite small $Q_{s0}^2 \sim 2Q_{s0,p}^2$ required
- STAR minbias \approx central PHENIX, but slightly different rapidities
- Uncertainty to dihadron calculation

In forward rapidities $R_{dAu} \not\rightarrow 1$ (validity: $p_T \lesssim \mathcal{O}(10 \text{ GeV})$). LHC pA run?

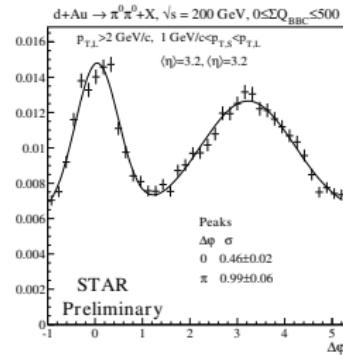
Azimuthal angle correlations

Two particle collision vs. $\Delta\phi$: away side peak goes away

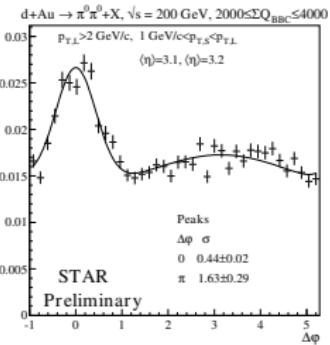
$p+p$



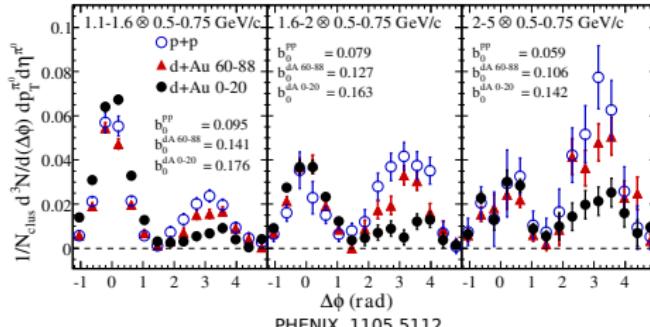
peripheral d+Au



central d+Au



STAR, 1102.0931

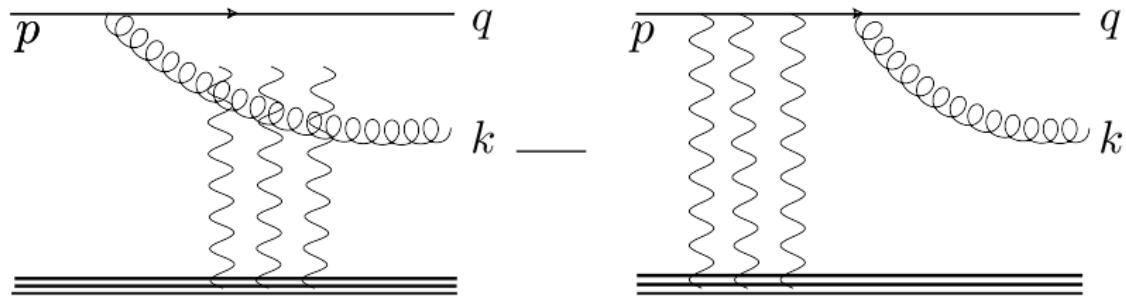


PHENIX, 1105.5112

Dihadron production from CGC

CGC description: quark emits a gluon and scatters off the target.

Momentum transfer $\sim Q_s \Rightarrow$ explains disappearance of the away side peak



$$Q_s^2 \approx A^{1/3} \left(\frac{x}{x_0} \right)^{-0.3} Q_{s0}^2$$

Dihadron production from CGC

CGC calculation by C. Marquet (Nucl.Phys. A796 (2007)):

$$\frac{d\sigma}{d^2k_T d^2q_T dy_q dy_k} \sim x q(x, \mu^2) \int \frac{d^2x}{(2\pi)^2} \frac{d^2x'}{(2\pi)^2} \frac{d^2b}{(2\pi)^2} \frac{d^2b'}{(2\pi)^2} e^{ik_T(x' - x)} e^{iq_T(b' - b)} \\ |\phi^{q \rightarrow qg}(x - b, x' - b')|^2 \left\{ S^{(6)} - S^{(3)} - S^{(3)} + S^{(2)} \right\}$$

Dependence on n -point functions $S^{(n)}$ ($n = 2$: dipole amplitude), especially $S^{(6)}$

$$S^{(6)}(b, x, x', b') = Q(b, b', x', x) S(x, x') + \mathcal{O}\left(\frac{1}{N_c^2}\right),$$

where Q is a correlator of 4 Wilson lines

$$Q(b, b', x', x) = \frac{1}{N_c^2} \langle \text{Tr } U(b) U^\dagger(b') U(x') U^\dagger(x) \rangle$$

$n > 2$: BK evolution equation → JIMWLK (=difficult!)

Quadrupole operator

$$Q = N_c^{-1} \langle \text{Tr } U(b) U^\dagger(b') U(x') U^\dagger(x) \rangle, S = S^{(2)} = N_c^{-1} \langle \text{Tr } U(x) U^\dagger(x') \rangle$$

Motivation for approximations

Dipole amplitude S is easy to obtain from BK \Rightarrow approximation depending only on dipole amplitude is much easier for practical work

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Approximating the quadrupole Q

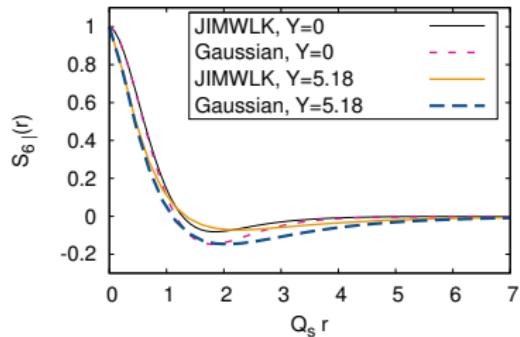
- Naive Large- N_c $Q(b, b', x', x) = \frac{1}{2}[S(x, b)S(x', b') + S(x, x')S(b, b')]$
previous phenomenology: w.o. inelastic contribution $S(x, x')S(b, b')$
- Gaussian approximation (and large- N_c limit)

Gaussian approximation: assume that the correlators of the color charges are Gaussian \Rightarrow depends only on two-point functions

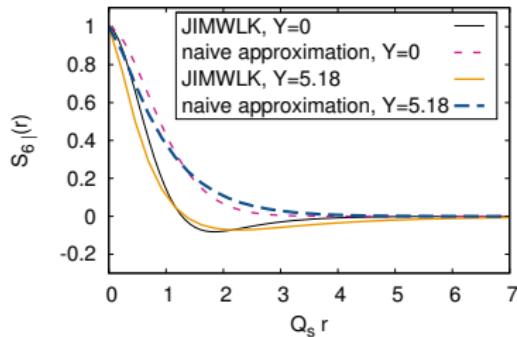
- We use the full Gaussian approximation which includes the inelastic contribution

Quadrupole operator

Comparison with full JIMWLK evolution



(a) Gaussian



(b) Naive

T. Lappi et al. 1108.4764

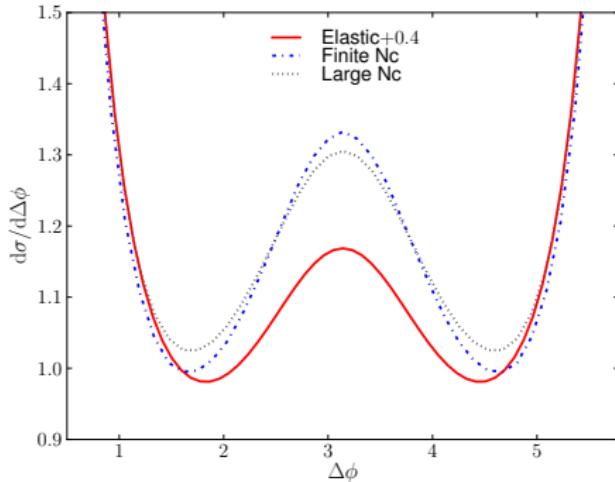
- Gaussian approximation is accurate, Naive Large- N_c is not.

Large N_c vs finite- N_c

Preliminary numerical results

Parton level: $p + A \rightarrow q + g + X$

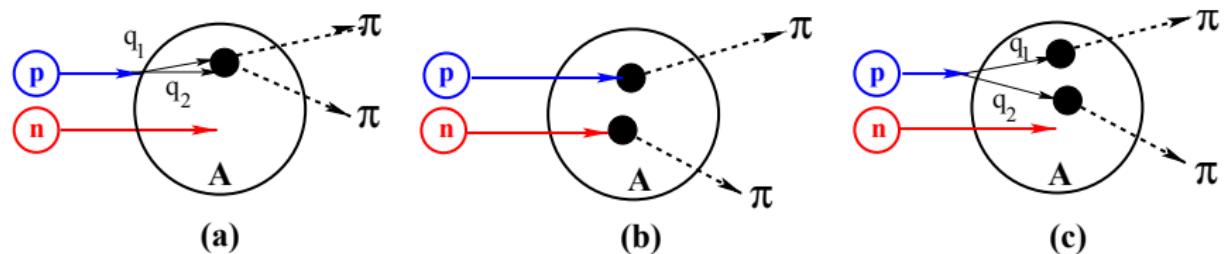
$p_{T1} = 0.5 \text{ GeV}$, $p_{T2} = 1.1 \text{ GeV}$, $y_1 = y_2 = 3.4$, $Q_s^2 = 0.33 \text{ GeV}^2$



- Finite- $N_c \approx$ Gaussian Large- N_c
- Naive Large- N_c : narrower and smaller back-to-back peak
- Different pedestal

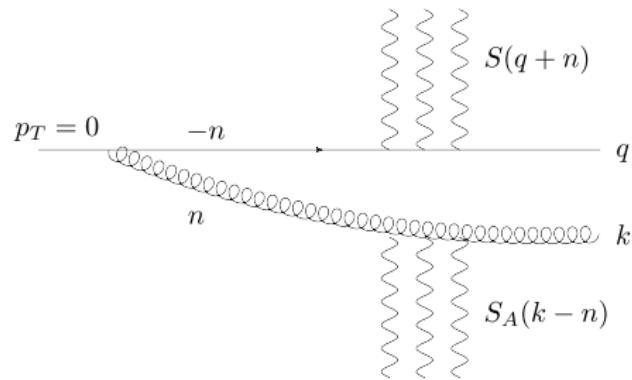
Double parton scattering

Background (pedestal) contribution to coincidence probability: two hadrons are produced independently



Strikman, Vogelsang, 1009.6123

Double parton scattering



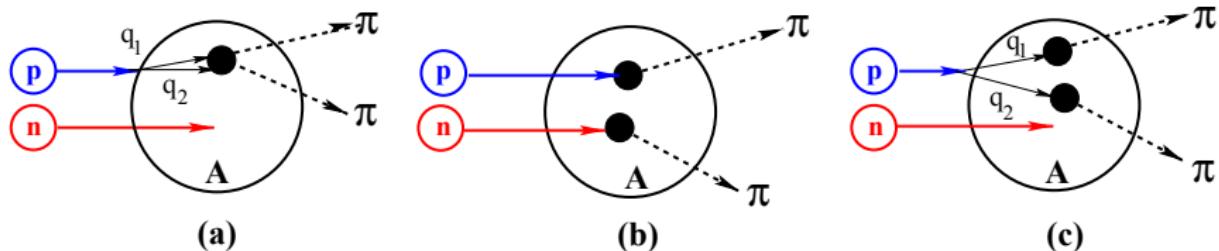
DPS in CGC framework: $S^{(6)}$ contains IR divergent contribution (gluon emitted far away from the quark), DPDF should cancel

$$\sim xf(x) \left[\int^\Lambda d^2n |\psi(n)|^2 \right] \tilde{S}_A(k) \tilde{S}(q),$$

for $\Lambda \ll k, q$, ψ is the splitting function $q \rightarrow qg$. \tilde{S} : FT of S .

- Part of “inelastic contribution” (neglected previously)

Double parton scattering



Strikman, Vogelsang, 1009.6123

How to calculate DPS in CGC?

- Remove IR divergent contribution from $S^{(6)}$ (\Rightarrow dependence on cutoff $\Lambda \sim \Lambda_{\text{QCD}}$)
- (a) and (c): assume DPDF $f(x_1, x_2) \sim f(x_1)f(x_2)$ with kinematical constraint $x_1 + x_2 < 1$
- (b): $(\text{single inclusive})^2$, dominates in forward rapidities

Results: DPS

Preliminary numerical results

Comparison with PHENIX pedestal height

- $1.1 \text{ GeV} < p_{T,\text{trig}} < 1.6 \text{ GeV}$: 0.11 (exp. 0.18)
- $1.6 \text{ GeV} < p_{T,\text{trig}} < 2 \text{ GeV}$: 0.086 (exp. 0.16)

Correct systematics and order of magnitude.

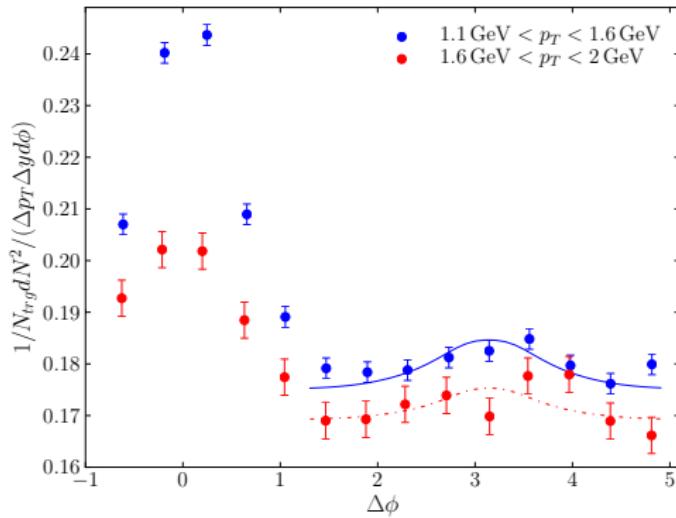
Theoretical uncertainties

- Dependence on cutoff in correlated dihadron production
- $Q_{s0}^2 = ?$
- K -factors?

Results: Coincidence probability

Preliminary numerical results

central d + Au, $\langle y_1, y_2 \rangle = 3.4$, $0.5 \text{ GeV} < p_{asc} < 0.75 \text{ GeV}$



- Good description of central PHENIX data (pedestal from exp. data)
- Gaussian large- N_c approximation

IC: MV^γ , $Q_s^2 = 0.33 \text{ GeV}^2$, data: PHENIX [1105.5112]

Conclusions

- Dihadron production in forward rapidities: detailed study of small- x structure and saturation phenomena
- Previously used "naive Large- N_c " approximation is not very accurate, "Large- N_c Gaussian" is, effect on away-side peak
- DPS contribution is not completely separated but included in six-point function
- We obtain good description of the $\Delta\phi$ dependence of the PHENIX data and order-of-magnitude result for the DPS
- LHC forward R_{pA} ja dihadron correlation results will be interesting
- Work continues...